

YOUR NOTEBOOK

- 1) This notebook is a record of your thought and activity as an engineer and employee of Fairchild. Its contents must be safeguarded as "Company Private Material", and shall not be disclosed to anyone outside of the Fairchild Organization without proper authorization. All notebooks are the property of Fairchild and shall be turned in to the Notebook Registrar upon termination of employment.
- 2) Material selected for invention disclosure must be submitted to the Parent Company Patent Department in accordance with SPI-19-405.3. If you do not have a copy of this instruction see your supervisor.
- 3) The procedure below specifies how notebooks must be maintained to make them acceptable in patent proceedings as legal proof of what was done and when it was done. The early date of record may be the deciding factor in obtaining an important patent for Fairchild in your name.
- 4) Proper maintenance of your notebook is a meaningful contribution to your individual progress at Fairchild.

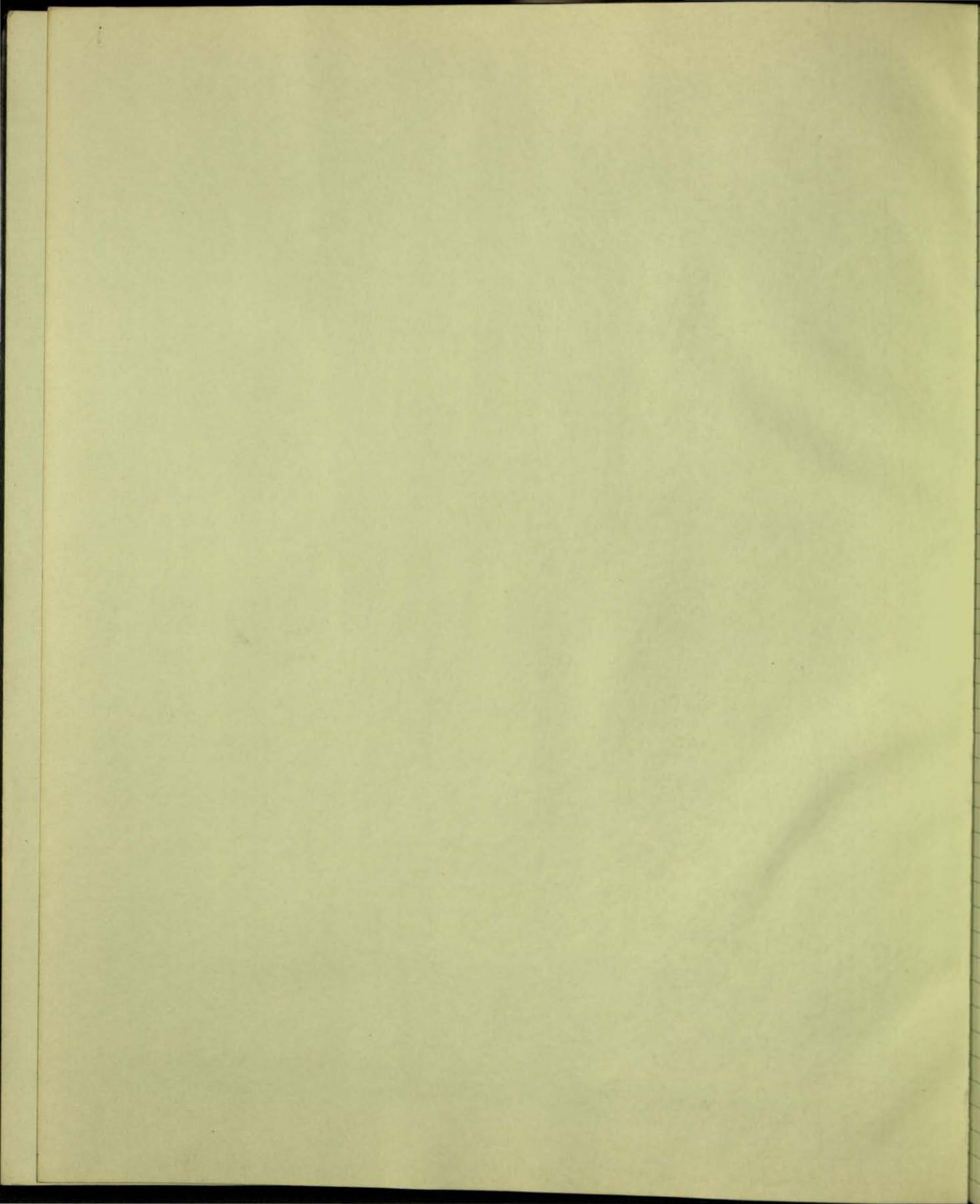
NOTEBOOK ENTRY PROCEDURE

- 1) Make regular entries in this notebook of all notes, calculations, sketches, circuit diagrams, formulas, equations, graphs, developmental and test observations, and all test results and conclusions regardless of whether successful or not. (DO NOT USE SCRAP OR OTHER LOOSE PAPER FOR THIS WORK.)
- 2) All entries shall be kept chronologically using a separate page for each idea and all entries on any one page shall be made only as of a single date indicated on the page. Draw lines through unused portions of a page so there are no empty spaces between entries. (DO NOT SKIP PAGES AND NEVER TEAR OUT PAGES.)
- 3) Do not make entries in the notebook of another and do not permit anyone to make entries in your notebook.
- 4) When blueprints, photostats, or other material will clarify or explain entries, affix such material securely to the appropriate pages.
- 5) New ideas which may be original regardless of whether they are conceived under company sponsored program or a commercial or government contract should be entered in sufficient detail to enable any engineer or any person skilled in the art to fully understand the idea involved. Such entries should be dated and attested by two individuals who have read and fully understood the entry. (DO THIS PROMPTLY.) Subsequent additions or changes should be made on other pages likewise dated and attested and reference previous pages and earlier notebooks.
- 6) If the new idea has been operated in a piece of apparatus your notes should include a description of the conditions under which the apparatus operated, the operations performed, the persons present, the data taken and any other facts which will substantiate the steps taken by you. Two engineers, one preferably your supervisor, should witness such apparatus operation, check the detail sufficiently that they know the idea embodied therein and sign the notebook pages as having witnessed the operation. At this point check with your supervisor if the apparatus is to be tagged and stored as a patent exhibit.
- 7) Take your notebook to conferences or technical discussions and enter any ideas or suggestions you make, refer to the discussion, those present and its date. Shortly thereafter, amplify the notes so they will be understandable at a future date. Obtain signatures of two witnesses who were present when the disclosure was made.
- 8) By following the above instructions you should always be able to testify that any one of your notebook pages is in its original condition and that no changes were made thereto after the original entry and signatures.
- 9) When inventive work is performed under a Government Prime or Subcontract which is classified for security purposes, a separate notebook shall be kept for each such contract and the notebook shall be safeguarded in accordance with requirements applicable to the security classification of the contract.

NOTEBOOK CONTROL PROCEDURE

- 1) Each notebook issued shall have a copy of this instruction affixed to the front inside cover.
- 2) Each notebook page shall be numbered and the book itself shall be numbered and recorded by employee name in a register maintained by each Engineering Department.
- 3) Each notebook shall be periodically reviewed by the employees supervisor.
- 4) Each filled notebook that has served its reference use shall be returned to the notebook registrar for filing.

E. Isabell / #1110
TDSalt
1-31-68



12/15/65 HALICRAFTER C-BAND Up-CONVERTER 1

LOW FREQUENCY INPUT RANGE 200 mc - 310 mc.

THE TWO PUMP FREQUENCIES $\begin{cases} 4720 \text{ mc.} \\ 4790 \text{ mc.} \end{cases}$

THE TWO OUTPUT SIDE-BANDS WILL BE:

4920 - 5030 mc. 4990 - 5100 mc.

CONSIDER USING THE FOURTH HARMONIC FOR THE PUMP.

THEN INPUT OSC. FREQUENCIES WILL BE:

$$\frac{4720}{4} = 1180 \text{ mc.}, \frac{4790}{4} = 1197.5 \text{ mc.}$$

CONSIDER PUMP COMBLINE FILTER

$$f_1 = 4700 \text{ mc.} \quad f_2 = 4810 \text{ mc.}$$

FIRST, CONSIDER DESIGN PARAMETERS REQUIRED FOR C-BAND UNIT.

From p. 110 NOTEBOOK # 1068

$$\sqrt{\frac{w_1}{w_2}} = \sqrt{\frac{f_1}{f_2}} = \sqrt{\frac{250}{4750}} = \sqrt{.0515} = .227$$

AGAIN LET $R_1 = R_2$

2/9/66 Will have Ron Shipow design the X4
multiplier for this job.

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Date _____

Signature _____ Date _____

Date _____

Signature _____ Date _____

OUTPUT BAND IS 4990 - 5100 mc.
 \downarrow
 4920 - 5030 mc.

SINCE FM MOD. IS ± 6 mc. AT PUMP, MAX.

$$\begin{array}{r} 4914 \\ 5106 \\ \hline 4984 \text{ mc TO } 5030 \text{ mc} \end{array}$$

BANDWIDTH FOR BOTH BANDS

$$\begin{array}{r} 4890 \\ 5130 \\ \hline 5130 \\ 4890 \\ \hline 210020 \quad 210020 \\ 5010 \quad 5010 \\ \hline 4950 \\ 5130 \\ 4890 \\ \hline 240 \end{array}$$

$$\text{LET } f_1 = 4950 \text{ mc. } \downarrow \quad f_2 = 5070 \text{ mc.}$$

$$f_0 = 5010 \text{ mc. } 5010 \text{ mc.}$$

$$M = \frac{240}{5010} = .048$$

CONSIDER 5th HARMONIC
 OF 1180 mc PUMP. (FVNO OSC.)
 $5 \times 1180 = 5900 \text{ mc.}$

$$\frac{w'}{w_i} = \frac{2}{w} \left(\frac{w-w_0}{w_0} \right) = \frac{2}{.048} \left(\frac{5900 - 5010}{5010} \right) = \frac{1}{.024} \left(\frac{890}{5010} \right)$$

$$= 7.4, \quad \left| \frac{w'}{w_i} \right| - 1 = 6.4$$

$w = 3$ SHOULD BE ADEQUATE.

DESIRE TO USE A 5Ω IMPEDANCE LEVEL
 AT UP-CONVERTER DIODES END OF PACKAGE.

WILL TRY TO WORK BACKWARDS AND FIND IF
 5Ω IS REASONABLE STARTING WITH A SQUARE
 COUPLING FINGER.

$$\text{CONSIDER: } \frac{w_0}{b} = \frac{1}{2} \left(1 - \frac{t}{b} \right) \left[\frac{1}{2} \left(\frac{C_0}{\epsilon} \right) - \frac{C_f}{\epsilon} - \frac{(C_f + C_{01})}{\epsilon} \right]$$

$$\text{LET } \frac{t}{b} = .8, \quad \frac{C_f}{\epsilon} = 1.7, \quad \frac{(C_f + C_{01})}{\epsilon} = 6.4$$

Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

2/21/66

CONT. FROM p. 2

3

THE .8 VALUE WAS SELECTED AS A REASONABLE MEAN VALUE. ALSO IF LINE IS SQUARE $\frac{w_0}{b} = \frac{t}{b} = .8$

$$\therefore \frac{1}{2} \left(1 - \frac{1}{b} \right) = .1$$

$$\begin{aligned} \therefore .8 &= .1 \left[\frac{1}{2} \frac{C_0}{E} - 1.7 - .8 \right] = .1 \left[\frac{1}{2} \frac{C_0}{E} - 2.5 \right] \\ 8 &= \frac{1}{2} \frac{C_0}{E} - 2.5, \quad 16 = \frac{C_0}{E} - 5 \end{aligned}$$

$$\boxed{\frac{C_0}{E} = 21.0}$$

$$\text{USING } \theta_0 = \frac{\pi}{4}, \quad \left(\frac{\cot \theta_0 + \theta_0 \csc^2 \theta_0}{2} \right) = 1.285$$

ALSO FOR .1 dB RIPPLE.

$$1.000, 1.032, 1.147, 1.032, 1.000$$

$$g_0 \quad g_1 \quad g_2 \quad g_3 \quad g_4$$

~~$$\text{CONSIDER EQUATION } \frac{C_0}{E} = \frac{376.7}{R} \left(1 + \sqrt{\frac{G_A}{Y_A}} \right)$$~~

~~To calculate reasonable value for G_A & Y_A { their~~
~~SOLVE FOR Y_A~~

~~LET $Y_{A1} = 25 \Omega$.~~

FOR $\frac{t}{b} = .8 \quad \frac{s}{b} \approx .09$ FOR A REASONABLE SPACING (FOR INSTANCE IF $b = \frac{1}{4}$ $s = .022$)

~~THIS GIVES $\frac{C_0}{E} = 9.0 \quad Y_A = \frac{1}{376.7} \left(\frac{C_0}{E} + \frac{C_0}{E} \right)$~~

~~USING $\frac{C_0}{E} = 376.7 Y_A - \frac{C_0}{E}$ $Y_A = \frac{30}{376.7} = \frac{1}{12.5} \Omega$~~

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

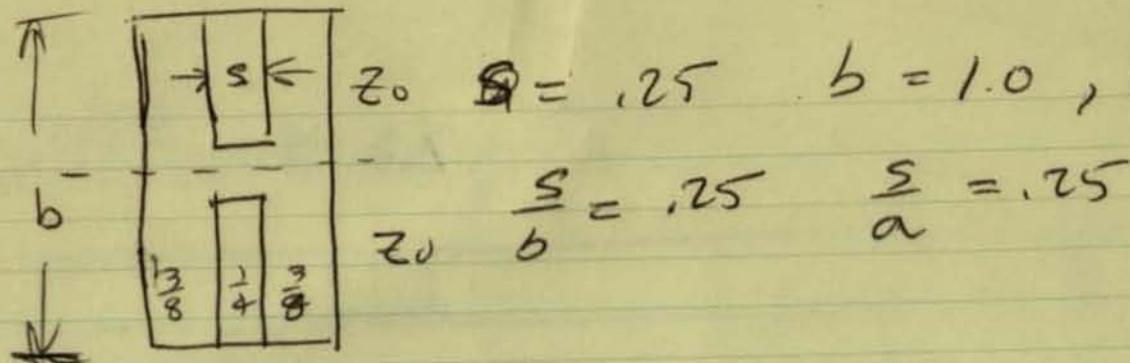
Signature _____ Date _____

Signature _____ Date _____

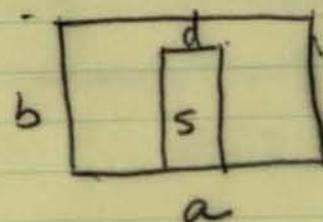
Signature _____ Date _____

Signature _____ Date _____

| a)



$$Z_T = 2z_0, \cancel{d}$$



$$b = .5 \quad \frac{d}{b} = \frac{.030}{.5} = \frac{3}{50} = .06$$

$$a = 1.0$$

$$s = .25$$

$$\frac{s}{a} = \frac{.25}{1} = .25$$

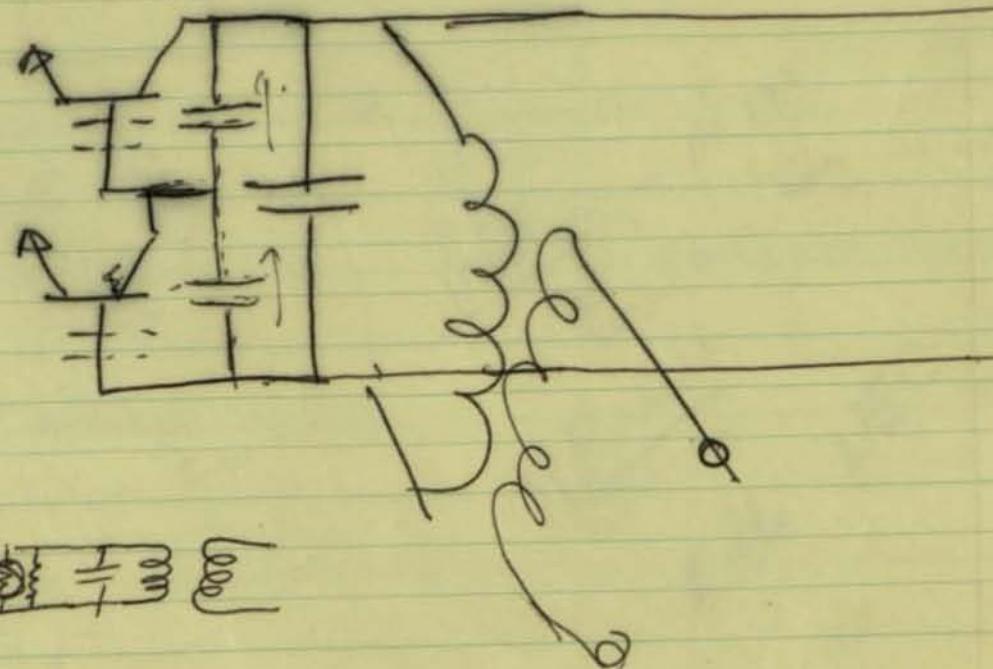
try $d = .030$

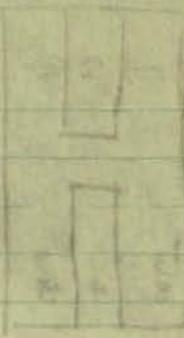
$$Y_{0f=d} \approx .03$$

$$Z_{0f=d} \approx 33 \Omega$$

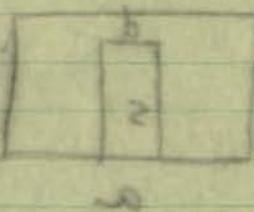
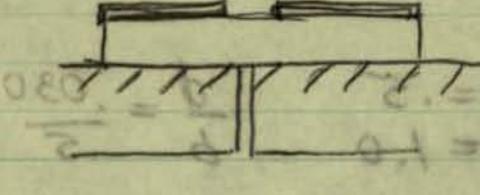
$$2Z_0 \approx 66 \Omega$$

$$C = \frac{A}{P^2 Z_0} = \frac{3 \times 10^{10}}{\frac{10^{-10}}{150}} = \frac{3 \times 10^{10}}{10^{-12}} = 3 \times 10^{22} \text{ F}$$



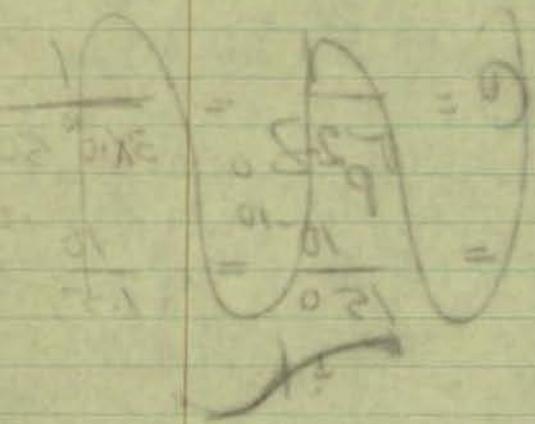


25 = 25. 25
25 = 25. 25



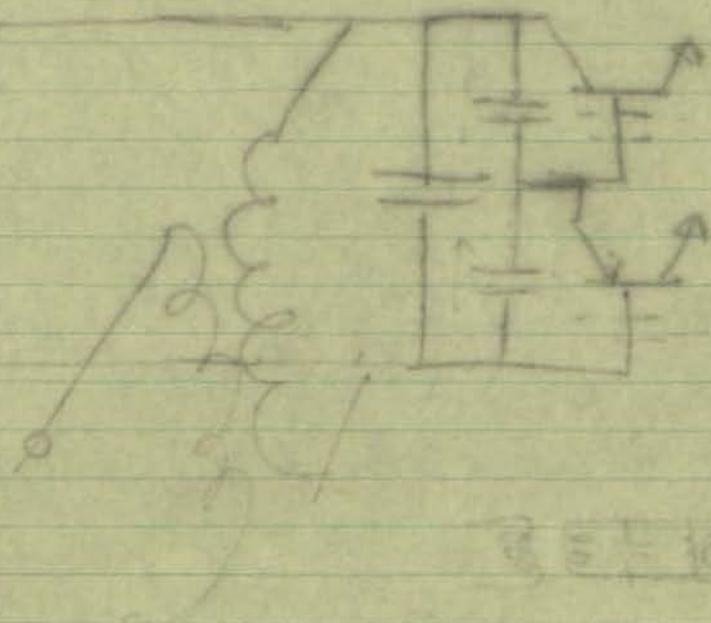
25. 25 = 25

0.020 = 0.020



25 = 25

25 = 25



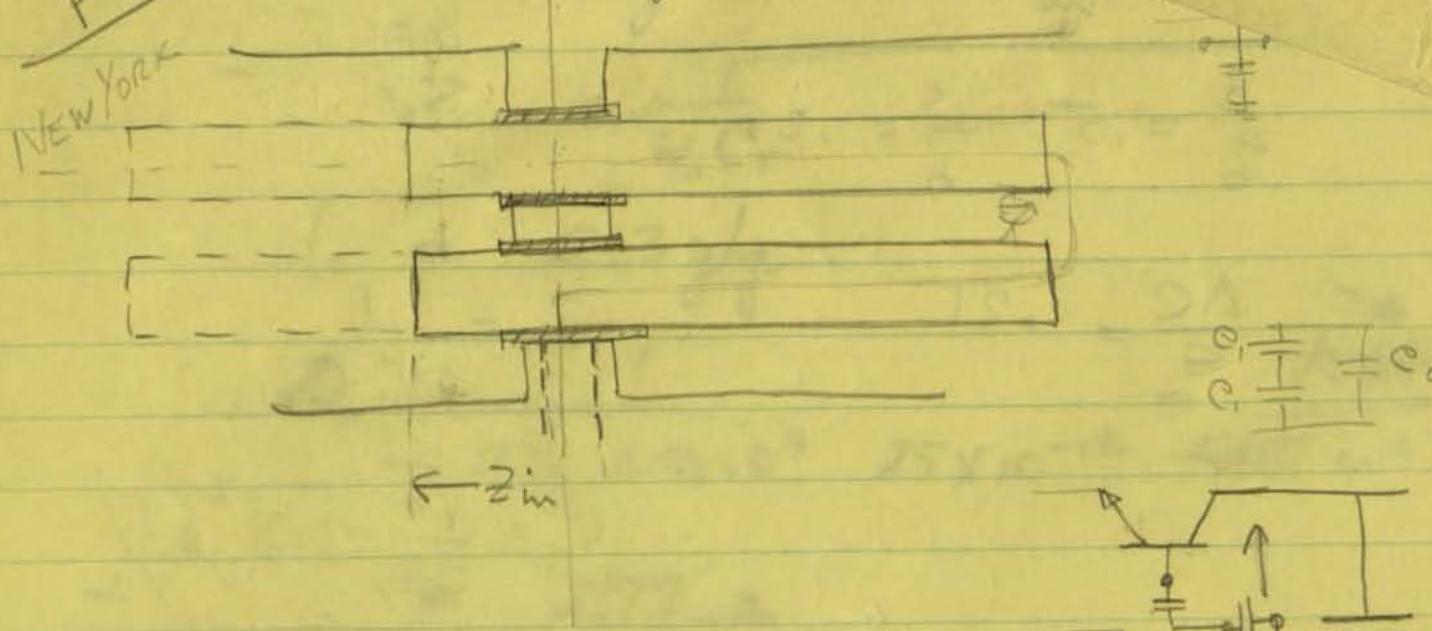
25 = 25

b.1
Carnuthers

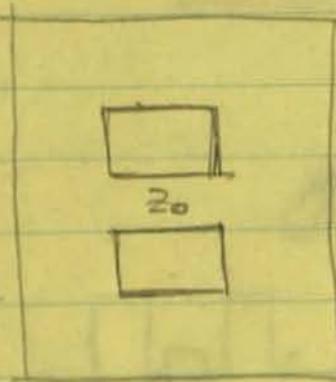
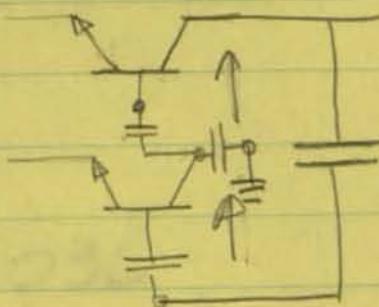
212
PL 26000

$$C_{CB} \approx 4.5 \text{ pF}$$

2



3 CHARACTERISTIC Z_0



$$\text{IF } Z_0 = 77 \Omega$$

$$Z_{in} = -j Z_0 \cot \theta$$

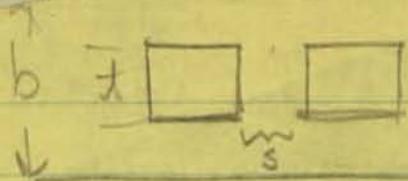
Let $C_0 = 10 \frac{C_1}{2}$
 $= 10 \cdot \frac{4.5}{2}$

$$C_0 = 22.5 \text{ pF}$$

$$C_T = 22.5 + \frac{4.5}{2}$$

$$C_T \approx 25 \text{ pF}$$

Muller - M.P.
Burleigh - Corbett
6 dB NEC



let $f = .25$

$$b = .5$$

$$s = .125$$

$$\frac{f}{b} = .5 \quad \frac{s}{b} = .25$$

$$\frac{\Delta C}{C} = .21$$

$$Z_0 = \frac{1}{V_p} C$$

$$C = \frac{\sqrt{\epsilon}}{3Z_0} \times 10^{-4} \mu\text{f/cm}$$

$$= \frac{\sqrt{\epsilon}}{3Z_0} \times 10^{-2} \mu\text{f/m}$$

$$Z_m = -j Z_0 \cot \theta$$

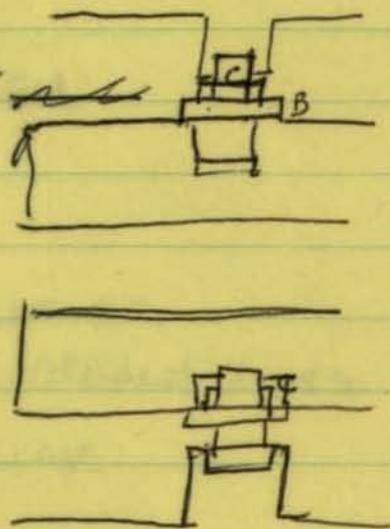
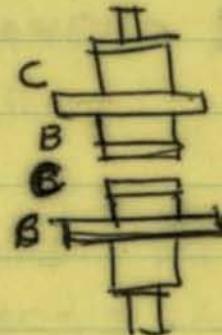
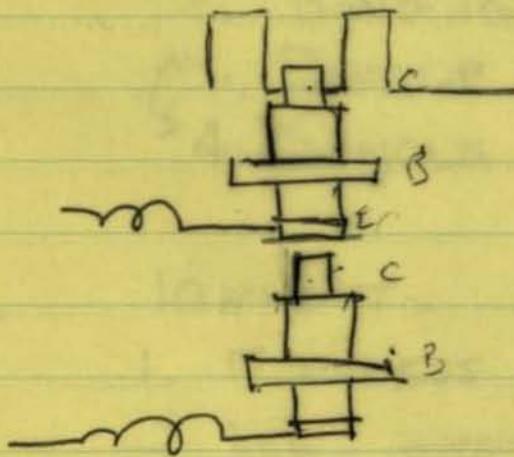
$$Z_m = \frac{1}{\omega_0 C_T}$$

$$f_0 = 2.3 \text{ GHz}$$

$$Z_m = \frac{1}{2\pi \cdot 2.3 \times 10^9 \cdot 25 \times 10^{-12}} = \frac{1000}{50\pi \cdot 2.3} = 2.77 \Omega$$

$$\cot \theta = \frac{2.77}{77} = 0.036$$

88°



$$4 \text{ kg} \times g = 5$$

$$\frac{1}{m \cdot g} = 5$$

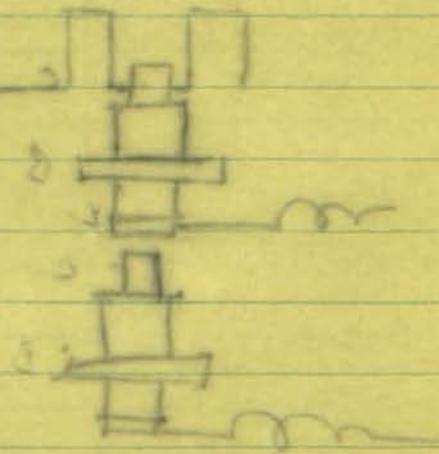
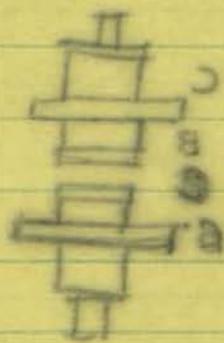
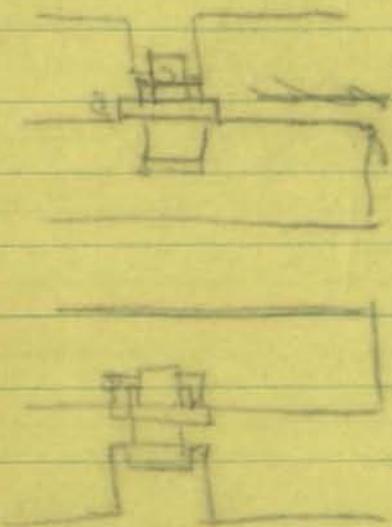
$$g = 5 \cdot 9.81 = 49$$

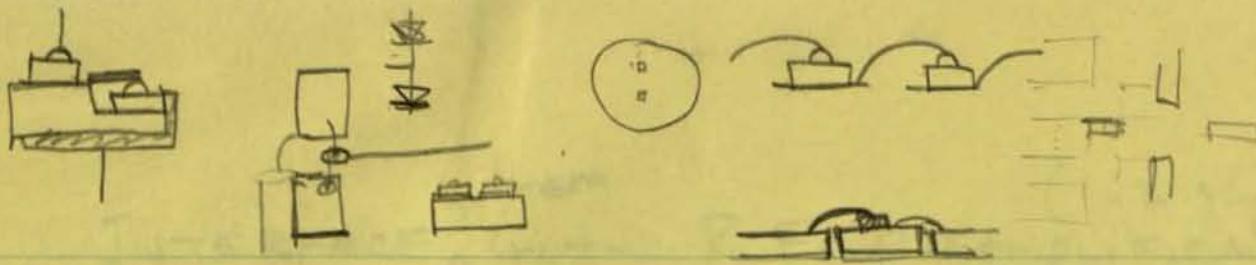
$$\frac{0.5}{0.004} = \frac{1}{0.5 \times 9.81 \times 10^{-5}} = 50000$$

$$50000 =$$

$$50000 = \frac{1}{0.5} = 100000$$

88.





A. DIODE TEST JIG

1. EVALUATE SINGLE ^{OR PAIR} DIODE IN COAX PKG,
R_s, N.F., C_o, BURNOUT.

COME UP WITH STANDARD DEVICE TESTING

B. HYBRID CIRCUITS

1. STUDY SLOT LINE POSSIBILITY.
2. " MICROSTRIP AS "
3. CONSTRUCT STRIPLINE CIRCUITS FOR
TEM FEASIBILITY (OR COAXIAL)
3db HYBRIDS
CONSTRUCT 180° DIFF. φ SHIFT NETWORKS

C. CONSTRUCT MIXER ON HYBRID

1. PIE ATTACH PROBLEMS
2. BONDING PROBLEMS
3. DOUBLE BALANCED DESIGN.
4. SINGLE " "

D. 10MHZ TO 100MHZ PREAMPLIFIER

1. FLATNESS Spec. $\pm 0.1\text{db}$ + standard specs.
2. USE STAND FLATPACK PACKAGE

E. MIXER-PRE-AMPLIFIER INTERFACE.

1. IMPEDANCE MATCH V.S.

~~OVERVOLGE FREE DYNAMIC RANGE~~
OVERALL N.F.

F. INTERFACE ^{SYSTEM}_{WITH} R.F. PREAMPLIFIER (1-2 GHz)
1. IMPEDANCE MATCHING VS.
N.F., DYNAMIC RANGE - SPURIOUS FREE

G. CONSIDER FET AS MIXER.

C. Construct Mixer on Device

1. Die Layout Parameters

2. Bonding Parameters

3. Double Balanced Design

4. Spurious

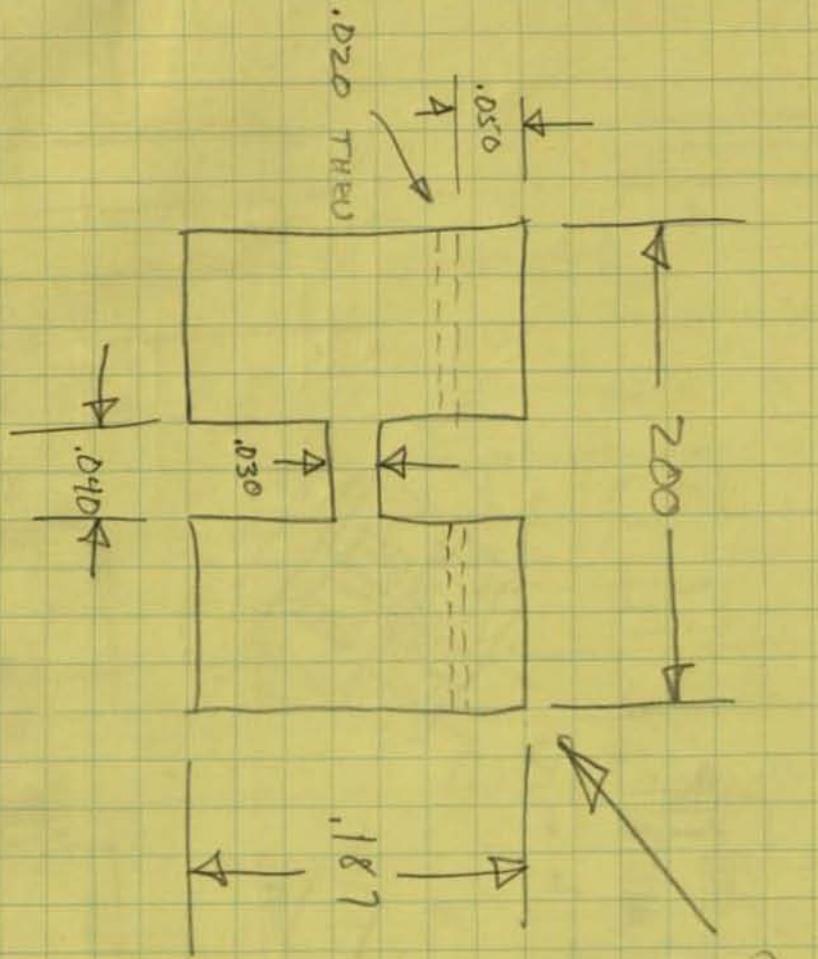
D. Using IC Chipset Design

1. Features

2. Cost

E. Mixed Mode Application

1. Impedance Matching



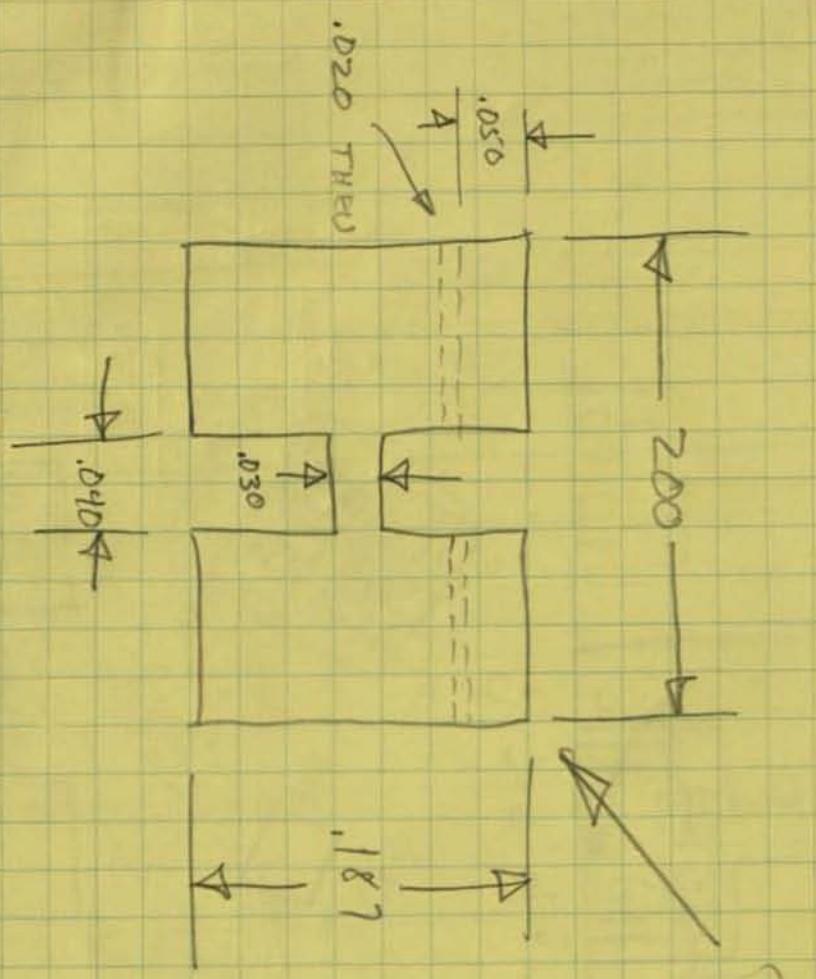
RETRACT

7 TURNS #40 ENAM.
CLOSE WOUND

HELICAL COIL

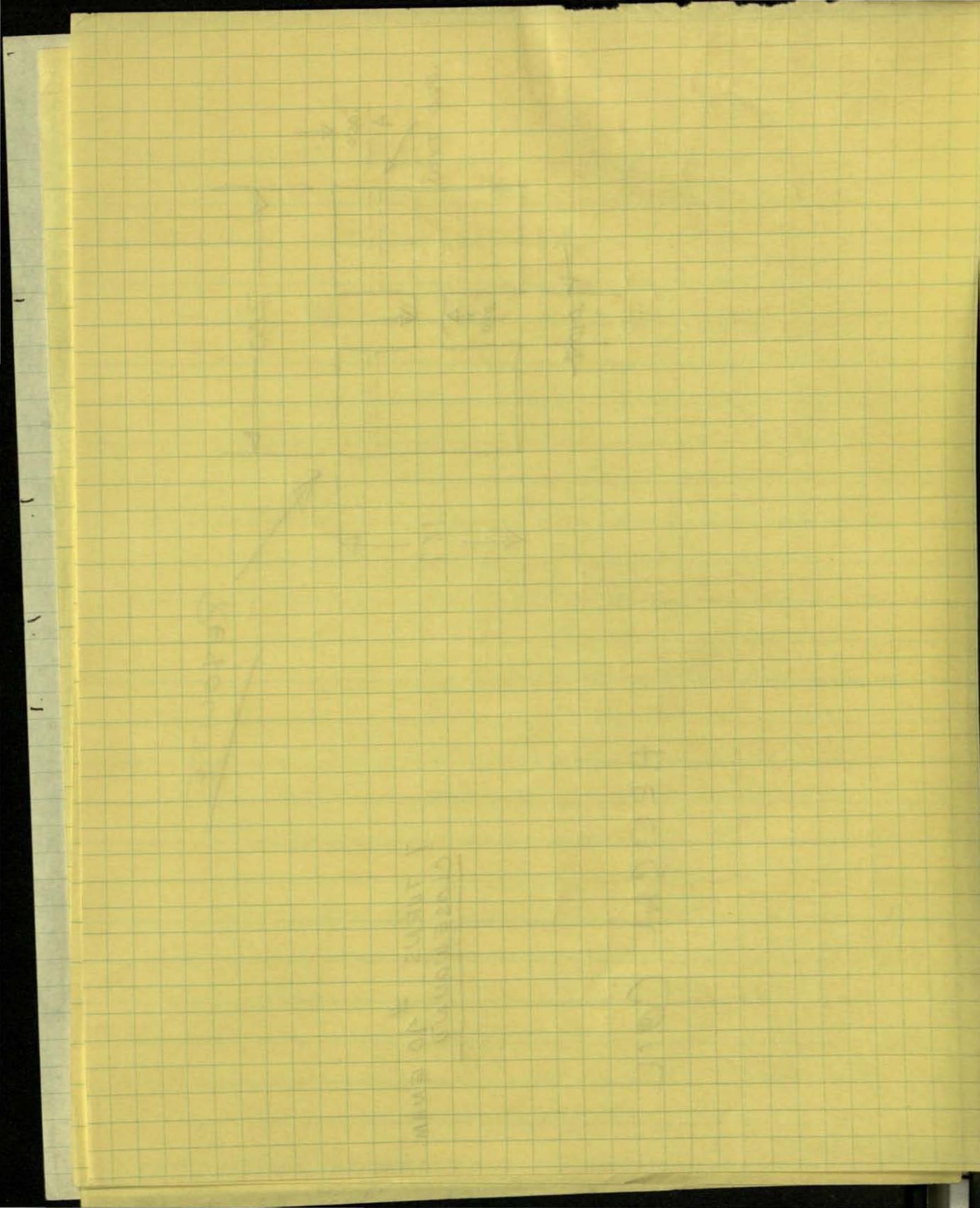
1 - E RELEASE

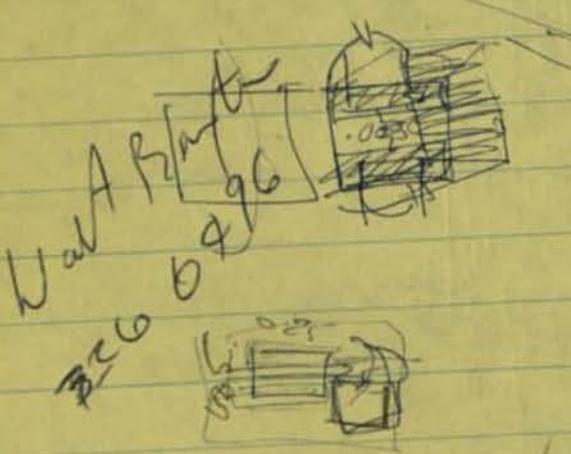
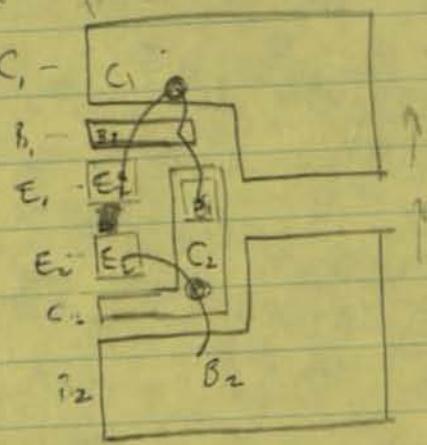
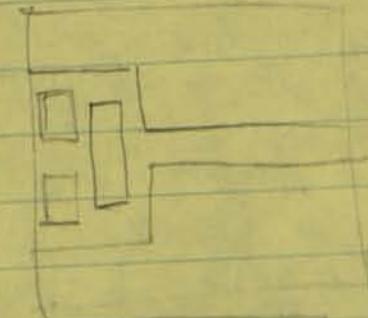
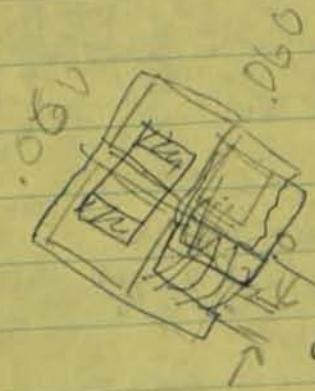
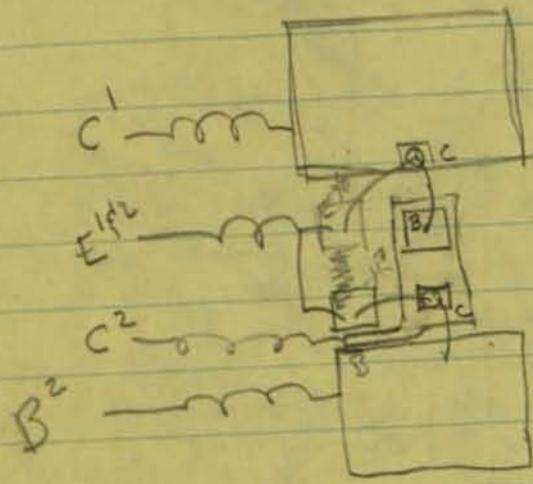
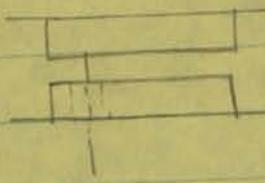
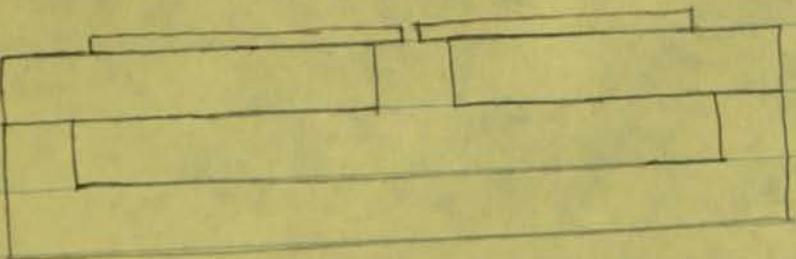
1975 3A



7 TURNS #40 ENAM.
CLOSE WOUND

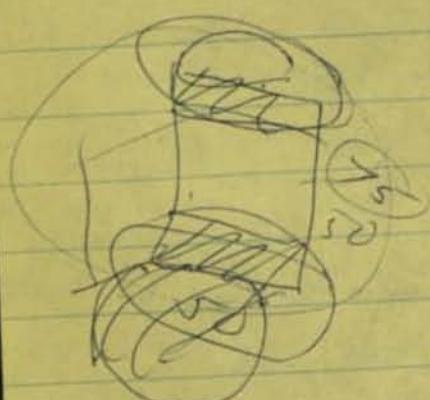
HELICAL COIL





75 uF Cap

0.030
0.030 Cap



0.030
0.030
Neith

0.095
0.050
20
0.025

IF ONE USED TEFILON LOADING FOR

$$\text{THEN } \frac{C_0}{E} = (2.1)(21) = 44.0$$

$$\text{Now } Y_A = \frac{44.0 + 9.0}{376.7} = \frac{53.0}{376.7} = \frac{1}{7.1 \Omega}$$

~~SOLVING FOR Y_A FROM $\frac{C_0}{E} = 376.7 Y_A \left(1 - \sqrt{\frac{G_{T_1}}{Y_A}}\right)$~~

$$\frac{\frac{C_0}{E}}{376.7 Y_A} - 1 = -\sqrt{\frac{G_{T_1}}{Y_A}}, \quad \sqrt{\frac{G_{T_1}}{Y_A}} = 1 - \frac{44.0}{376.7} = 1 - \frac{44.0}{53} = 1 - .83 = .17$$

$$\frac{G_{T_1}}{Y_A} = .41$$

~~Also $\frac{b_1}{Y_A} = \frac{G_{T_1}/Y_A}{W} \cdot g_0 f_1 = \frac{(.41)(1.032)}{.048} = 8.82$~~

~~USING $b_1 \cot \theta_0 + \frac{g_0 f_1 \cos^2 \theta_0}{2} = 1.285$~~

~~$8.82 = \frac{Y_{A1}}{Y_A} 1.285, \quad \frac{Y_{A1}}{Y_A} = 6.87$~~

~~IF $Y_A = \frac{1}{7.1}, \quad Y_{A1} = \frac{6.87}{7.1} = \frac{1}{1.03 \Omega}$~~

From SHIPPOWS TECH. MEMO:

$$\frac{C_0}{E} = \frac{376.7}{Z_a} - 8.8, \quad \text{FOR } \frac{1}{b} = 8.8 \text{ SQURE TRANS. TOOTH}$$

SINCE WE DESIRE TO LOAD THIS FINGER WITH TEFON $E=2$
EQUATION BECOMES

$$\frac{C_0 E_n}{E} = \frac{376.7}{Z_a} - 8.8, \quad \frac{C_0}{E} = \frac{376.7}{2.1 Z_a} - \frac{8.8}{2.1} = \frac{180.42}{Z_a}$$

$$\text{THEN } \frac{W_0}{b} = .1 \left(\frac{90}{Z_a} - 2.1 - 2.07 \right), \quad \text{Let } \frac{W_0}{b} \cdot \frac{1}{b} = .8$$

$$.8 = \frac{9}{Z_a} - .42, \quad \frac{9}{Z_a} = 1.22, \quad \boxed{Z_a \approx 7.4 \Omega}$$

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

2/26/66 Cont. From p. 4

5

Ship is using $\ell = \frac{\lambda}{8} = .310''$

For pump-combine.

Also $b = .350$, $\therefore f = (.8)(.350) = .280$

To calculate Θ_0 at $f_0 = \frac{50/10}{50/70}$ me

$$\frac{4.755}{5.010} = \frac{45^\circ}{\Theta_0}, \quad \Theta_0 = 47.5^\circ, \quad \cot \Theta_0 = .916$$

$$\cot \Theta_0 + \Theta_0 \csc^2 \Theta_0 = .916 + (.83)(1.84)$$

$$= \frac{2}{2} \cdot \frac{.92 + 1.53}{2} = 1.225 \approx \frac{1.23}{1.23}$$

$$\sin \Theta_0 = .737$$

$$\csc \Theta_0 = 1.36$$

$$\csc^2 \Theta_0 = 1.84$$

$$\Theta_0 = 47.5 \frac{\pi}{180} = .83$$

$$\pi/180^\circ$$

$$1^\circ = \frac{\pi}{180} \text{ rad.}$$

Assuming loaded
TFCN LOAD
Wn

Also calculating $\frac{C_0}{E} = \frac{376.1}{Z_A} - 8.8$

$$\frac{C_0}{E} = \frac{376.1 - 8.8}{7.4} = 51.0 - 8.8$$

$$\boxed{\frac{C_0}{E} = 42.2}$$

$$\begin{array}{r} 1.53 \\ .92 \\ \hline 2.45 \end{array}$$

$$\begin{array}{r} 51.0 \\ 8.8 \\ \hline 42.2 \end{array}$$

CALCULATION OF Z_{A1}

$$\text{From } \frac{C_0}{E} = \frac{376.1}{Z_A} \left(1 - \sqrt{G_T Z_A} \right) = 51 \left(1 - \sqrt{\cdot} \right)$$

$$42.2 = .83 = 1 - \sqrt{\cdot}, \quad \sqrt{G_T Z_A} = .17$$

51

$$\boxed{\frac{G_T}{Y_A} = .029}$$

$$\text{Also } \frac{G_T}{Y_A} = \frac{W \frac{b_1}{Y_A}}{g_0 g_1} = \frac{.048}{1.032} \frac{b_1}{Y_A}$$

$$\begin{array}{r} .03 \\ .05 \\ \hline .6 \end{array}$$

$$\frac{b_1}{Y_A} = \frac{(.029)(1.032)}{.048} = 0.62$$

$$\frac{b_1}{Y_A} = \frac{Y_{A1}}{Y_A} \cdot 1.23, \quad Y_{A1} = \frac{.62}{1.23} = .505 = \frac{Z_A}{Z_{A1}}$$

$$\boxed{Z_{A1} = \frac{7.4}{.505} = 14.7}$$

Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

6

2/26/66

Cont. From p. 5

LET $Z_{A2} = 50 \text{ m}$.

$$\frac{b_2}{Y_A} = \frac{Y_{A2}}{Y_A} \cdot 1.23 = \frac{\frac{1}{50}}{\frac{1}{7.4}} \cdot 1.23 = \frac{(7.4)(1.23)}{50}$$

$$\frac{b_2}{Y_A} = .182$$

$$\frac{J_{12}}{Y_A} = .048 \sqrt{\frac{(0.62)(-0.18)}{(1.032)(1.147)}} = .048 \sqrt{0.0942} = (.048) (-0.307)$$

$$\boxed{\frac{J_{12}}{Y_A} = -0.0147}$$

$$\frac{376.7}{Y_A} = \frac{376.7}{7.4} = 51.0$$

$$\frac{Y_{A1}}{Y_A} = \frac{14.7}{7.4} = \frac{7.4}{14.7}$$

$$\frac{C_1}{E} = 376.7 Y_A \left(\frac{Y_{A1}}{Y_A} - 1 + \frac{G_{T1}}{Y_A} - \frac{J_{12} \tan \theta_0}{Y_A} \right) + \frac{C_0}{E} \cdot$$

$$\frac{Y_{A1}}{Y_A} = \frac{14.7}{7.4} = .505, \quad \tan \theta_0 = \tan 47.5^\circ = 1.09$$

$$\frac{C_1}{E} = 51.0 [.505 - 1 + .029 - (.015)(1.09)] + 42.2.$$

(0.015)

$$\begin{array}{r} -1.015 \\ .584 \\ - .482 \\ \hline .534 \end{array}$$

$$\frac{C_1}{E} = (51.0)(-0.482) + 42.2.$$

$$= -24.6 + 42.2$$

$$\boxed{\frac{C_1}{E} = 17.6}$$

$$\begin{array}{r} 42.2 \\ -24.6 \\ \hline 17.6 \end{array}$$

TO CALCULATE C_2/E USING $Z_{A2} = 50 \text{ m}$

$$\therefore \frac{Y_{A2}}{Y_A} = \frac{\frac{1}{50}}{\frac{1}{7.4}} = \frac{7.4}{50} = .148$$

$$\therefore \frac{b_2}{Y_A} = (.148)(1.23) = .182$$

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

2/28/66 Cont. From p. 6

7

$$\text{TRY } \frac{b_3}{Y_A} = .182, \quad b_3 = .182 \cdot \frac{1}{7.4} = .0246$$

$\therefore \frac{y_{A3}}{Y_B} = .148$

$$\text{THEN } G_{T3} = \frac{(.048)(.0246)}{1.032}$$

$$\text{LET } Y_B = \frac{1}{50}, \quad G_{T3} = \frac{(.048)(.0246)(50)}{1.032} = .0572$$

$$\sqrt{\frac{G_{T3}}{Y_B}} = .24, \quad 1 - \sqrt{\frac{G_{T3}}{Y_B}} = .76$$

$(.5)(.15)(.15)$
 $.25$
 $+$

$$\boxed{C_4 = (7.54)(.76) = 5.73}$$

$$\frac{C_3}{E} = 51.0 \left[.148 - \frac{Y_B}{Y_A} + \frac{G_{T3}}{Y_A} - \frac{J_{23} \tan \theta_0}{Y_A} \right]$$

$$\frac{Y_B}{Y_A} = \frac{\frac{1}{50}}{\frac{1}{7.4}} = \frac{7.4}{50} = .148, \quad \frac{G_{T3}}{Y_A} = \frac{G_{T1}}{Y_A} = .029, \quad \tan \theta_0 = 1.09$$

$$\frac{J_{23}}{Y_A} = .048 \sqrt{\frac{b_2/Y_A \quad b_3/Y_A}{g_2 g_3}} = .048 \sqrt{\frac{(.182)^2}{(1.147)(1.032)}} = \frac{(.048)(.182)}{\sqrt{1.19}}$$

$= \frac{(.048)(.182)}{1.09}$

$$\therefore \frac{C_3}{E} = 51.0 \left[.148 - .148 + .029 - (.008)(1.09) \right] + 5.73$$

$.00872 \approx .008$

$$\frac{C_3}{E} = 51.0 \cdot .020 + 5.73$$

$= .008$

$$\boxed{C_3 = 6.75}$$

$$\frac{C_2}{E} = 51.0 \left[.148 - (0.15)(1.09) - (.008)(1.09) \right],$$

$$\boxed{C_2 = 6.27}$$

$$\begin{array}{r} .148 \\ - .020 \\ \hline .123 \end{array}$$

Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

3/1/66

CONT-FROM p. 7

$$\frac{C_0}{E} = 51.0 - \frac{C_0}{e} = 51.0 - 42.2$$

$$\boxed{\frac{C_0}{E} = 8.8} \quad \boxed{\frac{s_{01}}{b} = .09, \left(\frac{C^f e}{e}\right)_{01} = .40}$$

$$\begin{array}{r} 7.54 \\ 5.13 \\ \hline 1.81 \end{array}$$

$$\frac{C_{34}}{E} = 7.54 - \frac{C_4}{e} = 7.54 - 5.73$$

$$\boxed{\frac{C_{34}}{E} = 1.81} \quad \boxed{\frac{s_{34}}{b} = .35, \left(\frac{C^f e}{e}\right)_{34} = \frac{1.00}{1.40}}$$

$$\frac{C_{12}}{E} = 51.0 (.015)(1.09)$$

$$\boxed{\frac{C_{12}}{E} = .834} \quad \boxed{\frac{s_{12}}{b} = .57, \left(\frac{C^f e}{e}\right)_{12} = \frac{1.00}{1.30}}$$

$$\begin{array}{r} 2.00 \\ 3.5 \\ - 1.6 \\ \hline 2.10 \end{array}$$

$$\frac{C_{23}}{E} = 51.0 (.008)(1.09)$$

$$\boxed{\frac{C_{23}}{E} = .445} \quad \boxed{\frac{s_{23}}{b} = .76, \left(\frac{C^f e}{e}\right)_{23} = 1.45}$$

$$\begin{array}{r} 35 \\ 10 \\ \hline 031 \end{array} + \quad \text{IF } b = .350$$

$$s_{01} = .031, s_{12} = .200, s_{23} = .265, s_{34} = .120,$$

$$\begin{array}{r} 21.1 \\ - 2.1 \\ \hline 19.0 \end{array}$$

$$\frac{1}{2} \left(1 - \frac{1}{0.1} \right) = .1$$

$$\frac{w_0}{b} = .1 [21.1 - 1.71 \cdot .40] = 1.9$$

From p. 4 WE HAVE A SQUARE FINISH

$$\boxed{w_0 = .280}$$

$$\frac{w_1}{b} = .1 [8.8 - .40 - 1.30] = .71$$

$$\boxed{w_1 = .250}$$

$$\begin{array}{r} .350 \\ 8 \\ \hline 2.10 \\ - 1.7 \\ \hline .40 \\ \cdot 0.140 \\ \hline .71 \\ .71 \\ \hline .280 \end{array}$$

$$\frac{w_2}{b} = .1 [3.14 - 1.30 - 1.45] = .039$$

$$\boxed{w_2 = .014}$$

$$\begin{array}{r} 3.14 \\ - 2.75 \\ \hline .39 \end{array}$$

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

3/2/66

Cont.

From p. 8

9

~~W₂~~ & ~~W₁~~ Let us consider $t/b = .4$ For ~~s₁₂~~ $\frac{s_{12}}{b}$, $\frac{w_2}{b}$

$$\frac{1}{2}(1 - \frac{t}{b}) = .3$$

$$\frac{s_{12}}{b} = .46, \left(\frac{C_f e}{E}\right)_{12} = .58$$

$$\frac{s_{23}}{b} = .65, \left(\frac{C_f e}{E}\right)_{23} = .70$$

$$\frac{w_2}{b} = .3[3.14 - .58 - .70] = (.3)(1.86) = .558$$

$$w_2 = .196$$

$$\begin{array}{r} 3.14 \\ - 1.86 \\ \hline 1.28 \end{array}$$

$$\frac{s_{34}}{b} = .26, \left(\frac{C_f e}{E}\right)_{34} = .37$$

$$\frac{w_3}{b} = .3 \left[\frac{6.75}{2} - .70 - .37 \right], = (.3)(2.30) = .69$$

$$\begin{array}{r} 3.37 \\ - 1.07 \\ \hline 2.30 \end{array}$$

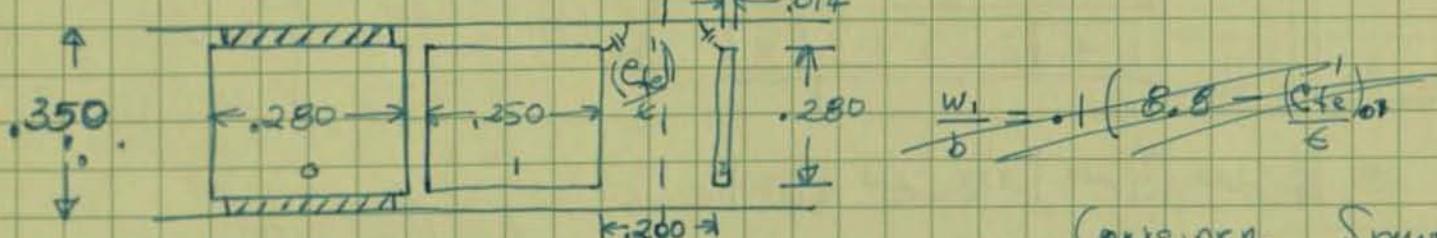
$$w_3 = .242$$

$$\frac{w_4}{b} = .3 \left[\frac{5.73}{2} - .37 - .93 \right] = (.3)(1.57) = .471$$

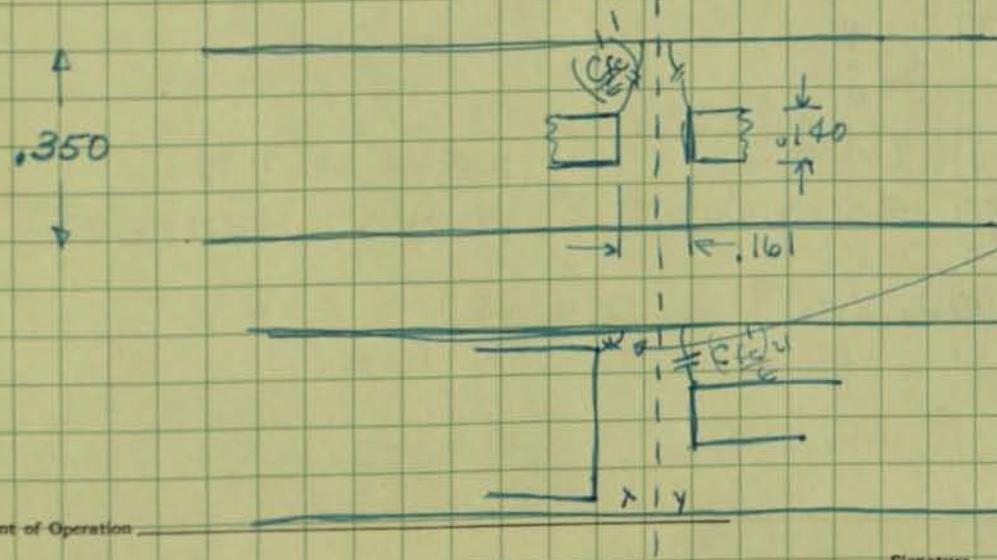
$$\begin{array}{r} 2.87 \\ - 1.30 \\ \hline 1.57 \end{array}$$

$$w_4 = .165$$

CONSIDER CONSTRUCTION BETWEEN w_2 & w_1



$$\frac{w_1}{b} = .1(8.8 - \frac{C_f e}{E})_{0.350}$$



CONSIDER SOMETHING
CLOSER TO $\frac{C_f e}{E}$ FOR

$$\left(\frac{C_f e}{E}\right)_{12} \approx 1.5$$

Also $\left(\frac{C_f e}{E}\right)_{21}$ will be
LESS

Statement of Operation:

Signature _____ Date _____

Witnessed operation (obtain two signatures):

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Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

2/6/66 Cont. From p. 9.

RECALCULATING w_1

$$\frac{w_1}{b} = .1 [8.8 - .40 - 1.50] = .69$$

$$w_1 = .240$$

$$\begin{array}{r} 8.8 \\ 1.9 \\ \hline 6.9 \end{array}$$

$$\frac{P_{12}}{E} = \frac{C_{f0}'}{E} - \frac{C_{fe}'}{E}$$

$$\text{For } \frac{t}{b} = .4$$

$$\frac{C_{f0}'}{E} = \frac{P_{12}'}{E} + \frac{C_{fe}'}{E}$$

$$\frac{C_{f0}'}{E} = .83 + 58$$

$$\text{For } \frac{t}{b} = .8 \quad \frac{C_{f0}'}{E} = .83 + 1.30$$

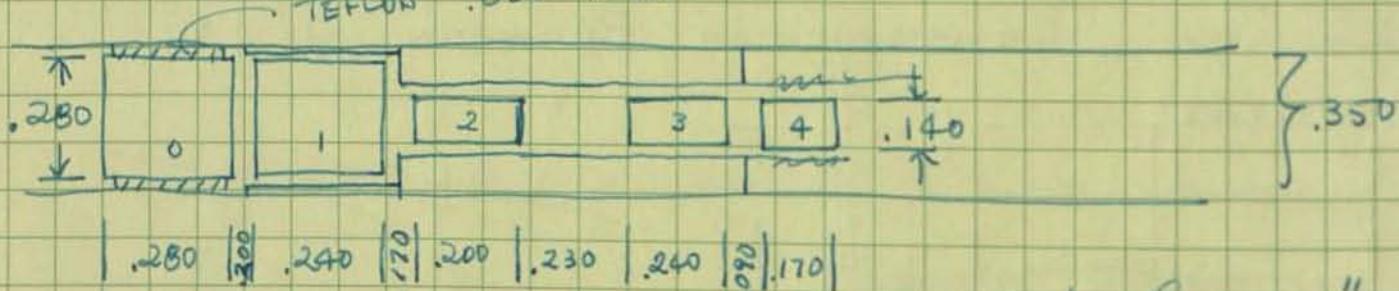
$$\frac{C_{f0}'}{E} = 1.41$$

$$\frac{C_{f0}'}{E} = 2.13$$

$$x = .100, y = .075, x+y = .175 \text{ Try } .170$$

FINAL SPACINGS AND THICKNESSES

$$\begin{array}{r} .350 \\ -.280 \\ \hline 2 \quad .070 \\ .035 \end{array}$$



$$\therefore h = .310"$$

CALCULATION OF C_j^S

$$C_j^S = \frac{1}{7.4} (.505) \frac{\cot 47.5^\circ}{5.010 \times 10^9 2\pi} = \frac{(.505)(.916)}{(7.4)(5.01)(2\pi) \times 10^9}$$

$$= 0.0199 \times 10^{-9} \approx 0.002 \times 10^{-9} = 2.0 \text{ pf.}$$

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

$$\frac{Y_{AB}}{Y_A} = .148 = \frac{Y_{AB}}{Y_B}$$

$$C_s^s = C_s' = \frac{1}{7.4} \frac{(148)(916)}{(2\pi)(5.01) \times 10^9}$$

$$C_s^s = C_s' = .59 \text{ pf}$$

CALCULATION OF DIMENSIONS OF END CAPACITIES.

$$C = \frac{\epsilon_r A}{t}, \text{ using TEFILON } \epsilon_r = 2.1$$

$$\text{For } C_s' = 2.0 \text{ pf try } t = .010$$

$$A = \frac{\epsilon_r t}{(\epsilon_r + 1)(2.1)} = \frac{(2.0)(.010)}{(.225)(2.1)} = .0423$$

$$A/2 = .021$$

$$(x)(.240) = .021, x_1 = \frac{.021}{.240} = .088$$

CONSIDER NO TEFILON $\{ t = .035$

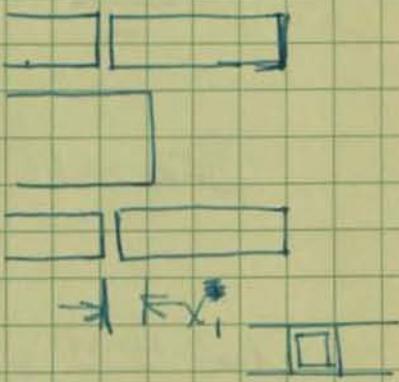
$$A = \frac{(\epsilon_r)(2.0)(.035)}{(.225)(1)} = .31 \text{ - Too Large!}$$

$$A/2 = .155$$

$$x_1 = \frac{.155}{.240} = .6 - \text{Too Large}$$

$$\text{Try } A/4 = \frac{.31}{4} = .077$$

$$x_1 = \frac{.077}{.240} = .32.296 \quad \begin{matrix} \text{WITH TEFILON} \\ \frac{2.0}{2.1} = .944 \end{matrix}$$



For $C_s^s = C_s' = .59$ Try $\epsilon_r = 1$ & $t = .035$

$$A = \frac{(\epsilon_r)(.035)}{(.225)(1)} = .093, x_2 = \frac{.093}{.240} = .39 \quad \checkmark$$

$$A/2 = .046$$

Statement of Operation _____

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

TRY .020 TEFLOON AIR

$$A = \frac{(2.0)(.020)}{(225)(1)} = .178$$

$$\frac{A}{4} = .045$$

$$X_1 = \frac{.045}{.200} = \boxed{.173}$$

WITH TEFLOON $\frac{.173}{2.1} = .082$

For N_2

$$A = \frac{(0.60)(.020)}{(225)(1)} = .053$$

$$A/2 = .027$$

$$X_2 = \frac{.027}{.200} = \boxed{.130}$$

TRANSFORMER From 74Ω To 50Ω SHOULD COVER PUMP AS WELL AS SIDE BAND

$$TRY \rho = 1.4 = \frac{f_2}{f_1}, f_0 = 5010 \text{ mc}$$

$$\frac{f_2 + f_1}{2} = 5010, 1.4f_1 + f_1 = 10010$$

$$f_1 = \frac{10010}{2.4} \approx 4290, f_2 = 5.85f_1$$

$$S_{max-1} = \frac{\ln \frac{Z_{n+1}}{Z_1}}{\ln \frac{1}{C_{2\phi_1}}}, T_{n-1} \left[\frac{1}{C_{2\phi_1}} \right] = \frac{\ln \frac{Z_{n+1}}{Z_1}}{S_{max-1}}$$

$$\ln \frac{Z_{n+1}}{Z_1} = \ln \frac{50}{74} = \ln 6.75 = 1.91, \text{ LET } S_{max} = 1.10$$

$$\phi_{2\phi_1} = \phi_1 = \frac{180}{1+1.4} = 75^\circ, C_{2\phi} 75^\circ = .259, \frac{1}{C_{2\phi}} = 3.86$$

$$\frac{1}{S_{max-1}} = \frac{1.91}{1.1} = 19.1$$

Statement of Operation -

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

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Signature _____ Date _____

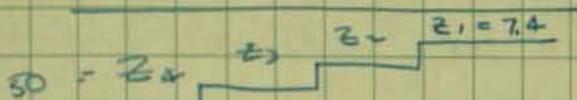
Signature _____ Date _____

$$\text{Try } T_3(x) = 4x^3 - 3x$$

$$\therefore T_3(3.86) = 230 - 3(3.86) \text{ TO LENGTHS}$$

$$T_2 \rightarrow T_2(x) = 2x^2 - 1 = 29.8 - 1 = 28.8$$

$\therefore h-1 = 2$ or $h=3$ SECTIONS.



$$a_1 : a_2 : a_3 \rightarrow 1 : 1.87 : 1, a_1 + a_2 + a_3 = 3.87$$

$$\ln \frac{Z_2}{Z_1} = \frac{1.91}{3.87} = .495, \quad \frac{Z_2}{Z_1} = 1.64$$

$$\ln \frac{Z_3}{Z_2} = \frac{(1.87)(1.91)}{3.87} = .925, \quad \frac{Z_3}{Z_2} = 2.52$$

$$\frac{Z_4}{Z_3} = .495 \quad , \quad \frac{Z_4}{Z_3} = 1.64$$

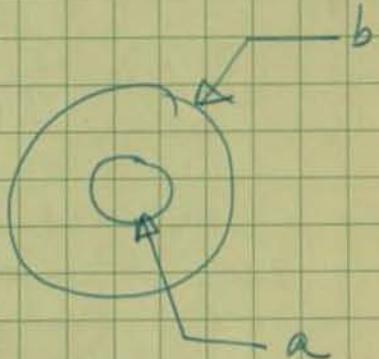
$$Z_1 = 7.4, \quad Z_2 = \frac{b/a}{\underline{2.5}} \quad \text{LET } b = 1.25$$

$$Z_2 = 12.13, \quad 1.22 \quad .205$$

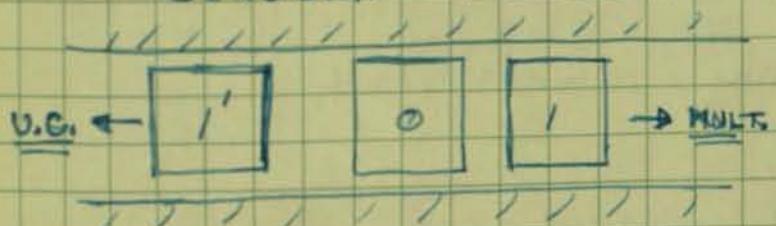
$$Z_3 = 30.60, \quad 1.65 \quad .151$$

$$Z_4 = 50.00, \quad 2.30 \quad .110$$

$$h_0 = \frac{b}{4} = \frac{1}{4} \frac{3 \times 10^{10}}{5.010 \times 10^9 \cdot 2.57} = .59$$



CONSIDER FOLLOWING CONSTRUCTION:



$$\frac{C_0}{E} \text{ For MUL.} = 66.6, \frac{C_0}{E} = 8.8$$

$$\frac{C_0}{E} \text{ For U.C.} = 42.2, \frac{C_0}{E} = 8.8$$

Statement of Operation:

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

8/11/66

GROUNDED BASE JIG FOR PURPOSE OF
EVALUATING TRANSISTORS AS AMPLIFIERS

THE FOLLOWING IS INFORMATION GOTTEN
FROM K. LYON IN THE DEVICE DEPT.

For 0060 TRANS. - 10V at 20ma $f = 500\text{mc}$

$$Y_{11} = 42.5 + j11 \text{ mhos}$$

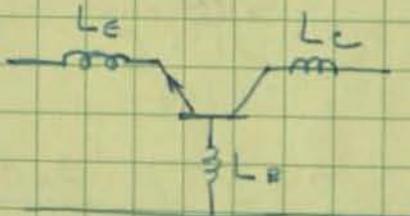
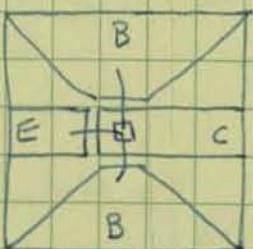
$$Y_{22} = 1.6 + j7.5 \text{ mhos}$$

$$\omega C_{bc} = 7.5 \times 10^{-3} \text{ mhos}$$

$$C_{bc} = \frac{7.5 \times 10^{-3}}{2\pi 500 \times 10^6} = \frac{7.5 \times 10^{-12}}{\pi}$$

$$C_C = 2.4 \text{ pf.}$$

CONSIDER USING STRIPLINE PACKAGE



ACCORDING TO PREVIOUS MEMO BY M. PURNAIYA

$$L_E = 2.32 \text{ nh}, \quad L_B = .5 \text{ nh.}, \quad L_C = 1.7 \text{ nh}$$

CONTINUED ON P. 17

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

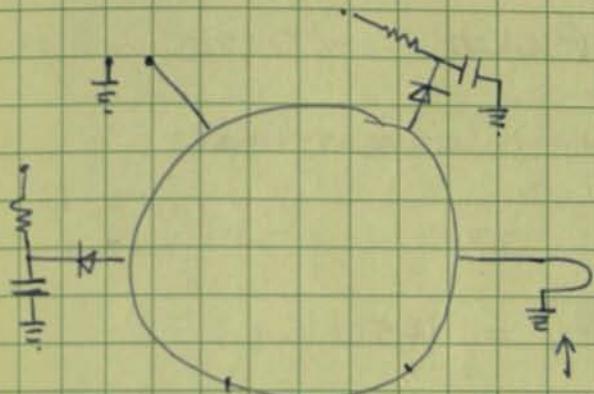
Read and Understood (obtain two signatures): _____

Signature _____ Date _____

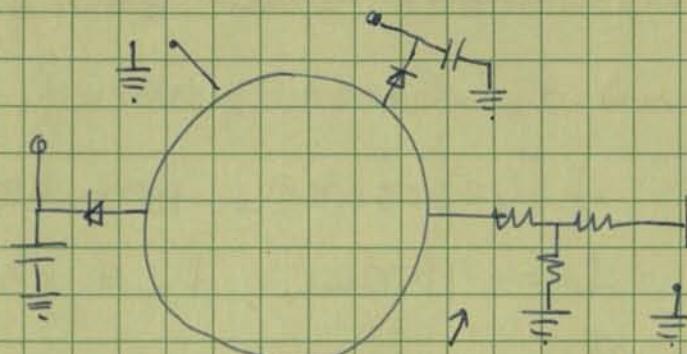
Signature _____ Date _____

DESIGN OF NEW PHASE DETECTOR USING A
RAT-RACE CIRCUIT.

CONSIDER TWO POSSIBLE CIRCUITS:



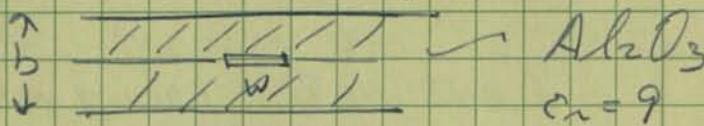
Loop couple
For D.C. RETURN



PASS INPUT { PROVIDES
D.C. RETURN

CONSIDER STRIPLINE GEOMETRY.

$$\text{For } \frac{w}{b} = 0$$

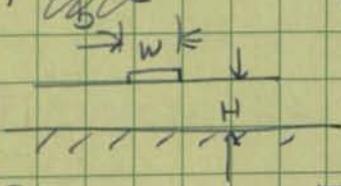


$$Z_0 = 50 \Omega, Z_1 = 71 \Omega.$$

$$\sqrt{\epsilon_r} Z_0 = 150 \Omega, \frac{w}{b} = .210, b = \frac{1}{4}, w = \frac{.21}{4} = .052$$

$$\sqrt{\epsilon_r} Z_1 = 213, \frac{w}{b} = w = .020$$

(CONSIDER:-
(MICROSTRIP))



From T.T. REPORT FOR $Z_1 = 71 \Omega$.

$$\frac{w}{H} = .4, \text{ IF } H = .125 = \frac{1}{8}, w = .050$$

$$\text{IF } H = \frac{1}{16} \text{ w} = .025$$

CONSIDER FOLLOWING
FOR $Z_1 = 71 \Omega$.

$$\frac{w}{b} = .9, w = .036$$

$$\frac{\text{AIR}}{\text{AIR}} \frac{.020}{.060} = \frac{\text{AIR}}{\text{AIR}} \frac{.020}{.020} b = .040$$

SINCE $Z_0 = \frac{1}{\sqrt{\epsilon_r} C} = \frac{\sqrt{\epsilon_r}}{C} C$

Statement of Operation _____

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

8/18/66

CONT. FROM P. 15

CONSIDER ROT RACE LENGTH USING ϵ_n 'S
FOR VARIOUS FILLING FACTORS

From T.I. Report EFFECTIVE $\sqrt{\epsilon_n} \cong 2.5$

Assume Fund. Oscillator Band 1.0 to 1.6 gc

Should Cover with 3 Rot Race Dia.

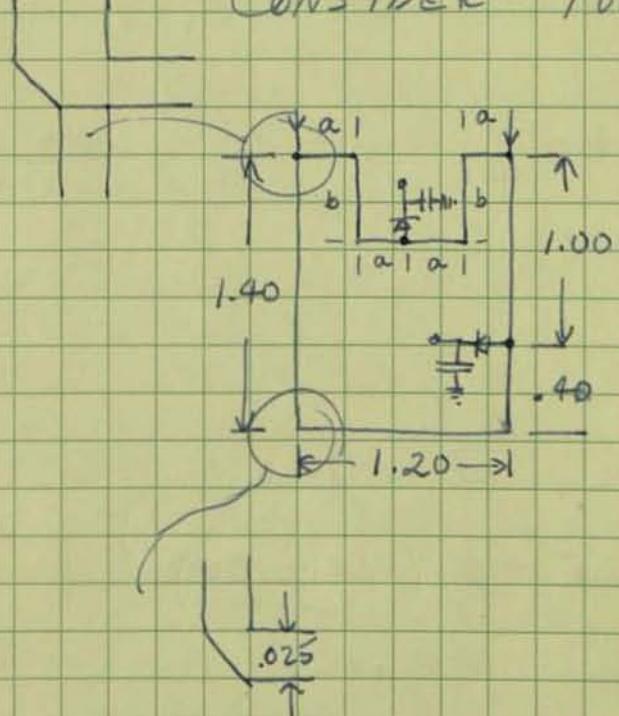
$$\frac{1}{4} \times 600 \text{ mc.} = 150 \text{ mc}$$

$$f_1 = 1150 \text{ mc.}, f_2 = 1300 \text{ mc.}, f_3 = 1450 \text{ mc.}$$

$$\textcircled{C}_1 = \frac{3 \times 10^{10}}{2.5 \cdot 1.15 \times 10^9} \cdot 2.54 \quad \frac{3}{2} = \frac{6.16 \text{ in}}{\frac{80 \cdot 1}{5 \cdot 25}}$$

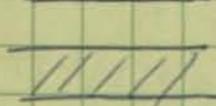
$$\pi D_1 = 6.16 \text{ in}, \quad D_1 = 1.96 \text{ in} \quad \frac{\lambda}{4} = \frac{6.16}{6} = 1.026$$

TRY $\frac{\lambda}{4} = 1.00$
CONSIDER FOLLOWING CONSTRUCTION



$$a = .30, \quad b = .40$$

USING .060 AIR AND .060 ALD



$$\text{FOR } Z_0 = 50 \Omega, W_0 = .060 \\ Z_1 = 7 \Omega, W_1 = .025$$

Statement of Operation _____

Witnessed operation (obtain two signatures).

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

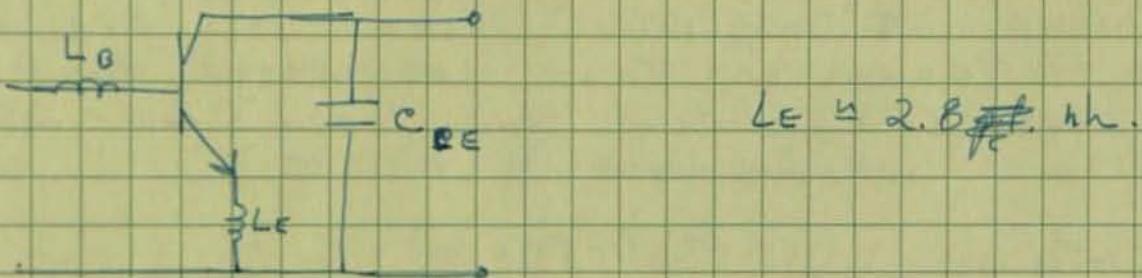
Signature _____ Date _____

Signature _____ Date _____

CONTINUED FROM P. 14

9/9/66 17

ADMITTANCE INFORMATION ON P. 14 WAS TAKEN USING A TO 46 HEADER. ACCORDING TO K. LYON THE RESIDUAL $C_{bc} \approx 0.5 \text{ pF}$. RESIDUAL $C_{oc} \approx 0.7 \text{ pF}$ ON STRIPLINE PACKAGE. WE WILL THEREFORE TRY TO MATCH OUT OF A 2.6 pF CAPACITY. ALSO THESE TESTS WERE RUN GROUNDED Emitter:



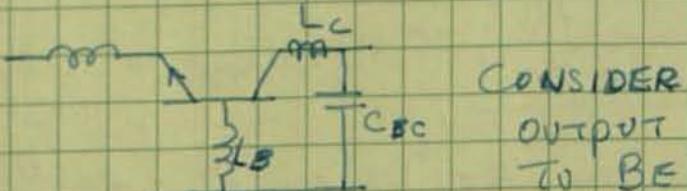
~~Reactive~~ SUSCEPTANCE OF L_E AT 500 mc

$$B_{L_E} = \frac{1}{WL_E} = \frac{1}{2\pi \cdot 500 \times 10^6 \cdot 2.8 \times 10^{-9}} = 5.7 \times 10^{-3}$$

$$B = \frac{10^{8.3}}{(\pi)(2.8)} = 0.114 \times 10^{-3} = 1.14 \times 10^{-4}$$

This is NEGIGIBLE IN VIEW OF THE IMAGINARY PART OF γ_{22} , $\Im(\gamma_{22}) = 7.5 \times 10^{-3} \text{ V}$

We will try to match output capacity of 2.5 pF



$$\begin{aligned} L_E &= .5 \text{ nH} + 1.7 \text{ nH} = 2.2 \text{ nH} \\ C_{Bc} &= 2.5 \text{ pF} \end{aligned}$$

Statement of Operation

Witnessed operation (obtain two signatures):

Signature _____ Date _____

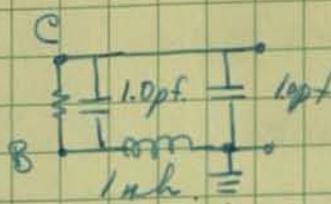
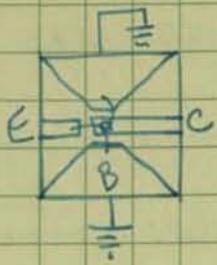
Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____



$$f_C = \frac{1}{2\pi/LC} = \frac{1}{2\pi/(10^{-9})(10^{-12})}$$

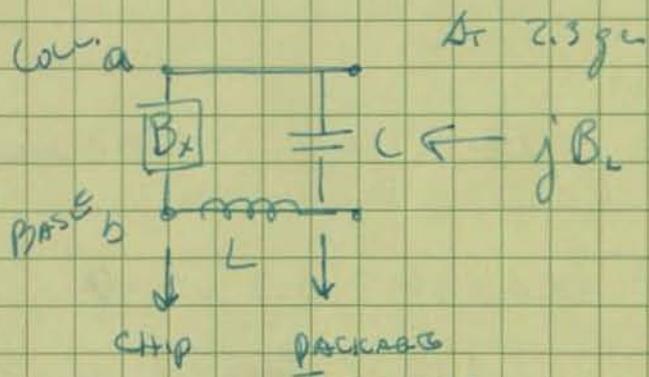
$$f_C = \frac{1}{2\pi 3.2 \times 10^{-22}} = \frac{10^{11}}{20}$$

$$f_C = .05 \times 10^{11} = 5 \times 10^9 = 5 \text{ GHz}$$

$$Z_0 = \sqrt{\frac{L}{C}} = \sqrt{\frac{10^{-9}}{10^{-12}}} = \sqrt{1000} = 32 \Omega$$

REFERRING TO A T.I. ARTICLE IN MICROWAVES JOURNAL "July 1966" DATA IS AVAILABLE ON AN L-49 TRANSISTOR THAT HAS ABOUT THE SAME ACTIVE AREA AS THE 0060. FROM THIS DATA AT 2.3 GHz THE OUTPUT SUSCEPTANCE IS .020 U

from 6muf 5muf T.I.



$$C = .1 \text{ pF}$$

$$L = .16 \text{ NHY}$$

From

ARTICLE

$$jB_L = \frac{(jB_x)(-\gamma_{WL})}{(jB_x) - \gamma_{WL}} + j\omega C$$

$$jB_L = j.022, j\omega C = j.001, -\gamma_{WL} = -j.43$$

$$\therefore j.022 = \frac{(jB_x)(-j.43)}{jB_x - j.43} + j.001$$

$$\frac{(j.021)}{(-j.43)} (jB_x - j.43) = jB_x, \text{ wrong}$$

$$(-.049)(jB_x) + j.021 = jB_x$$

$$j.021 = j1.049 B_x$$

$$\boxed{j.020 = B_x} \quad j\omega C_x = .02$$

$$\text{EQUIV. OUTPUT CAPACITY AT CHIP } C_x = \frac{.02}{2\pi 2.3 \times 10^9} = \boxed{1.4 \text{ pF}}$$

Statement of Operation _____

Witnessed operation (obtain two signatures).

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

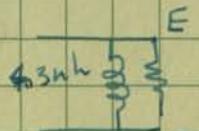
Signature _____ Date _____

CAN APPROXIMATELY GET 50Ω OUTPUT IF INCREASE
 L_c . WILL OPERATE DIRECTLY INTO 50Ω .

$$\text{ON THIS INPUT SIDE} - jB_s = -j \cdot 0.016$$

$$\therefore @ f = 2.3 \text{ g.c. } \cancel{C_{in}} \frac{1}{wL_{in}} = .016$$

$$L_{in} = \frac{1}{2\pi(2.3 \times 10^9)(.016)} = 4.3 \text{ nH.}$$



TRY A SIMPLE HIGH PASS TUNING CIRCUIT.

ASSUME A 5Ω MATCH.

$$5 = \sqrt{\frac{E}{C}}$$

$$\frac{1}{\frac{1}{C} + \frac{1}{L}} = 4.3 \text{ nH}$$

$$\frac{L}{C} = 25, C = \frac{4.3 \times 10^{-9}}{25} = 0.172 \times 10^{-9} = 172 \text{ pf.}$$

$$f_{out,ff} = \frac{1}{2\pi \sqrt{LC}} = \frac{1}{2\pi \sqrt{4.3 \times 10^{-9} \times 172 \times 10^{-9}}} = \frac{1}{2\pi \sqrt{740 \times 10^{-18}}}$$

$$f_c = \frac{1}{2\pi \times 10^{-10} \sqrt{74.}} = \frac{10^{10}}{54} = 1.85 \times 10^9$$

$$f_c = 185 \text{ mc.}$$

CONSIDER LOW PASS IMPEDANCE MATCHING TRANSFORMER
 33.3 - MATTHEWS ARTICLES 114 AUG 64

5Ω TO 50Ω

$$g_o = 1$$

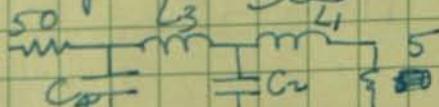
$$\frac{R}{R'} = 5$$

$$R = 10 \text{ with } M = .8 \quad L_{air} \leq 1 \text{ db}$$

$$w_m = 2\pi 2.3 \times 10^9 \\ = 14.5 \times 10^9$$

$$n = 4, g_1 = 1.971, g_2 = .475$$

$$g_3 = g_2 R = 4.75, g_4 = \frac{g_1}{R} = .0197 \approx .020$$



Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

CONT From p. 19

9/26/66

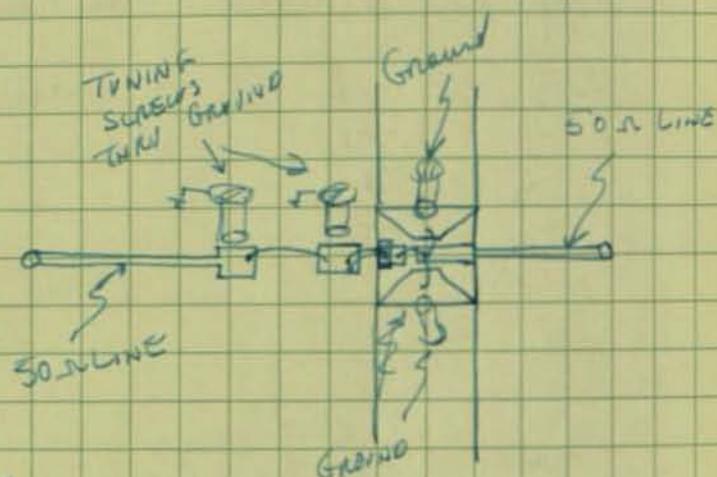
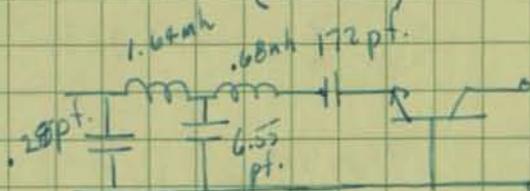
$$L_1 = 1.91 \frac{1}{14.5 \times 10^9} \frac{33.3}{5} = 0.68 \text{ nh} \quad 4.5 \text{ nh.}$$

$$C_2 = 0.475 \frac{1}{14.5 \times 10^9} \frac{1}{5} = 6.55 \mu\text{F.} \quad .98 \mu\text{F.}$$

$$L_3 = 4.75 \frac{1}{14.5 \times 10^9} \frac{1}{5} = 1.64 \text{ nh} \quad 1.63 \text{ nh}$$

$$C_4 = 0.020 \frac{1}{14.5 \times 10^9} \frac{1}{5} = 0.276 \mu\text{F.} \quad .271 \mu\text{F.}$$

COMPLETE CIRCUIT :-
(R.F.)



Bias Circuit Construction

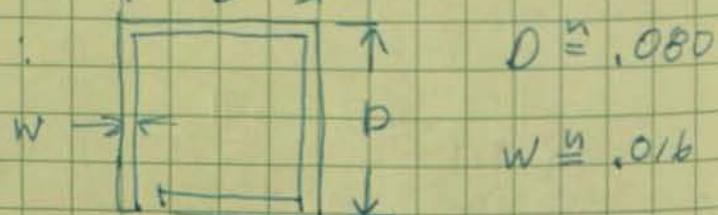
INDUCTANCE GEOMETRIES

According to M. PURNELL'S REPORT Small inducting

JUMPER WIRES ARE ABOUT 1 nh. \therefore 2 nh parallel
SHOULD GIVE ≈ 0.5 nh.

For THE 1.64 nh INDUCTANCE CONSIDER DATA FROM
T.I. AIR FORCE NASA REPORT - INDUCTANCE OF SPUR

For 1 Loop. in Microstrip:



Statement of Operation _____

Witnessed operation (obtain two signatures). _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Cont'd From p. 20

9/26/66

21

+ 70

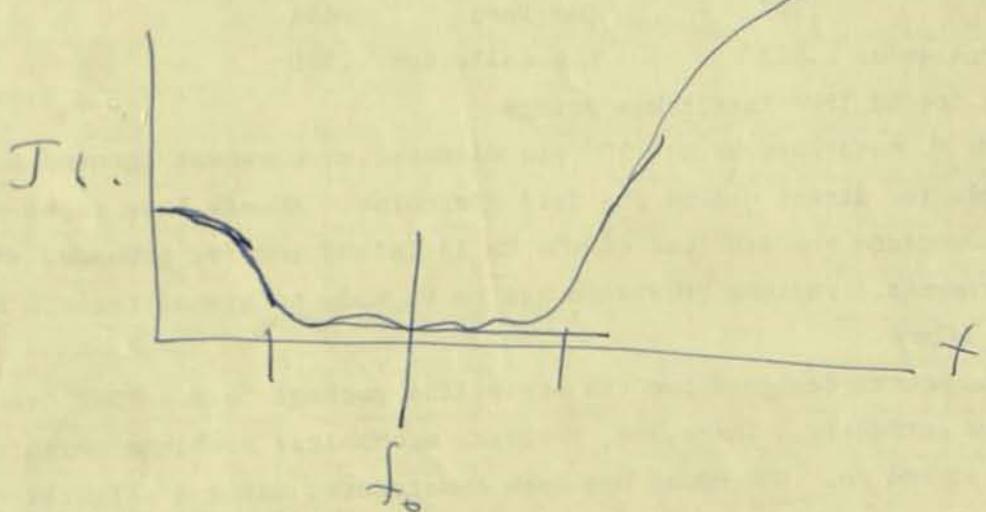
$$W = \frac{\Delta f}{f_0} = .8$$

$$\lambda_0 = 2.3$$
$$\Delta f = \frac{2.3}{1.8} \cdot 4$$

$$f_1 = 1400$$
$$f_2 = 3100$$

$$\sqrt{E_n} = 1.67$$

$$\frac{2.5}{1.67} = \underline{\underline{3.0}}$$



.050 LONG.

WE
3.5 r

= 180

]

Signature

Date _____

Signature

Date _____

Signature

Date

Signature

Date

9/26/63

L₁C₂L₃C₄

To 46

Package Characterization

The Tol8 Microbloc, Tol8 Island, and Stripline packages have been characterized in terms of a wye-delta of inductances and capacitances.

The direct capacitances between all terminals of the island leader have been obtained. Values are listed below.

Package	Le(nh)	Lb	Lc	Cbe(pf)	Cce	Cbc
To 18 Island (1)	2.8	2.8	2.25	0.515	0.044	0.634
To 18 Island (2)				0.470	0.582	0.074
To 18 Microbloc	2.24	2.24	1.64	.001	0.318	0.317
Stripline (3)	2.32	0.5	1.7	0.445	0.062	0.700

(1) Can tied to emitter externally.

(2) Can tied to base externally.

(3) Inductance of 1 mil gold lead used to attach dice to strip-line approximately 1 nh.

To 18 Island Package Direct Capacitance.

Emitter-base.	.042 pf	Can-Emitter	.467
---------------	---------	-------------	------

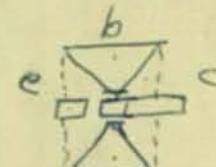
Emitter-collector	.047	Can-Base	.401
-------------------	------	----------	------

Base-collector	.073	Can-collector	.546
----------------	------	---------------	------

Mounts for GR 1607 Immittance Bridge.

(1) G. R. manufactures a 0.100 pin diameter circlemount (grounded base) suitable for direct use on the Tol8 Microbloc. Mounts have to be modified to accommodate the 4th lead on the To 18 Island and for grounded emitter measurements. Further provision has to be made to ground the can on the To 18 Island.

(2) The mounts designed for the strip-line package have a VSWR below 1.1 if used correctly. There are, however, mechanical problems which are being worked on. One mount has been constructed using a slightly different approach, and while not as easy to use, shows promise as to precision of measurement.



new mount
4. lead

Mike Purnaiya

4/4/63

Statement

Witnessed

Signature

Date

(please print legibly - obtain two signatures):

Signature

Date

Signature

Date

Signature

Date

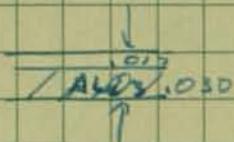
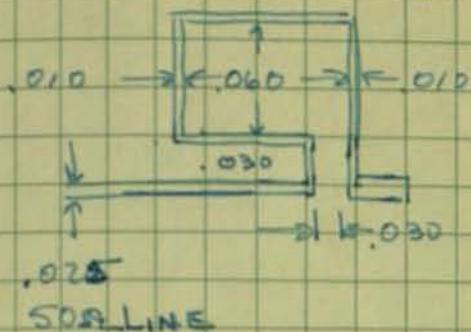
Cont From p. 20

9/26/66

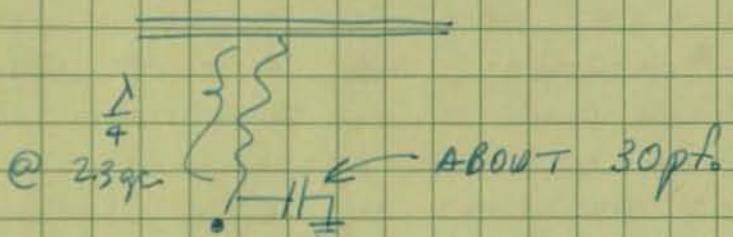
21

SINCE WE WILL USE STRIPLINE - REDUCE WIDTH TO

ABOUT .010 AND EXTEND FROM MAIN LINE:



BIAS CIRCUITS.



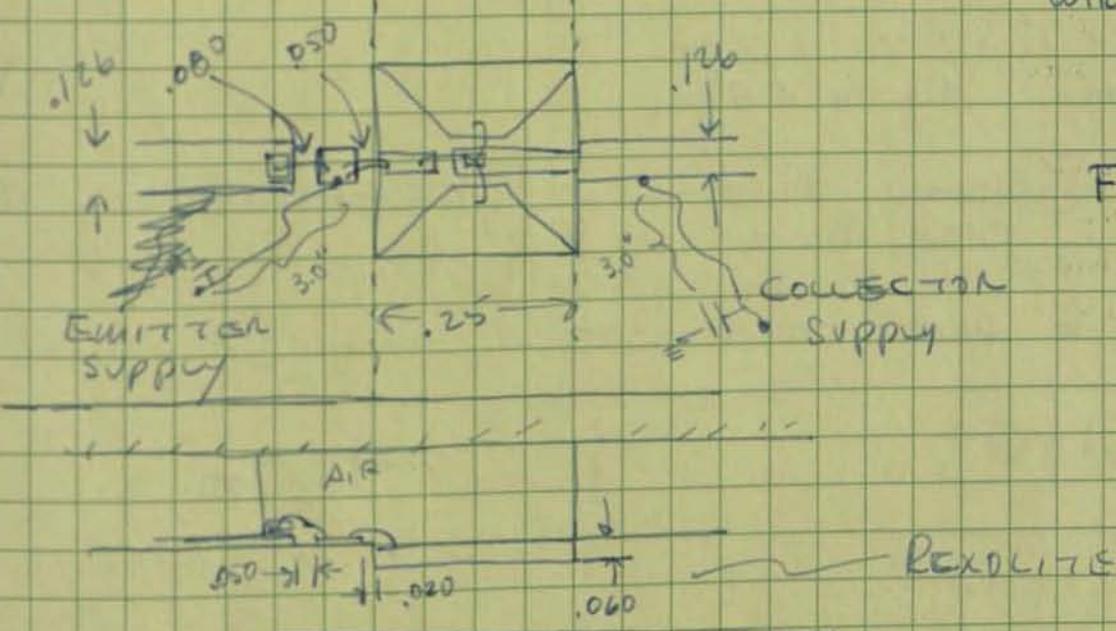
ON CERAMIC $\sqrt{\epsilon_r}$ eff. = 2.5

$$\frac{\lambda}{4} = \frac{3 \times 10^{10}}{(2.5)(2.3)(2.54) \times 10^9} \text{ mm} = 2.06 \text{ mm}$$

For PEX 7200 $\sqrt{\epsilon_r} = 1.67$

$$\frac{\lambda}{4} = 2.06 \frac{2.5 \text{ mm}}{1.67} = 3.0 \text{ mm}$$

CONSIDER FOLLOWING CONSTRUCTION:



WIRE JUMPER Y .050 LONG
Y .050
REXOLITE
.050

FOR 50 Ω LINE

$$50 \cdot 1.67 = 83.5 \Omega$$

$$W = \frac{1.67}{b} \quad b = .180$$

$$W = .120$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

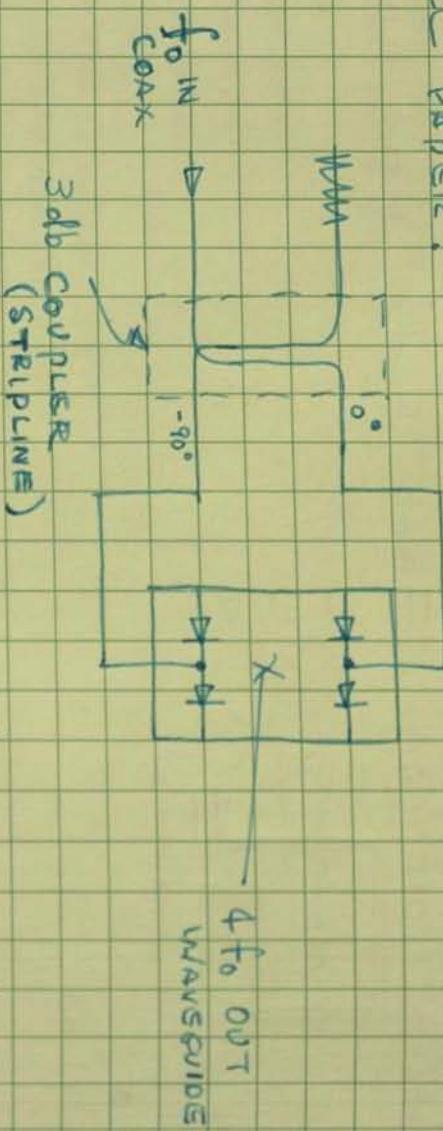
Signature _____ Date _____

Signature _____ Date _____

12 / 14 / 66

BALANCED QUADRUPLE

From Bell Paper:



PHASE DIFFERENCE BETWEEN DIODE INPUTS IS 90° . THEREFORE, ON THE 4th HARMONIC THE OUTPUTS WILL BE 360° APART AND IN PHASE. EACH PAIR IS AN EVEN HARMONIC GENERATOR AND THE 3 RD IS ALSO REJECTED BY WAVEGUIDE CUT-OFF. AT THE 2nd THIS WAVEGUIDE PRESENTS AN OPEN CIRCUIT - THEREFORE EACH PAIR IS MADE SELETERSONANT ($2 f_0$).

TYPE OF WAVEGUIDE TO BE USED (OUTPUT). ▲
(hp J-BAND)

$$f_{CO} = 4.285 \text{ pc.}$$

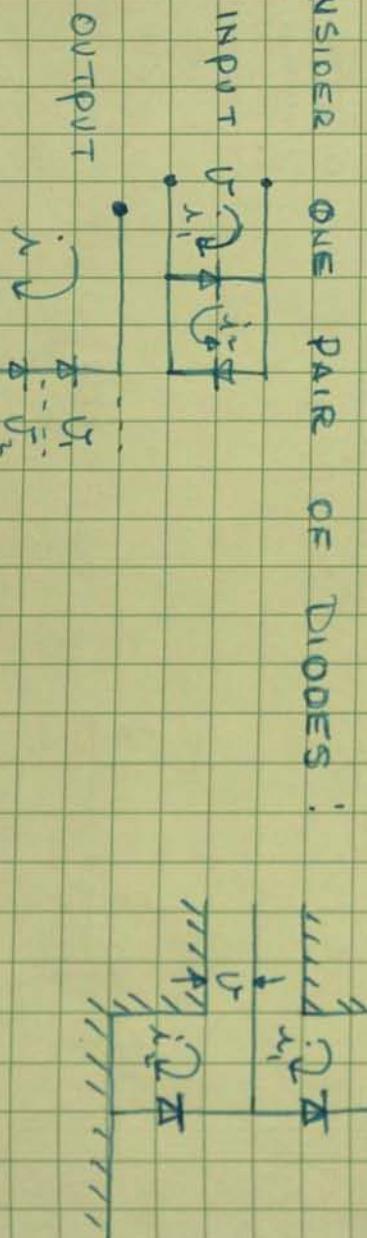
OUTPUT BANDWIDTH = $5.9 - 6.4 \text{ pc}$

$$\Delta f^\circ = 1.47 \text{ TO } 1.6 \text{ pc}$$

For 3 RD HARM. 4.4 TO 4.8 pc.

WILL NEED SOME ADDITIONAL FILTERING TO SHOTGUN 3 RD HARMONIC OVER BAND.

CONSIDER ONE PAIR OF DIODES:



Statement of Operation

Witnessed operation (obtain two signatures).

Signature _____

Date _____

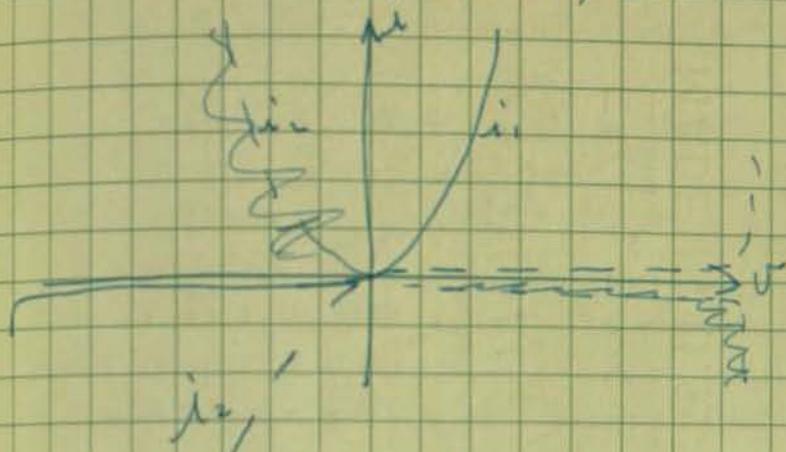
12/15/66

CONT. FROM p. 22

23

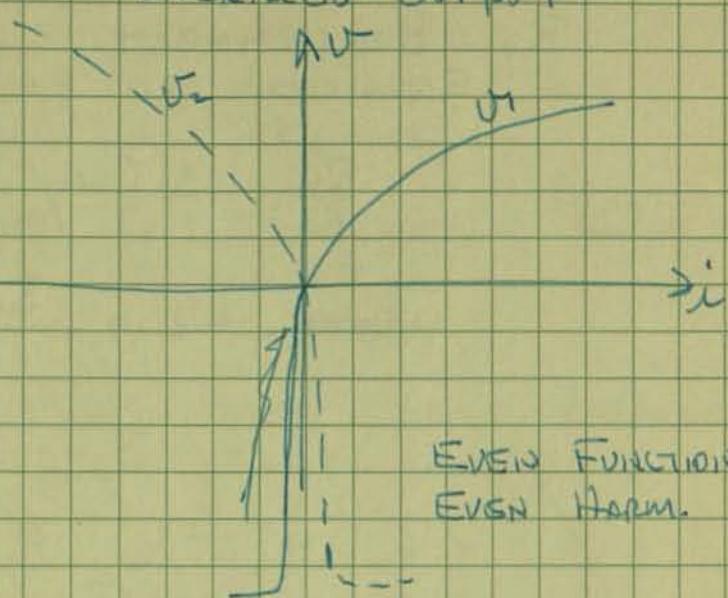
56-800

BALANCED INPUT

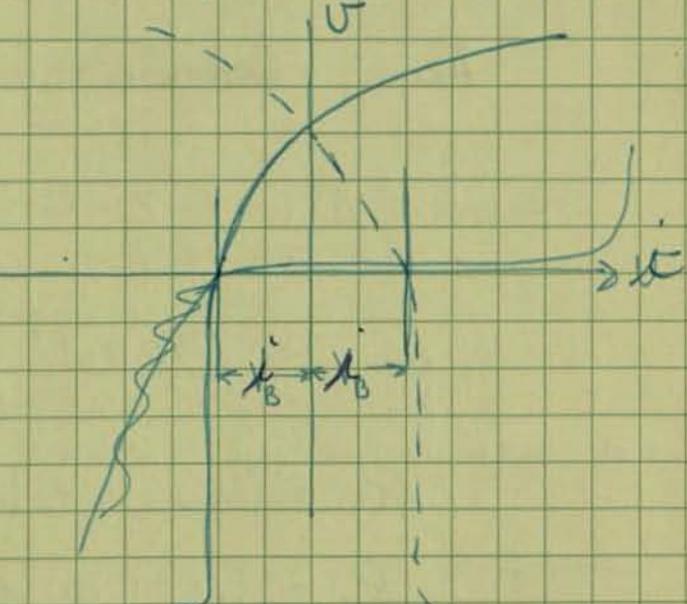
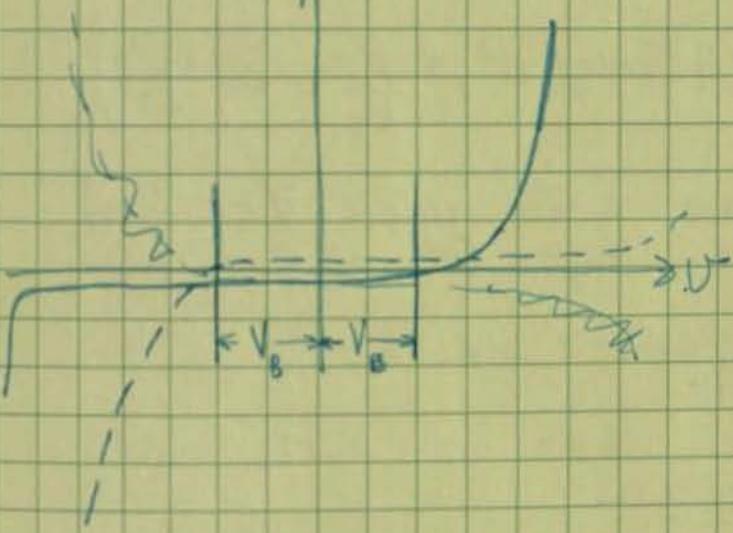


~~ODD~~ FUNCTION
∴ ODD HARMONICS

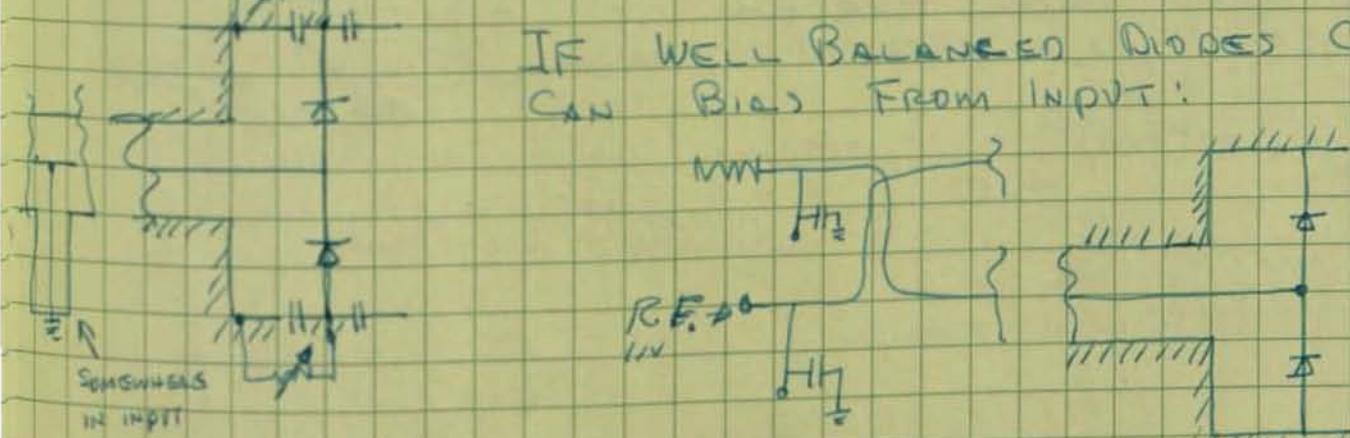
BALANCED OUTPUT

EVEN FUNCTION
EVEN HARM.

i_i THEN IF EACH DIODE IS BACK BIASED.



WILL BIAS EACH DIODE TO HELP BALANCING SITUATION

IF WELL BALANCED DIODES CAN BE FOUND
CAN Bias FROM INPUT:

Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

24 12/16/66

CONTINUED FROM P. 23.

CALCULATION OF MULTIPLIER PARAMETERS FROM BS.T.O.J. APRIL '65
 By BURCKHARDT.
 EQUATIONS TO BE USED:

$$\frac{R_{in}}{R_s} = A \left(\frac{\omega_c}{\omega_0} \right), \quad \frac{R_L}{R_s} = B \left(\frac{\omega_c}{\omega_0} \right)$$

$$\text{WHERE } \omega_c = \frac{S_{max} - S_{min}}{R_s}$$

S - ELASTANCE
 ω_c - CUTOFF FREQ.
 ω_0 = INPUT FREQ.
 R_s = SPREADING RESIS.

USING $\gamma = 0$, $S_{min} = 0$

$$\left\{ R_s \approx 1.5 \Omega \text{ BY MEASUREMENT} \right\} \quad S_{max} = \frac{1}{.85 \times 10^{-12}}$$

$$\omega_c = \frac{S_{max}}{R_s} = \frac{1}{(1.5)(.85 \times 10^{-12})} = .79 \times 10^{+12} = 790 \times 10^9$$

From BURCKHARDT $\frac{R_{in}}{R_s} = A \left(\frac{\omega_c}{\omega_0} \right), \frac{R_L}{R_s} = B \left(\frac{\omega_c}{\omega_0} \right)$

Also A 1-2-4 QUADRUPLER (NO LOADER AT $\frac{3}{2}\omega_0$)
 $A = .28 \quad \left\{ B = .10 \text{ FOR A DRIVE OF } 2.0 \text{ TO } 1.0 \right.$

$$\frac{\omega_c}{\omega_0} = \frac{790 \times 10^9}{(2\pi)(1.5) \times 10^9} = \frac{790}{3\pi} = 84$$

$$R_{in} = (1.5)(.28)(84) = 35.3 \Omega$$

$$R_L = (1.5)(.10)(84) = 12.5 \Omega$$

For EFFICIENCY FROM BURCKHARDT $\epsilon = e^{-\alpha \frac{w_{out}}{w_c}}$
 $\alpha = 10.3$, $w_{out} = 2\pi \times 10 \times 10^9$, $w_{out} = \frac{37.6 \times 10^9}{w_c} = .048$

$$\epsilon = e^{-(10.3 \cdot .048)} = e^{-4.95} = \frac{1}{e^{4.95}} = \frac{1}{1.64} = .61$$

$\boxed{\epsilon \approx 60\%}$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures).

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

12/20/66

CONTINUED FROM p. 24.

25

IMPEDANCE CONSIDERATIONS FOR OUTPUT FILTER:DIODE PAIR IN SERIES AT OUTPUT. $\therefore 2P_L = 25 \text{ mW}$.OTHER DIODE PAIRS IN SHUNT \therefore THE OUTPUT RESIST.
IMPED.AT PLANE OF DIODES IS 12.5Ω .

AN ADDITIONAL FACTOR IS THAT THE SELF-RESONANT
 OF THE DIODE PAIR WILL BE SET AT THE 2nd
 HARMONIC. - FROM BURKHARDT'S TABLES $\frac{S_{02}}{S_{max}} = .5$
 OR $C_{02} = 2 C_{min}$, $C_{02} = 1.7 \mu\text{f}$.

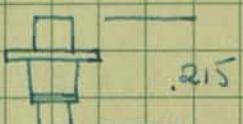
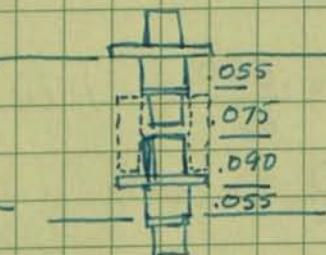
L OF DIODE IN WAVEGUIDE SHOULD BE ABOUT 1 in

$$\therefore f_{res} = \frac{1}{2\pi} \sqrt{\frac{1}{(1.7 \times 10^{-12})(1.0 \times 10^{-9})}} = \frac{1}{2\pi} \sqrt{\frac{1}{1.7 \times 10^{-21}}} \\ = \frac{1}{2\pi \times 10^{-11}} \frac{1}{4\pi} = 3.9 \text{ GHz}$$

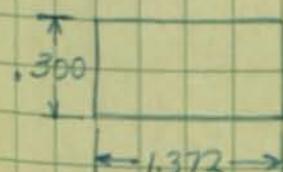
WILL HAVE TO ADD SOME INDUCTANCE TO BRING f_{res} . DOWN
 TO 3.0 GHz.

PACKAGES SIZE FOR OUTPUT:

Troy .300



CONSIDER WAVEGUIDE SIZE AS



CONSIDER $Z_{V.I} = \frac{\pi b}{2a} Z_0$

WHERE $Z_0 = 377 \left(1 - \frac{a^2}{4a^2}\right)^{-\frac{1}{2}}$

$$\lambda_{at 6\mu\text{g}} = \frac{5 \times 10^{-10}}{4 \times 10^9 \cdot 2.54} = \frac{5}{2.54} = 1.97 \text{ mm}$$

 .055
 .055
 .075
 .090
 .275

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

26 12/21/66

CONTINUED FROM P 25

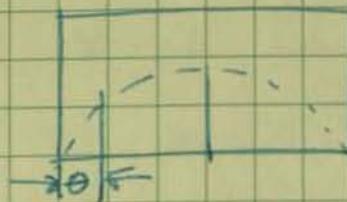
$$\frac{\lambda^2}{4a^2} = \frac{1.97^2}{(4)(1.372)^2} = .514$$

$$\begin{array}{r} 1.000 \\ - .514 \\ \hline .486 \end{array}$$

$$\sqrt{.486} = .70$$

$$Z_0 = \frac{377}{.70} = 540 \Omega$$

$$540 \sin \theta = 25 \\ \sin \theta = \frac{25}{540} = .046 \\ \theta = 2.7^\circ$$

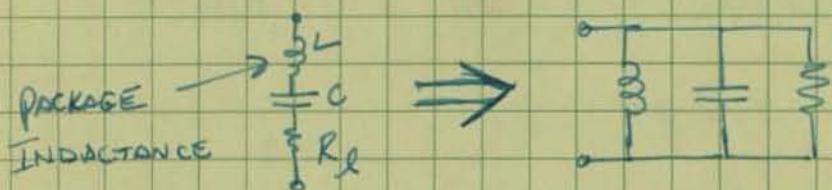


$$Z = \frac{\pi}{2} \cdot \frac{3}{1.372} Z_0 = 185 \Omega$$

$$\sin \theta = \frac{25}{185} = .135, \quad \theta = 7.8^\circ, \quad \frac{7.8}{180} = \frac{x}{1372}$$

$$x = .0595''$$

Consider SHUNT MODEL OF DIODE:



$$R_L = 25 \Omega \text{ From BURKHARDT}$$

$$\frac{S_{04}}{S_{max}} = .5 \text{ for } \frac{2}{1}$$

$$\therefore \frac{C_{min}}{C_{04}} = \frac{.5}{.5}, \quad \text{since } C_{min} = .850 \mu F.$$

$$C_{04} = \frac{.850}{.5} = 1.70 \mu F$$

WITH 2 DIODES IN SERIES AT OUTPUT:

ASSUME $L \approx 1 \mu H$,
FINAL CIRCUIT BECOMES

$$\begin{array}{c} \frac{1}{jL} = 2 \mu H \\ \frac{1}{jC} = 1.70 \mu F \\ \frac{1}{jR} = 25 \Omega \end{array}$$

$$\begin{array}{c} \frac{1}{jL} = 1.7 \mu H \\ \frac{1}{jR} = 12.5 \Omega \\ \frac{1}{jC} = 1.7 \mu F \\ \frac{1}{jR} = 12.5 \Omega \end{array}$$

$$Z = 25 + j \left(\omega L - \frac{1}{\omega C} \right)$$

A 69c

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures).

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

12/21/66

CONT. FROM p. 26.

27

$$\frac{1}{wC} = \frac{2\pi 6 \times 10^9}{2\pi 6 \times 10^9 \cdot .85 \times 10^{-12}} = \frac{1000}{(1.7) 6 \pi} = \frac{1000}{32} = 31.2$$

$$Z_{eq} = 25 + j 44.2$$

$$Y_{eq} = \frac{1}{Z} = \frac{1}{25 + j 44.2} = \frac{25 - j 44.2}{25^2 + 1950} = \frac{25 - j 44.2}{625 + 1950}$$

$$= \frac{25}{2575} - j \frac{44.2}{2575}$$

$$\therefore \frac{1}{G} = 100 \Omega, \frac{1}{B} = 58 \Omega$$

$$\begin{array}{r} 75.4 \\ 31.2 \\ 44.2 \end{array}$$

$$\begin{array}{r} 1950 \\ 622 \\ 2575 \end{array}$$

(series)

(source form)

CONSIDER DIODE STRUCTURE SELF Δ RES AT 3.09c.

$$w = \frac{1}{\sqrt{LC}}, L = \frac{1}{w^2 C} = \frac{1}{(2\pi \frac{6}{3} \times 10^9)^2 \cdot .85 \times 10^{-12}} = \frac{1}{1420 \times 10^{15} \cdot (.85 \times 10^{-12})} = \frac{1}{1210 \times 10^6} = \frac{4}{1.21 \times 10^9}$$

$$L = \underline{\underline{.83 \text{ mH}}} \times 4 = 3.3 \text{ mH}$$

THEN wL ABOVE WOULD BE $75.4 \times \frac{3}{2} = 113 \Omega$.

$$Z = 25 + j 81.8$$

$$\frac{1}{G} = 290 \Omega, \frac{1}{B} = 90 \Omega$$

$$\begin{array}{r} 113 \\ 31.2 \\ 81.8 \end{array}$$

$$(81.8)^2 = \frac{6700}{7325}$$

FOR FULL HEIGHT GUIDE

$$185 \times \frac{.622}{.300} = 384 \Omega$$

$$\sin \theta = \frac{290}{384} = .755, \theta = 50^\circ$$

$$\frac{50}{180} = \frac{x}{1372}$$

$$x = .38 \text{ ABOUT } \frac{1}{4} \text{ OF GUIDE WIDTH FROM WALL.}$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

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Signature _____ Date _____

CONSIDER WAVEGUIDE FILTER DESIGN. USING INDUCTION POSTS - THE FIRST POST BEING THE INDUCTION OF THE DIODE SYSTEM.

$$X_L \text{ at } = 8.8 \text{ " for one side}$$

Consider 2 SECTION (ELEMENT FILTER)

$$X_{k, L1} = \frac{\Omega}{1 - \frac{\Omega^2}{q_k q_{k+1}}}, \quad \Omega = \pi \frac{d_{g1} - d_{g2}}{d_{g1} + d_{g2}}$$

$$f_1 = 5.85 \text{ qc.}, \quad d_{g1} = 2.977", \quad \Omega = \pi \frac{.521}{5.433} = .30 \\ f_2 = 6.45 \text{ qc.}, \quad d_{g2} = 2.456", \quad \Omega = \pi \frac{.521}{5.433} = .30$$

$$q_0 = \Omega = q_3 = .3$$

For MAX. FLAT

$$q_1 = q_2 = 1.414$$

$$\therefore X_{01} = X_{12} = \frac{1.414}{1 - \frac{(0.3)^2}{1.414^2}} = \frac{.3}{1.414 \left(1 - \frac{.09}{2}\right)}$$

$$X_{01} = X_{12} = .22$$

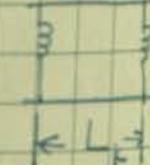
PAK
IN

From NomoGRAPH - p. 138

$$\frac{L_k}{\lambda_0} = .434$$

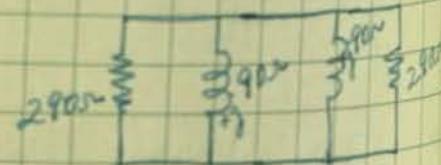
USE λ_0 AT 6qc.
 $\lambda_0 \approx 2.82"$

$$L = (.434)(2.82) = .23$$



DIODE MODEL TO BE MATCHED

FOR FULL HEIGHT GUIDE - $Z_0 = 384 \Omega$
 $\frac{X_{01}}{Z_0} = .22$ OR $X_{01} = 84.5 \Omega$



WHICH MEANS $2 \times 84.5 \Omega = 169 \Omega$ IN PARALLEL
CUTTING HEIGHT IN HALF WOULD GIVE 2
 84.5Ω INDUCTORS IN PARALLEL REQUIRED
FOR DESIGN.



Statement of Operation

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Signature _____

Date _____

Signature _____

Signature _____

Date _____

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Signature _____

Date _____

CALCULATION ON PREVIOUS PAGE INCORRECT
USING S.R.I. HANDBOOK

$$\frac{\pi}{2} w_1 = \frac{\pi}{2} \frac{\lambda_{g1} - \lambda_{g2}}{\lambda_{g1}} = \frac{\pi}{4} \frac{\lambda_{g1} - \lambda_{g2}}{\lambda_{g1} + \lambda_{g2}} = .3$$

$$\frac{K_{01}}{Z_0} = \sqrt{\frac{\pi}{2} \frac{w_1}{g_0 g_1}} = \sqrt{\frac{.3}{(1)(1.414)}} = \sqrt{.212} = .46$$

$$\therefore \left(\frac{K_{01}}{Z_0}\right)^2 = .212$$

$$\therefore \frac{X_{01}}{Z_0} = \frac{.46}{.788} = .59$$

$$\begin{array}{r} 1.000 \\ - .212 \\ \hline .788 \end{array}$$

$$\text{IF } g_1 = .4, \quad \frac{K_{01}}{Z_0} = \sqrt{\frac{.3}{.4}} = \sqrt{.75} \quad \cancel{=.87} = .87 - \text{TOO LARGE!}$$

$$\text{For } n=1, \quad g_0 = 1, \quad g_1 = 2, \quad g_2 = 1$$

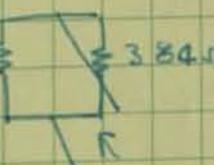
$$\frac{K_{01}}{Z_0} = \sqrt{\frac{.3}{2}} = \sqrt{.150} = .39 \quad \begin{array}{r} 1.00 \\ - .16 \\ \hline .84 \end{array}$$

$$\frac{X_{01}}{Z_0} = \frac{X_{12}}{Z_0} = \frac{.39}{.84} = .46$$

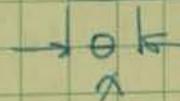
CONSIDER HALF HEIGHT GUIDE

$$\frac{Z_0}{2} = 192 \Omega$$

MATCH TO 384Ω



$$\tan \theta = \frac{290}{384}$$



$$\begin{aligned} &= .755 \\ &\theta = 49^\circ \end{aligned}$$

$$\frac{49}{180^\circ} = \frac{x}{1.37"}, \quad x = .392"$$

Now consider input matching circuit.
Will use half height guide with diodes pairs located $\frac{1}{4}$ guide width from sides.

CALCULATION OF REMAINING POST TO COMPLETE FILTER SECTION.

$$\frac{X_{12}}{Z_0} = .46, \quad \frac{X_{12}}{Z_0} \frac{\lambda_{g0}}{2a} = \frac{(.46)(2.82)}{(2)(1.37)} = .474, \quad \left. \begin{array}{l} \text{From S.R.I. REAM} \\ \frac{d}{a} \approx .030 \end{array} \right\}$$

$$\lambda_0 = \frac{3 \times 10^9}{6 \times 10^7 \cdot 2.82} = 1.97" \quad \frac{d}{a} = \frac{1.97}{1.37} = 1.44,$$

$$\begin{aligned} d &= (.030)(1.37) \\ d &= .041 \end{aligned}$$

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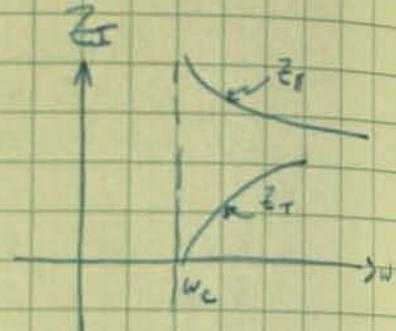
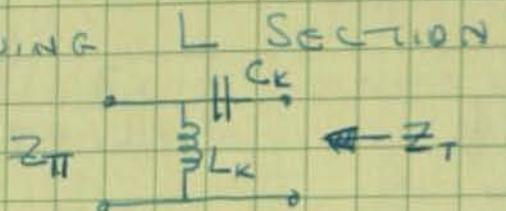
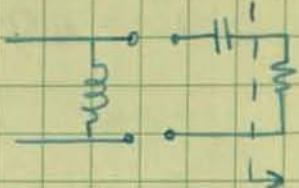
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Signature _____ Date _____

CONSIDERATION OF INPUT CIRCUIT:

$$Z \rightarrow \frac{C \parallel \frac{1}{\omega R}}{R \parallel \frac{1}{\omega C}} = \frac{\frac{1}{\omega R}}{\frac{1}{\omega C}} = \frac{\omega C}{R} = \frac{P/2}{2C} = \frac{17.6}{2 \times 1.7} \text{ ohms} = 3.4 \text{ pf.}$$

CONSIDER HIGH PASS TUNING L SECTION:



From I.T.T. HANDBOOK

$$Z_T = R \sqrt{1 - \left(\frac{\omega_c}{\omega}\right)^2}, \quad Z_{II} = \frac{R}{\sqrt{1 - \left(\frac{\omega_c}{\omega}\right)^2}}$$

$$\text{OR } Z_T = Z_{II} \left[1 - \left(\frac{\omega_c}{\omega} \right)^2 \right]$$

$$\frac{\omega_c}{\omega} = \sqrt{1 - \left(\frac{\omega_c}{\omega} \right)^2} \sqrt{1 - \frac{Z_T}{Z_{II}}}, \quad \text{LET } Z_T = 17.6 \text{ ohms}, \quad Z_{II} = 50 \text{ ohms}$$

$$\frac{17.6}{50} = .35$$

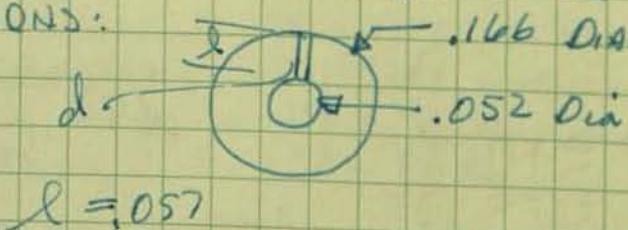
$$\frac{\omega_c}{\omega} = .8, \quad \text{IF } f_{\text{c}} = 1.5 \text{ g.c.}$$

$$f_c = 120 \text{ g.c.}$$

$$\omega_c = \frac{1}{\sqrt{L_K C_K}}, \quad L_K = \frac{1}{\omega_c^2 C_K} = \frac{1}{(2\pi)^2 (1.2 \times 10^9)^2 3.4 \times 10^{-12}}$$

$$L_K = \frac{10^{-6}}{4\pi^2 (1.44) (3.4)} = 0.0052 \times 10^{-6} = 5.2 \text{ nH.}$$

$$@ 1.5 \text{ g.c. } j\omega L_K = j2\pi 1.5 \times 10^9 5 \times 10^{-9} = j15\pi = j47 \text{ ohms.}$$

CONSIDER ACHIEVING L_K BY A THIN WIRE ACROSS 50 OHM COAXIAL TUBE LINE WITH FOLLOWING DIMENSIONS:From CURVES IN MICROWAVE HANDBOOK $\frac{d}{l} = .22$

$$d = (.22)(.057)$$

\therefore WILL TRY .018 BE CO. WIRES. $d = .013$

Statement of Operation _____

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IMPEDANCE TRANSFORMER BETWEEN .300 HEIGHT GUIDES
AND .622 HEIGHT (FULL HEIGHT) GUIDES.

$$Z_2 = \sqrt{Z_1 Z_3} = \sqrt{(384)(185)} = \sqrt{71000} = 266 \Omega$$

$$\frac{.622}{x} = \frac{384}{266}, x = .443$$

CALCULATION OF MAX. BANDWIDTH VSWR FOR 10% B.W.

LET γ = FRACTIONAL BANDWIDTH

$$\gamma = \frac{f_2 - f_1}{f_0}, f_0 = \frac{f_1 + f_2}{2}$$

~~$$\gamma = \frac{f_2 - f_1}{\frac{f_1 + f_2}{2}} = \frac{2f_2 - 2f_1}{f_1 + f_2} = \frac{2 \frac{f_2}{f_1} - 2}{1 + \frac{f_2}{f_1}}$$~~

$$\gamma + \gamma \frac{f_2}{f_1} = 2 \frac{f_2}{f_1} - 2$$

$$\frac{f_2}{f_1} (1-2) = -2-\gamma$$

$$\frac{f_2}{f_1} = \frac{2+\gamma}{2-\gamma}, \text{ IF } \gamma = .1 \quad \frac{f_2}{f_1} = \frac{2.1}{1.9} = 1.105$$

$$\phi_1 = \frac{180}{1+1.105} = \frac{180}{2.105} = 89.5^\circ, \cos 89.5^\circ = .0087$$

$$\frac{1}{\cos \phi_1} = 115, \frac{Z_3}{Z_1} = \frac{384}{185} = 2.08, \ln \frac{Z_3}{Z_1} = .73$$

$$T_{10}(X) = \gamma$$

$$S_{max} = 1 + \frac{.73}{115} = 1.007$$

FOR LENGTH USE $\lambda/4$ AT $6.45 \text{ gm.} - \lambda_g = 2.456$

$$\text{LET } l = 0.60$$

Statement of Operation _____

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

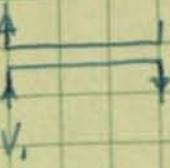
Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

FOR 3 db coupler $\frac{P_2}{P_1} = \frac{V_2^2}{V_1^2} = .5$

$$\frac{V_1}{V_2} = .707 = k$$

 V_2 

$$\frac{Z_{oe} - Z_{oo}}{Z_{oe} + Z_{oo}} = k, \quad Z_o = \sqrt{Z_{oe} Z_{oo}}, \quad Z_o^2 = Z_{oe} Z_{oo}$$

$$Z_{oe} = \frac{Z_o^2}{Z_{oo}}$$

$$\therefore \frac{\frac{Z_o^2}{Z_{oo}} - Z_{oo}}{\frac{Z_o^2}{Z_{oo}} + Z_{oo}} = \frac{Z_o^2 - Z_{oo}^2}{Z_o^2 + Z_{oo}^2} = k$$

$$\frac{Z_o^2 - Z_{oo}^2}{Z_o^2(1-k)} = \frac{k Z_o^2 + k Z_{oo}^2}{Z_{oo}^2 + k Z_{oo}^2} = Z_{oo}^2(1+k)$$

$$\therefore Z_{oo}^2 = Z_o^2 \left(\frac{1-k}{1+k} \right), \quad Z_{oo} = Z_o \sqrt{\frac{1-k}{1+k}}$$

$$Z_{oe} = \frac{Z_o^2}{Z_{oo}} = \frac{Z_o}{\cancel{Z_o} \sqrt{\frac{1-k}{1+k}}} = \boxed{\frac{Z_o}{\sqrt{\frac{1-k}{1+k}}}} = Z_{oe}$$

1.000
.707
.293

$$\frac{1-k}{1+k} = \frac{.293}{1.707} = \frac{.415}{1.72}, \quad \sqrt{\frac{1-k}{1+k}} = \frac{.645}{1.72} = 0.415$$

$$\text{THEN } Z_{oe} = \frac{Z_o}{\cancel{.415}}, \quad Z_{oo} = Z_o \frac{\cancel{.645}}{.415}$$

Try $Z_o = 50 \Omega$, $Z_{oe} = 120 \Omega$, $Z_{oo} = 208 \Omega$.

$1 \times \epsilon_n = 9$

$$\sqrt{\epsilon_n} Z_{oe} = 360 \Omega, \quad \sqrt{\epsilon_n} Z_{oo} = 62.5 \Omega$$

$S/6 < .005$ IF $b = .060$
 $S < .0003$ Z_{oo} TOO SMALL!

Statement of Operation _____

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Signature _____ Date _____

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

1/9/67

CONT. FROM P. 32

33

TRY $Z_0 = 20 \Omega$, $Z_{0e} = 48.2 \Omega$, $Z_{0o} = 8.3 \Omega$.

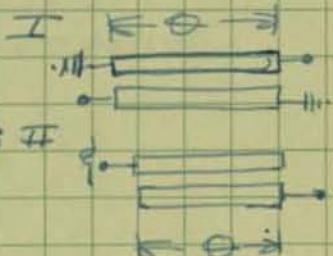
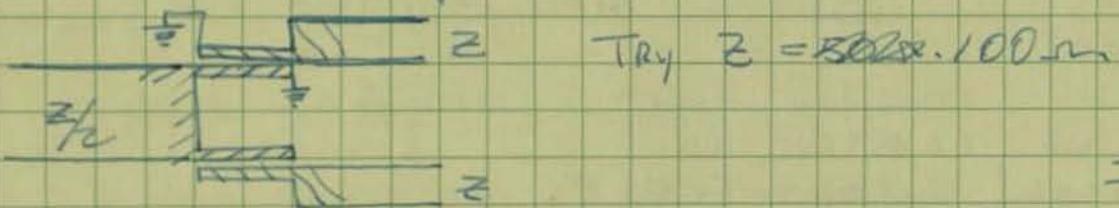
$$\sqrt{\sum Z_{0e}} = 145 \Omega, \sqrt{\sum Z_{0o}} = 24.9 \Omega.$$

S/L OFF SCALE - TOO SMALL!

TRY $Z_0 = 100 \Omega$, $Z_{0e} = 241 \Omega$, $Z_{0o} = 41.5 \Omega$,

$$3 \times Z_{0e} = 723, 3 \times Z_{0o} = 124.5$$

1/12/67 WIDE BAND STRIPLINE BALUN.

From ARTICLE By JONES AND SHIMIZU - S.I.
PGNITT p. 128 JAN. '59.

CONSIDER DESIGN OF FOLLOWING FILTERS #

$$\text{FOR I } Z_s = \frac{2 Z_{0e} Z_{0o} \sin \theta}{\left[\left(Z_{0e} - Z_{0o} \right)^2 - \left(Z_{0e} + Z_{0o} \right) \cos^2 \theta \right]^{1/2}}$$

$$\text{AT BAND CENTER } Z_s = \frac{2 Z_{0e} Z_{0o}}{Z_{0e} - Z_{0o}}$$

From PAPER WILL SELECT BALUN II.

$$\frac{Z_{0e}}{Z_{0o}} = 6.5, \frac{Z_{0e}}{Z} = 2.250, \frac{Z_{0o}}{Z} = 0.393, b = .180$$

$$\frac{Z_s}{Z} (\text{midband}) = 0.925, Z_0/Z (\text{midband}) = 1.081$$

$$\text{IF } Z = 100 \Omega, Z_{0e} = 225 \Omega, Z_{0o} = 39.3 \Omega.$$

$$\text{FOR } R_{ex} = 2200, C_x = 2.77, \sqrt{\sum Z_{0e}} = 1.66$$

$$\sqrt{\sum Z_{0e}} = 374 \Omega, \sqrt{\sum Z_{0o}} = 65.3 \Omega.$$

$$\frac{s}{b} = .005, s = .0009 \text{ TOO THIN.}$$

Statement of Operation _____

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

1/12/67

CONT. FROM p. 33.

$$\text{TRY } Z = 50 \Omega \text{ & } \frac{Z}{2} = 25 \Omega$$

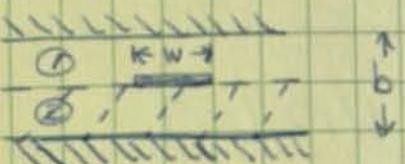
$$Z_{oc} = (50)(2.25) = 112.5 \Omega, Z_{oo} = (50)(3.93) = 196 \Omega.$$

$$\sqrt{Z_{oc}} = 187 \Omega, \sqrt{Z_{oo}} = 32.6 \Omega$$

1/19/67

CONSIDER Z CALCULATION OF FOLLOWING STRIPLINE

MEDIUM (1) - AIR
" (2) - ALUMINA $\epsilon_r = 9$



ASSUME STRIPLINE LOADED BY 2 IMPEDANCES

$$\frac{Z_1}{Z_2} = \frac{Z_0}{W}$$

$$\text{THEN } \frac{Z_1 Z_2}{Z_1 + Z_2} = Z_0$$

$$\frac{Z_1 Z_2}{Z_1 + Z_2} = Z_0$$

IF STRIPLINE CONSTRUCTION SYMMETRICAL EXCEPT FOR ϵ_r

$$\frac{Z_1}{Z_2} = \sqrt{\frac{\epsilon_r}{\epsilon_0}}, \text{ SINCE } Z_0 = \frac{1}{\sqrt{\epsilon_r (\mu_r)}}$$

SINCE $\epsilon_r = 9.0$ FOR ALUMINA

$$\frac{Z_1}{Z_2} = 3, Z_1 = 3 Z_2$$

$$\text{SUBSTITUTING } \frac{Z_1 Z_2}{Z_1 + Z_2} = Z_0$$

$$\frac{6 Z_2}{4} = Z_0, Z_2 = \frac{2}{3} Z_0, Z_1 = 2 Z_0$$

$$\text{FOR } Z_1 \text{ IN AIR } \frac{Z_1}{Z_2} = \frac{Z_1}{W}$$

$$\text{CALCULATION OF } \frac{W}{b} \text{ FOR } Z_1 = 50 \Omega, Z_1 = 2 Z_0 = 100 \Omega, b = 2(0.06) = .12$$

$$\frac{W}{b} = .35, W = (.35)(.12), W = .042$$

$$\text{IF } b = .060, W = .021$$

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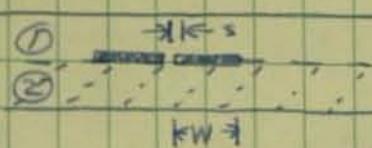
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1/23/67

Cont. From p. 34

35

CONSIDER SAME ARGUMENT FOR COUPLED STRIPS.



$$\text{For } Z_0 = 50 \Omega, \begin{cases} Z_{0e} = 120 \Omega \\ Z_{0o} = 20.8 \Omega \end{cases} \begin{matrix} \text{SEE} \\ \text{P. 32} \end{matrix}$$

ANALOGOUS TO P. 34

$$Z_{0e_1} = 240 \Omega$$

$$Z_{0o_1} \approx 42 \Omega$$

$$Z_{0e_2} = \frac{2}{3} Z_{0e}, \quad Z_{0o_2} = \frac{2}{3} Z_{0o}$$

$$\downarrow Z_{0e_2} = 2 Z_{0e}, \quad Z_{0o_2} = 2 Z_{0o}$$

$$\frac{s}{b} = .0013, \quad s = .000156 \quad \text{For } b = .120$$

$$\boxed{\text{TRY } s = .0002}$$

$$\frac{w}{b} = .18, \quad w = .022$$

5/5/67 AMPLIFIER CIRCUIT

REALIZATION OF SERIES INDUCTANCE

$$\text{MEASURED:} - .020 \rightarrow .2 \text{ nH}$$

$$.080 \rightarrow .8 \text{ nH}$$

$$.160 \rightarrow 2.5 \text{ nH}$$

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Signature _____ Date _____

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Signature _____ Date _____

8/2/67

INTERDIGITAL FILTER FOR OUTPUT
IN 13.7 GC TO 14.2 GC. RANGE

5% MARGIN IS ABOUT 700 mc.

LET $f_1 = 13.00 \text{ Gc.}$ & $f_2 = 14.9 \text{ Gc.}$

$$W = \frac{1.9}{13.95} = .136$$

$$\begin{array}{r} 14.90 \\ - 13.00 \\ \hline 1.90 \\ 2 \boxed{1} 27.90 \\ \hline 13.95 \end{array}$$

TRY MARGIN OF 200 mc.

$$f_1 = 13.50 \text{ Gc}, f_2 = 14.90$$

$$W = \frac{1.9}{13.95} = .085 \cdot 065$$

$$f_0 = \frac{14.10}{13.95 \text{ Gc.}}$$

$$\begin{array}{r} 14.90 \\ 13.50 \\ \hline 1.40 \\ 2 \boxed{1} 27.90 \\ \hline 13.95 \end{array}$$

CONSIDER USING 6TH HARMONIC

$$\frac{13.7}{6} = 2.28 \text{ Gc}, \quad \frac{14.2}{6} = 2.37 \text{ Gc.}$$

$$7^{\text{th}} \text{ Harm.} \quad 7 \times 2.28 = 16.0 \text{ Gc.}$$

$$\begin{array}{r} 16.00 \\ - 13.95 \\ \hline 2.05 \\ \cdot \quad 1.90 \end{array}$$

$$\frac{w'}{w_1} = \frac{2}{W} \left(\frac{w - w_0}{w_0} \right)$$

$$\frac{w - w_0}{w_0} = \frac{f - f_0}{f_0} = \frac{1.9}{16}$$

$$= \frac{3.2}{0.85} \frac{2.05}{\cancel{13.95}} = \frac{3.46}{\cancel{13.95}} = 0.246, \quad \left| \frac{w'}{w_1} \right| - 1 = 1.18 \cdot 2.46$$

$n=6$ SHOULD GIVE BETTER THAN 60 dB REJECTION

$$g_0 = 1, \quad g_1 = 1.168, \quad g_2 = 1.404, \quad g_3 = 2.056, \quad g_4 = 1.517$$

$$g_5 = 1.903, \quad g_6 = 1.862, \quad g_7 = 1.355$$

$n=5$ JUST 60 db

$$g_0 = 1, \quad g_1 = 1.147, \quad g_2 = 1.371, \quad g_3 = 1.975, \quad g_4 = 1.371, \quad g_5 = 1.147, \quad g_6 = 1.$$

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$$\Theta_1 = \frac{\pi}{2} \left(1 - \frac{w}{2}\right), \quad \begin{array}{r} 1.000 \\ - .032 \\ \hline .968 \end{array}$$

$$\Theta_1 = \left(\frac{\pi}{2}\right) (.968) = 1.52 \text{ RAD.}$$

$$= 1.52 \frac{180}{\pi} = 87.2^\circ$$

LET $y_A = \frac{1}{20\pi}, \quad y_B = \frac{1}{50\pi}$

$$\frac{J_{01}}{y_A} = \frac{1}{\sqrt{q_0 q_1 w_1}} = \frac{1}{\sqrt{1.147}} = \frac{1}{1.07} = .935, \left(\frac{J_{01}}{y_A}\right)^2 = .875$$

$$\frac{J_{12}}{y_A} = \frac{1}{\sqrt{(1.147)(1.371)}} = \frac{1}{\sqrt{1.57}} = \frac{1}{1.25} = .800, \left(\frac{J_{12}}{y_A}\right)^2 = .640$$

$$\frac{J_{23}}{y_A} = \frac{1}{\sqrt{(1.371)(1.975)}} = \frac{1}{\sqrt{2.71}} = \frac{1}{1.65} = .605, \left(\frac{J_{23}}{y_A}\right)^2 = .365$$

$$\tan \Theta_1 = \tan 87.2^\circ = 20.45$$

$$\tan^2 \Theta = 418, \quad \frac{\tan^2 \Theta}{4} = 10.22$$

$$\begin{array}{r} 10.22 \\ - .64 \\ \hline 10.58 \end{array}$$

$$N_{12} = \sqrt{\left(\frac{J_{12}}{y_A}\right)^2 + \frac{\tan^2 \Theta}{4}} = \sqrt{.640 + 10.22} = 3.30$$

$$\begin{array}{r} 10.22 \\ - .57 \\ \hline 9.65 \end{array}$$

$$N_{23} = \sqrt{.365 + 10.22} = 3.26$$

$$\frac{C_k}{E} = \frac{376.7}{V_{k1}} h y_A' (N_{k-1,k} + N_{k,k+1} - \frac{J_{k-1,k}}{y_A} - \frac{J_{k,k+1}}{y_A})$$

$$\text{TRY } y_A' = \left(\sqrt{50 \cdot 20}\right)^{-1} = (10/10)^{-1} = \frac{1}{32\pi}.$$

$$\frac{376.7}{32} = 11.8$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

8/9/67 CONT. FROM P. 37

$$\frac{C_3}{E} = 11.8 h \left(N_{23} + N_{34} - \frac{J_{23}}{Y_A} - \frac{J_{34}}{Y_A} \right)$$

$$= 11.8 h (3.26 + 3.26 - .365 - .365) ,$$

$$= (11.8)(5.79) h = \underline{\underline{68.2 h}}$$

$$\begin{array}{r} 6.52 \\ - .73 \\ \hline 5.79 \end{array}$$

$$\frac{C_{23}}{E} = 11.8 h \left(\frac{J_{23}}{Y_A} \right) = 11.8 h (.365)$$

$$\frac{C_{23}}{E} = \underline{\underline{4.30 h}} = \frac{C_{34}}{E} , \quad \frac{2C_{23}}{E} = 8.60$$

$$\boxed{17.2 h + 68.2 h = 5.4}$$

$$h = \frac{5.4}{85.4} = .063 \quad \sqrt{h} = .25$$

$$\begin{array}{r} 68.2 \\ 17.2 \\ \hline 85.4 \end{array}$$

$$\frac{(376.7)(.063)}{20} = 11.90 , \quad \frac{(376.7)(.063)}{50} = 4.75$$

$$M_1 = Y_A \left(\frac{J_{01}}{Y_A} \sqrt{h} + 1 \right) , \quad M_5 = Y_B \left(\frac{J_{56}}{Y_B} \sqrt{h} + 1 \right)$$

$$= \frac{1}{20} [(.935) (.25) + 1] , \quad = .356 \sqrt{h} + Y_B$$

$$= \frac{1.234}{20} = \underline{\underline{.062}}$$

$$J_{56} = Y_A .935 = \frac{.935}{20} = .047$$

$$M_5 = (.047)(.25) + \frac{1}{50} =$$

$$= .012 + .020 = \underline{\underline{.032}}$$

$$\begin{array}{r} .020 \\ .012 \\ \hline .032 \end{array}$$

$$\frac{C_0}{E} = 376.7 [2Y_A - M_1]$$

$$= 376.7 \left(\frac{2}{20} - .062 \right) = (376.7)(.038)$$

$$\begin{array}{r} .100 \\ -.062 \\ \hline .038 \end{array}$$

$$\boxed{\frac{C_0}{E} = 14.30}$$

Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

8/25/67

CONT. From P. 38

39.

$$\frac{C_6}{E} = 376.7 [2Y_B - M_5] = 376.7 \left(\frac{2}{50} - .032 \right),$$

$$= (376.7)(.008)$$

.040
.032
.008

$$\boxed{\frac{C_6}{E} = 3.02}$$

$$\frac{C_1}{E} = 376.7 \left\{ Y_A - M_1 + hY_A \left[\frac{\tan \theta}{2} + \left(\frac{J_{01}}{Y_A} \right)^2 + N_{12} - \frac{J_{12}}{Y_A} \right] \right\}.$$

$$= 376.7 \left\{ \frac{1}{20} - .062 + \frac{(.25)}{20} \left[\frac{20.45}{2} + .875 + 3.30 - .80 \right] \right\},$$

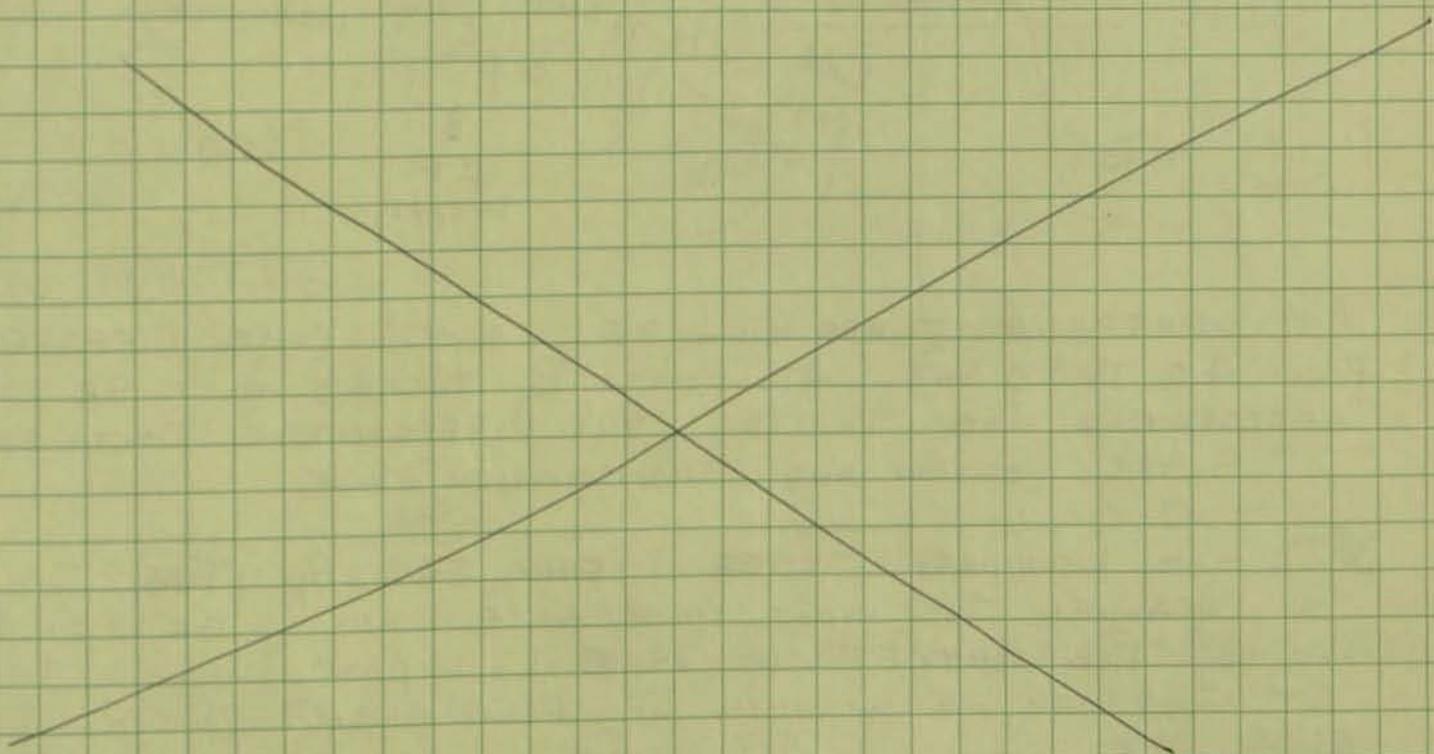
$$10.22$$

$$= 376.7 \left[-.012 + \frac{13.60}{80} \right] = 376.7 (.012 + .17) = (376.7)(.187)$$

10.22
.88
3.30
14.40
.80
13.60
.170
-.012
.158

$$\boxed{\frac{C_1}{E} = 59.5}$$

$$\frac{C_5}{E} = 376.7 \{ Y_B$$



Statement of Operation _____

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

3/6/69

A SCHOTTKY BARRIER MIXER TO BE PUT ON
CERAMIC MICROSTRIP CONSTRUCTION.

CONSIDER:

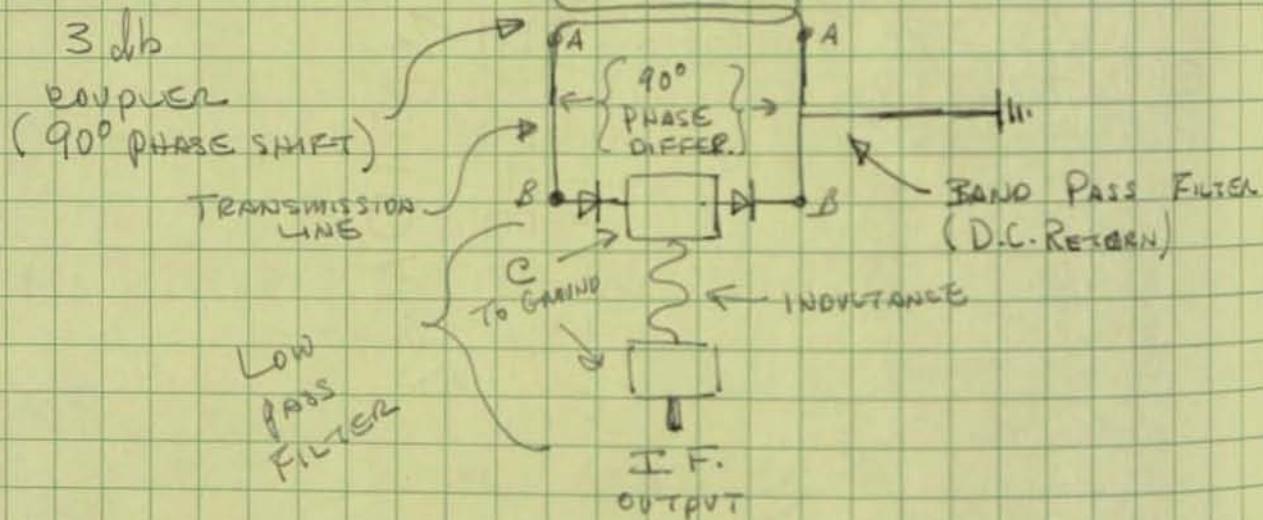
1. 4-8 GHz. DESIGN

2. RF IMPEDANCE OF 50Ω .

START WITH STRIPLINE IN ROXOLITE 2200

$$\epsilon_r = 2.77, \quad b = .125$$

General Circuit:



AT POINTS A THERE WILL BE A 90° PHASE DIFFERENTIAL FROM 4.0 TO 8.0 GHZ. AT POINTS B THERE WILL BE 180° PHASE DIFFERENTIAL DUE TO THE 90° DIFFERENTIAL BETWEEN "T" FILTER SECTION AND TRANSMISSION LINE.

IN THE LOW PASS FILTER BEING FED BY THE TWO DIODES IN PARALLEL THE INPUT IMPEDANCES WILL BE SET AT 25Ω . THE CUTOFF OF THE LOW PASS WILL BE SET AT 1200 MHZ ALLOWING IF FREQUENCIES UP TO 1.0 GHZ.

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

3/7/69

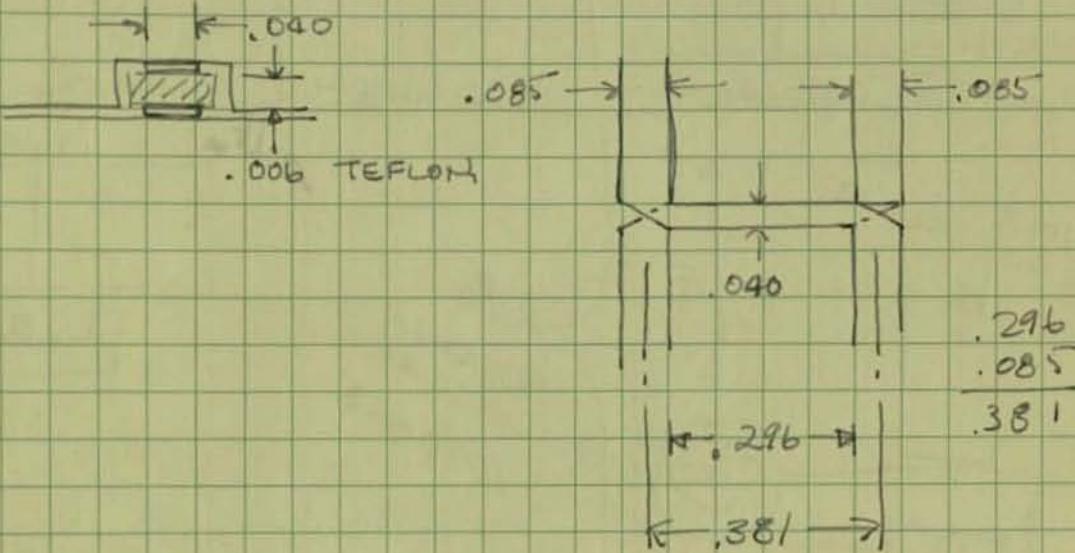
41

CONTINUED FROM p. 40

CONSIDER 3 db COUPLER DESIGN.

$$\ell = \frac{1}{4} \frac{3 \times 10^{10}}{6.0 \times 10^9 (2.154) 1.06} = .286"$$

From previous design will use following coupling construction:

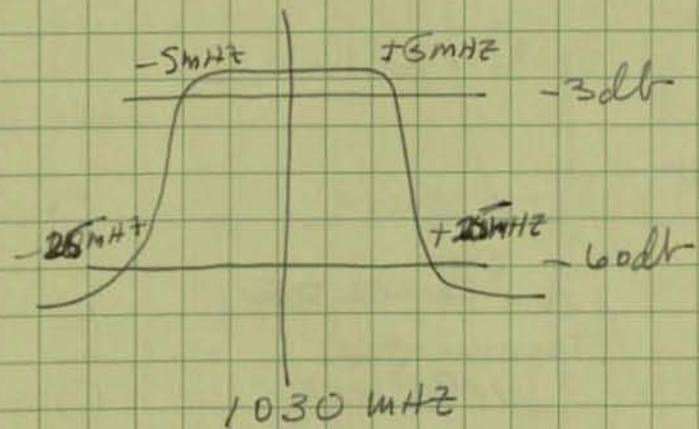


CONSIDER FILTER WITH FOLLOWING REQUIREMENTS 3/26/69

$$N = \frac{\omega_2 - \omega_1}{\omega_0} = \frac{f_2 - f_1}{f_0}$$

$$N = \frac{10}{1030} = .0097$$

$$f_0 = 1030 \text{ MHz}$$



$$\left| \frac{\omega_1}{\omega_0} \right| = \frac{2}{N} \left(\frac{f_1 - f_0}{f_0} \right)$$

$$= \frac{2}{.0097} \left(\frac{25}{1030} \right) = \left(\frac{5}{.0097} \right) \left(\frac{1}{103} \right) = 5.0$$

$$\left| \frac{\omega_1}{\omega_0} \right| - 1 = 4.0 \quad , \text{ max flat } n = 5 \text{ RESONATORS}$$

For 70 db. AT ~~+25~~ MHz

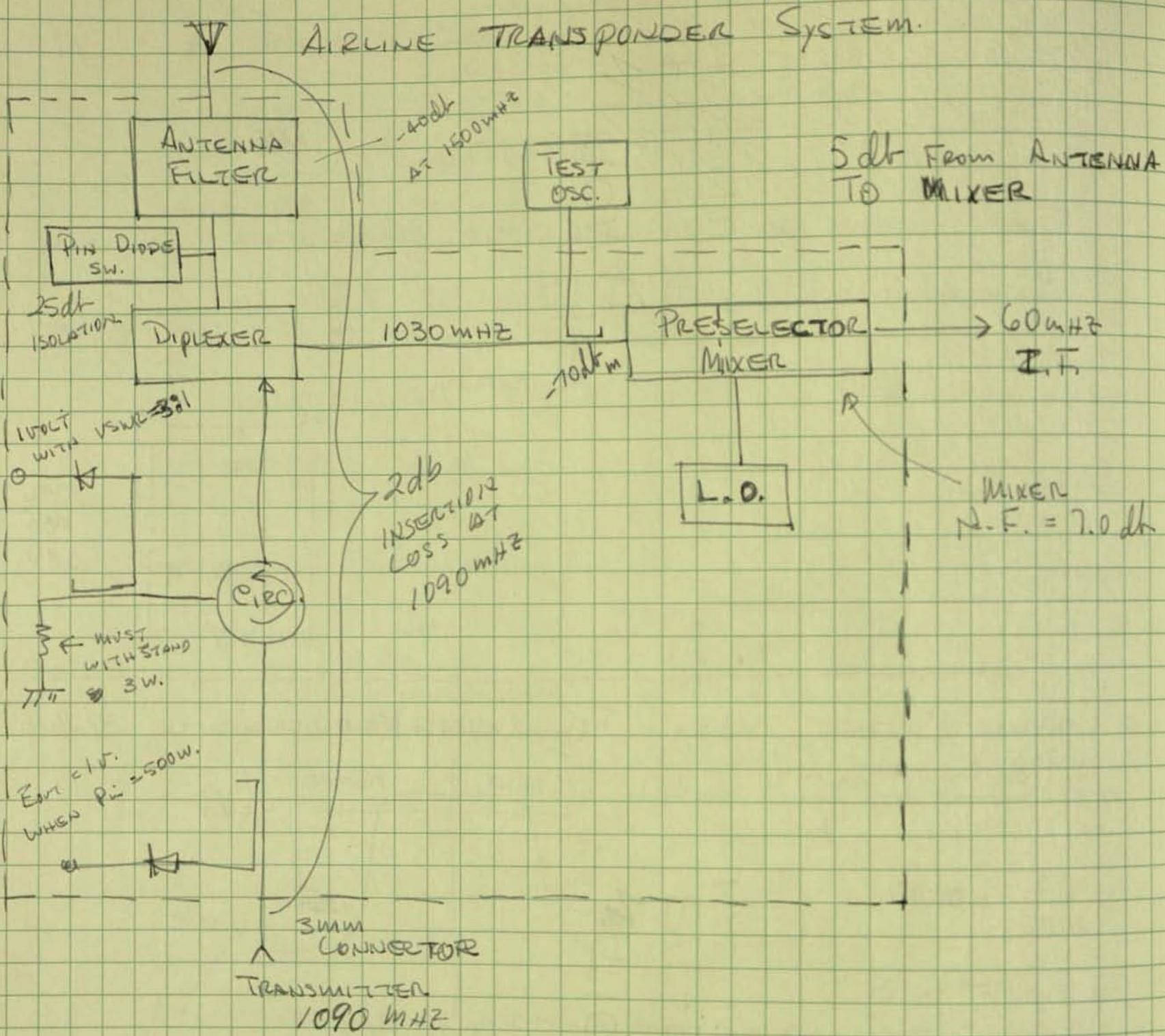
Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Witnessed operation (obtain two signatures):

Signature _____ Date _____



Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

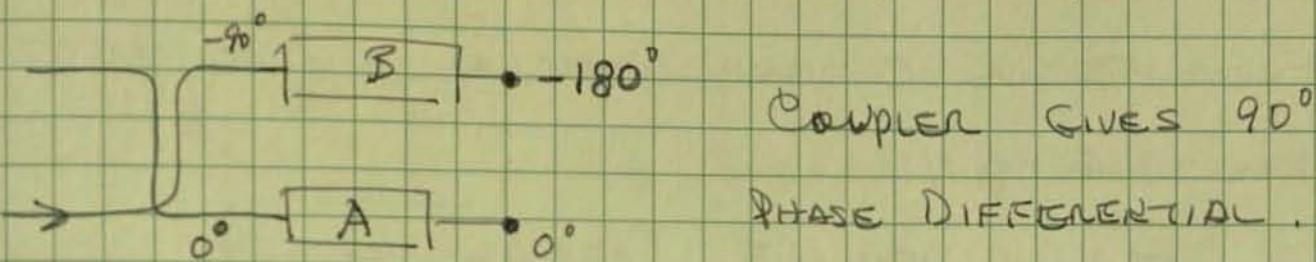
Read and Understood (obtain two signatures): _____

Signature _____ Date _____

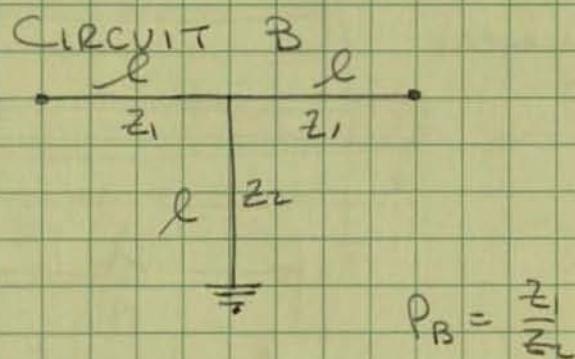
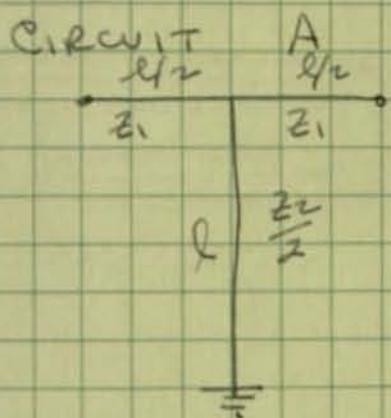
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4/3/69 CONT. FROM P. 41 PHASE SHIFTER

Consider Following Combination



ADD CIRCUITS A & B TO GIVE 180° PHASE DIFFERENTIAL.



$$\cosh \Theta_A = (1 + \rho_A) \cos \phi$$

IN PASS BAND

$$\cosh \Theta_B = \frac{\rho_B}{2} + (1 + \frac{\rho_B}{2}) \cos 2\phi$$

$$\cos \beta_A = (1 + \rho_A) \cos \phi$$

$$\cos \beta_B = \frac{\rho_B}{2} + (1 + \frac{\rho_B}{2}) \cos 2\phi$$

$$\cos \beta_A \Big|_{\phi = \frac{\pi}{2}} = 0$$

$$\cos \beta_B \Big|_{\phi = \frac{\pi}{2}} = -1$$

$$\therefore \beta_A \Big|_{\phi = \frac{\pi}{2}} = \pm 90^\circ, \pm 270^\circ, \dots$$

$$\cos \beta_B \Big|_{\phi = \frac{\pi}{2}} = \mp \pi, \dots$$

CONSIDER $f_c \approx 45^\circ = \phi, \cosh \Theta_A = 1$

$$\cos \beta_A = 1$$

~~$\therefore 1 = (1 + \rho_A) \cdot 707$~~

$$1 + \rho_A = 1.41$$

$$\rho_A = .41 = \frac{Z_1}{Z_2}, \text{ LET } Z_1 = 50$$

$$\therefore Z_2 = \frac{50}{.41} = 121 \Omega.$$

SELECT ~~$\cosh \Theta_B = 0$~~ $\cosh \Theta_B = 0 \approx \phi = 45^\circ$

$$0 = \frac{\rho_B}{2} + (1 + \frac{\rho_B}{2})(0)$$

$$\text{OR } \rho_B = 0$$

WON'T WORK!

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____

Date _____

Signature _____

Date _____

Signature _____

Date _____

Signature _____

Date _____

4/5/69

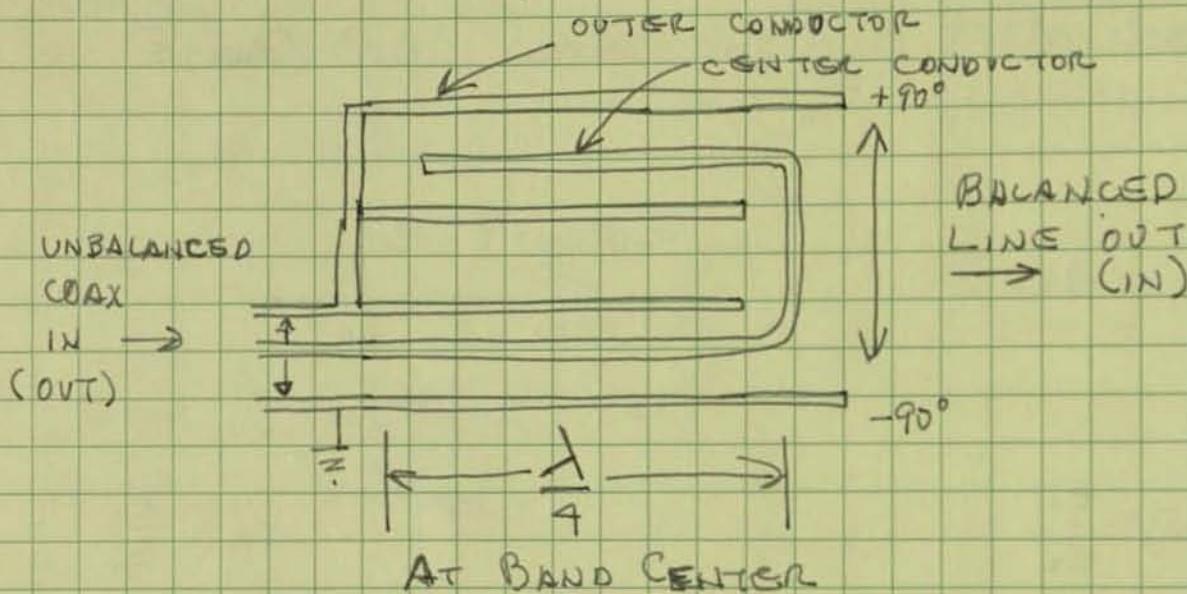
DESIGN FOR A DOUBLY BALANCED MIXER

CONSIDER THE FOLLOWING BALUN.

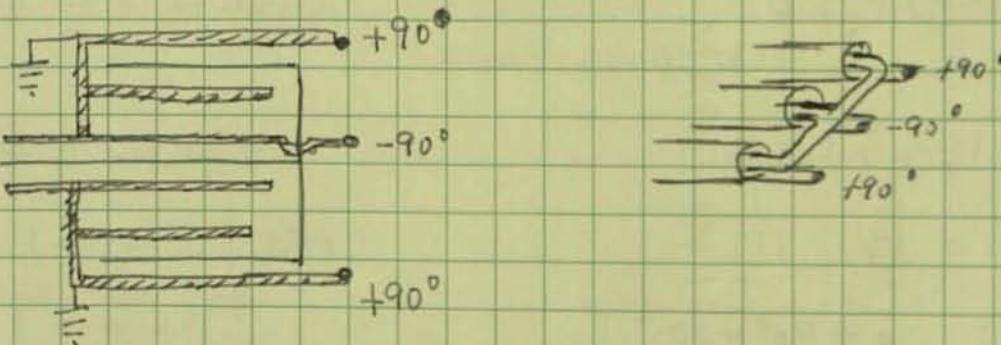
From ~~THE~~ THE OLTMAN ARTICLE IN THE MTT.

MAR. 966 p. 112

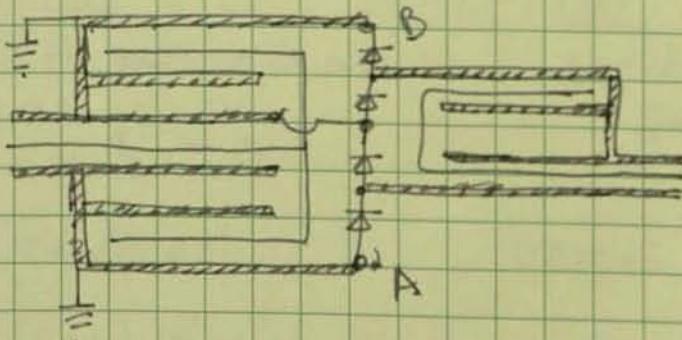
CUT AWAY VIEW OF COAXIAL VERSION:



CONSIDER PARALLEL OUTPUT ON THE BALANCED SIDE:



ADD 4 MIXER DIODES AND ANOTHER BALUN.

POINTS A AND B
ARE AT SAME POTENTIAL

Statement of Operation _____

Witnessed operation (obtain two signatures). _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

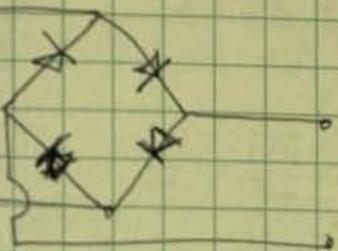
Signature _____ Date _____

4/11/69

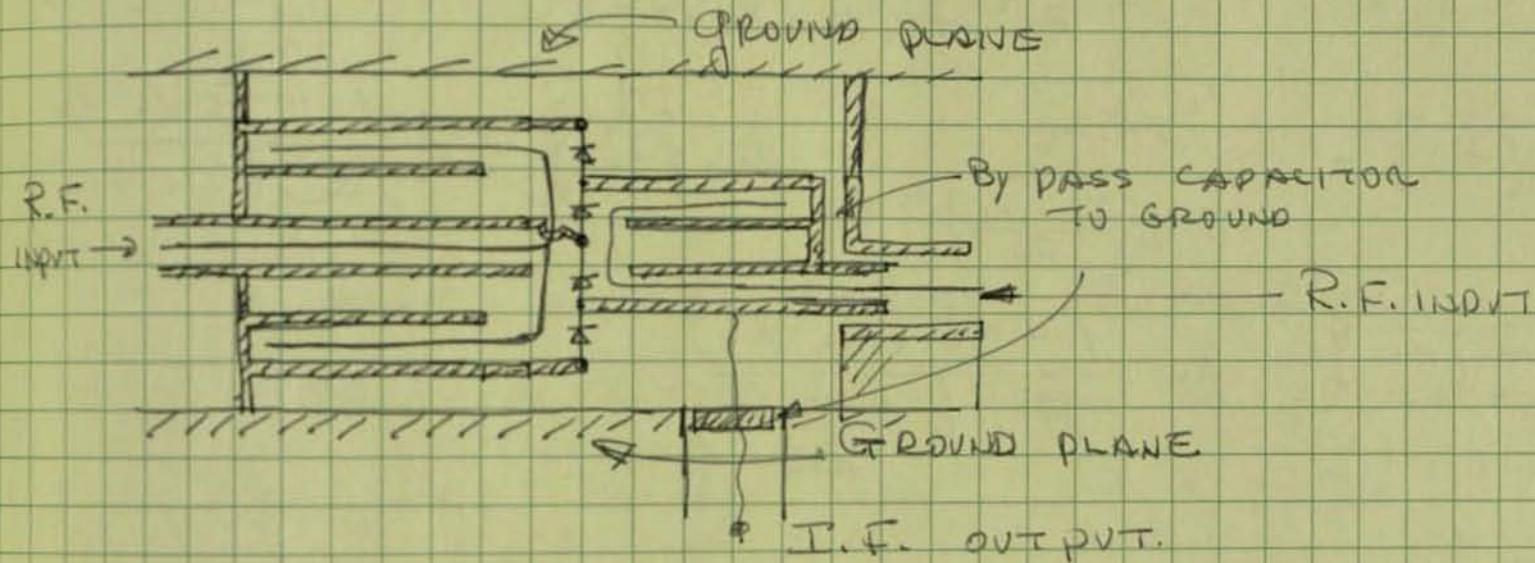
CONTINUED FROM p. 44

45

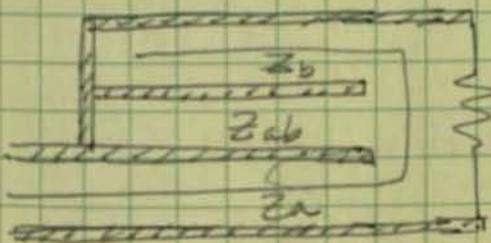
THIS GIVES THE SAME EFFECT AS:

CONVENTIONAL CIRCUIT FOR
A BAL. DOUBLEY BALANCED MIXER.

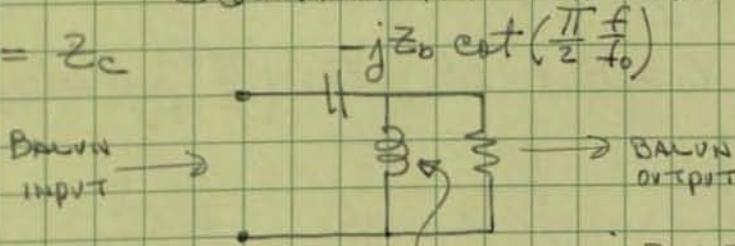
CONSIDER FOLLOWING I.F. OUTPUT CIRCUIT.



CONSIDER ANALYSIS OF BASIC BALUN.



EQUIVALENT CIRCUIT.



LOOKING FROM BALANCED LINE:

$$-jZ_b \cot\left(\frac{\pi f}{2 T_0}\right) = -jX_C$$



$$jZ_{ab} \tan\left(\frac{\pi f}{2 T_0}\right) = jX_L$$

Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

$$Z_m = \frac{(Z_a - jX_c)(jX_L)}{(Z_a - jX_c) + jX_L} = \frac{X_L X_c + jX_L Z_a}{Z_a + j(X_L - X_c)} \times \frac{Z_a - j()}{Z_a - j()}$$

$$\text{Re}\{Z_m\} = \frac{Z_a X_L X_c + X_L Z_a (X_L - X_c)}{Z_a^2 + (X_L - X_c)^2} = \frac{X_L^2 Z_a}{Z_a^2 + (X_L - X_c)^2}$$

$$\text{Im}\{Z_m\} = \frac{Z_a X_L - X_c X_L (X_L - X_c)}{Z_a^2 + (X_L - X_c)^2}$$

$$\text{Re}\{Z_m\} = \frac{\frac{X_L^2}{Z_a}}{1 + \left(\frac{X_L - X_c}{Z_a}\right)^2}, \quad \text{Im}\{Z_m\} = X_L \frac{1 - \frac{X_c}{Z_a} (X_L - X_c)}{Z_a^2 + (X_L - X_c)^2}$$

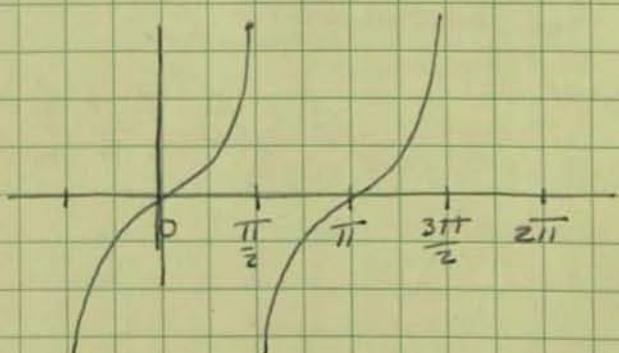
$$\text{Im}\{Z_m\} = X_L \frac{1 - \frac{X_c}{Z_a} (X_L - X_c)}{1 + \left(\frac{X_L - X_c}{Z_a}\right)^2}$$

To find zeros or $\text{Im}\{Z_m\}$

$$[X_L] \left[1 - \frac{X_c}{Z_a} (X_L - X_c) \right] = 0$$

1. IF $X_L = 0$, $Z_{ab} \tan\left(\frac{\pi}{2} \frac{f}{f_0}\right) = 0$, since $Z_{ab} \neq 0$ $\tan\left(\frac{\pi}{2} \frac{f}{f_0}\right) = 0$

$$\frac{\pi}{2} \frac{f}{f_0} = n\pi, \quad n = 0, 1, 2, \dots$$



$$f = 2n f_0$$

ZEROS OCCUR AT $f = 0, f = 2f_0, f = 4f_0, \dots$

Statement of Operation _____

Witnessed operation (obtain two signatures). _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

4/13/69

CONTINUED FROM p. 46.

47

$$2. \text{ IF } 1 - \frac{X_C}{Z_a^2} (X_L - X_C) = 0$$

$$\frac{Z_b}{Z_a^2} \cot\left(\frac{\pi}{2} \frac{f}{f_0}\right) [Z_{ab} \tan\left(\frac{\pi}{2} \frac{f}{f_0}\right) - Z_b \cot\left(\frac{\pi}{2} \frac{f}{f_0}\right)] = 1$$

$$\text{OR } \frac{Z_b Z_{ab}}{Z_a^2} - \frac{Z_b^2}{Z_a^2} \cot^2\left(\frac{\pi}{2} \frac{f}{f_0}\right) = 1$$

$$\cot^2\left(\frac{\pi}{2} \frac{f}{f_0}\right) = \frac{\frac{Z_b Z_{ab}}{Z_a^2} - 1}{\frac{Z_b^2}{Z_a^2}} = \frac{Z_b Z_{ab} - Z_a^2}{Z_b^2}$$

$$\cot\left(\frac{\pi}{2} \frac{f}{f_0}\right) = \pm \frac{1}{Z_b} \sqrt{Z_b Z_{ab} - Z_a^2}$$

TO MAKE PHYSICAL SENSE $Z_b Z_{ab} \geq Z_a^2$

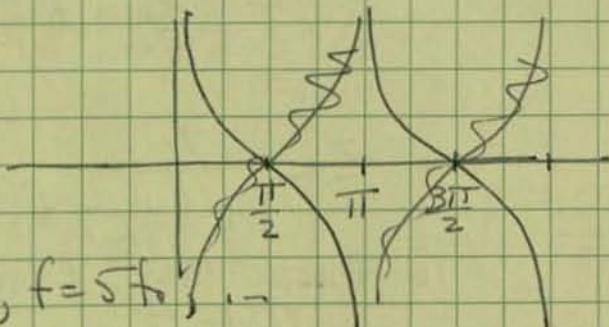
IF $Z_b Z_{ab} = Z_a^2$ THEN Z_a IS GEOMETRIC

MEAN OF Z_b AND Z_{ab} , $Z_a = \sqrt{Z_b Z_{ab}}$

$$\text{AND } \cot\left(\frac{\pi}{2} \frac{f}{f_0}\right) = 0$$

$$\frac{1}{2} \frac{\pi}{2} \frac{f}{f_0} = n \frac{\pi}{2}, \quad n = 1, 3, 5, \dots$$

$$\text{OR } f = n f_0, \quad f = f_0, f = 3 f_0, f = 5 f_0, \dots$$



IF $Z_b Z_{ab} > Z_a^2$ THEN ZEROS WILL OCCUR ON
EITHER SIDE OF $f = n f_0$, $n = 1, 3, 5, \dots$ Hence,
A POLE WILL THEN OCCUR AT $f = n f_0$, $n = 1, 3, 5, \dots$

By FOSTERS REACTANCE THM.

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

4/13/69

CONTINUED FROM P. 47

$$\ln \{Z_{in}\} = Z_{ab} \tan\left(\frac{\pi f}{2 f_0}\right) \frac{1 - \frac{Z_b}{Z_a^2} [Z_{ab} - Z_b \cot\left(\frac{\pi f}{2 f_0}\right)]}{1 + \frac{1}{Z_a^2} [Z_{ab} \tan\left(\frac{\pi f}{2 f_0}\right) - Z_b \cot\left(\frac{\pi f}{2 f_0}\right)]^2}$$

APPLYING CONSTRAINT

$$Z_a^2 = Z_{ab} Z_b, \frac{Z_b Z_{ab}}{Z_a^2} = 1, \frac{Z_{ab}}{Z_a} = \frac{Z_b}{Z_a}$$

$$\ln \{Z_{in}\} = Z_{ab} \tan\left(\frac{\pi f}{2 f_0}\right) \frac{1 - [1 - \frac{Z_b^2}{Z_a^2} \cot^2\left(\frac{\pi f}{2 f_0}\right)]}{1 + [\frac{Z_a}{Z_b} \tan\left(\frac{\pi f}{2 f_0}\right) - \frac{Z_b}{Z_a} \cot\left(\frac{\pi f}{2 f_0}\right)]^2}$$

$$= Z_{ab} \tan\left(\frac{\pi f}{2 f_0}\right) \frac{\frac{Z_b^2}{Z_a^2} \cot^2\left(\frac{\pi f}{2 f_0}\right)}{1 + \left[\frac{1}{\frac{Z_b}{Z_a} \cot\left(\frac{\pi f}{2 f_0}\right)} - \frac{Z_b}{Z_a} \cot\left(\frac{\pi f}{2 f_0}\right) \right]^2}$$

$$= \frac{Z_{ab} Z_b^2}{Z_a^2} \cot\left(\frac{\pi f}{2 f_0}\right) \frac{\frac{Z_a}{Z_b} \cot\left(\frac{\pi f}{2 f_0}\right)}{1 + \left[\frac{1}{\frac{Z_b}{Z_a} \cot\left(\frac{\pi f}{2 f_0}\right)} - \frac{Z_b}{Z_a} \cot\left(\frac{\pi f}{2 f_0}\right) \right]^2} = \frac{\frac{Z_a}{Z_b} \cot\left(\frac{\pi f}{2 f_0}\right)}{1 + \left[\frac{1}{\frac{Z_b}{Z_a} \cot\left(\frac{\pi f}{2 f_0}\right)} - \frac{Z_b}{Z_a} \cot\left(\frac{\pi f}{2 f_0}\right) \right]^2}$$

$$= Z_a \frac{x}{1 + (\frac{1}{x} - x)^2} \quad \text{WHERE } x = \frac{Z_b}{Z_a} \cot\left(\frac{\pi f}{2 f_0}\right)$$

TO FIND MAX. & MIN TAKE DERIV AND SET = 0

$$\text{let } \frac{f}{f_0} = y$$

$$\frac{d}{dy} \ln \{Z_{in}\} = \frac{d \ln \{Z_{in}\}}{dx} \cdot \frac{dy}{dx}$$

$$\frac{x}{1 + \frac{1}{x^2} - 2 + x^2} = \frac{x}{x^2 - 1 + \frac{1}{x^2}}$$

$$\frac{d}{dx} \ln \{Z_{in}\} = \frac{d}{dx} \left[Z_a \frac{x}{1 + (\frac{1}{x} - x)^2} \right] = Z_a \frac{(x^2 - 1 + \frac{1}{x^2}) - x(2x - \frac{2}{x^3})}{(x^2 - 1 + \frac{1}{x^2})^2}$$

$$= Z_a \frac{x^2 - 1 + \frac{1}{x^2} - 2x^2 + \frac{2}{x^2}}{(x^2 - 1 + \frac{1}{x^2})^2} = Z_a \frac{-x^2 - 1 + \frac{3}{x^2}}{(x^2 - 1 + \frac{1}{x^2})^2}$$

Statement of Operation _____

Witnessed operation (obtain two signatures).

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

$$\frac{dy}{dy} = \frac{d}{dy} \left[\frac{z_b}{z_a} \cot\left(\frac{\pi f}{2f_0}\right) \right] = \frac{z_b}{z_a} \frac{\pi}{2} \csc^2\left(\frac{\pi f}{2f_0}\right)$$

$$\frac{z_b}{z_a} \frac{\pi}{2} \csc^2\left(\frac{\pi f}{2f_0}\right) = \frac{z_b}{z_a} \frac{\pi}{2} \csc^2\left(\frac{\pi f}{2f_0}\right)$$

$$\frac{d}{df} \left[\frac{z_b}{z_a} \frac{\pi}{2} \csc^2\left(\frac{\pi f}{2f_0}\right) \right] = z_a \frac{-x^2 - 1 + \frac{3}{x^2}}{(x^2 - 1 + \frac{3}{x^2})^2} \frac{z_b}{z_a} \frac{\pi}{2} \csc^2\left(\frac{\pi f}{2f_0}\right) = 0$$

$$\text{OR } (-x^2 - 1 + \frac{3}{x^2}) \csc^2\left(\frac{\pi f}{2f_0}\right) = 0$$

1. IF $x^2 - 1 + \frac{3}{x^2} = 0$

$$x^4 + x^2 - 3 = 0$$

$$x^2 = \frac{-1 \pm \sqrt{1+12}}{2}$$

$$x^2 = -\frac{1}{2} \pm \frac{3.6}{2}$$

2. IF $\csc^2\left(\frac{\pi f}{2f_0}\right) = 0$

$$\frac{z_a}{z_b} X = \cot\left(\frac{\pi f}{2f_0}\right)$$

$$\csc^2\left(\frac{\pi f}{2f_0}\right) = 1 + \cot^2\left(\frac{\pi f}{2f_0}\right) = 0$$

$$(-x^2 - 1 + \frac{3}{x^2})(1 + \frac{z_a^2}{z_b^2} X^2) = 0$$

$$\cot\left(\frac{\pi f}{2f_0}\right) = \pm \sqrt{-1} = \pm j$$

IS NOT A USEFUL
SOLUTION

$$-(1+k)x^2 + 3k - 1 + \frac{3}{x^2} - kx^4 = 0$$

$$x^2 + 1 - \frac{3}{x^2} = 0$$

$$x^4 + x^2 - 3 = 0$$

$$x^2 = \frac{-1 \pm \sqrt{1+12}}{2}$$

$$x^2 = -\frac{1}{2} \pm \frac{3.6}{2}$$

USING ONLY POSITIVE ROOT

$$x^2 = \frac{3.6}{2} = 1.8$$

$$x = \pm \sqrt{1.8} = \pm 1.34$$

$$\frac{z_b}{z_a} \cot\left(\frac{\pi f}{2f_0}\right) = \pm 1.34$$

$$\cot\left(\frac{\pi f}{2f_0}\right) = \pm 1.34 \frac{z_a}{z_b}$$

Statement of Operation _____

Signature _____ Date _____

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Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

TO FIND SLOPE AT $f = f_0$

$$\frac{d}{dy} \ln\{Z_{in}\} = \frac{\pi}{2} Z_b \left(\csc^2 \frac{\pi}{2} \right) \frac{-x^2 - 1 + \frac{3}{x^2}}{(x^2 - 1 + \frac{1}{x^2})^2} x^4 = \frac{-x^6 - x^4 + 3x^2}{(x^4 + x^2 + 1)^2} \cdot \frac{\pi}{2} Z_b \left(\csc^2 \frac{\pi}{2} \right)$$

$$X | = \frac{Z_b}{Z_a} \cot\left(\frac{\pi}{2}\right) = 0, \csc^2\left(\frac{\pi}{2}\right) = 1$$

$$f = f_0$$

$$\therefore \frac{d}{dy} \ln\{Z_{in}\} | = 0 \quad \therefore \text{SLOPE IS ZERO}$$

$$f = f_0$$

$$\ln\{Z_{in}\} = Z_a \frac{x}{1 + (\frac{1}{x} - x)^2} \text{ AT } f = f_0, x = 0$$

$$\frac{x}{1 + (\frac{1}{x} - x)^2} x^2 = \frac{x^3}{x^2 + (1 - x^2)^2} = \frac{x^3}{x^2 + 1 - 2x^2 + x^4}$$

$$\lim_{x \rightarrow 0} \ln\{Z_{in}\} = \frac{0}{1} = 0$$

SUBSTITUTING BACK IN TO GET VALUES OF
 $\ln\{Z_{in}\}$ AT MAX & MIN POINTS.

$$X = \frac{Z_b}{Z_a} \cot\left(\frac{\pi}{2} + f_0\right) = \frac{Z_b}{Z_a} \pm 1.14$$

$$\ln\{Z_{in}\} = Z_a \frac{1.14}{1 + \left(\frac{1}{1.14} - 1.3\right)^2}, \text{ OR } Z_a \frac{-1.14}{1 + \left(1.3 - \frac{1}{1.14}\right)^2}$$

~~$$= Z_a \frac{1.14}{1 + (0.88 - 1.3)^2} \text{ OR } - \frac{Z_a 1.14}{1 + (1.3 - 0.88)^2}$$~~

Statement of Operation _____

Witnessed operation (obtain two signatures).

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

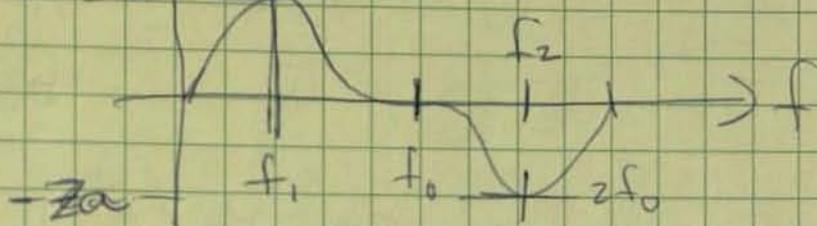
5/26/69

Conv From p. 50

51

$$\text{Im}\{Z_m\} = \pm \frac{Z_a 1.14}{1 + .18} = \pm .96 Z_a$$

Function looks like Z_a



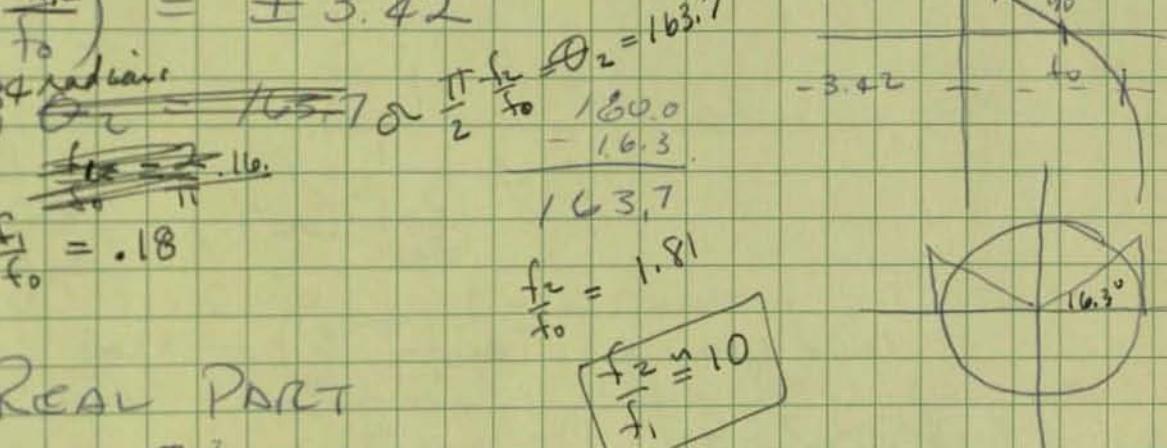
To FIND f_1 AND f_2

$$\text{LET } \frac{Z_a}{Z_b} = 3, \quad \pm \frac{Z_a 1.14}{Z_b} = 3.42$$

$$\cot\left(\frac{\pi}{2} \frac{f_{1,2}}{f_0}\right) = \pm 3.42$$

$$\frac{\pi}{2} \frac{f_{1,2}}{f_0} = \theta_1 \Rightarrow 16.3^\circ = .284 \text{ radians}$$

$$\frac{f_2}{f_0} = \frac{\theta_2}{\theta_1} \leq 10 \quad \frac{f_1}{f_0} = .18$$



CONSIDER REAL PART

$$\text{Re}\{Z_m\} = \frac{x_L^2/Z_a}{1 + \left(\frac{x_L - x_C}{Z_a}\right)^2}$$

$$= \frac{\frac{1}{Z_a} Z_{ab}^2 \tan^2(\)}{1 + \left[\frac{Z_{ab}}{Z_a} \tan(\) - \frac{Z_b}{Z_a} \cot(\)\right]^2}$$

$$\text{USING RESTRICTION } Z_b Z_{ab} = Z_a^2, \quad \frac{Z_{ab}}{Z_a} = \frac{Z_a}{Z_b}$$

$$\frac{Z_b Z_{ab} \left(\frac{Z_a}{Z_b}\right)^2 \tan^2(\)}{1 + \left[\frac{Z_a \tan(\)}{Z_b} - \frac{1}{Z_a \tan(\)}\right]^2} = \frac{Z_a \left(\frac{Z_a}{Z_b}\right)^2 \tan^2(\)}{1 + \left[\frac{Z_a \tan(\)}{Z_b} - \frac{1}{Z_a \tan(\)}\right]^2}$$

Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

To Find Zeros :

$$\tan^2\left(\frac{\pi f}{2f_0}\right) = 0 \text{ or } \tan\left(\frac{\pi f}{2f_0}\right) = 0$$

$$\frac{\pi f}{2f_0} = 0, \pi, 2\pi, \dots, n\pi,$$

$$\text{For } \frac{\pi f}{2f_0} = \pi, f = 2f_0 \Rightarrow f_1 = 30$$

$$\begin{aligned} \text{To Find Value of } \operatorname{Re}\{Z_{in}\} \text{ at } f=f_0 & \\ \operatorname{Re}\{Z_{in}\} = & \frac{Z_a \left(\frac{Z_a}{Z_b} \right)^2 \tan^2\left(\frac{\pi f}{2f_0}\right)}{\left(\frac{Z_a}{Z_b} \right)^2 \tan^2\left(\frac{\pi f}{2f_0}\right) + \left(\frac{Z_a}{Z_b} \right)^2 \tan^2\left(\frac{\pi f}{2f_0}\right) - 1} \times \frac{1}{\tan^2\left(\frac{\pi f}{2f_0}\right)} \\ & \times \frac{1}{\tan^2\left(\frac{\pi f}{2f_0}\right)} \end{aligned}$$

$$= Z_a \frac{1}{1 + \frac{1}{\left(\frac{Z_a}{Z_b} \right)^2 \tan^2\left(\frac{\pi f}{2f_0}\right)} - \frac{1}{\left(\frac{Z_a}{Z_b} \right)^2 \tan^2\left(\frac{\pi f}{2f_0}\right)}}$$

In limit $\tan\left(\frac{\pi f}{2f_0}\right) \rightarrow \infty$ as $f \rightarrow f_0$

$$\therefore \operatorname{Re}\{Z_{in}\} / f=f_0 \approx Z_a$$

Consider value of $\operatorname{Re}\{Z_{in}\}$ at $\frac{Z_b}{Z_a} \cot(\theta) = \pm 1.16$

$$\text{or } \frac{Z_a}{Z_b} \tan(\theta) = \pm 0.88$$

$$\left(\frac{Z_a}{Z_b} \right)^2 \tan^2(\theta) = 0.77$$

$$\frac{1}{0.77} \approx 1.3$$

$$\operatorname{Re}\{Z_{in}\} = \frac{Z_a (0.77)}{0.77 + \frac{1}{0.77} - 1}$$

$$= \frac{Z_a (0.77)}{1.07} = 0.72 Z_a$$

Statement of Operation _____

Witnessed operation (obtain two signatures).

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

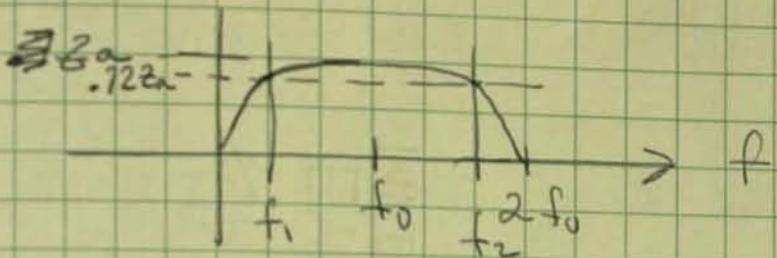
Signature _____ Date _____

5/28/69

CONT. FROM p. 52

53

$\therefore R\{Z_{ab}\}$ looks like:-



$$\text{IF } \frac{Z_a}{Z_b} = 4, \cot\left(\frac{\pi}{2} \frac{f_{1,2}}{f_0}\right) = \left(\pm \frac{1.14}{\sqrt{2}}\right)(4) = \pm 4.56$$

$$\cot\left(\frac{\pi}{2} \frac{f_{1,2}}{f_0}\right) = \pm 4.56, \quad \frac{\pi}{2} \frac{f_1}{f_0} = 12.4^\circ = .216 \text{ rad.}$$

$$\frac{f_1}{f_0} = .137, \quad \frac{\pi}{2} \frac{f_2}{f_0} = 2.92 \text{ rad.}$$

$$\therefore \frac{f_2}{f_1} = \frac{1.86}{.137} \approx 13.5$$

$$\frac{f_2}{f_0} = 1.86$$

$$\begin{array}{r} 180.0 \\ 17.4 \\ \hline 167.6 \end{array}$$

or 2.92 rad.

\therefore CAN GET A 13.5 TO 1 BAND WIDTH IF $Z_a = 4Z_b$

Also SINCE $Z_a^2 = Z_{ab}Z_b$, $Z_{ab} = \frac{Z_a^2}{Z_b}$ AND IF

$$Z_a = 50 \Omega \quad Z_{ab} = (50)(4) = 200 \Omega \leftarrow \text{PRETTY HIGH}$$

Also, FROM p. 51 CAN GET A 10 TO 1 BANDWIDTH IF

$$Z_a = 3Z_b. \quad \downarrow \quad Z_{ab} = (50)(3) = 150 \Omega \quad \text{IF } Z_a = 50 \Omega$$

CONSIDER PARALLEL CONNECTION AS SHOWN P. 44

NOW INPUT BALANCED LINE WILL HAVE TO BE $\frac{Z_a}{2}$

TO MATCH A Z_a ACROSS EACH OF THE BALANCED LINES.

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

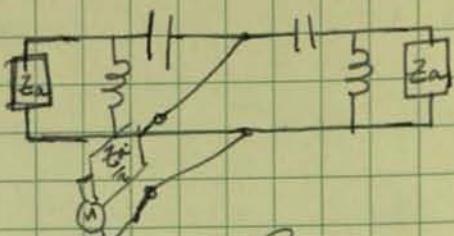
Read and Understood (obtain two signatures):

Date:

Signature _____ Date _____

Date:

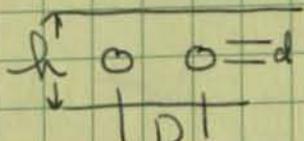
Signature _____ Date _____



THEN IF $\frac{Z_a}{Z_b} = 50 \Omega$, $Z_a = 100 \Omega$
 $Z_b = 33.3 \Omega$ if $Z_{ab} = \frac{Z_a}{Z_b} = 300 \Omega$
 R HIGH!

CONSIDER GEOMETRY From IIT

HANDBOOK p. 592



$$Z_0 = \frac{2Z_b}{\sqrt{\epsilon}} \log_{10} \left(\frac{4h \tanh \frac{\pi D}{2h}}{\pi d} \right), \text{ LET } h = .25, d = .0625$$

$$\frac{300}{276} = 1.09 = \log_{10} \left(\frac{4 \cdot .25}{\pi / 16} \tanh 2\pi D \right) = \log_{10} \frac{16}{\pi} \tanh 2\pi D$$

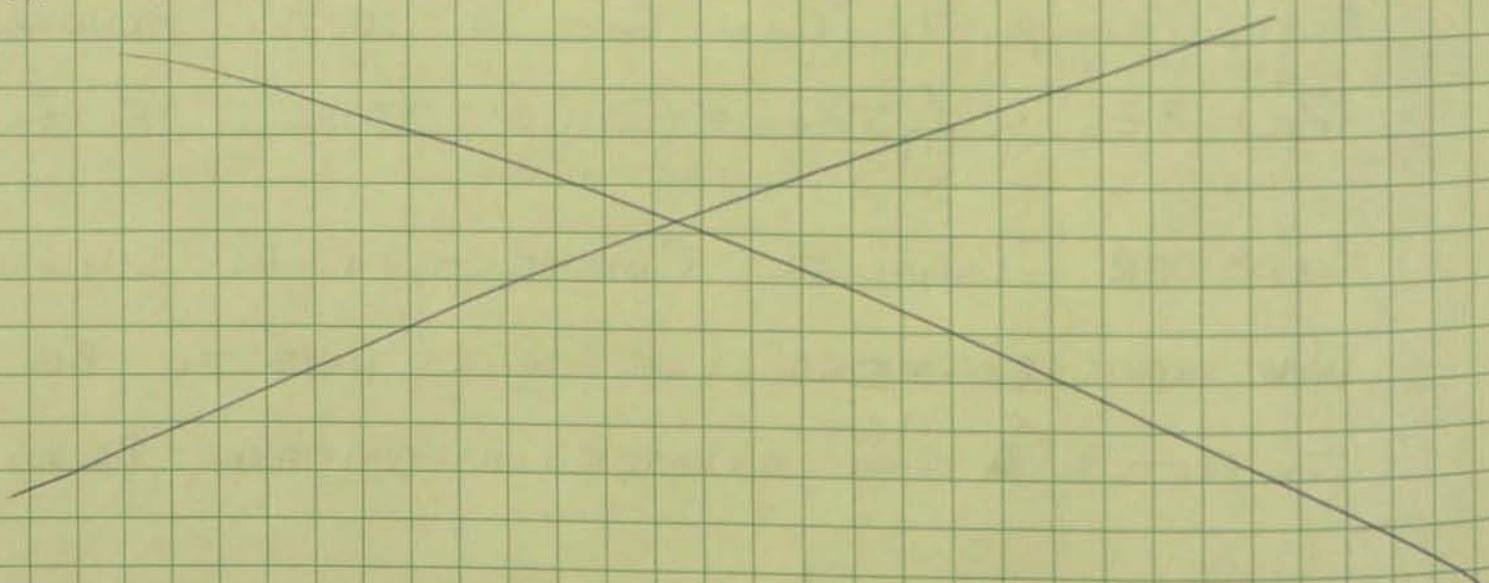
$$\text{APPROXIMATELY } 10 = \frac{16}{\pi} \tanh 2\pi D \text{ or } \tanh 2\pi D = 1.96$$

IN LIMIT $\tanh x \rightarrow 1.0$
 AS $x \rightarrow 0$

$$\therefore \text{IF } Z_0 \leq 276 \text{ THEN } \frac{4h}{\pi d} \frac{\pi D}{4h} \times 10 < 1, \text{ or } \frac{d}{h} < \frac{4}{10\pi} \approx .13$$

$$\text{TRY } \frac{d}{h} = .1 \quad \text{IF } h = \frac{1}{4} \quad d = .025$$

THEN ——————



Statement of Operation _____

Witnessed operation (obtain two signatures).

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

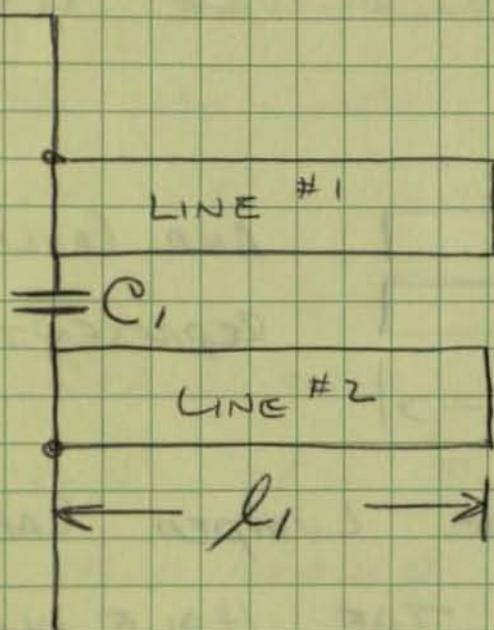
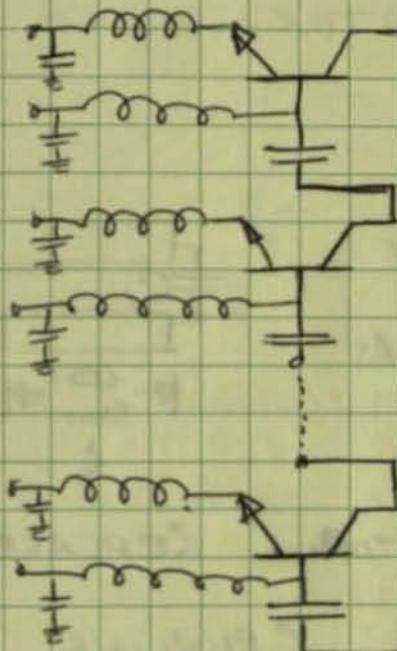
Signature _____ Date _____

9/26/69

SERIES CONNECTED TRANSISTORS

FOR PUSH-PUSH OR PUSH-PULL OPERATION.

CONSIDER USING BALUN AS DISCUSSED ON P. 44

TO ACHIEVE THE 180° PHASE DIFFERENCE.

CAPACITOR C_1 ALONG WITH LINE #1 AND LINE #2 PLUS THE TOTAL SERIES BASE TO COLLECTOR CAPACITIES FORM AN EQUIVALENT HALF WAVE RESONATOR. THE BASE TO COLLECTOR CAPACITIES INCLUDE ANY RESIDUAL LEAD REACTANCES THAT ARE INCURRED IN PACKAGING. THE IMPORTANT RESONANCE MODE OF TRANSMISSION LINES #1 AND #2 IS A BALANCED MODE.

Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Ernest S. Schubel 9/26/69
Signature _____ Date _____

Read and Understood (obtain two signatures):

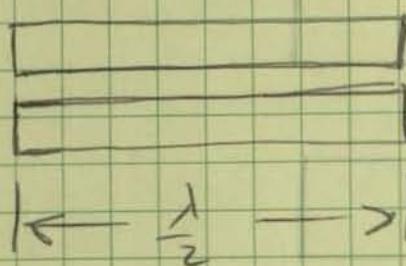
Signature _____ Date _____

Signature _____ Date _____

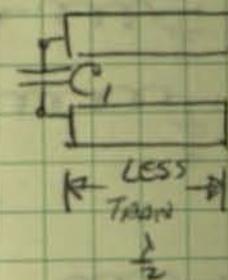
11/13/69

CONTINUED From p. 55

THE BALANCED MODE HAS R.F. VOLTAGES
 BETWEEN LINES #1 AND #2 RATHER THAN
 TO GROUND. CONCEPTUALLY TWO BALANCED
 COUPLED HALF WAVE RESONATORS WOULD LOOK
 LIKE:



AND COULD BE
 REPRESENTED AS:



WHERE THE LUMPED CAPACITOR REPLACES
 PART OF THE HALF WAVE COUPLING
 DISTRIBUTED CAPACITY. EACH WOULD RESONATE
 AT THE SAME FREQUENCY. IN PRACTICE THE
 OUTPUT CONNECTION OF THE TRANSISTOR OR
 SERIES CONNECTION OF TWO OR MORE TRANSISTORS
 IS PUT IN PARALLEL WITH C1. IF C1
 IS LARGE ENOUGH IT WILL MAKE CAPACITY
 CHANGES (OUTPUT) IN THE TRANSISTOR WITH
 TEMPERATURE NEGLIGIBLE. THIS ASSUMES
 THAT C1 IS STABLE IN VALUE WITH TEMPERATURE.

Statement of Operation _____

Witnessed operation (obtain two signatures).

Signature _____ Date _____

Signature _____ Date _____

Signature: Curtis E. Luther Date: 11/13/69

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

11/13/69

57

CONTINUED FROM p. 56

THE SERIES CONNECTION OF TRANSISTOR
OUTPUTS GIVES SEVERAL ADVANTAGES.

1. IF THE TRANSISTORS CAN BE LOCATED PHYSICALLY CLOSE TOGETHER TO NEGLECT PHASE BETWEEN THEM THE TOTAL CAPACITY IS REDUCED THAT BY ADDING THE INDIVIDUAL CAPACITIES IN SERIES.
2. AGAIN, IF PHASE SHIFT CAN BE NEGLECTED EVEN HARMONICS WILL ELECTRICALLY CANCEL OUT WHICH HELP REDUCE INTERMODULATION PROBLEMS IN THE SYSTEM FOLLOWING.
3. PUSH-PULL TYPE CIRCUITS TEND TO HAVE BETTER EFFICIENCIES.

THE DESCRIPTION ON PAGE 55 IS AN OSCILLATOR WITH THE CAPACITIES BETWEEN ANY NUMBER OF TRANSISTORS BEING BY PASS OF THE R.F. THE COILS REPRESENT BIAS CIRCUITRY.

Statement of Operation _____

C. E. D. 11/13/69

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

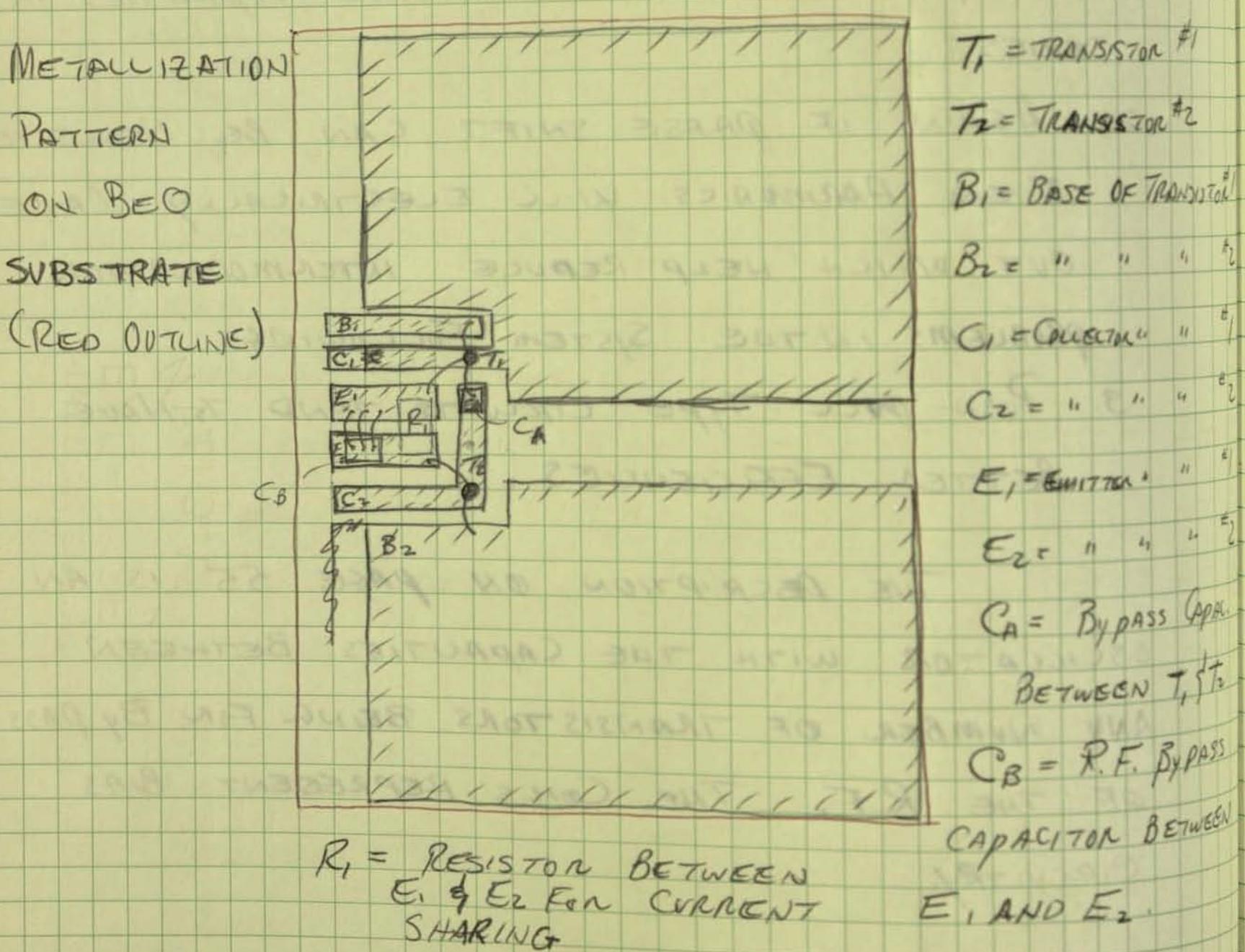
Signature _____ Date _____

11/13/69

COUPLING OUT OF THE RESONANT CIRCUIT
 CAN BE DONE MAGNETICALLY CLOSE TO
 CAPACITOR C_1 , OR ELECTRICALLY NEAR
 THE END OF THE RESONATOR.

PACKAGING OF TWO TRANSISTORS ON BeO.

THICKNESS = .025



Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

Signature _____ Date _____

Signature _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

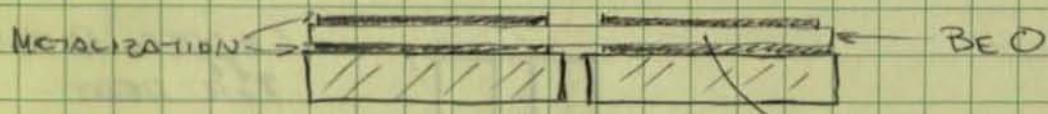
Signature _____ Date _____

Everett E. Guttere 11/13/69

CONT. FROM p. 58

11/13/69

THIS SUBSTRATE WILL SET BETWEEN RESONATORS SUCH THAT THE LARGE METALIZED AREAS WILL PROVIDE R.F. BY PASS TO GROUND. LOOKING END-ON AT RESONATORS IT WILL APPEAR:



C_c = By Pass Capacity To Ground

TRY FOR $C_c = 50 \text{ pf.}$, $\epsilon_r = 6$, $t = .025''$

$$C_c = \frac{225 \epsilon_r A}{t}, A = \frac{C_c t}{225 \epsilon_r} = \frac{(50)(.025)}{(225)6} = \frac{50}{60} \text{ in}^2$$

$$A \approx .835 \text{ in}^2 = l \times l, l = .91''$$

TRY $C_c = 25 \text{ pf.}$, $A \approx .44$, $l = .67''$

$$\text{AT } f = 3.0 \text{ ghz}, \frac{\lambda}{2} = 2 \text{ in. in air}, \frac{2}{\sqrt{\epsilon_r}} = \frac{2}{2.45} = .8'' \text{ in BeO}$$

∴ No dimensions (linear) should be $.8''$ or greater

$$\text{AT } f = 2.3 \text{ ghz}, \frac{\lambda}{2} = \frac{30 \times 10^{10}}{2 \cdot 2.54 \cdot 2.45 \cdot 2.3 \times 10^9} = 1.05''$$

∴ Will try to use near $.7 \times .7$ on the two capacities. As shown above the

Statement of Operation:

Signature _____ Date _____ Everett P. Gutten 11/13/69

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

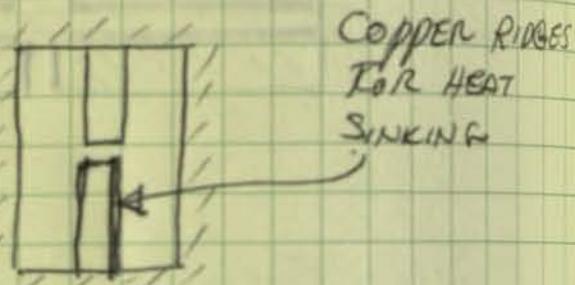
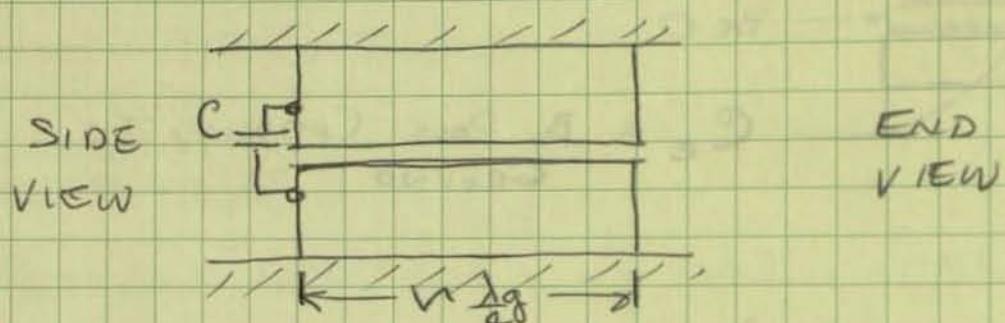
Signature _____ Date _____

11/13/69 CON'T. FROM p. 59

BACKSIDE IS METALIZED IN PART FOR SOLDERING
DOWN TO METAL RESONATORS.

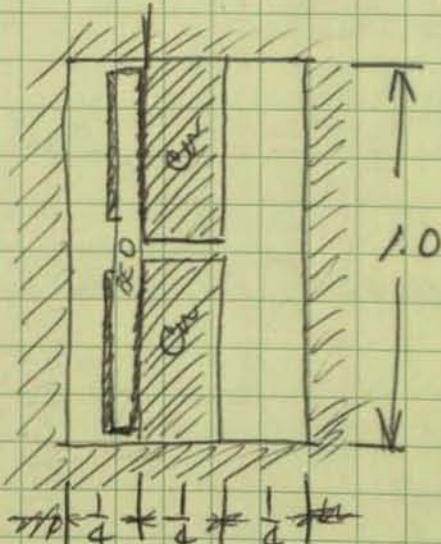
12/11/69 CONTINUED.

CONSIDER USING A TYPE OF RIDGED WAVEGUIDE:



C WILL PROVIDE THE FORESHORTENING TO GIVE
A HALF WAVELENGTH RESONATOR.

CONSIDER THE FOLLOWING DIMENSIONS TO HOLD THE
BEO PACKAGE DESCRIBED ON p. 58.



DIVIDE STRUCTURE INTO TWO RIDGED WAVEGUIDES IN SERIES
FOR PURPOSE OF CALCULATING
IMPEDANCES, GUIDE LENGTH
CUTOFF FREQUENCY, ETC

Statement of Operation _____

Witnessed operation (obtain two signatures) _____

Signature _____ Date _____

Signature _____ Date _____

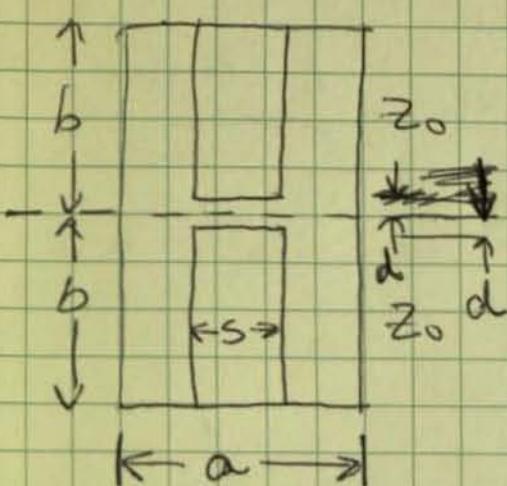
Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

12/12/69 CONTINUED FROM p. 60



$$a = .75", b = \cancel{.5"}, s = .25$$

$$\frac{s}{a} = \frac{.25}{.75} = \frac{1}{3} = .33 \quad , \quad \frac{d}{b} = \frac{.031}{.5}$$

$$\text{TRY } d = .031 \quad , \quad \frac{d}{b} = \frac{.031}{.5} = .062$$

From GRAPHS IN ENGINEERING HDBK.
~~(EXTRAPOLATING)~~

$$\frac{\lambda_c}{a} \approx \frac{6.5}{\cancel{.5}} \quad , \quad \lambda_c \approx 4.9"$$

$$f_c = \frac{3 \times 10^{10}}{(4.9)(2.54)} = \frac{30}{(4.9)(2.54)} \times 10^9 = 2.04 \text{ ghz}$$

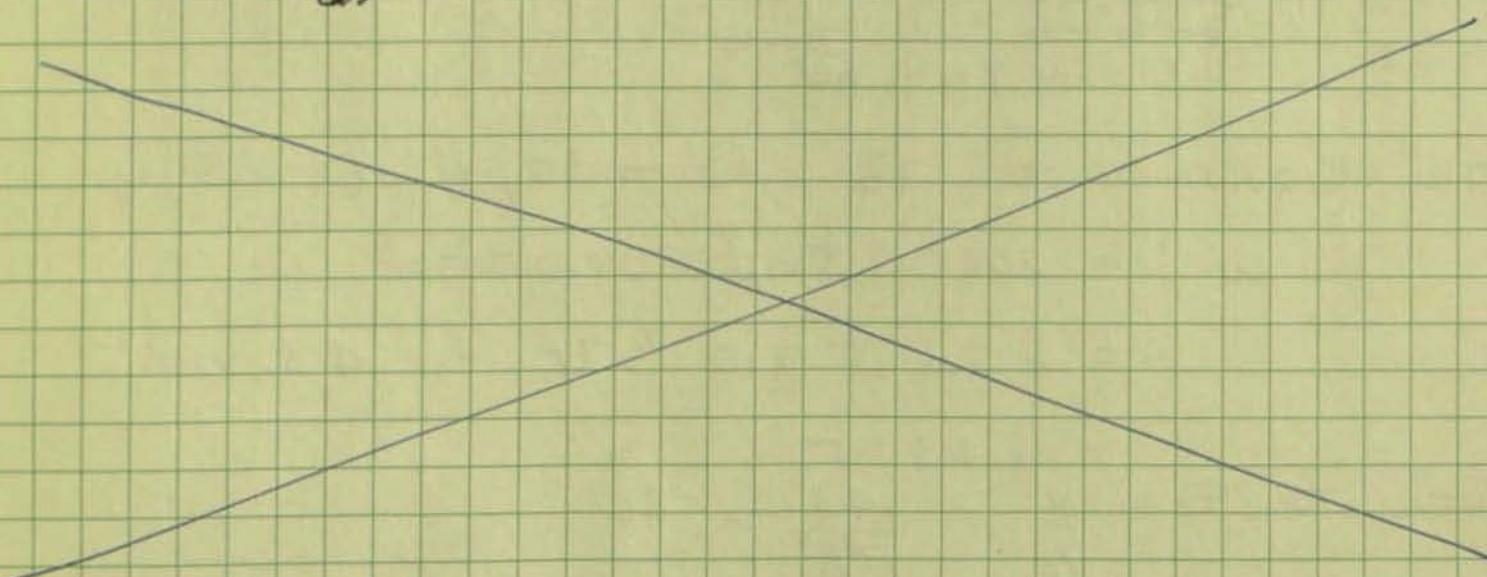
Too High!

~~TRY~~ $d = .016 \quad \frac{d}{b} = \frac{.016}{.5} = .032$

OFF OF CURVES IN HANDBOOK

IF $a = 1.0"$ $b = 1.0"$ $s = .25$

~~$\frac{d}{b}$~~ $\frac{s}{a} = .25$



Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

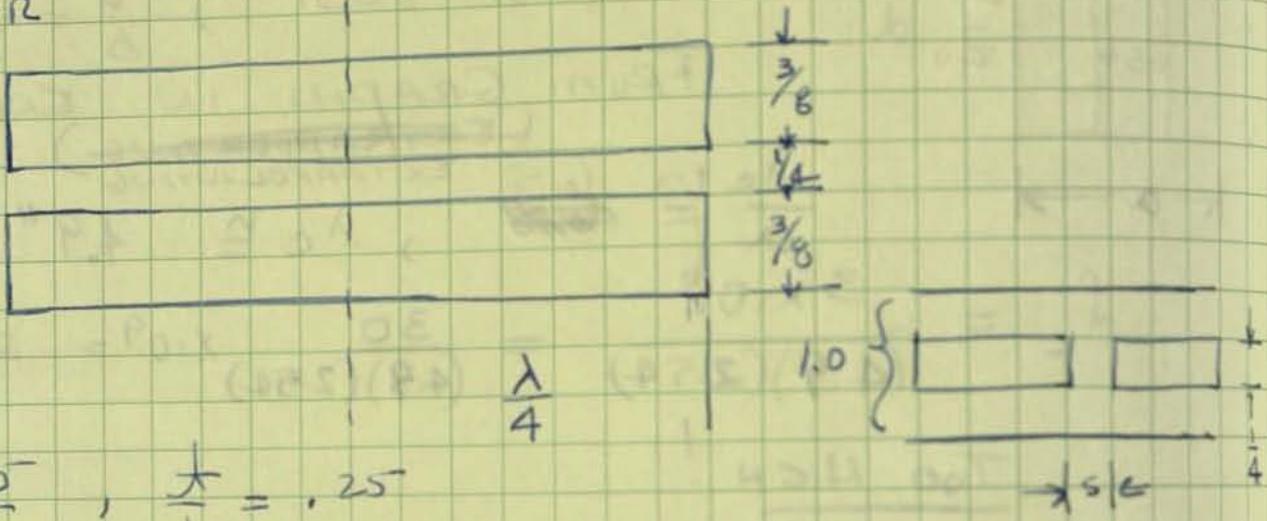
Signature _____ Date _____

1/6/70

CONSIDER A TEM STRUCTURE

$$\frac{\lambda}{4} \text{ AT } 2.3 \text{ GHz} = \frac{3 \times 10^8}{4 \cdot 2.54 \cdot 2.3 \times 10^9} = 1.28 \text{ in}$$

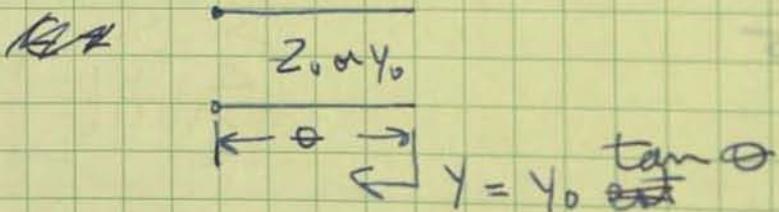
CONSIDER



$$\frac{s}{b} = \frac{.25}{1}, \quad \frac{k}{b} = .25$$

$$\frac{\Delta C}{\epsilon} \approx 1.4, \quad Z_0 = \frac{n}{\sigma \epsilon} \approx \frac{377}{1.4} = 270 \Omega$$

$$\text{TRY } S = .125, \quad \frac{\Delta C}{\epsilon} = 3.5, \quad Z_0 \approx 108 \Omega$$

TRY EQUIVALENCE TO $C = 30 \text{ pf.} @ 2.3 \text{ GHz}$

$$C = 2\pi \cdot 2.3 \times 10^9 \cdot 30 \times 10^{-12}$$

$$= 6 \cdot 2.3 \cdot \pi \times 10^{-2} \text{ F} = 43 \cdot 10^{-2}$$

THEN $\tan \theta = \frac{y}{Y_0} = \frac{43}{108} \approx 46$

Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures)

Signature _____ Date _____

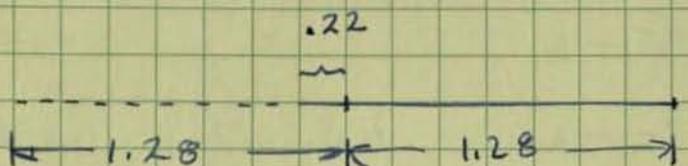
Signature _____ Date _____

CONT. From p. 62

$$\text{Try } \frac{S}{b} = \frac{.062}{1} \quad \frac{4C}{\epsilon} \leq 6.0$$

$$Z_0 = \frac{377}{6} \approx 63 \Omega.$$

CONSIDER



$$\theta = \beta l = \frac{2\pi l}{\lambda}$$

$$\frac{2\pi}{2} \frac{1.06}{2.56} = 2\pi \frac{.415}{2} = 2.07 \quad Z_0 = 63 \Omega.$$

$$= 2\pi \cdot 2.07 \approx 75^\circ, \tan 75^\circ = 3.73$$

$$Y = Y_0 \tan \theta = (\frac{1}{63})(3.73) = .059 = B$$

$$B = w C, C = \frac{B}{w} = \frac{.059}{2\pi \cdot 2.3 \times 10^9} = \frac{59 \times 10^{-12}}{4.6\pi}$$

$$C = 4.1 \text{ pf.}$$

$$\text{if } \theta = 2\pi \frac{.102}{5.12} = 84^\circ \quad \tan 84^\circ = 9.6$$

$$Y = \frac{9.6}{63} = .15, \quad C = \frac{.15}{2\pi \cdot 2.3 \times 10^9} = \frac{150}{4.6\pi} \approx 10.4 \text{ pf.}$$

10.4 pf. is REASONABLE TO START WITH 1 OR 2 COGS
IN SERIES TURNS $\approx 2.0 \text{ pf.}$

Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

56(64)

UP CONVERTER

FOR CARS BAND TRANSMITTER

2/9/70

DIODES RECEIVED FROM GOPALA REDDI

MDN 57-1

ALSO SEVERAL 6A-67 GaAs DIODES FROM
DOVA TREMERE.

2/19/70

CONSIDER DESIGN FOR SQUARE LAW JUNCTION

 $\gamma = \frac{1}{2}$ FROM BELL Book "MICROWAVE SEMI-
CONDUCTOR DEVICES AND THEIR CIRCUIT APPLICATIONS."

EDITED BY H. A. WATSON.

P. 262 - 269

$$f_1 = 54 \text{ mhz} \text{ to } \cancel{230} 108 \text{ mhz} - \text{INPV: TV. VHF LNB}$$

$$f_2 = 12.646 \text{ ghz} - \text{pump FREQ.}$$

$$f_3 = 12.646 + (54 \text{ to } 108) \text{ mhz}$$

$$= 12700 \text{ mhz to } 12754 \text{ mhz.}$$

SINCE THE OUTPUT BANDWIDTH IS NARROW

$$\text{LET } f_3 = 12727 \text{ mhz. } \& C_{min} = .5 \mu f = \frac{1}{5 \mu f}$$

CONSIDER DIODE $f_c = 250 \text{ ghz.}$

$$\text{THEN } \frac{\omega_3}{\omega_c} = \frac{12.727 \pi}{250} = \cancel{42.05} = 5 \times 10^{-2}$$

Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____

Date _____

Signature _____

Date _____

Signature _____

Read and Understood (obtain two signatures)

Signature _____

Signature _____

CONTINUED From P. 64

2/19/70

From GRAPH P. 265

$$m_1 = m_2 = .1 \quad , \quad m_3 = .05$$

$$R_{in,1} = \frac{S_{max}}{w_1} \frac{m_2 m_3}{m_1} + R_s$$

For $f_1 = 54 \text{ mhz}$

$$\begin{aligned} R_{in,1} &= \frac{1}{(2\pi 54 \times 10^6)(.5 \times 10^{-12})} \frac{(.1)(.05)}{(.1)} + R_s \\ &= \frac{5 \times 10^{-2} \times 10^6}{54 \pi} + R_s = \frac{5000 \Omega}{170} + R_s \\ &= 294 + R_s \end{aligned}$$

$$\begin{array}{r} 147 \\ 294 \\ \hline 220 \end{array}$$

For $f_1 = 108 \text{ mhz}$

$$R_{in,1} = 294 \frac{54}{108} + R_s = 147 \Omega + R_s$$

SINCE R_s IS NEGIGIBLE COMPARED TO 147 TO 294 Ω .

$$R_{in,1} = 147 \text{ to } 294 \Omega, R_{in,1} = 220 \Omega$$

$$R_{in,2} = \frac{S_{max}}{w_2} \frac{m_1 m_3}{m_2} + R_s$$

$$= \frac{1}{(2\pi 12.646 \times 10^9)(.5 \times 10^{-12})} \frac{(.1)(.05)}{(.1)} + R_s$$

$$= \frac{5 \times 10^{-2} \times 10^3}{12.646 \pi} + R_s = \frac{50}{12.646 \pi} + R_s = 1.26 + R_s$$

IF $R_s = 1.5 \Omega$.

$$R_{in,2} = 2.76 \Omega$$

Statement of Operation:

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

E 6 € 66

2/19/70

CONT. From p. 67

$$R_L = \frac{S_{\text{max}}}{w_3} \frac{m_1 m_2}{m_3} - R_s \quad , \quad \frac{m_1 m_2}{m_3} = \frac{(1)(1)}{.05} = \frac{1}{.05} = \frac{20}{1}$$

$$= \frac{1}{(2\pi 12.727 \times 10^9) (.5 \times 10^{-12})} \quad \frac{1}{5} - R_s = \frac{1000}{5\pi 12.727}$$

$$R_L = 5 - R_s \quad \text{IF } R_s = 1.5 \Omega.$$

$$R_L = 3.5 \Omega$$

From GRAYZEL "OVERDRIVEN VARACTOR UPPER SIDE BAND UP CONVERTER" MTT Oct 67.

$$\bar{R}_1 = .072, \bar{R}_2 = .107, \bar{R}_3 = .129, \bar{x} \quad \left. \begin{array}{l} \\ \\ \end{array} \right\} \text{FOR } \frac{w_c}{w_3} = 25$$

$$\bar{x}_1 = .175, \bar{x}_2 = .176, \bar{x}_3 = .193$$

$$R_K = \frac{\bar{R}_K S_{\text{max}}}{w_K}$$

For $f_i = 54 \text{ mhz}$

$$R_1 = \frac{.072}{(.5 \times 10^{-12})(2\pi 54 \times 10^6)} = \frac{7.2 \times 10^{-2} \times 10^6}{54\pi} = \frac{72000}{54\pi}$$

$$R_1 = 425 \Omega @ f_i = 54 \text{ mhz}$$

$$\text{For } f_i = 108 \Omega, R_1 = 212 \Omega$$

$$R_{\text{ave}} = 318 \Omega$$

$$R_2 = \frac{.107}{(.5 \times 10^{-12})(2\pi 12.646 \times 10^9)} = \frac{1.07 \times 10^{-1} \times 10^3}{12.646\pi} = \frac{107}{12.646\pi}$$

$$R_2 = 2.7 \Omega$$

Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____

Date _____

Signature _____

Date _____

Signature _____

Date _____

Read and Understood (obtain two signatures)

Signature _____

Date _____

Signature _____

Date _____

Cont. From p. 46

2/20/70

67

$$R_3 = \frac{.129}{(.5 \times 10^{-12}) 2\pi 12.727 \times 10^9} = \frac{1.29 \times 10^{-1} \times 10^3}{12.727 \pi} = \frac{129}{12.727 \pi}$$

$$R_3 = 3.2 \Omega.$$

$$X_K = \frac{\overline{X_K} S_{max}}{W_K}$$

at 80 mhz

$$X_1 = \frac{.175}{(.5 \times 10^{-12})(2\pi 80 \times 10^6)} = \frac{1.75 \times 10^{-1} \times 10^5}{8\pi} = \frac{17500}{8\pi}$$

$$X_1 = 700 \Omega$$

$$C_1 = \frac{1}{2\pi 80 \times 10^6 700} = \frac{1}{2\pi 80 \times 10^9} = \frac{1}{112\pi \times 10^{12}}$$

$$C_1 = 2.8 \text{ pf.}$$

at 12.646 ghz

$$X_2 = \frac{.176}{.5 \times 10^{-12} 2\pi \cancel{12.646} \times 10^9} = \frac{1.76 \times 10^{-1} \times 10^3}{12.646 \pi} = \frac{176}{12.646 \pi}$$

$$X_2 = 4.4 \Omega$$

$$C_2 = \frac{1}{2\pi 12.646 \times 10^9 (44)} = \frac{10^9}{250\pi} = 0.9 \text{ pf. } 2.86 \text{ pf.}$$

not sure if very meaningful.

at 12.727 ghz

$$X_3 = \frac{.193}{.5 \times 10^{-12} 2\pi 12.727 \times 10^9} = 4.8 \Omega$$

$$X_3 = 4.8 \Omega$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

From Bell Design CONSIDER GRAPH P. 266

SHOWING EFFICIENCY VS ω_3/w_c

$$\text{For } \frac{\omega_3}{w_c} = 5 \times 10^{-2} \quad \eta = .35$$

From OTHER GRAPH ON SAME PAGE:-

$$\frac{P_{out,3}}{w_c (\sqrt{B} - \phi)} = .003$$

$$P_{out,3} = .003 \frac{\omega_3 (\sqrt{B} - \phi)}{S_{max}}$$

$$= (.003) \frac{(2\pi 12.727 \times 10^9) (6) .5 \times 10^{-12}}{1}$$

$$= 6.3 \times 10^{-3} \pi 12.727 \times 10^{-3} = 720 \times 10^{-6} \text{ WATTS}$$

$$= 720 \times 10^{-3} \text{ MW} = .720 \text{ MW}$$

$$\therefore \text{PUMP POWER REQUIRED AT DIODE} \quad \frac{.720}{.35} = 2.0 \text{ MW}$$

From GRAYZEL PAPER

$$\eta \approx e^{-\alpha (\omega_3/w_c)} \quad \alpha = 20$$

$$= e^{-0.051 \cdot 20} = e^{-1}$$

$$= \frac{1}{e} = \frac{1}{2.72} = 0.37$$

$$\text{WITH } \frac{\omega_3}{w_c} = \frac{12.727}{80} = 160$$

$$\frac{\omega_3}{w_c} = \frac{12.727}{250} = .051$$

$$P_3 = \frac{(\sqrt{B} + \phi)^2}{S_{max}} w_c \beta \quad , \beta = 28$$

$$= \frac{(50)(.5 \times 10^{-12}) 2\pi 12.7 \times 10^9 (28)}{1} = .5 \pi 28 / 12.7 \times 10^{-1} \\ = \pi / 14 \cdot 1.27$$

$$\boxed{P_3 = 57 \text{ MW}} \leftarrow \text{max power out.}$$

Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures)

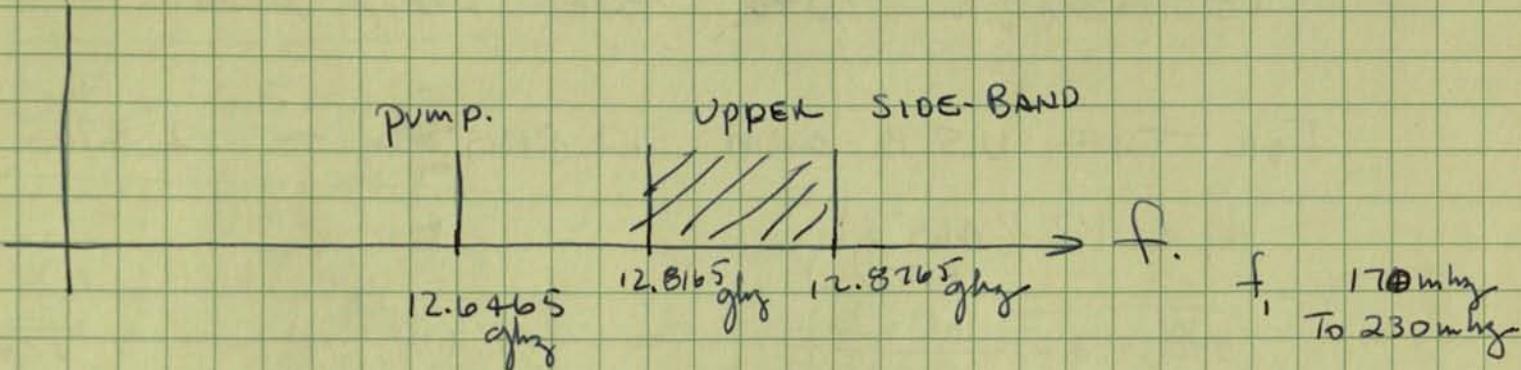
Signature _____ Date _____

Signature _____ Date _____

2/24/70

CONT. FROM P. 68

CONSIDER A FILTER DESIGN FOR PUMP INPUT
FREQ. AND UPPER SIDEBAND OUT PUT FREQ.



For pump BANDWIDTH Assume

STABILITY IS $\pm .05\%$ OR $\pm 1\%$

$$\pm 1\% \text{ OF } 12.6465 \text{ ghz} = (.001)(12.6465 \text{ mhz})$$

$$= 12.6 \text{ mhz}$$

To account for FILTER STABILITY WITH TEMP.

TRY BANDWIDTH = 15 mhz

$$W = \frac{f_2 - f_1}{f_0} = \frac{15}{12.6465 \times 10^3} \approx 1.2 \times 10^{-3}$$

$$\frac{\omega'}{\omega_1} = \frac{2}{W} \left(\frac{f - f_0}{f_0} \right) = \frac{2}{1.2 \times 10^{-3}} \left(\frac{12.8165 - 12.6465}{12.6465} \right)$$

$$= \frac{2}{1.2 \times 10^{-3}} \frac{0.170}{12.6465} \cong \frac{340}{(1.2)(12.65)} = 22.$$

$$\left| \frac{\omega'}{\omega_1} \right| - 1 = 21. , \quad \text{USING } h_{\text{max}} = .01 \text{ db ROLL OFF}$$

L_A IS AT LEAST 50 db.
FOR $n=3$ RESONATORS.

IF PUMP IS +17 dBm, PUMP OUT OF SIGNAL ARM
WOULD BE LESS THAN -33 dBm.

Statement of Operation

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

2/24/70

Cont. From P. 69

THERE SHOULD BE ABOUT 30db REJECTION TO THE UPPER-SIDE BAND SIGNAL AT -4dbm i.e. -34 dbm. INTO THE PUMP ARM.

FOR THE U.S.B. ARM 12.8165 ghz TO 12.8765 ghz

$$f_0 = 12.8465 \text{ ghz}$$

$$W = \frac{60 \text{ mhz}}{12.8465 \text{ mhz}} = 4.7 \times 10^{-3}$$

$$\frac{w'}{w_1} = \frac{2}{W} \left(\frac{f - f_0}{f_0} \right) = \frac{2}{4.7 \times 10^{-3}} \left(\frac{12.8465 - 12.6540}{12.8465} \right)$$

$$= \frac{2}{4.7 \times 10^{-3}} \frac{.193}{12.847} = \frac{386}{(4.7)(12.847)} = 6.4$$

$$\left| \frac{w'}{w_1} \right| - 1 = 5.4$$

USING .01 db RIPPLE SHOULD GIVE 50 db REJECTION

OF PUMP AT 12.646. PUMP AT +17dbm WOULD BE DOWN TO -33dbm.

CONSIDER DESIGN OF PUMP FILTER FOR .01 db RIPPLE $n=2$, $q_0=1$

$$q_1 = .449, q_2 = .408, q_3 = 1.101$$

RE-CONSIDER FILTER DESIGN USING τ_g
AT $f_0 = 12.6465 \text{ ghz}$

IN DESIGN $w_1 \leq w$

FOR NARROW BANDWIDTHS.

Statement of Operation _____

Witnessed operation (obtain two signatures) _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

2/25/70

Cont. From p. 70

71

$$\frac{K_{01}}{Z_0} = \sqrt{\frac{\pi}{2} \frac{W}{g_1 g_{1,001}}} = \sqrt{\frac{\pi}{2} \frac{1.2 \times 10^{-3}}{(1)(.449)}} = \sqrt{\frac{\pi}{2} 1.34 \times 10^{-3}} \\ = \sqrt{4.2 \times 10^{-3}} = \sqrt{42 \times 10^{-4}}$$

$$\boxed{\frac{K_{01}}{Z_0} = 6.5 \times 10^{-2}}$$

$$\frac{K_{12}}{Z_0} = \frac{\pi W}{2\omega_1} \frac{1}{\sqrt{g_1 g_2}} = \frac{\pi}{2} \frac{1.2 \times 10^{-3}}{\sqrt{(449)(.408)}} = \frac{.6 \times 10^{-3}\pi}{\sqrt{183}}$$

$$\boxed{\frac{K_{12}}{Z_0} = 4.4 \times 10^{-3}}$$

$$\boxed{\frac{K_{01}}{Z_0} = \frac{K_{12}}{Z_0} = 6.5 \times 10^{-2}}$$

$$\frac{X_{01}}{Z_0} = \frac{\frac{K_{01}}{Z_0}}{1 - \left(\frac{K_{01}}{Z_0}\right)^2} = \frac{6.5 \times 10^{-2}}{1 - (6.5 \times 10^{-2})^2} = \frac{6.5 \times 10^{-2}}{1 - 42 \times 10^{-4}}$$

$$\frac{X_{01}}{Z_0} \approx 6.5 \times 10^{-2}$$

$$\begin{array}{r} 1.0000 \\ - .0042 \\ \hline ,9958 \end{array}$$

$$\frac{X_{12}}{Z_0} = \frac{4.4 \times 10^{-3}}{1 - (4.4 \times 10^{-3})^2} \approx 4.4 \times 10^{-3}$$

$$\theta_1 = \pi - \frac{1}{2} \left[\tan^{-1} \left(\frac{2X_{01}}{Z_0} \right) + \tan^{-1} \left(\frac{2X_{12}}{Z_0} \right) \right] \quad \text{RADIAN S}$$

$$= \pi - \frac{1}{2} \left(\tan^{-1} 13 \times 10^{-2} + \tan^{-1} 8.8 \times 10^{-3} \right)$$

$\cdot 13$
 $.0088$
 $.05^\circ$

$$\left\{ \begin{array}{l} \cancel{180^\circ} - 8^\circ \\ 180^\circ - \frac{8^\circ}{2} \\ = 176^\circ \end{array} \right.$$

$$\theta_1 = \pi - \frac{1}{2} (.013 + .009) \approx \pi - \frac{.014}{2} = \pi - .07$$

$$= \theta_2 \text{ ALSO}$$

Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Witnessed operation (obtain two signatures):

Signature _____ Date _____

FROM pp. 66 & 67

$$R_3 = \frac{.129}{2\pi(1.5 \times 10^{-12})(12.85 \times 10^9)} = \frac{.129}{\pi 12.85} \\ \boxed{R_3 = 3.2 \Omega} \quad \text{13.00}$$

$$X_3 = \frac{.193}{2\pi(1.5 \times 10^{-12})(12.85 \times 10^9)} = \frac{.193}{\pi 12.85} \\ \boxed{X_3 = 4.8 \Omega} \quad \text{13.00}$$

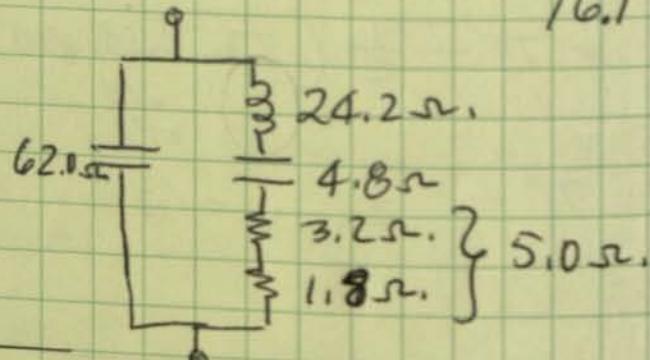
CAPACITIVE REACTANCE OF DIODE
(DYNAMIC)
AT $f_3 = 12.85 \text{ ghz.}$

LET $R_s = 1.8 \Omega$. AND $L_o = .3 \text{ nh}$. SERIES INDUCTANCE
OF DIODE

$$\text{INDUCTIVE REACTANCE } X_{L_o} = \omega L_o = 2\pi(12.85 \times 10^9)(.3 \times 10^{-9}) \\ = 0.6\pi 12.85$$

LET CAPACITIVE CAPACITY $C_p = .2 \text{ pf.}$

$$X_{C_p} = \frac{1}{\omega C_p} = \frac{1}{2\pi(12.85 \times 10^9)(.2 \times 10^{-12})} = \frac{1}{.4\pi 12.85} \\ \boxed{X_{C_p} = 62. \Omega} \quad \text{13.00} \quad = \frac{1}{.4\pi 12.85} = \frac{1}{16.1}$$

0° DYNAMIC EQUIVALENT
CIRCUIT :

Statement of Operation _____

Witnessed operation (obtain two signatures) _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

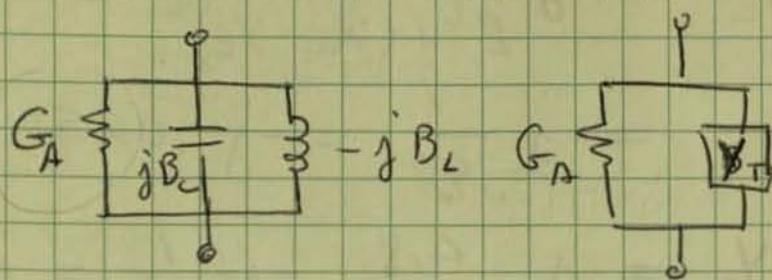
Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

CONSIDER EQUIVALENT SHUNT CIRCUIT

$$\frac{1}{R} + j\frac{X_L - X_C}{Z}$$



$$Z = R + j(X_L - X_C)$$

$$Y = \frac{1}{Z} = \frac{1}{R + j(X_L - X_C)}$$

$$\frac{R - j(X_L - X_C)}{R + j(X_L - X_C)} = \frac{R}{R^2 + (X_L - X_C)^2} - j \frac{(X_L - X_C)}{R^2 + (X_L - X_C)^2}$$

$$G_A = \frac{R}{R^2 + (X_L - X_C)^2}$$

$$BY_T = -j \frac{X_L}{R^2 + (X_L - X_C)^2} + j \frac{X_C}{R^2 + (X_L - X_C)^2}$$

$$G_A = \frac{5}{25 + (24.2 - 4.8)^2}$$

$$= -j \frac{24.2}{401} + j \frac{4.8}{401}$$

$$= -j \cdot 0.0605 + j \cdot 0.0119$$

CONSIDERING CARTRIDGE CAP.

$$BY_{C_P} = \frac{1}{62.0} = 0.0161$$

THEN TOTAL SUSCEPTANCE (SHUNT)

$$BY_{T_S} = -j \cdot 0.0605 + j \cdot 0.0119 + j \cdot 0.0161 \\ = -j \cdot 0.0335 \text{ (inductive)}$$

IF L_0 IS DOUBLED
To .6 mH. $X_L = 48.4$

$$G_A = \frac{5}{25 + (48.4 - 4.8)^2} = \frac{5}{25 + 1900} = \frac{1}{5 + 380}$$

$$G_A = \frac{1}{385}$$

$$\begin{matrix} .0161 \\ .0119 \\ \hline .0270 \end{matrix}$$

$$\begin{matrix} -.0005 \\ .0270 \\ \hline -.0335 \end{matrix}$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

3/11/70

$$Y_L = -j \frac{X_L}{R^2 + (X_L - X_C)^2} = -j \frac{48.4}{25 + 1900} = -j \frac{48.4}{1925}$$

$$= -j \frac{1}{398} = -j .0251$$

$$Y_C = j \frac{4.8}{1925} = j \frac{1}{398} = j .0025$$

$$\begin{array}{c} \frac{1}{385} \\ \parallel \\ \frac{1}{398} \end{array} \quad \left[\begin{array}{c} j .025 \\ j .0025 \end{array} \right] \quad \left[\begin{array}{c} +j .0025 \\ +j .016 \end{array} \right] \quad \begin{array}{c} \frac{1}{+j .016} \\ \parallel \\ \frac{1}{+j .019} \end{array}$$

$$\begin{array}{r} +j .016 \\ +j .003 \\ +j .019 \\ -j .025 \\ -j .006 \end{array}$$

CONSIDER W. G. IMPED USING

$$Z_0 = 377 \frac{\lambda_g}{\lambda_f}, \quad \lambda_g = \frac{\lambda_1}{\sqrt{1 - \left(\frac{\lambda_1}{2a}\right)^2}}$$

λ_1 = FREE SPACE WAVELENGTH AT 12.85 ghz.

$$\lambda_1 = \frac{3 \times 10^{10}}{12.85 \times 10^9} \text{ cm} = \frac{30}{12.85} = 2.34 \text{ cm.}$$

$$a = 1.5 \times 2.54 = 3.81 \text{ cm.}$$

$$\frac{\lambda_1}{2a} = \frac{2.34}{3.81} = .615, \quad \left(\frac{\lambda_1}{2a}\right)^2 = .378, \quad 1 - \left(\frac{\lambda_1}{2a}\right)^2 = .622$$

$$\sqrt{1 - \left(\frac{\lambda_1}{2a}\right)^2} = .79, \quad \frac{\lambda_1}{\lambda_g} = .79$$

$$\therefore Z_0 = \frac{(377)(.79)}{.79} = 297 \Omega \approx 477 \Omega.$$

Statement of Operation:

Witnessed operation (obtain two signatures):

Signature _____

Date _____

Signature _____

Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

IN ALTERNATE FORM.

$$Z_{\text{VI}} = \frac{\pi b}{2a} Z_0 = \frac{\pi}{4} 477 \Omega = 375 \Omega.$$

∴ WILL USE $G_A = \frac{1}{375 \Omega}$.

AND ADD TO C_p TO RESONATE $L_0 = .6 \mu H$. b = SUSCEPTANCE SLOPE PARAMETER

$$Q_A = \frac{b}{G_A}, \quad b = \frac{1}{\omega_0 L} = .025$$

$$Q_A = (.025)(375) = 9.4$$

TO CALCULATE MATCHING δ VALUES.

From p. 70 $W = 4.7 \times 10^{-3}$

$$\delta = \frac{1}{W Q_A} = \frac{1}{(4.7 \times 10^{-3}) 9.4} = \frac{1000}{(4.7)(9.4)} = 22.6$$

TOO LARGE!

SET $\delta = 2$ } SOLVE FOR W

$$W = \frac{1}{\delta Q_A} = \frac{1}{2 \cdot 9.4} = \frac{1}{18.8} = .053$$

$$\frac{f_2 - f_1}{f_0} = .053, \quad f_1 = 12.8165 \text{ ghz}$$

Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

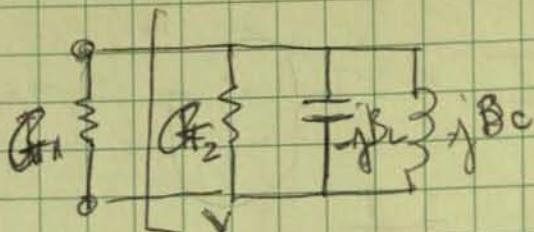
Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____



$$G_1 = \frac{3.2}{(3.2)^2 + (X_L - X_C)^2}$$

$$\text{Let } (X_L - X_C)^2 = 376$$

$$G_1 = \frac{3.2}{10.2 + 376} = \frac{3.2}{386.2}$$

$$= \frac{1}{120}$$

$$\text{Try } X_L = 39.0$$

~~$$G_2 = \frac{1.8}{(1.8)^2 + (X_L - X_C)^2}$$~~

~~$$G_2 = \frac{1.8}{379} = \frac{1}{214}$$~~

$$G_2 = \frac{1.8}{(1.8)^2 + 1170} = \frac{1}{656}$$

$$G_1 = \frac{3.2}{(3.2)^2 + (39.0 - 4.8)^2}$$

$$= \frac{3.2}{1252 + 1170} = \frac{3.2}{2422}$$

$$G_1 = \frac{1}{376}$$

$$Y_b = G_2 - jB_L + jB_C$$

$$-jB_L = -j \frac{X_L}{R^2 + (X_L - X_C)^2}$$

$$= -j \frac{39.0}{25 + 1170} = -j0.032$$

AGAIN SOLVING FOR W
IF $\delta = 2$

$$W = \frac{1}{\delta G_2} = \frac{1}{2 \cdot 21}$$

$$W = .024$$

$$Q_2 = \frac{B}{G_2} = (.032)(656) = 21$$

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

CONT. From p. 76 3/2/70

77

IF G_1 NOT COUNTED SO Δ THAT

$$R_L = R_3 = 1.8 \Omega + 1.7 \Omega$$

\downarrow
 R_L

R_{TRANSFER}

$$G_1 = \frac{1.7}{(1.7)^2 + (x_L - x_C)^2}$$

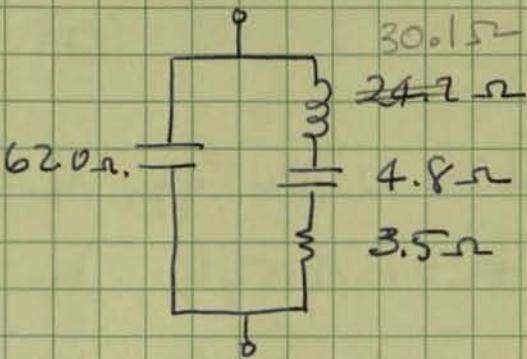
$$(x_L - x_C)^2 = \frac{1.7}{G_1} - (1.7)^2$$

$$\text{LET } G_1 = 375 \Omega.$$

$$(x_L - x_C)^2 = 640 - 2.9$$

$$x_L - x_C \approx 25.3$$

$$x_C = 25.3 + 4.8 = 30.1$$



$$\text{THEN } -jB_L = -j \frac{30.1}{(3.5)^2 + (25.3)^2}$$

$$= -j \frac{30.1}{12.2 + 640} = -j \frac{30.1}{652}$$

$$-jB_L = -j \cdot 0.048$$

$$Q_2 = \frac{-b}{G_2} = (0.048)(375) \approx 18$$

$$W = \frac{1}{\delta Q_2} = \frac{1}{2 \cdot 18} = .028$$

$$f_1 = 12.8165 \text{ gHz}$$

$$\frac{f_2 - f_1}{f_0} = .028, \quad \frac{f_2 + f_1}{2} = f_0$$

$$f_0 = \frac{f_1}{.986} \approx 13.00 \text{ gHz}$$

$$f_2 = 13.1835$$

$$\begin{array}{r} 13.0000 \\ 12.8165 \\ \hline ,1835 \end{array}$$

$$\frac{2f_0 - f_1 - f_1}{f_0} = .028$$

$$\frac{f_0 - f_1}{f_0} = .014$$

$$1 - \frac{f_1}{f_0} = .014$$

$$\frac{f_1}{f_0} = .986$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

3/2/70

$$W_\lambda = \frac{\lambda_{g_1} - \lambda_{g_2}}{\lambda_{g_0}}, \quad \lambda_g = \frac{\lambda_0}{\sqrt{1 - \left(\frac{\lambda_0}{2a}\right)^2}}$$

$$f_1 = 12.8165 \text{ GHz}, \lambda_1 = 2.34 \text{ cm}, \frac{\lambda_1}{2a} = .614, \left(\frac{\lambda_1}{2a}\right)^2 = .374 \quad 2a = 1.50' 254 \quad = 3.81$$

$$f_2 = 13.1838 \text{ GHz}, \lambda_2 = 2.28 \text{ cm}, \frac{\lambda_2}{2a} = .598, \left(\frac{\lambda_2}{2a}\right)^2 = .359$$

$$f_0 = 13.0000 \text{ GHz}, \lambda_0 = 2.308 \text{ cm}, \frac{\lambda_0}{2a} = .606, \left(\frac{\lambda_0}{2a}\right)^2 = .368$$

$$\begin{array}{r} 1.000 \\ .374 \\ \hline .6243 \end{array} \quad \begin{array}{r} 1.000 \\ .359 \\ \hline .644 \end{array} \quad \begin{array}{r} 1.000 \\ .3687 \\ \hline .638 \end{array}$$

$$\sqrt{1} = .790 \quad \sqrt{ } = .802 \quad \sqrt{ } = .795$$

$$W_\lambda = \frac{2.962 - 2.858}{2.91} = \frac{.104}{2.91} = .0348$$

$$\lambda_{g_1} = \frac{2.34}{.79} = 2.962, \lambda_{g_2} = \frac{2.28}{.80} = 2.858, \lambda_0 = \frac{2.308}{.795} = 2.903$$

$$\begin{array}{r} 2.96 \\ 2.85 \\ \hline 2.5181 \\ 29 \end{array} \quad \begin{array}{r} 2.962 \\ -2.838 \\ \hline .124 \end{array}$$

$$\frac{\lambda_0}{\lambda_{g_0}} = \frac{2.308}{2.903} = .795$$

$$\sqrt{\lambda_{g_0}} = \sqrt{.795} = .897$$

$$\left(\frac{\lambda_0}{\lambda_{g_0}}\right)^2 = .632, \quad S_\lambda = \frac{1}{W_\lambda Q_A \left(\frac{\lambda_0}{\lambda_{g_0}}\right)^2} = \frac{1}{(4.3 \times 10^{-2}) 18 (6.82 \times 10^{-1})}$$

$$S_\lambda = .002 \times 10^3 = 2.0$$

From CHART
p. 129 $\Delta F/2 = 1/2$ FILTER HANDBOOK - SRI
 $n = 2$

$$q_1 = .500, \quad q_2 = .400, \quad q_3 = .11 \quad \cancel{q_4}$$

$$q_3 = 1.10$$

Statement of Operation:

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

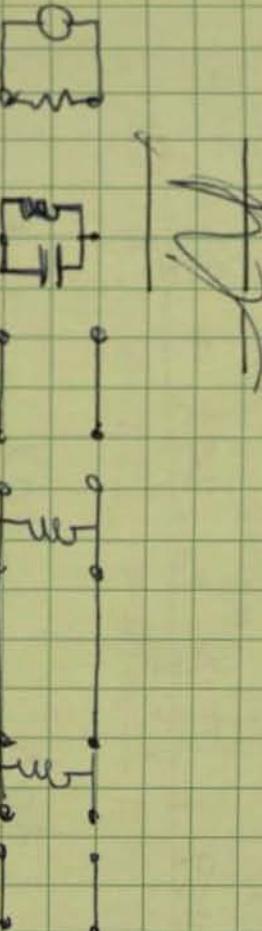
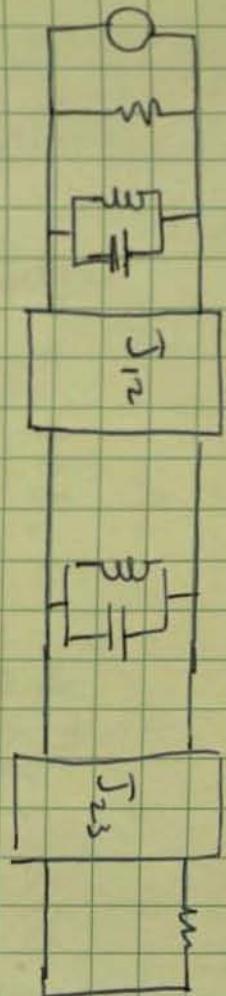
Signature _____ Date _____

CONT. From P. 78.

3/2/70

79

MATCHING CIRCUIT:-



$\frac{1}{V}$

To GET Tchebychev CIRCUIT

RESPONSE

$n = \underline{OPD}$

LET $n = 3$, $g_0 = 1$, $g_1 = .50$, $g_2 = .79$, $g_3 = .44$, $g_4 = .98$

$$\frac{b_1}{Y_0} = \frac{w_1 g_1 g_0 - \frac{\pi}{4}}{K} = \frac{(0.5)(1) - \frac{\pi}{4}}{0.028} = 17.9 - j 7.85$$

$$\frac{b_1}{Y_0} = 17.12$$

$$\frac{b_2}{Y_0} = \frac{g_2 - \frac{\pi}{2}}{2} = \frac{.79 - \frac{\pi}{2}}{0.028} = 28.2 - j 57$$

$$\frac{b_2}{Y_0} = \frac{28.20 - 57}{0.028} = 17.12$$

$$\frac{b_3}{Y_0} = \frac{g_3 - \frac{\pi}{2}}{2} = \frac{.44 - \frac{\pi}{2}}{0.028} = 26.63$$

$$\frac{b_3}{Y_0} = \frac{26.63}{0.028} = 93.75$$

$$\frac{b_1}{Y_0} = \frac{g_1 - \frac{\pi}{2}}{2} = \frac{.50 - \frac{\pi}{2}}{0.028} = 17.90$$

$$\frac{b_1}{Y_0} = 17.12$$

Statement of Operatives _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

$$\frac{K_j}{Z_0} = \sqrt{\frac{\pi}{2}} \frac{Y_0}{b_j}$$

$$\frac{Y_0}{b_3} = \frac{Y_0}{b_1} = .058, \quad \frac{\pi}{2} \frac{Y_0}{b_1} = .092, \quad \sqrt{\frac{\pi}{2} \frac{Y_0}{b_1}} = .303 = \frac{K_1}{Z_0} = \frac{K_3}{Z_0}$$

$$\frac{Y_0}{b_2} = .038, \quad \frac{\pi}{2} \frac{Y_0}{b_2} = .059, \quad \sqrt{\frac{\pi}{2} \frac{Y_0}{b_2}} = .243 = \frac{K_2}{Z_0}$$

$$\frac{X_3}{Z_0} = \frac{X_1}{Z_0} = \frac{K_1/Z_0}{1 - \left(\frac{K_1}{Z_0}\right)^2} = \frac{.303}{1 - .092} = \frac{.303}{.908} = .334$$

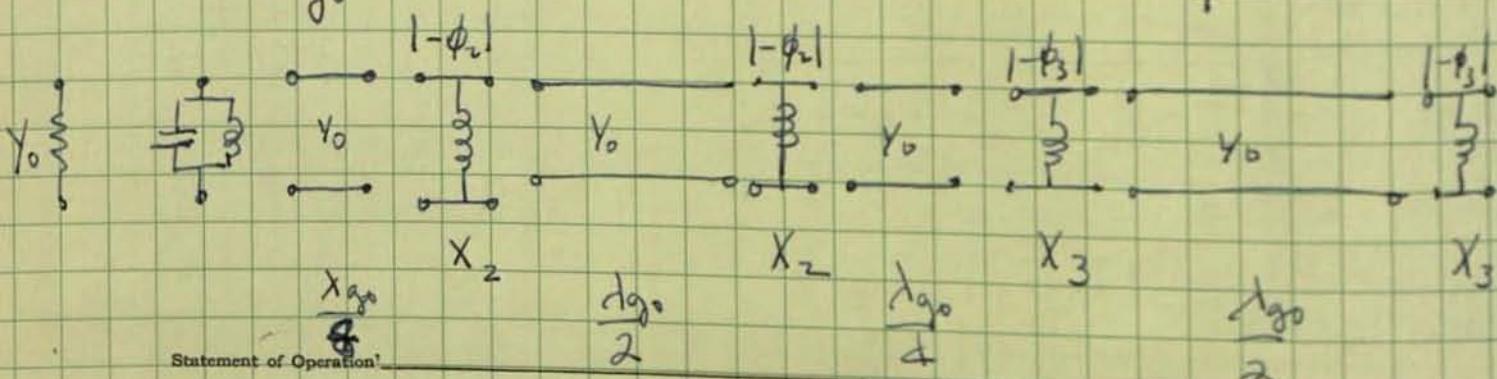
$$\frac{X_2}{Z_0} = \frac{K_2/Z_0}{1 - \left(\frac{K_2}{Z_0}\right)^2} = \frac{.243}{1 - .059} = \frac{.243}{.941} = .258$$

$$\phi = -\tan^{-1} \frac{2X}{Z_0}$$

$$\phi_3 = \phi_1 = -\tan^{-1} \frac{2X_1}{Z_0} = -\tan^{-1} .668 = -33.8^\circ = .59 \text{ md}$$

$$\phi_2 = -\tan^{-1} \frac{2X_2}{Z_0} = -\tan^{-1} .516 = -27.3^\circ = .48 \text{ md.}$$

$$\lambda_{g_0} = 2.90 \text{ cm.} \quad \frac{\lambda_{g_0}}{2} = \frac{1.45}{\cancel{1.65}} \text{ cm} \quad \frac{\lambda_{g_0}}{4} = .725 \text{ cm.}, \quad \frac{\lambda_{g_0}}{8} = .36 \text{ cm.}$$



Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

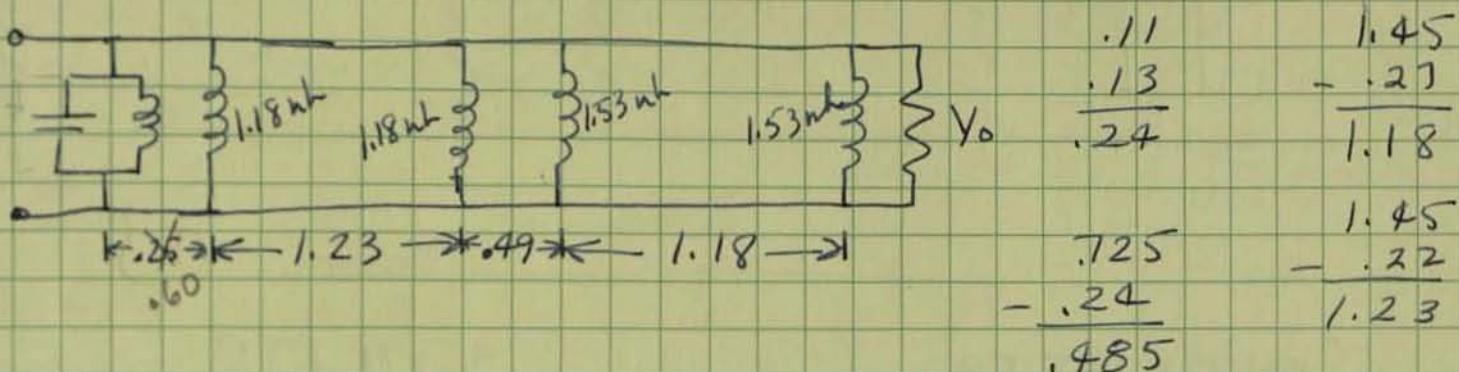
Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

$$\frac{1.45}{X_1} = \frac{180}{33.8} \quad X_1 = .27 \text{ cm.} = X_3, \quad \frac{1.45}{X_2} = \frac{180}{27.3}, \quad X_2 = .22 \text{ cm.}$$

$$\frac{X_2}{2} = .13 \text{ cm} \quad , \quad \frac{X_2}{2} = .11 \text{ cm.}$$



$$X_3 = .334 \quad Z_0 = 375 \Omega$$

$$X_3 = 125 \Omega \quad L_3 = \frac{125}{2\pi 13.0 \times 10^9} = 1.53 \times 10^{-9} \quad \begin{array}{r} .73 \\ + .13 \\ \hline .86 \end{array}$$

$$X_2 = .258 \cdot 375$$

$$X_2 = 96.7 \Omega \quad L_2 = \frac{96.7}{2\pi 13.0 \times 10^9} = 1.18 \times 10^{-9} \quad \begin{array}{r} .73 \\ + .13 \\ \hline .86 \end{array}$$

$$\frac{1.45}{Y} = \frac{180}{36.5} \quad Y = \frac{1.45}{5} = .29$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

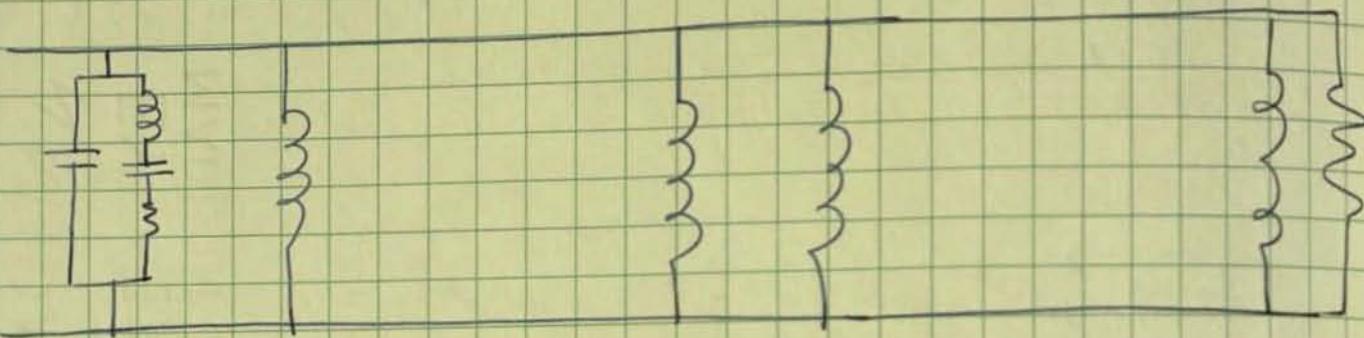
Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

CONSIDER FOLLOWING CIRCUIT



CONTINUATION
OF VP CONVERTER
USING NEW CONCEPT.

3/11/70

CONSIDER USING DIRECTIONAL FILTER
AS IN SRJ. FILTER HANDBOOK p. 857

$$(Q_E) = \frac{q_0 q_1 w_1}{D}$$

$$D = 1.114", h = .716", \frac{D}{h} \text{ or } \frac{D}{L} \approx 1.6$$

From TABLES p. 251 For TE₁₁₁ MODE For optimum Q.

$$.28 = 6.95 \times 10^{-6} \sqrt{9.8} Q_u$$

$$Q_u = \frac{.28}{6.95 \times 10^{-6} (3.1)} = .013 \times 10^6 = 13000$$

For f = 12.8 GHz

$$Q_u = \frac{.28}{6.95 \times 10^{-6} \sqrt{12.8}} = \frac{.28 \times 10^6}{(6.95)(3.57)} = 11000$$

At 9.8 GHz ACTUAL Q_u ≈ 3000

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

3/11/70

CONT. From p. 83

83

$$\frac{13000}{3000} = \frac{11000}{Q_{nk}}, Q_{nk} = 2500$$

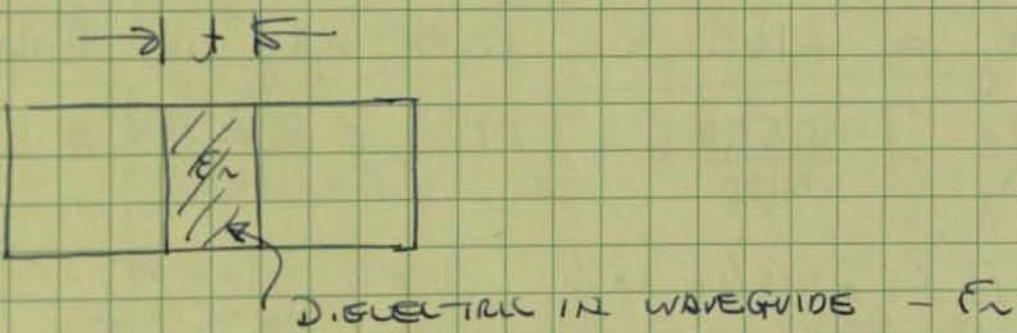
For Circular Coupling $g_0 = 1, g_1 = 2, g_2 = 1$

Choose $\Delta f = 60 \text{ mhz}$

$$N = \frac{60}{12800} = .0047$$

$$Q_E = \frac{2}{.0047} = 425$$

CONSIDER THE FOLLOWING:



PLACE DIELECTRIC IN GUIDE WITH A THICKNESS AND ϵ_r AND POSITION SUCH THAT THE POINT OF CIRCULAR POLARIZATION OF THE H FIELD IS SPECIFIED IN A BROAD BAND MANNER - SAY AT THE INTERFACE BETWEEN ONE SIDES OF THE DIELECTRIC AND THE AIR IN THE GUIDE.

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

3/11/70

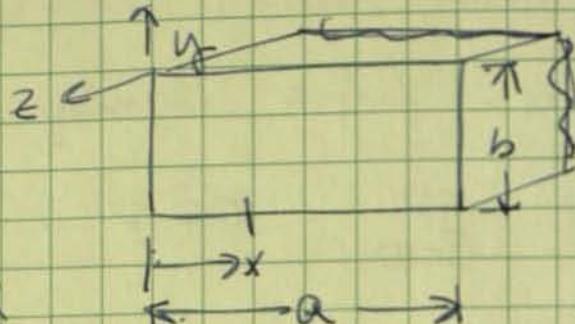
CALCULATION OF POINT OF CIRCULAR
POLARIZATION IN RECTANGULAR WAVE GUIDE.

It is where $|H_z| = |H_y|$

$$|H_z| = |H_y|$$

$$\text{or } \cos \frac{\pi x}{a} = \frac{2a}{\lambda_g} \sin \frac{\pi x}{a}$$

$$\cot \frac{\pi x}{a} = \frac{2a}{\lambda_g}, \quad x = \frac{a}{\pi} \cot^{-1} \frac{2a}{\lambda_g}$$



FOR THE CASE OF CONVENTIONAL DIR. FILTER

$$\lambda_g = 1.160 \text{ AT } 12.85 \text{ ghz IN WR-75 .75} \times .375$$

$$\frac{2a}{\lambda_g} = \frac{1.500}{1.160} = 1.29 \quad \left\{ \cot \frac{\pi x}{a} = 1.29 \right.$$

$$\frac{\pi x}{a} = .66 \text{ rad.} \quad x = \frac{(0.66)(.750)}{\pi}$$

$$x_k = .658''$$

SCALING THE LENGTH OF THE RESONATORS.

For X BAND UNIT AT S.R.I.

$$f_x = 9775 \text{ mhz} \quad \left\{ \begin{array}{l} \lambda_{g_x} = 1.635'' \\ \frac{1.635}{1.160} = \frac{.770}{h_k} \end{array} \right. , \quad \left\{ \begin{array}{l} h_x = .770'' \\ h_k = .545 \end{array} \right.$$

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

3/12/70

CONT. FROM P. 84.

85

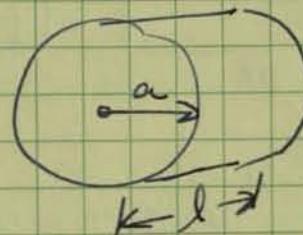
DIAMETER OF CENTER IRIS

For X BAND VANT $d_x = .190$

$$\frac{1.14}{.870} \frac{.1635}{1.190} = \frac{.190}{d_k}, \quad d_k = .135$$

START WITH $.145$
 $\boxed{.135}$

$$x_1 = \frac{2l}{\sqrt{1 + \left(\frac{2l}{3.41a}\right)^2}}$$



$$l = .545", \quad a = \frac{.870}{2} = .435"$$

$$\lambda_1 = \frac{(2)(.545)}{\sqrt{1 + \left[\frac{(2)(.545)}{(3.41)(.435)}\right]^2}} = \frac{1.090}{\sqrt{1 + \left(\frac{1.090}{.485}\right)^2}} = \frac{1.09}{\sqrt{1 + (.545)^2}}$$

$$\lambda_1 = \frac{1.09}{55.6} = \frac{1.09}{7.45} = \frac{1.09}{7.45} = \frac{1.09}{5.846} = \frac{1.09}{4.24} = .88$$

$\frac{\lambda_1}{2} = .44"$, $\frac{\lambda_1}{(2.85)(1.34)M_b} = .44"$
From SRF HANDBOOK

$$\frac{1}{\lambda_{g0}} = \frac{\lambda_0}{\sqrt{1 + \left(\frac{\lambda_0}{1.706D}\right)^2}}$$

For $f = 12.85 \text{ ghz}$

$$\lambda_0 = \frac{3 \times 10^8}{12.85 \times 10^9 (2.54)} = .92", \quad (1.706)(.870) = 1.48, \quad \frac{.92}{1.48} = .62$$

$$\frac{1}{\lambda_{g0}} = \frac{.92}{\sqrt{.62}} = \frac{.92}{.79} = \frac{1.17}{.79}, \quad \frac{1}{\lambda_{g0}} = .39, \quad \frac{1}{2} = .585$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

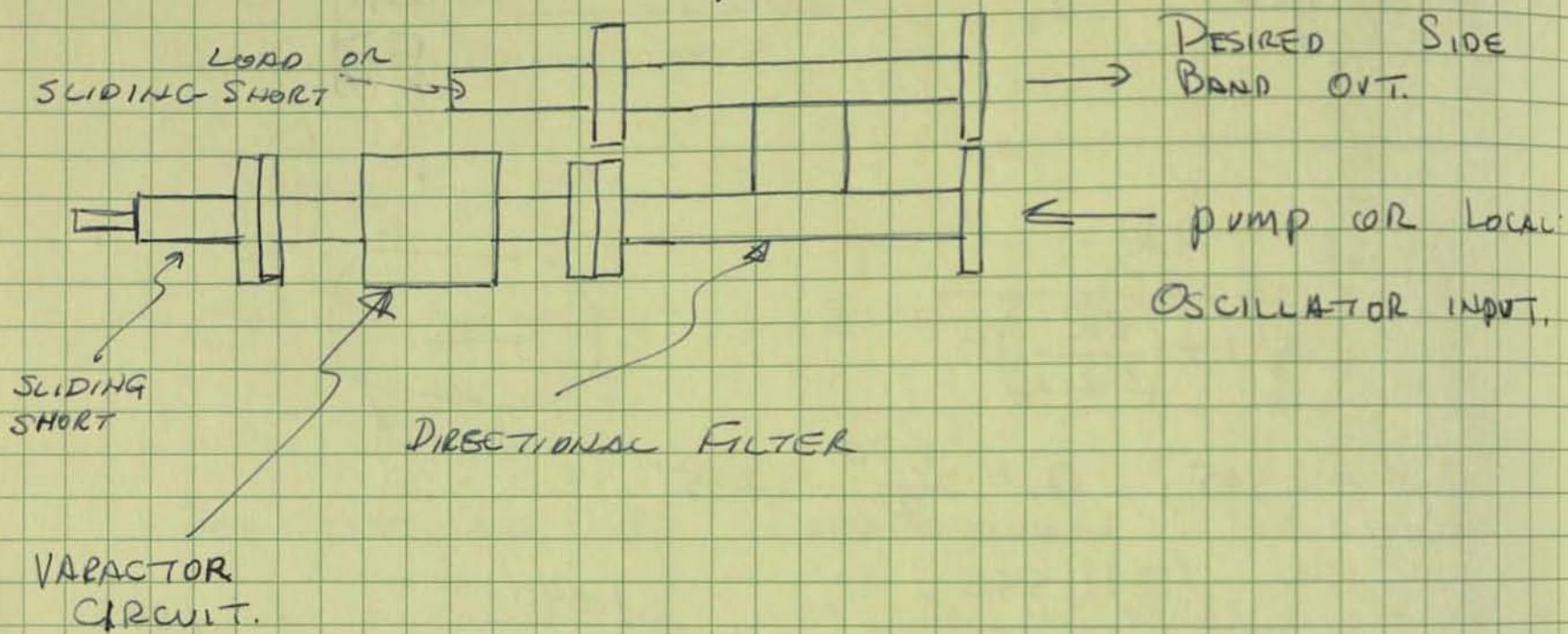
Signature _____ Date _____

Signature _____ Date _____

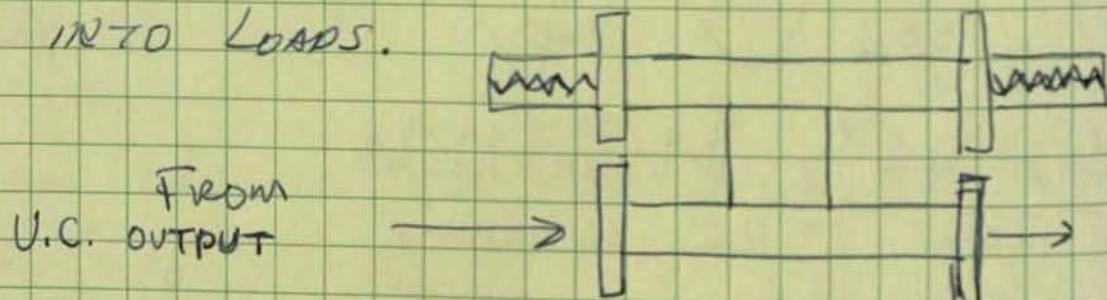
Signature _____ Date _____

Signature _____ Date _____

Up-CONVERTER MOUNT TO GO WITH
THE DIRECTIONAL FILTER. CONSIDER FOLLOWING
WAVEGUIDE ASSEMBLY.



ADDITIONAL DIRECTIONAL FILTERS MAY BE ADDED
IN CASCADE WITH THE OUTPUT PORT TO FURTHER
REJECT PUMP OR ANY OUT OF BAND SPURIOUS
RESISTIVELY INTO LOADS.



Also, SINCE DIRECTIONAL FILTERS ARE SOMEWHAT
NARROW BAND - 60 MHz AROUND 13.0 ghz. SEVERAL CAN
BE USED IN CASCADE TO HANDLE A BAND OF

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

FREQUENCIES IN SEGMENTS.

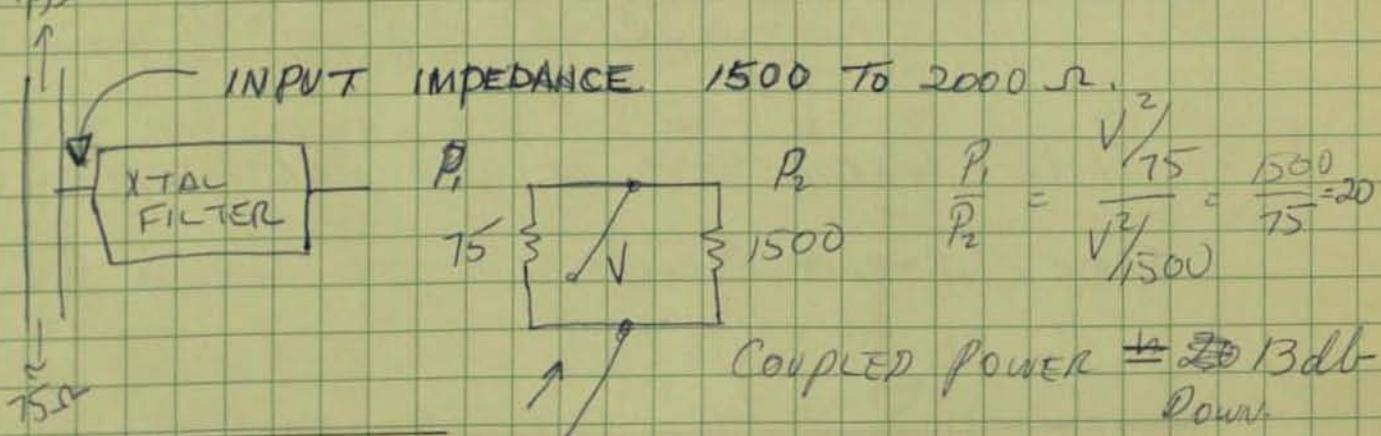
10/2/70

A.G.C. SYSTEM FOR GAIN AND TILT
CONTROL FOR TRUNK AMPLIFIERS.

THE SYSTEM UNDER CONSIDERATION IS THE TWO PILOT TONE SYSTEM. ONE TONE IS NEAR 74.0 MHZ IN BETWEEN CHANNEL 4 AND 5. THE OTHER IS OR COULD BE ABOVE 270 MHZ SAY 275 OR 300 EVEN.

ONE OF THE DIFFICULT PROBLEMS IS TO SELECT OUT THE 74 MHZ SIGNAL WITHOUT EFFECTING THE 50 - 250 VHF TELEVISION BAND.

ONE CONSIDERATION IS USING A CRYSTAL FILTER TAPPING DIRECTLY OFF THE 75Ω OUTPUT LINE.



Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

10/6/90

CONTINUED FROM p. 87

CALCULATION OF COUPLING VALUES OFF
OF OUTPUT 75 Ω LINE TO DRIVE A G C
CIRCUIT.

ASSUME 50 AMPLIFIERS

IF 20 dB COUPLERS ARE USED, THE FRACTION
OF POWER LEFT AT THE END OF THE 50th
AMPLIFIER IS:

$$(.99)^{50}$$

$$\begin{aligned} \log (.99)^{50} &= 50 \log .99 = -50 \log 1.01 = (-50)(.004) \\ &= \frac{1}{10^{-2}} = \frac{1}{.16} = .625 \end{aligned}$$

USING A 17 dB COUPLER:

$$\begin{aligned} (.98)^{50} &= (-50)(\cancel{\log 1.02}) = (-50)(.009) \\ \log (.98)^{50} &= (-50)(.009) \\ &= \frac{1}{10^{-45}} = \frac{1}{2.8} \approx .36 \end{aligned}$$

17 dB APPEARS TO BE A REASONABLE CHOICE
FOR SYSTEMS ANALYSIS.

Statement of Operation _____

Witnessed operation (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures): _____

Signature _____ Date _____

Signature _____ Date _____

10/6/70 CONTINUED FROM p 88

ASSUME MINIMUM ~~IS~~ PILOT SIGNAL AVAILABLE IS 1mV INTO 75Ω OR $0 \text{ dbm} = -49 \text{ dbm}$.

ALSO, FROM PAPER BY PAGE AT ENTRON A REASONABLE S/N = 43 dB ON THE TRUNKLINE CABLE WILL BE USED.
(THAT IS, IN A 4MHz BANDWIDTH CHANNEL)

WE WILL ASSUME AT THIS POINT WE HAVE
A NOISE BANDWIDTH OF 4MHz.

TO DRIVE THE ATTENNUATOR ABOUT 200mW
WILL BE REQUIRED ADD 3dB FOR SAFETY - 400mW
OR + 26dbm. THEREFORE, OVERALL POWER
GAIN REQUIRED:

$$26 \text{ dbm} - (-17 - 49) \text{ dbm} = 92 \text{ db}$$

IT WILL BE ASSUMED THE TILT CONTROL REQUIRES
THE SAME AMOUNT.

AT THE RECTIFIER ASSUME MAX. OUTPUT
1mA. FOR ABOUT 300mV INPUT.

$$\text{USING } 50\Omega \text{ INPUT } \frac{1}{2} \frac{E^2}{R} = \frac{(0.3)^2}{2 \times 50} = \frac{.09}{100} = .0009 \text{ mW}$$

or 1mW.

\therefore OUTPUT POWER (AVC.) OF RF AMPLIFIER 0dbm.

\therefore GAIN MUST BE $0 - (-17 - 49) = 66 \text{ db}$. POWER GAIN.

Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

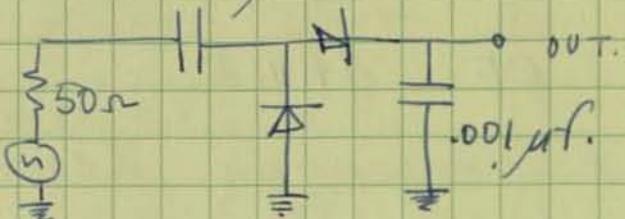
Signature _____ Date _____

10/19/70

CONTINUED FROM P. 89

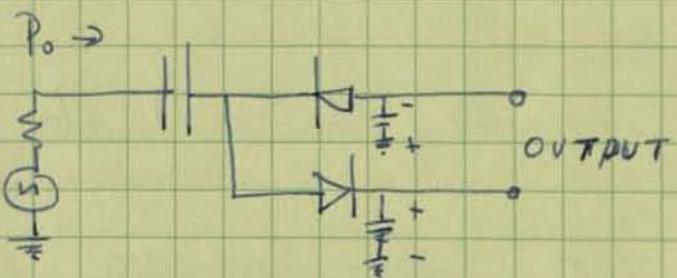
CONSIDER THE SYSTEM FROM THE STANDPOINT OF THE DETECTOR. THE FOLLOWING RESULTS WERE OBTAINED USING A VOLTAGE DOBLER CIRCUIT: (USING FAIRCHILD FH 1100 SCHOTTKY BARRIUM DIODES)

FIRST WITH SINGLE ENDED DESIGN:



P_{IN}	E_{IN}	E_{out}	$R_L = 20K$
0 dbm	0.316 pkV.	1.0V	0.667V.
+10dbm	1.0 pkV.	3.94V.	

THEN WITH A BALANCED OUTPUT:



CALCULATED
FOR 50Ω LOAD

P_o (dbm)	E_{rms}	E_{pk}	$2E_{pk}$
-10	.07	.10	.2
0	.224	.316	.632
+3	.316	.446	.892
+6	.448	.631	1.262
+10	.707	1.0	2.000
+13	1	1.41	2.82
-13	-0.5	.07	.14

PEOPLE TO CALL AT SAN RAPHAEL
MKTG - GOLDSBERRY - ALVAREZ.

OPERATIONAL - D. MARRIOTT

Statement of Operation _____

Witnessed operation (obtain two signatures) _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

10/20/70

CONTINUED FROM P. 90

91

50-800

MEASURED RESULTS:

SCHOTTKY DIODES.

<u>P_{in} (dbm)</u>	<u>E_{in} pic</u>
-----------------------------	---------------------------

-13	.07
-10	.10
0	.316
3	.446
6	.631
10	1.0
13	1.41

<u>E_{out} pic</u>	MEASURED
----------------------------	----------

.034	}
.222	
.844	}
1.246	
1.90	}
3.21	
4.27	OR BETTER

doubling

TRIPLING

DIFFICULTIES
HERE DUE
TO BEING R.F.
HOT. -

POINT CONTACT.

SYLVANIA

<u>P_{in} (dbm)</u>	<u>E_{in} pic</u>
-----------------------------	---------------------------

-20	.0316
-13	.07
-10	.10
0	.316
+3	.446
+6	.631
+10	1.0

<u>E_{out} pic</u>

.030
.096
.186
.813
1.217
1.917
3.20

Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

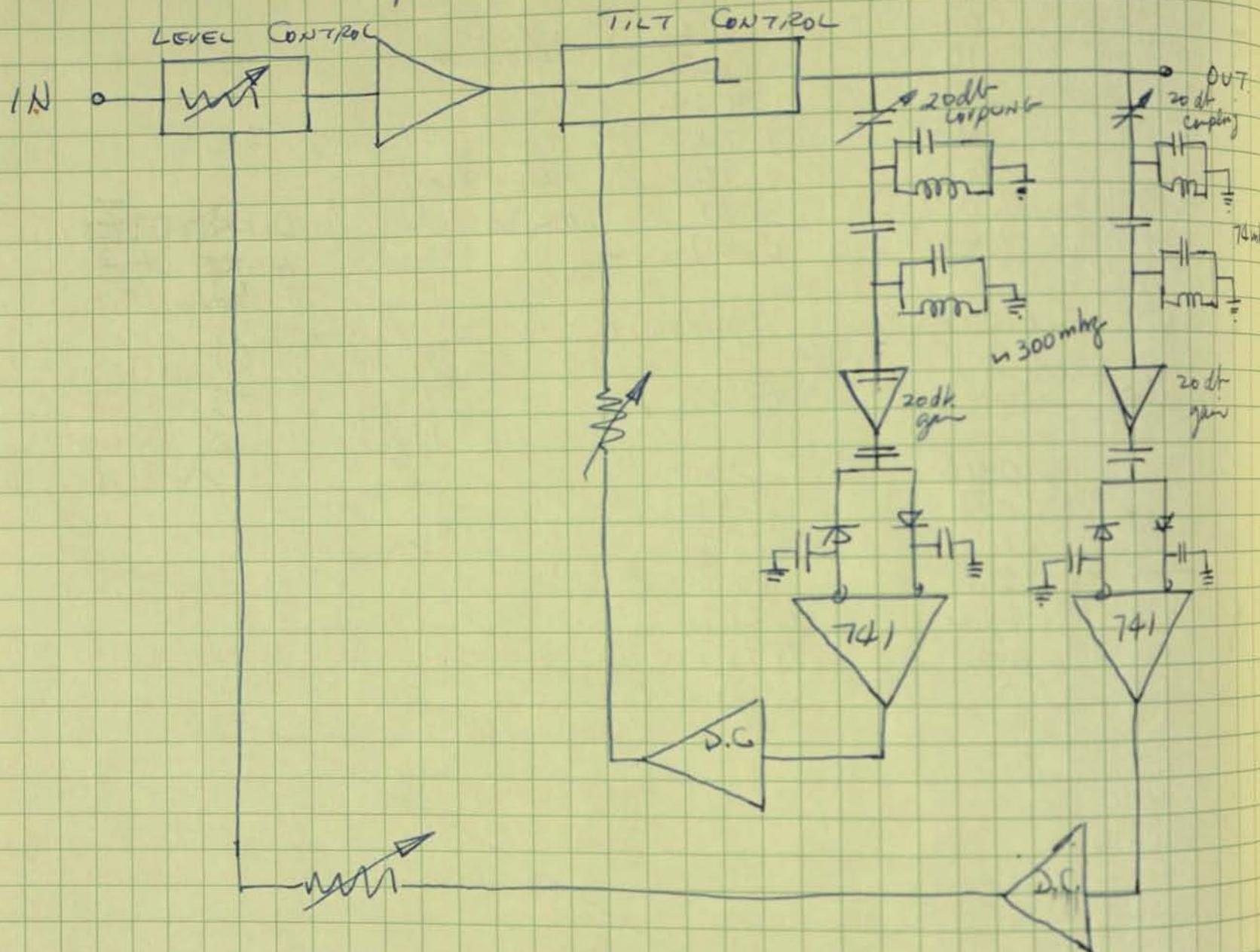
Signature _____ Date _____

992

11/10/70

CONT. FROM p. 91

THE FOLLOWING SYSTEM HAS BEEN
DECIDED UPON:



Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

162 -38°

164 -38°

166 -29°

169 -28°

163 -32°

166 -31°

168 -30°

17 -29°

-32.0db +56° , 36 -122° , 49 -27°

-32.0db +55° , 35 -119° , 50 -26°

-38.0db +54° , 35 -115° , 51 -25°

6525.6db 31.6db +53° , 36 116° , 65 -31° 80+24.2db

75 24.7db -31.0db +54° , 36 -109° , 60 -33° 75 24.7db

70 25.2db -31.3db +52° , 36 -105° , 63 -32° 70 25.2db

70 25.6db -31.6db +58° , 36 -126° , 48 -28° 70 25.6db

80 23.8db -31.1db +58° , 36 -126° , 48 -28° 80 23.8db

75 24.2db -32.0db +56° , 36 -122° , 49 -27° 75 24.2db

70 24.6db -32.0db +55° , 35 -119° , 50 -26° 70 24.6db

65 25.6db -38.0db +54° , 35 -115° , 51 -25° 65 25.6db

80+24.0db -30.0db +56° , 36 -116° , 51 -38° 80+24.0db

75+24.3db -30.4db +56° , 36 -112° , 55 -37° 75+24.3db

70+24.8db -30.7db +54° , 35 -109° , 85 -36° 70+24.8db

65+25.2db -30.8db +53° , 34 -105° , 60 -35° 65+25.2db

52 1 Amp 512 S22 S21 G.A. 11/11/70 C. A. I. F. Hanu D. 92

S22

O

11/11/70

CONT. From p. 92

93

SCATTERING PARAMETERS OF 0060

CHIP IN TO-46 PACKAGE.

R_{SD} UNITS V_{CC} = 30V., I_{CC} = 20mA.FREQ (MHz) S₂₁ Θ S₁₂ Θ S₁₁ Θ S₂₂ Θ

65

OUT OF 5 TRANSISTORS

70

3 - 1 - 17 dS - 20 dS

75

1 - OPEN

80

1 - 5 dS

65 mS₂₂#08 New set of transistors
V₁, V₂, V₃
65 18.2 25.2 dB +130° .025 -32.1 dB +52° .35 -100° .7 -29°

70 17.4 24.8 dB +128° .025 -31.8 dB +54° .35 -103° .68 -30°

75 16.6 24.4 dB +125° .025 -31.5 dB +55° .36 -106° .66 -31°

80 15.8 24.0 dB +122° .025 -31.2 dB +55° .36 -110° .63 -32°

#60
65 25.2 dB +127° 32.2 dB +53° .36 -104° .69 -28°
70 24.9 dB +124° -32.0 dB +54° .36 -108° .66 -29°
75 24.4 dB +122° -31.6 dB +55° .36 -112° .64 -30°
80 24.0 dB +120° -31.3 dB +56° .36 -115° .62 -30°

Statement of Operation

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

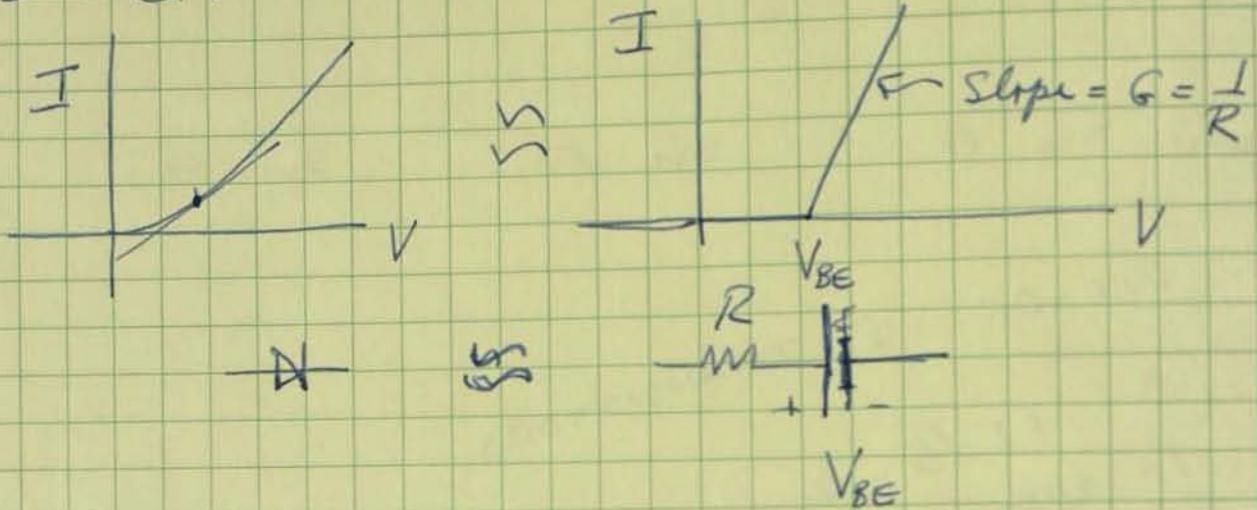
Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

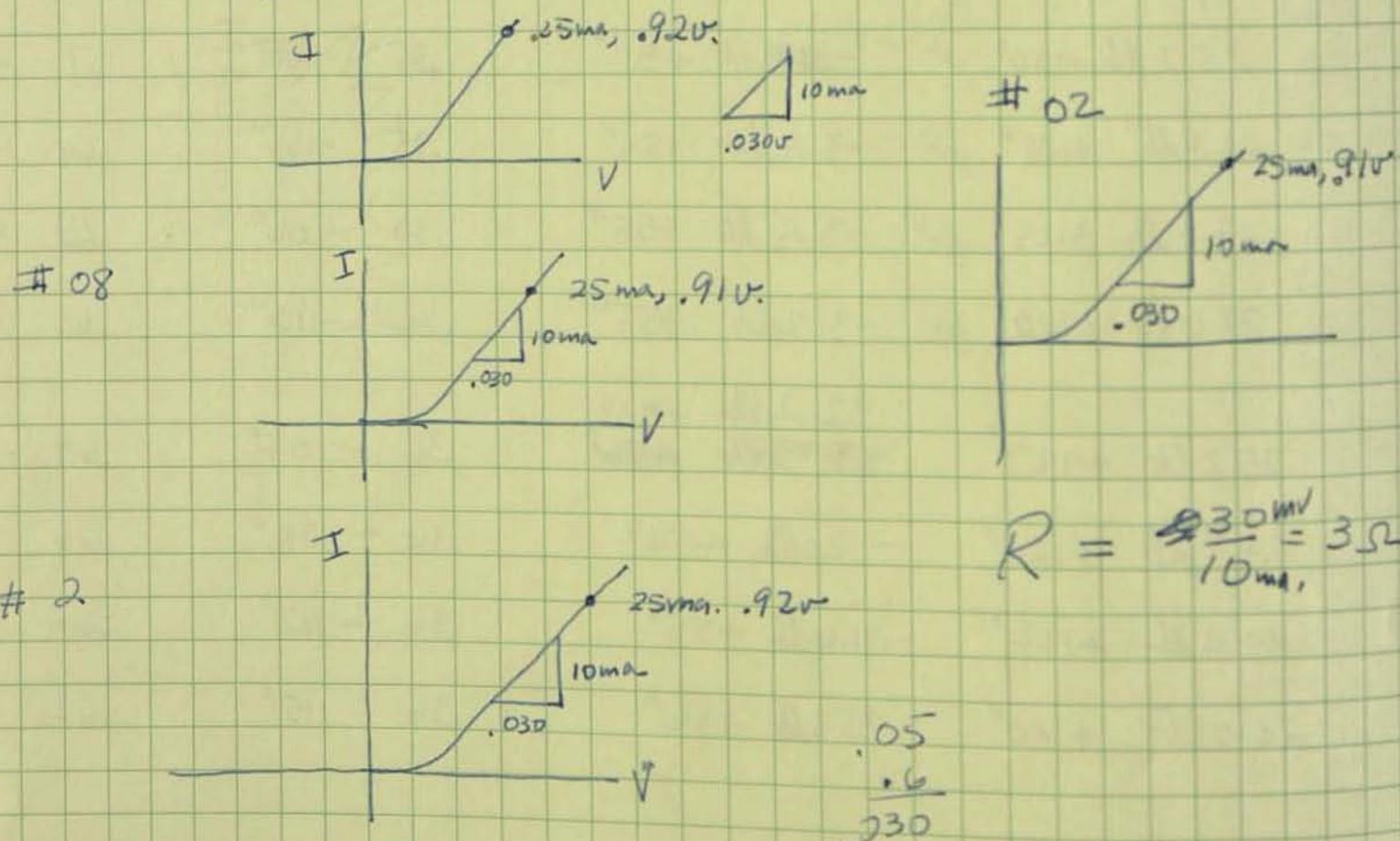
GETTING EQUIVALENT CIRCUIT - D.C. FOR
ECAP ON COMPUTER

FOR GROUNDED Emitter INPUT LOOK LIKE Diode.



DATA OBTAINED ON CURVE TRACER

TEST TRANSISTOR



Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

11/19/70

Cont. From p. 94

95

$$\beta = \frac{\Delta I_C}{\Delta I_B} = \frac{(28 - 14) \text{ mA}}{(0.8 - .4) \text{ mA}} = 35$$

25 -

20 -

15 -

mA.

10 -

5 -

0 .1 .2 .3 .4 .5 .6 .7 .8) .9 1.0

VOLTS

 $V_B = .835$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

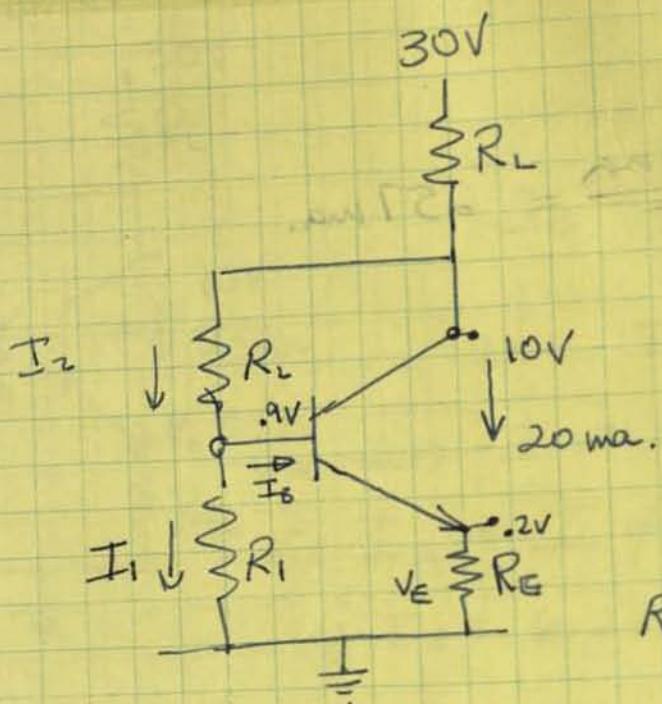
Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

ASSUME $\beta = 50$

$$I_B = \frac{20 \text{ mA}}{50} = .4 \text{ mA}$$

$$\text{LET } I_I = 10 I_B$$

$$I_I = 4.0 \text{ mA}$$

$$\therefore I_2 = 4.0 + .4 = 4.4 \text{ mA}$$

$$R_2 = \frac{10 \text{ V}}{4.4 \text{ mA}} = 2.2 \text{ K}$$

$$V_E = I_2 R_2 = 4.4 \times 10^{-3} \times 2.2 \text{ K} = \boxed{R_2 = 2.2 \text{ K}}$$

$$\frac{10}{20} \times 10^{-3}$$

500 Ω

 ~~$V_E = .2 \text{ V}$~~ FROM EXPERIENCE

$$R_E = \frac{.2 \text{ V}}{20 \text{ mA}} = \frac{.2}{20 \times 10^{-3}} = \frac{20}{0.20} = 10 \Omega$$

$$\boxed{R_E = 10 \Omega}$$

$$V_{R_1} = .9 \text{ V}$$

$$R_1 = \frac{.9}{4 \text{ mA}} = \frac{.9}{4 \times 10^{-3}} = \frac{900}{4}$$

$$\boxed{R_1 = 225 \Omega}$$

$$I_{RL} \approx 20 \text{ mA} + 5 \text{ mA}$$

$$R_L = \frac{20}{25 \text{ mA}} = \frac{20}{25 \times 10^{-3}} = \frac{20000}{25}$$

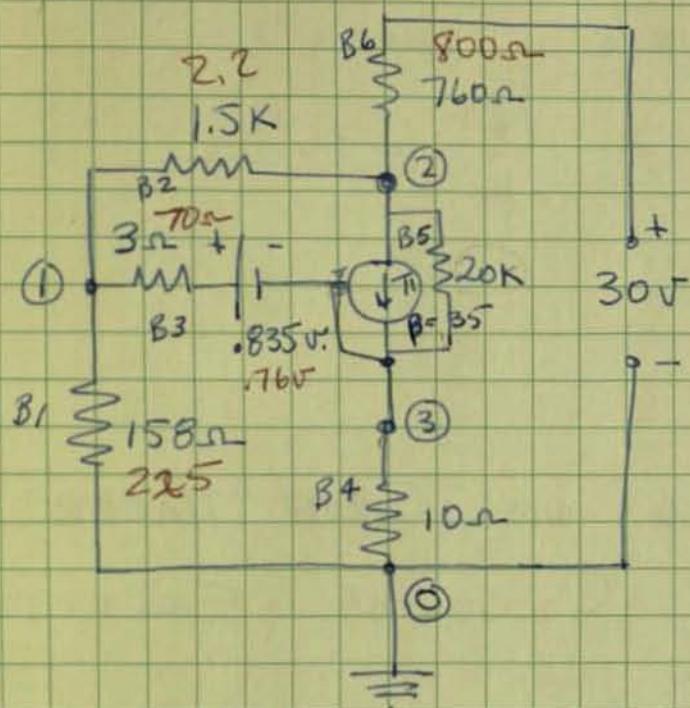
$$\boxed{R_L = 800 \Omega}$$

11/19/76

CONT. FROM P. 96

97

CONSIDER THE FOLLOW D.C. EQUIVALENT CIRCUIT.

For E-CAP
D.C. ANALYSIS.

B₁ N(1,0),
 B₂ N(2,1),
 B₃ N(3,1),
 B₄ N(0,3),
 B₅ N(3,2),
 B₆ N(0,2),
 T₁ B(3,5)

$$\begin{aligned}
 R &= 158 \quad 225 (.1) \\
 R &= 1500 \quad 2200 (.1) \\
 R &= 760, E = +.835 (.2) \\
 R &= 10 (.05) \\
 R &= 20 E 3 (.1) \\
 R &= 990, E = +30 \\
 \text{DETA} &= 35 \\
 &\quad 50
 \end{aligned}$$

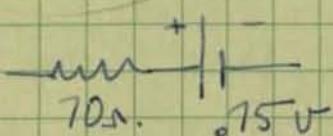
DATA ON P. 94 & 95 WAS RE-RUN

HERE IS RESULTS

$$\# 2 \quad V_{BE} = .76, \quad R = \frac{35}{.5} = 70\Omega.$$

$$\# 01 \quad V_{BE} = .75, \quad R = 70\Omega$$

$$\# 09 \quad V_{BE} = .74, \quad R = 70\Omega$$

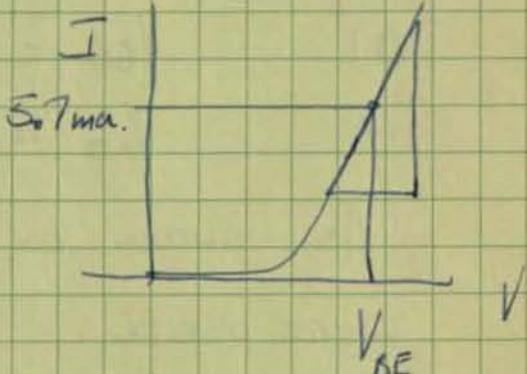
IN B₃ ABOVE

Now RE-RUN WITH

$$2.5 \text{ mV/}^{\circ}\text{C} \times 100^{\circ}\text{C} = .25\text{V}$$

$$\frac{.25}{.75} = .33, \quad \frac{.33}{2} = .165$$

~~.17~~



B ₁	N(1,0),	R = 225 (.1)
B ₂	N(2,1),	R = 2200 (.1)
B ₃	N(3,1),	R = 70, E = .75
B ₄	N(0,3),	R = 10 (.05)
B ₅	N(3,2),	R = 20 000
B ₆	N(0,2),	R = 800 (.1), E = 30
T ₁	B(3,5),	BETA = 35

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

11/23/70

CONT. FROM p. 97.

THE β ON THE PREVIOUS PAGE WAS
MEASURED ON THE CURVE TRACER

$$\beta = \frac{\Delta I_C}{\Delta I_B} = \frac{(28-14) \text{ ma}}{(0.8-0.4) \text{ ma}} = \frac{14}{0.4} = 35$$

To get $\frac{V_{BE}}{R}$

TRANSISTORS WERE MEASURED ON CURVE TRACER

BASE { Emitter IN Collector Emitter
TERMINALS.

#2 $V_{BE} = .76 \text{ v.}$, $R = 70 \Omega$.

#01 $V_{BE} = .75 \text{ v.}$, $R = 70 \Omega$

#09 $V_{BE} = .74 \text{ v.}$, $R = 70 \Omega$

As shown on PAGE 97 $V_{BE} = .75 \text{ v.}$ if $R = 70 \Omega$

WERE USED.

AFTER ONE PASS ON COMPUTER $R = 2500 \Omega$
WAS CHANGED TO $R = 2000 \Omega$. WITH 10% TOLERANCES
PUTTING THIS INTO L. BESSER'S "QUICK" PROGRAM
— THE CIRCUIT WAS ASSEMBLED AS FOLLOWS:

CONT. ON NEXT PAGE -

Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

11/23/10 CONT. From p. 28

PRNT .0.0.0.0

99

? / 224)

/ SMT)

/ S.M)

X

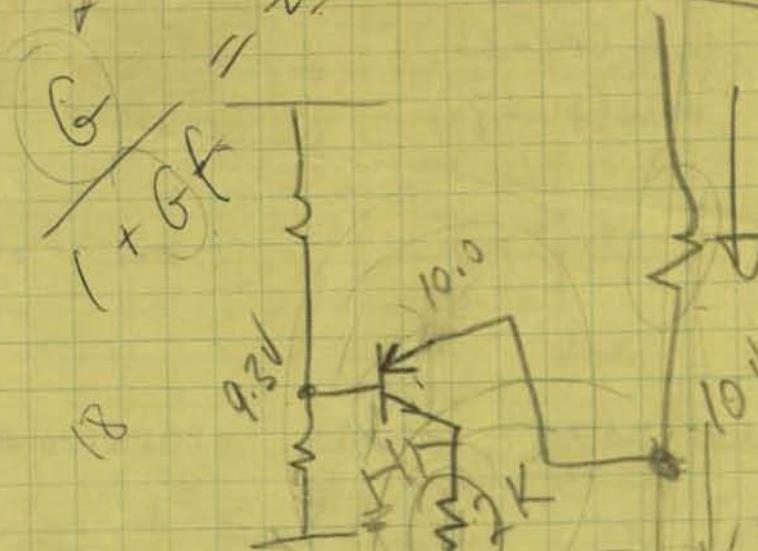
Y

Z

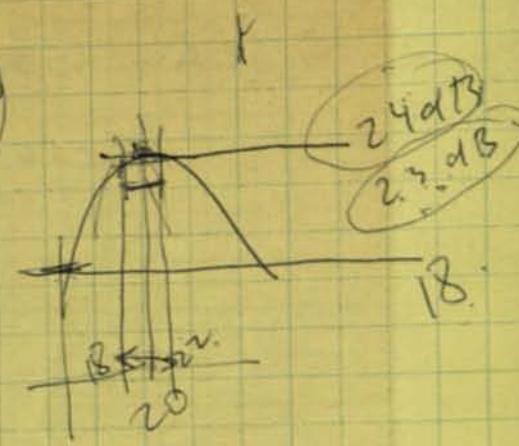
Signature _____ Date _____
Signature _____ Date _____

Signature _____ Date _____
Signature _____ Date _____

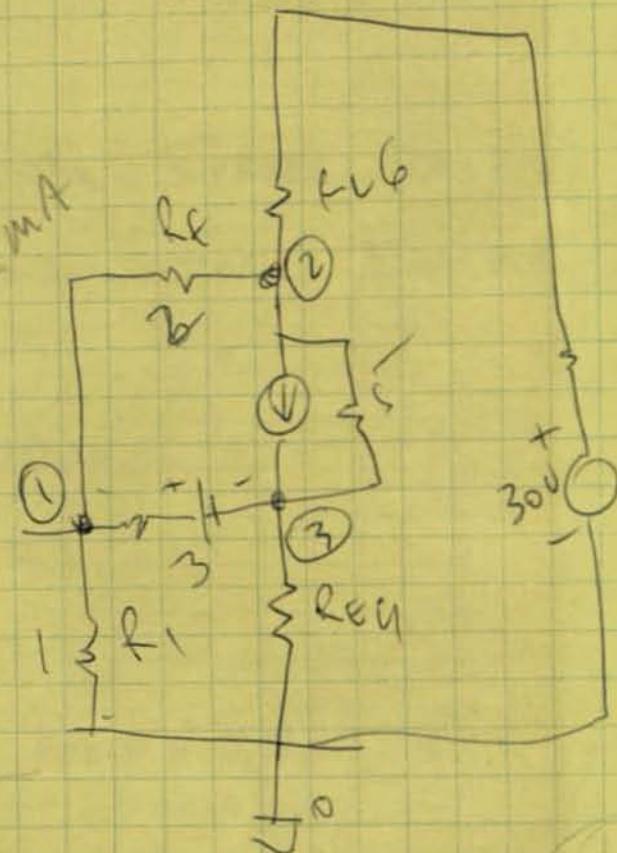
$\times 10^0 C$ $\times 10^2 K$
 20 dBm $10^0 F$



10dB
9.3V



24dB
2.7dB



B1 $N(1,0)$, $R=220$, $V=1$
B2 $N(2,1)$, $R=2200$, $V=1$
B3 $N(3,1)$, $R=2200$, $V=1$



11/23/70 CONT. From p. 98

99

*PRNT', 0, 0, 0, 0
*/
9, 65, 80, 5, 1
'RP', 1, 225., 0, 0
'SAV1', 0, 0, 0, 0
'RS', 2, 2000., 0, 0
'SCE', 5, 0, 0, 0
'PPAD', 5, 0, 0, 0
'RP', 2, 10., 0, 0
'SSAD', 4, 0, 0, 0
'RP', 1, 800., 0, 0
'PRNT', 0, 0, 0, 0
.35, -100., .025, 52., 18.2, 130., .7, -29.
.35, -103., .025, 54., 17.4, 128., .68, -30.
.36, -106., .027, 55., 16.6, 125., .66, -31.
.36, -110., .027, 55., 15.8, 122., .63, -32.

*W AGC
NEW FILE
301 CHARACTERS
*Q

-ASSIGN F:3, (FILE, AGC), (IN)

-G0: QUICK

F = 65.0000

.39 -28.62 .047 30.44 4.86 163.06
S21= 13.73 DB K= 1.22

.70 -9.87

F = 70.0000

.39 -30.48 .048 32.21 4.83 161.85 .70 -10.65
S21= 13.67 DB K= 1.22

F = 75.0000

.40 -32.91 .049 34.48 4.81 160.23 .70 -11.51
S21= 13.64 DB K= 1.17

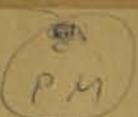
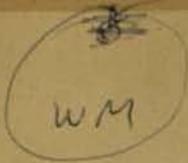
F = 80.0000

.40 -35.40 .050 35.68 4.79 158.50 .69 -12.54
S21= 13.61 DB K= 1.15

STOP 0

-BYE

11/20/70 16:42
RAD SPACE 3
CPU TIME 0.014
I/O WAIT TIME 0.016
MON SERVICES 0.010



R / 24)

W / SAM)

R / SAM)



Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

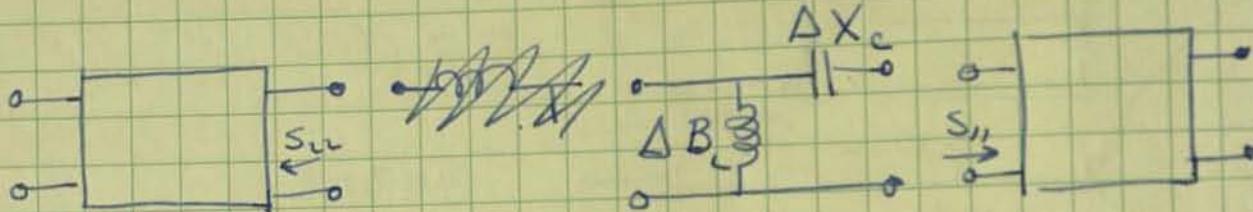
Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

11/23/70 CONT. FROM P. 99

IT APPEARS THAT INTERSTAGE MATCHING
CAN BE ACHIEVED WITH A SHUNT L AND
A SERIES C. (SEE ATTACHED SMITH CHART)



From THE CHART, (AT f = 75 MHz)

$$\Delta \frac{B_L}{Y_0} = .38$$

$$\frac{1}{wL} = (\cdot 38)(6.02)$$

$$= .0076$$

$$L = \frac{.0076}{2\pi 75 \times 10^6}$$

$$= \frac{7.600}{150\pi} \times 10^{-9} = \frac{760}{15\pi} \times 10^{-12}$$

$$\boxed{L = 16.1 \text{ p.h.}}$$

$$\Delta \frac{X_C}{Z_0} = 1.6$$

$$\frac{1}{wC} = (1.6)(50) = 80$$

$$C = \frac{1}{80 \cdot 2\pi 75 \times 10^6}$$

$$= \frac{10^{-7}}{8\pi 150} = \frac{10^{-8}}{120\pi}$$

$$= \frac{10^{-9}}{12\pi} = \frac{1000}{12\pi} \times 10^{-12}$$

$$\boxed{C = 26.5 \text{ p.f.}}$$

CAN MATCH OUTPUT S₂₂ WITH A SHUNT INDUCTANCE

FROM CHART $\left(\frac{B_L}{Y_0}\right)_o = .10 \quad (B_-)_o = .0020$

$$wL_o = .0020$$

Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

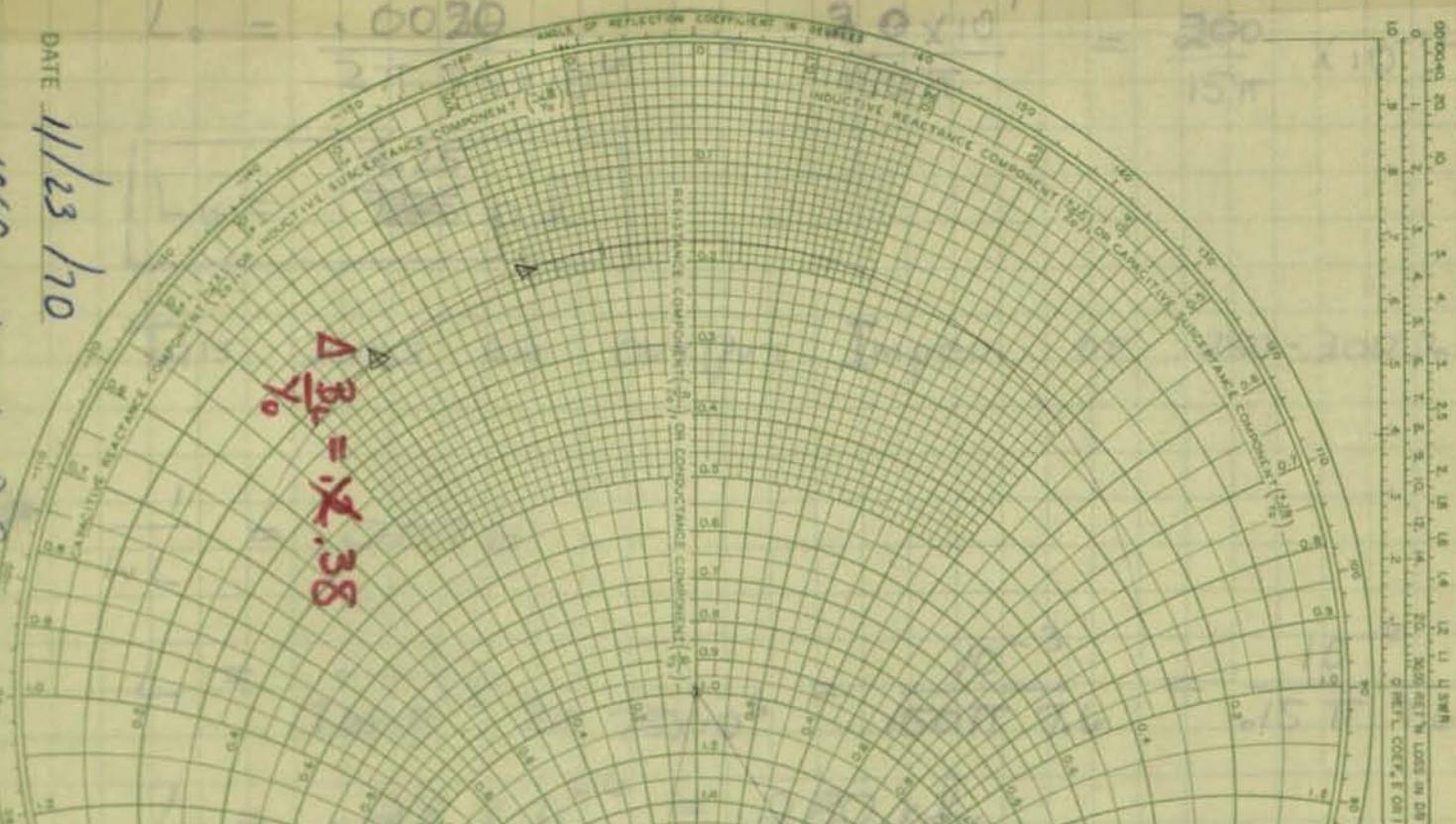
Signature _____ Date _____

Signature _____ Date _____

11/23/70

CONT. From p. 100

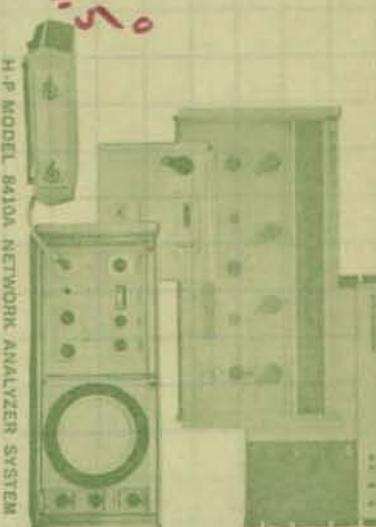
101



$$\Delta \frac{\beta_L}{Y_0} = -11.5^\circ$$

6.5 MHz
1 2 3 4 5 6 7 8 9

DATE 11/23/70
DEVICE 1060 WITH D.C.
BIAS CIRCUIT (INCLUDING FEEDBACK)



DEVICE TEST PROCEDURE

1. Connect equipment: 8410A Sweep Oscillator, 8741A or 8742A Reflection Unit, 8414A Network Analyzer, Noise Lab Recorder to 8414A Polar Display.
2. Set Sweeper to CW frequency, set 8410A frequency range, adjust RF level, push beam center, position beam at center of Polar Display.
3. Connect short to Reflection Unit, adjust amplitude and phase verniers and line stretcher for $1 \angle 180^\circ$ reading on 8414A.
4. Press beam center, adjust X-Y plotter zero controls to give a reference over 1.0 ± 0.0 on Smith Chart.
5. Adjust X channel gain for 0.0 ± 0.0 on Smith Chart, press beam center and repeat step 5 for points of 0.0 ± 1.0 making adjustment with Y channel gain and zero controls.
6. Adjust Reflection Unit line stretcher for $\pm 90^\circ$ phase shift on 8414A display, repeat step 5 for points of 0.0 ± 1.0 making adjustment with Y channel gain and zero controls.
7. Move line stretcher to give 360° phase shift to check plotter settings.
8. Set start/stop frequencies for sweep operation; disconnect X-Y recorder; with sweeper on auto, adjust line stretcher for minimum phase shift; position center of trace at $1 \angle 180^\circ$ with phase vernier; sweep or to manual sweep; connect X-Y recorder.
9. Connect test device and sweep.

HEWLETT PACKARD
6000A Series
CIRCUIT INSTRUMENTS

HEWLETT
 PACKARD

Signature _____ Date _____
Signature _____ Date _____
Signature _____ Date _____

Signature _____ Date _____
Signature _____ Date _____
Signature _____ Date _____

$$L_0 = \frac{1}{2\pi 75 \times 10^6} \frac{150\pi}{15\pi}$$

$L_0 = \frac{4.25}{75} \text{ pH.}$

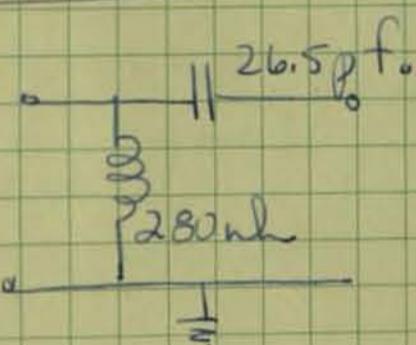
THIS GIVES AN OUTPUT IMPED. OF 250-300 Ω. REAL.

→ $\frac{1}{WL} = .0076$

$$L = \frac{1}{7.6 \times 10^{-3} 2\pi 75 \times 10^6} = \frac{10^{-3}}{150\pi 7.6} = \frac{10^{-6}}{0.15\pi 7.6}$$

$$L = .28 \times 10^{-6} = 280 \text{ nH}$$

$L = 280 \text{ nH}$



Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

11/24/70

CONT FROM P. 101

FMOD, 9203LB

FAC
AIR

7EDIT
 *R AGC
 301 CHARACTERS
 *14/
 .36,-110.,.027,55.,15.8,122.,.63,-32.
 *14 COPY 14
 *13 COPY 13
 *12COPY12
 *11COPY11
 *9E
 'RP',1,800.,0,0
 L-'LP',1,.28---280.,0,0
 *2COPY2,9
 */
 9,65,80,5,1
 'RP',1,225.,0,0
 'SAV1',0,0,0,0
 'RS',2,2000.,0,0
 'SCE',5,0,0,0
 'PPAD',5,0,0,0
 'RP',2,10.,0,0
 'SSAD',4,0,0,0
 9 'LP',1,280.,0,0
 'RP',1,225.,0,0
 'SAV1',0,0,0,0
 'RS',2,2000.,0,0
 'SCE',5,0,0,0
 'PPAD',5,0,0,0
 'RP',2,10.,0,0
 'SSAD',4,0,0,0
 'LP',1,280.,0,0
 'PRNT',0,0,0,0
 .35,-100.,.025,52.,18.2,130.,.7,-29.
 .35,-100.,.025,52.,18.2,130.,.7,-29.
 .35,-103.,.025,54.,17.4,128.,.68,-30.
 .35,-103.,.025,54.,17.4,128.,.68,-30.
 .36,-106.,.027,55.,16.6,125.,.66,-31.
 .36,-106.,.027,55.,16.6,125.,.66,-31.
 .36,-110.,.027,55.,15.8,122.,.63,-32.
 .36,-110.,.027,55.,15.8,122.,.63,-32.
 *10I
 'CS',1,26.5,0,0
 *19/
 'PRNT',0,0,0,0
 *18E
 'LP',1,280.,0,0
 'RP',1,800.,0,0
 *1E
 9,65,80,5,1
 18,65,80,5,2
 *W AGC2
 NEW FILE
 592 CHARACTERS
 *Q

-ASSIGN F:3,(FILE,AGC2),(IN)

-G0: QUICK

F = 65.0000

.49 -81.42	.004 123.03	41.41	28.25	.74 -16.48
S21= 32.34 DB	K= 1.27			

F = 70.0000

.44 -87.24	.004 116.91	42.06	16.18	.71 -20.86
S21= 32.48 DB	K= 1.39			

F = 75.0000

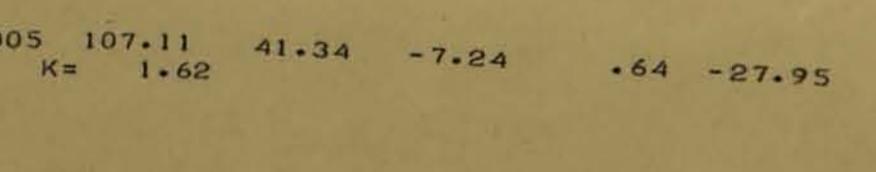
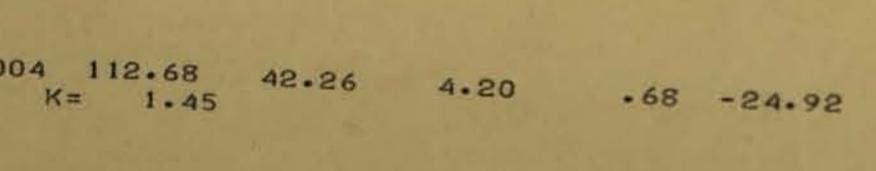
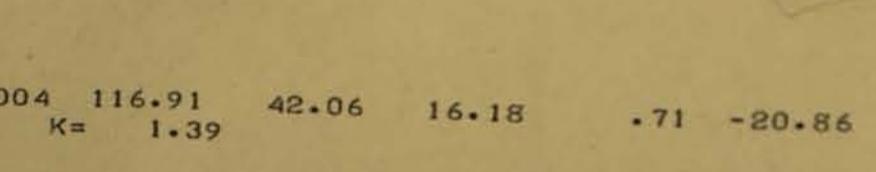
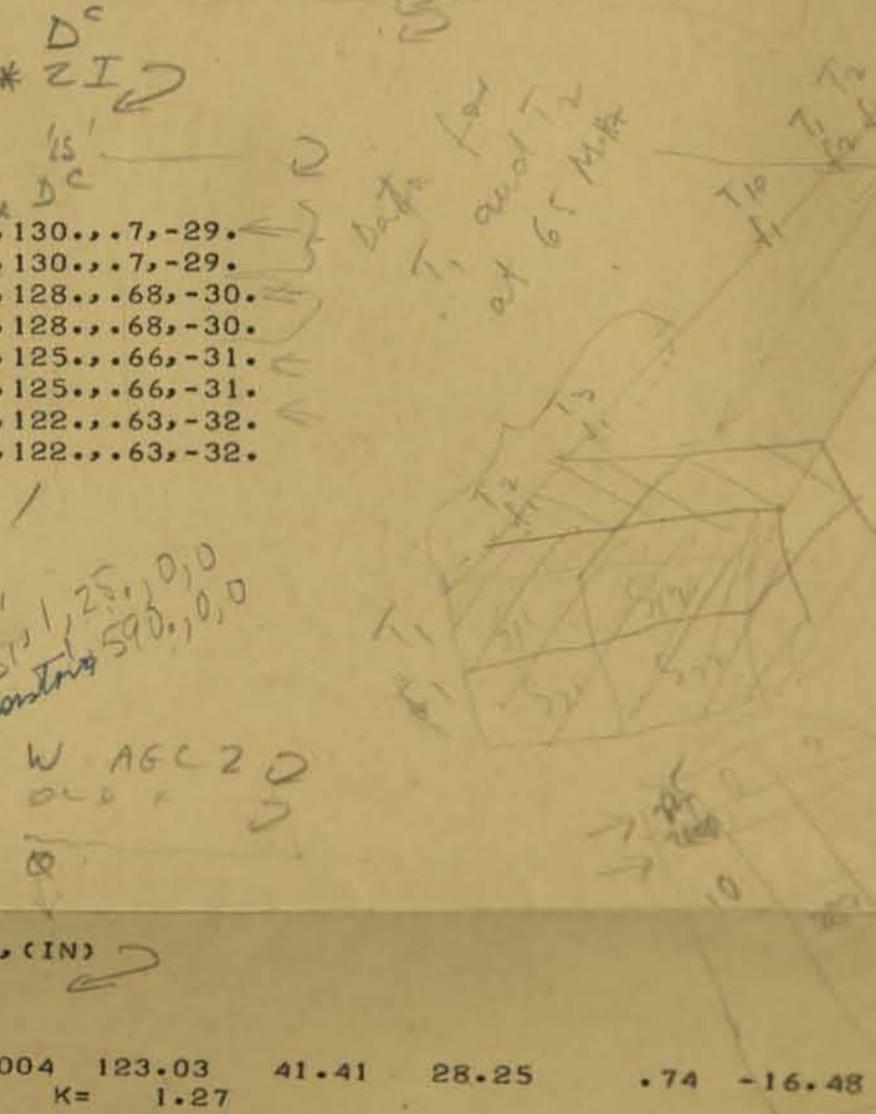
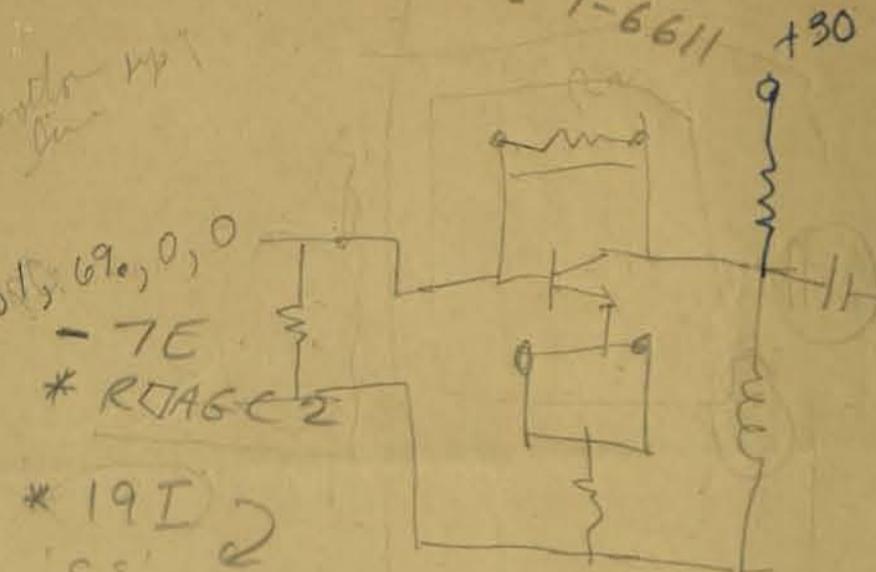
.40 -93.46	.004 112.68	42.26	4.20	.68 -24.92
S21= 32.52 DB	K= 1.45			

F = 80.0000

.36 -98.44	.005 107.11	41.34	-7.24	.64 -27.95
S21= 32.33 DB	K= 1.62			

STOP 0

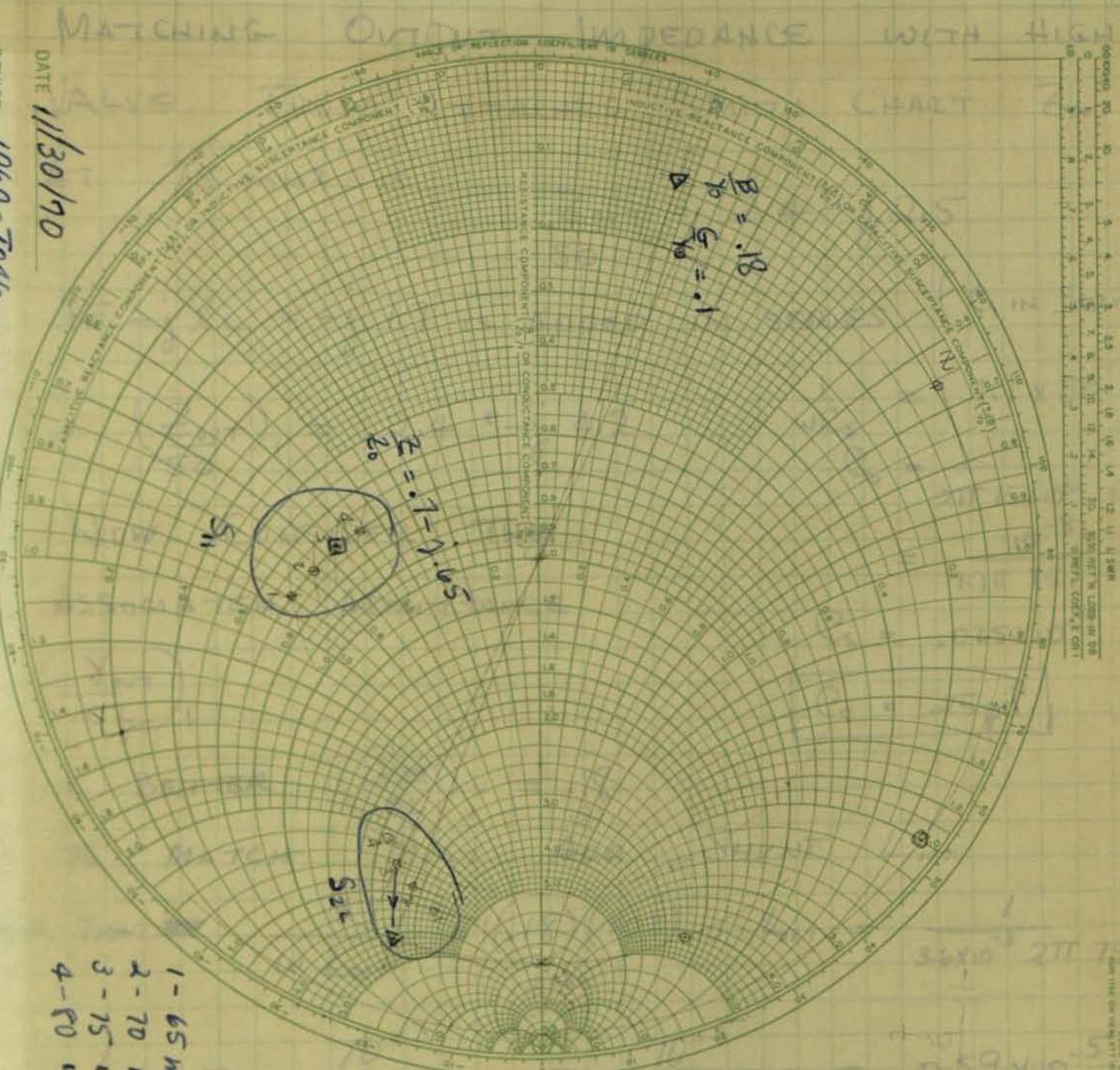
-BYE
 11/23/70 16:08
 RAD SPACE 2
 CPU TIME 0.025
 I/O WAIT TIME 0.020
 MON SERVICES 0.015



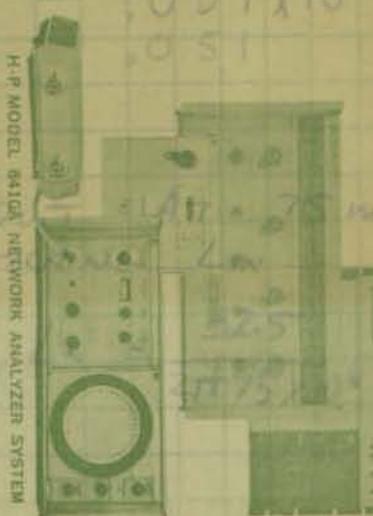
CONT. FROM P. 102

11/29/70

103



$1 - 65 \text{ MHz}$
2 - 70
3 - 75
4 - 80



DEVICE TEST PROCEDURE

1. Connect equipment: 8590A Sweep Oscillator, 8741A or 8742A Reflection Unit, 8410A/11A/14A Network Analyzer, Model X-Y Recorder to 8414A Polar Display rear panel outputs.
2. Set Sweeper to CW frequency, set 8410A frequency range, adjust RF level, push beam center, position beam at center of Polar Display.
3. Connect short to Reflection Unit, adjust amplitude and phase verniers, and line stretcher for $1 - 180^\circ$ reading on 8414A.
4. Press beam center, adjust X-Y plotter zero controls to give a reference over 1.0 ± 0.0 on Smith Chart.
5. Adjust X channel gain for 0.0 ± 0.0 on Smith Chart, press beam center and adjust zero reference to 1.0 ± 0.0 . Repeat until no correction need be made at either position.
6. Adjust Reflection Unit line stretcher for $\pm 90^\circ$ phase shift on 8414A display, repeat step 5 for points of 0.0 ± 1.0 making adjustment with Y channel gain and zero controls.
7. Move line stretcher to give 360° phase shift to check plotter settings.
8. Set start/stop frequencies for swept operation; disconnect X-Y recorder, with sweeper on auto, adjust line stretcher for minimum phase shift, position center of trace at $1 - 180^\circ$ with phase vernier; switch to manual sweep; connect X-Y recorder.
9. Connect test device and sweep.

HEWLETT PACKARD
PARO 6747
Date 11/30/70

DATE 11/30/70
DEVICE 1060-7046
MWT 601A

hp
HEWLETT PACKARD

Signature _____ Date _____
Signature _____ Date _____
Signature _____ Date _____

Signature _____ Date _____
Signature _____ Date _____

MATCHING OUTPUT IMPEDANCE WITH HIGH
VALUES. FROM ATTACHED SMITH CHART Z_{out}

AT 75 MHz IS:

$$\frac{Z_{out}}{50} = 2.4 - j2.5$$

IF $-jX_C = -j1.7$ IS ADDED IN SERIES (C_s IN SERIES)

$$\left(\frac{Z_{out}}{50}\right)_1 = 2.4 - j4.2$$

NOW CONSIDER THE

ASSOCIATED ADMITTANCE

$$\left(\frac{Y_{out}}{.02}\right)_1$$

OR BETTER

$$\left(\frac{B_{out}}{.02}\right)_1 = .18$$

TO MATCH MUST ADD SHUNT L_{out}

SUCH THAT $\frac{1}{wL_{out}} = (.18)(.02)$, $L_{out} = \frac{1}{3.6 \times 10^{-3} 2\pi 75 \times 10^6}$

$$L_{out} = \frac{10^{-3}}{\frac{3.6 \pi}{4.2} 150} = \frac{10^{-5}}{\frac{3.6 \pi}{4.2} 1.5} = \frac{.059 \times 10^{-5}}{.051}$$

$$L_{out} = 590 \text{ nH}$$

ALSO FROM CHART FOR OUTPUT INPUT AT 75 MHz

$$\frac{Z}{50} = .7 - j.65 \quad \text{FOR INPUT MATCHING } L_{in}$$

$$\frac{1}{wL_{in}} = .65 \cdot 50 = 32.5, L_{in} = \frac{32.5}{2\pi 75 \times 10^6} = \frac{32.5 \times 10^{-9}}{15\pi}$$

$$L_{in} = 69 \text{ nH}$$

Statement of Operation _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

11/29/70
30

THE

IN CYSHARE BTM E00.6 SUPPLEMENTAL SERVICE
 12/04/70 12:28
 - WHO IS CALLING, PLEASE?
 ?
 - WHO IS CALLING, PLEASE?
 FAIR MICROWV
 ?
 - WHO IS CALLING, PLEASE? FMOD, 9203LB,
 ID= C
 - 7EDIT
 *R AGC2
 392 CHARACTERS
 *4-
 *\$=27
 *19I
 'CS', 1, 25., 0, 0
 'LP', 1, 590., 0, 0
 *2I
 'LS', 1, 69., 0, 0
 *\$=30
 *1EDIT
 18, 65, 80, 5, 2
 21, 65, 80, 5, 2
 *W AGC2
 OLD FILE
 638 CHARACTERS
 *\br/>
 ?
 */
 21, 65, 80, 5, 2
 'LS', 1, 69., 0, 0
 'RP', 1, 225., 0, 0
 'SAV1', 0, 0, 0, 0
 'RS', 2, 2000., 0, 0
 'SCE', 5, 0, 0, 0
 'PPAD', 5, 0, 0, 0
 'RP', 2, 10., 0, 0
 'SSAD', 4, 0, 0, 0
 'LP', 1, 280., 0, 0
 'CS', 1, 26.5, 0, 0
 'RP', 1, 225., 0, 0
 'SAV1', 0, 0, 0, 0
 'RS', 2, 2000., 0, 0
 'SCE', 5, 0, 0, 0
 'PPAD', 5, 0, 0, 0
 'RP', 2, 10., 0, 0
 'SSAD', 4, 0, 0, 0
 'RP', 1, 800., 0, 0
 'CS', 1, 25., 0, 0
 'LP', 1, 590., 0, 0
 'PRNT', 0, 0, 0, 0
 .35, -100., 025, 52., 18.2, 130., 7, -29.
 .35, -100., 025, 52., 18.2, 130., 7, -29.
 .35, -103., 025, 54., 17.4, 128., 68, -30.
 .35, -103., 025, 54., 17.4, 128., 68, -30.
 .36, -106., 027, 55., 16.6, 125., 66, -31.
 .36, -106., 027, 55., 16.6, 125., 66, -31.
 .36, -110., 027, 55., 15.8, 122., 63, -32.
 .36, -110., 027, 55., 15.8, 122., 63, -32.
 *QUIT

-ASSIGN F:3, (FILE, AGC2), (IN)

-GO: QUICK SPEEDY

FREQ. MHZ	OVERALL S PARAMETERS							
	S11 MAG.	ANG.	S12 MAG.	ANG.	S21 MAG.	ANG.	S22 MAG.	ANG.
65.	.13	-103.5	.003	131.5	36.09	36.7	.84	6.6
	S21= 31.15 DB		K= 1.27					
70.	.07	-122.0	.003	123.6	35.73	22.9	.82	1.8
	S21= 31.06 DB		K= 1.39					
75.	.05	-167.9	.004	117.8	35.34	9.3	.79	-2.6
	S21= 30.96 DB		K= 1.45					
80.	.07	139.9	.004	111.1	34.32	-3.3	.76	-6.2
	S21= 30.71 DB		K= 1.62					

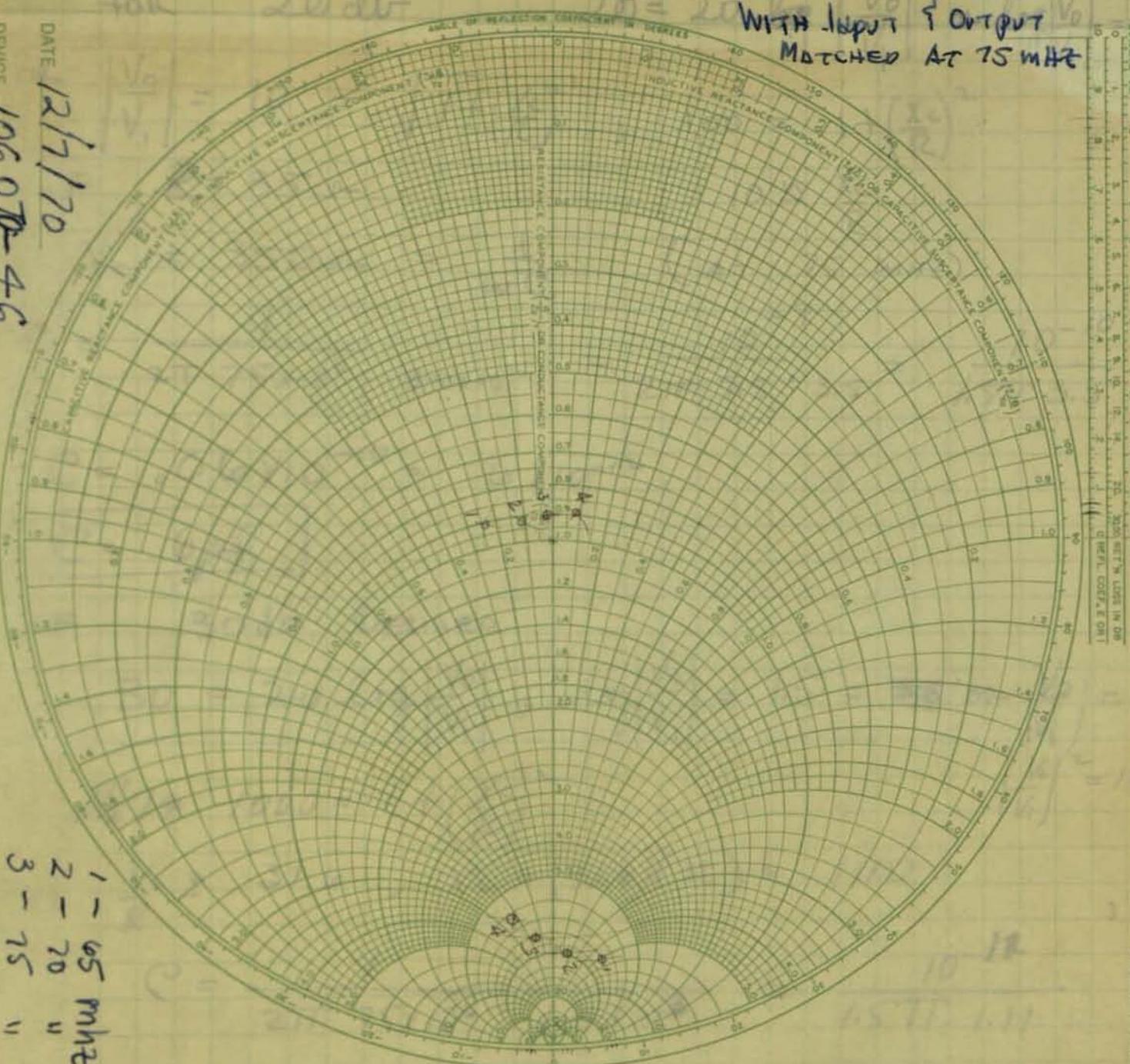
STOP 0

-BYE

12/1/70

CONT. FROM P. 104

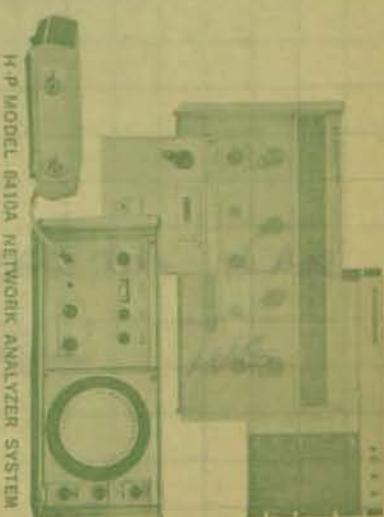
105

WITH INPUT & OUTPUT
MATCHED AT 75 MHz

1 - 65 MHz
2 - 70 " "
3 - 75 " "
4 - 80 "

HEWLETT  PACKARD

DATE 12/1/70
DEVICE 10607A-46



HP MODEL 8410A NETWORK ANALYZER SYSTEM

DEVICE TEST PROCEDURE

1. Connect equipment: 8690A Sweep Oscilloscope, 8741A or 8742A Reflection Unit, 8410A/11A/14A Network Analyzer, Mosley X-Y Recorder to 8414A Polar Display rear panel outputs.
2. Set Sweeper to CW frequency, set 8410A frequency range, adjust RF level, push beam center, position beam at center of Polar Display.
3. Connect short to Reflection Unit, adjust amplitude and phase verniers and line stretcher for $1 \angle 180^\circ$ reading on 8414A.
4. Press beam center, adjust X-Y plotter zero controls to give 0 reference over $1.0 \pm j0.0$ on Smith Chart.
5. Adjust X channel gain for $0.0 \pm j0.0$ on Smith Chart, press beam center and adjust zero reference to $1.0 \pm j0.0$. Repeat until no correction need be made at either position.
6. Adjust Reflection Unit line stretcher for $\pm 90^\circ$ phase shift on 8414A display, repeat step 5 for points of $0.0 \pm j1.0$ making adjustment with Y channel gain and zero controls.
7. Move line stretcher to give 360° phase shift to check plotter settings.
8. Set start/stop frequencies for sweep operation; disconnect X-Y recorder; with sweeper on auto, adjust line stretcher for minimum phase shift; position center of trace at $1 \angle 180^\circ$ with phase vernier; switch to manual sweep; connect X-Y recorder.
9. Connect test device and sweep.

Signature _____ Date _____

Signature _____ Date _____

106

12/2/70

CHARACTERIZATION OF 1060

NEAR 300 MHz
02

FREQ. (MHz)	S ₁₁	Θ	S ₂₂	Θ
270	.35	-170°	.43	-18°
280	.36	-171°	.42	-18°
290	.36	-173°	.42	-18°
300	.36	-174°	.41	-18°
310	.37	-175°	.41	-18°

I_c = 20mA
V_{ce} = 10V.

S ₂₁	Θ	S ₁₂	Θ
14.8	88°	24.4	+70°
14.8 dB	+84°	-24dB	+72°
14.3	88°	24.2	+71°
14.5 dB	+82°	-24dB	+71°
14.7 dB	+86°	-24.0	+71°
14.7 dB	+80°	-23.7 dB	+71°
13.8	184°	-23.8	+71°
14.0 dB	+79°	-23.5 dB	+71°
13.5	83°	-23.5	+71°
13.8 dB	+78°	-23.2 dB	+71°

08

270	.28	-160°	.41	-20°	14.8 dB +90°	-23.0 dB +70°
280	.28	-163°	.40	-20°	14.5 dB +88°	-22.5 dB +70°
290	.28	-165°	.40	-20°	14.4 dB +86°	-22.5 dB +70°
300	.29	-168°	.40	-21°	14.0 dB +85°	-22.2 dB +70°
310	.29	-169°	.39	-21°	13.8 dB +83°	-22.0 dB +70°

Trans.

S₁₁ Θ @ 270 mhzS₂₂ Θ @ 270 mhz

02

.35

-170

.35

-23°

09

.34

-168

.41

-19°

01

.33

-168

.38

-22°

Statement of Operation:

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

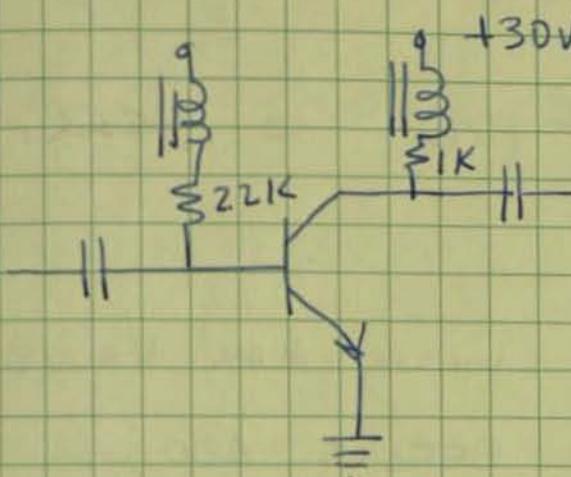
Signature _____ Date _____

12/3/70

107

CONT. FROM p. 106

BIAS CIRCUIT USED



$$I_c = 20 \text{ mA}$$

INDUCTORS :- 18 TURNS OF #30 WIRE
FERRITE - Q-3 TOROID
O.D. = .25"

12/8/70

FROM p. 103

CONSIDER

MATCHING S_{22} TO 2500Ω REAL AS ON
ACCOMPANYING SMITH CHART. AROUND 75 MHz
 $70 \mu\text{H}$ IS A REASONABLE INDUCTANCE TO
USE FOR HYBRID INTEGRATED CIRCUITS.

FROM CHART $\frac{Y_1}{Y_0} = 0.2 + j.215$. IF $L = 70 \mu\text{H}$ IS ADDED IN
SHUNT.

$$-jB_L = j \frac{1}{\omega L} = -j \frac{1}{2\pi 75 \times 10^6 \cdot 70 \times 10^{-9}} = -j \frac{1000}{1570720} = -j \frac{1000}{1570720} = -j \frac{1000}{1570720}$$

$$-j \frac{B_L}{Y_0} = -j \frac{10 \cdot 50}{10571} = -j \frac{500}{10571} \Rightarrow -j \frac{B_L}{Y_0} = j1.515$$

$$\frac{Y_{11}}{Y_0} = 0.2 + j.215 - j1.515 = 0.2 - j1.30$$

THEN $\frac{Z_{11}}{Z_0} = 0.12 + j.75$. ADDING AN INDUCTANCE
IN SERIES WILL ROTATE TO $Z_{12} = 0.12 + j2.30$

$$\Delta X_L = 2.30 - 0.75 = 1.55$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

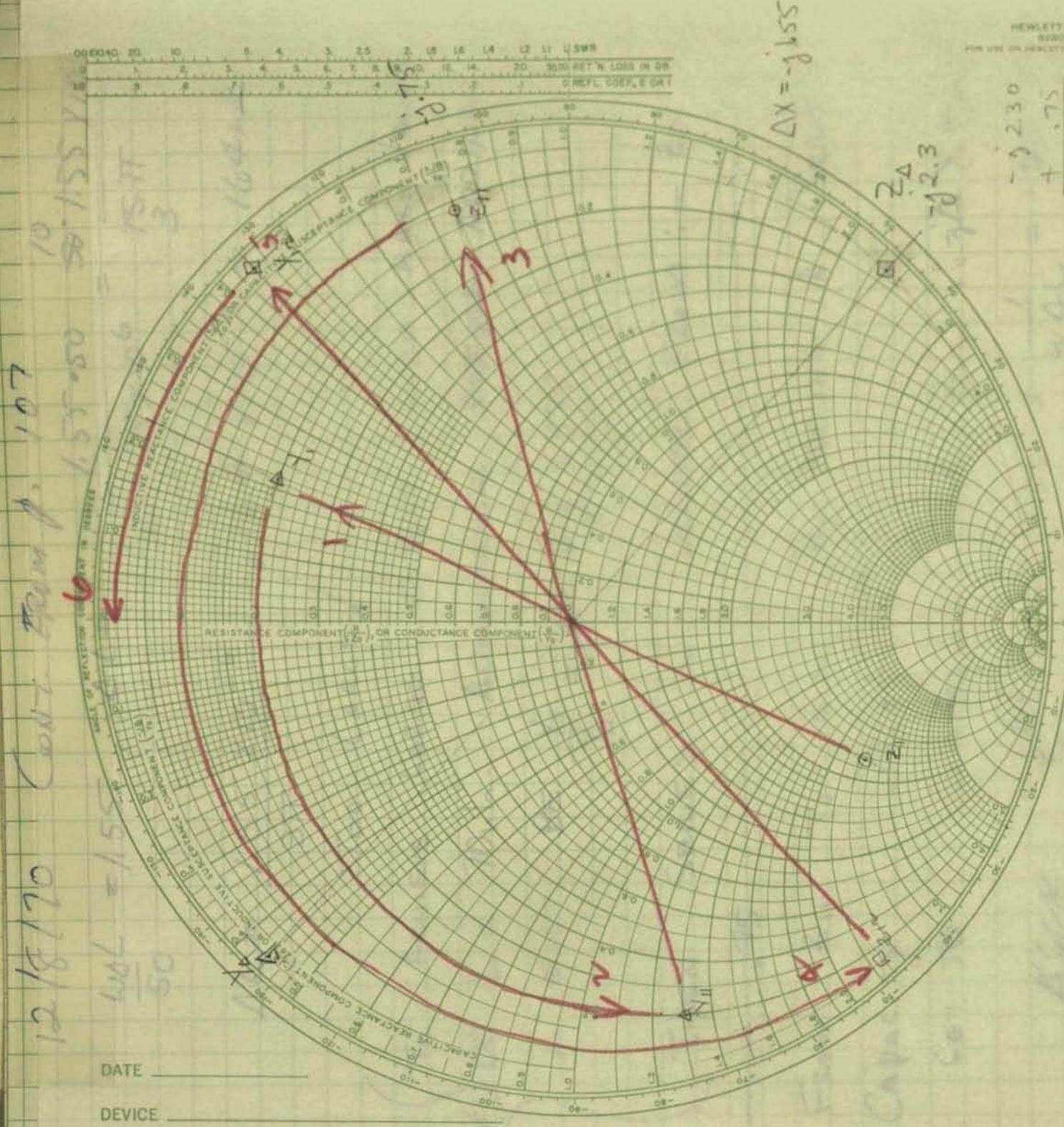
Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

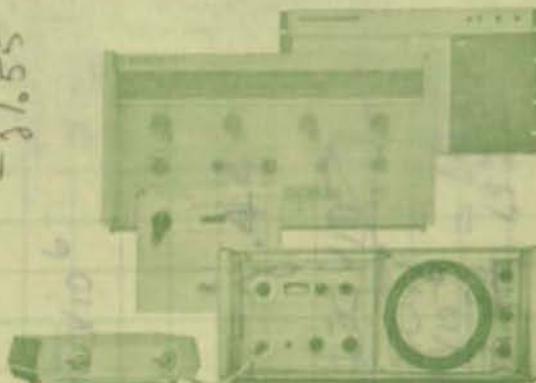
Signature _____ Date _____

Signature _____ Date _____



Hewlett-Packard
1980-1981

$$\begin{array}{r} 230 \\ + 75 \\ \hline 305 \end{array}$$



H-P MODEL 8410A NETWORK ANALYZER SYSTEM

DEVICE TEST PROCEDURE

1. Connect equipment: 8690A Sweep Oscillator, 8741A or 8742A Reflection Unit, 8410A/11A/14A Network Analyzer, Moseley X-Y Recorder to 8414A Polar Display rear panel outputs.
 2. Set Sweeper to CW frequency, set 8410A frequency range, adjust RF level, push beam center, position beam at center of Polar Display.
 3. Connect short to Reflection Unit, adjust amplitude and phase verniers and line stretcher for $1 / 180^\circ$ reading on 8414A.
 4. Press beam center, adjust X-Y plotter zero controls to give a reference over $1.0 \pm j0.0$ on Smith Chart.
 5. Adjust X channel gain for $0.0 \pm j0.0$ on Smith Chart, press beam center and adjust zero reference to $1.0 \pm j0.0$. Repeat until no correction need be made at either position.
 6. Adjust Reflection Unit line stretcher for $\pm 90^\circ$ phase shift on 8414A display, repeat step 5 for points of $0.0 \pm j1.0$ making adjustment with Y channel gain and zero controls.
 7. Move line stretcher to give 360° phase shift to check plotter settings.
 8. Set start/stop frequencies for swept operation; disconnect X-Y recorder; with sweeper on auto, adjust line stretcher for minimum phase shift; position center of trace at $1 / 180^\circ$ with phase vernier; sweeper to manual sweep; connect X-Y recorder.
 9. Connect test device and sweep.

HEWLETT  PACKARD

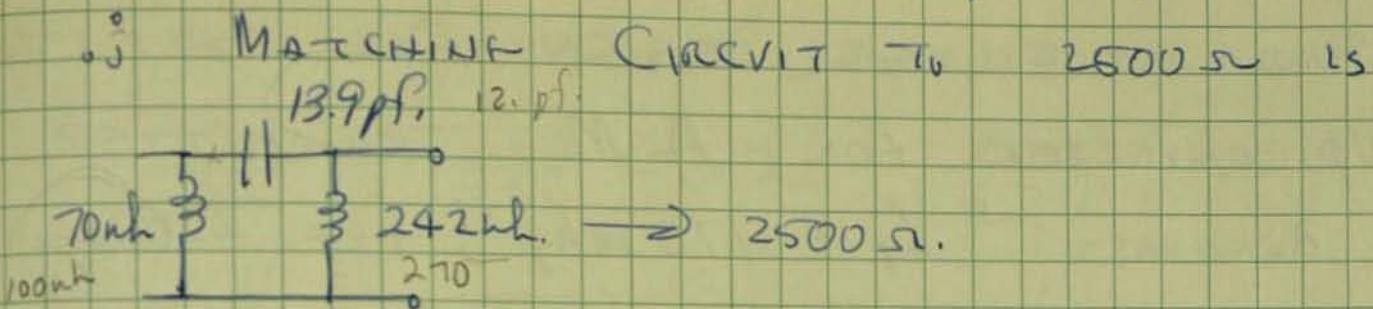
Witnessed operation (obtain two signatures):

בגדי מלחמה וטבילה

12/8/70

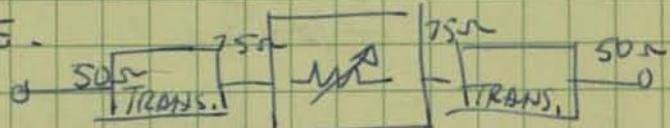
Cont. From p. 108

109



1/12/71 CONSIDERATIONS OF
TEMPERATURE VARIATIONS ON OVERALL
A.G.C. CIRCUITRY.

ATTENNUATOR PERFORMANCE.



INSER. Loss (db)	CURRENT (mA)	VOLTAGE (VOLTS)	$\frac{V}{I(K\Omega)}$	ABOUT .6 db LOSS IN TRANSFORMERS (TOTAL)
1.35	10.1	30.	3.0	
1.55	6.6	20.	3.0	+3
1.75	4.8	15.	3.1	
1.80	4.5	14	3.1	
1.85	4.1	13	3.2	
1.90	3.8	12	3.2	
2.0	3.4	11	3.2	
2.1	3.05	10	3.3	
2.2	2.7	9	3.3	
2.35	2.4	8	3.3	
2.55	2.0	7	3.5	
2.75	1.7	6	3.5	
3.1	1.35	5	3.7	
3.6	1.0	4	4.0	
4.5	.7	3.	4.1	
6.2	.4	2	5.0	
8.0	.2	1.5	7.5	
11.8	.0	1.0		-3

vs 2dB range

vs 2dB chart

MID RANGE 0

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

2/19/71

BANDPASS FILTER DESIGN FOR INPUT TO
UP CONVERTER FOR A.M. TRANSMITTER.

1. BANDPASS $f_1 = 170 \text{ mhz}$, $f_2 = 220 \text{ mhz}$

2. BAND STOP ($\Delta f = 88 \text{ mhz}$ to 108 mhz)
(FM TRANSMIT BAND)

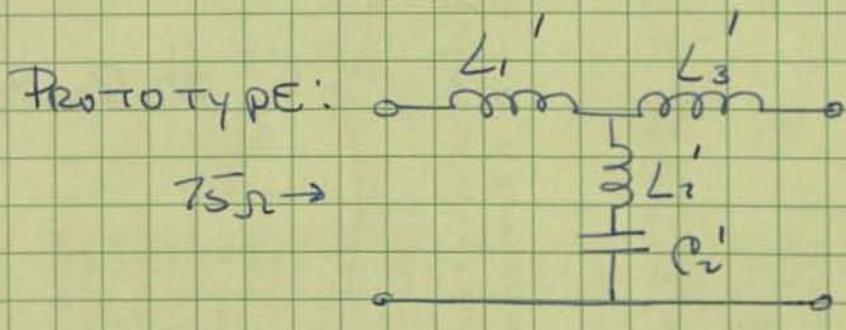
3. $R_r = 75 \Omega$ INPUT AND OUTPUT.

USING "FILTER SYNTHESIS HANDBOOK" BY
ZVEREV.

$N = 3$, $D = 4\%$ or $.01 \text{ db}$ Ripple-Pass Band
 $\Theta = 12^\circ$ or 36 db Insertion Loss (min. stop band)

$$f_m = \sqrt{f_1 f_2} = 193 \text{ mhz}$$

$$a = \frac{f_m}{\Delta f} = \frac{193}{50} = 3.86$$



From TABLES

$$L_1' = L_3' = .56$$

$$L_2' = .04$$

$$C_2' = .88$$

NORMALIZING FACTORS:

$$\frac{R_r}{w_r} = 6.2 \times 10^{-8}, \quad \frac{1}{R_r w_r} = 1.1 \times 10^{-11}$$

Statement of Operation:

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

For $\Theta = 12^\circ$ $\Omega_2 = 5.54$, $\Omega_1 = 1.72$

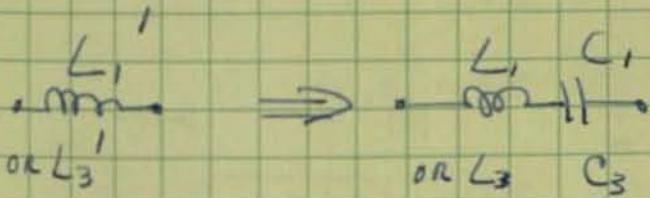
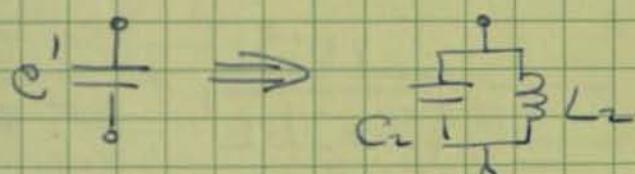
$$\frac{\Omega_\omega}{2a} = \frac{5.54}{1.72} = .72, \left(\frac{\Omega_\omega}{2a}\right)^2 = .52$$

$$\Omega_\pm = \sqrt{1+.52} \pm .72 = 1.23 \pm .72$$

$$\Omega_+ = 1.95, \Omega_- = .51, +_{\text{too}} = (193 \text{ mHz})(.51) = 98.5 \text{ mHz}$$

THIS SHOULD PUT MAX. ATTENUATION POINT IN MIDDLE OF $\Delta f = 88$ TO 108 MHz BAND.

LOW PASS TO BAND PASS TRANSFORMATIONS.



$$L_1 = aL_1' \frac{R_r}{w_r} = (3.86)(.56)(6.2 \times 10^{-8})$$

$$L_1 = L_3 = 18.3 \text{ nh}$$

$$C_1 = \frac{1}{aL_1'} \frac{1}{R_r w_r} = \frac{1.1 \times 10^{-11}}{(3.86)(.56)}$$

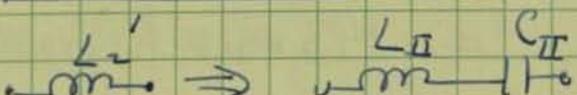
$$C_1 = C_3 = 501 \text{ pf}$$

$$L_2 = \frac{1}{aC_2'} \frac{R_r}{w_r} = \frac{6.2 \times 10^{-8}}{(3.86)(.88)}$$

$$L_2 = 18.3 \text{ nh}$$

$$C_2 = (3.86)(.88)(1.1 \times 10^{-11})$$

$$C_2 = 37.4 \text{ pf}$$



$$L_{II} = aL_2' \frac{R_r}{w_r} = (3.86)(.04)(6.2 \times 10^{-8})$$

$$L_{II} = 9.6 \text{ nh}$$

$$C_{II} = \frac{1.1 \times 10^{-11}}{(3.86)(.04)}$$

$$C_{II} = 71 \text{ pf}$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Reed and Understood (obtain two signatures):

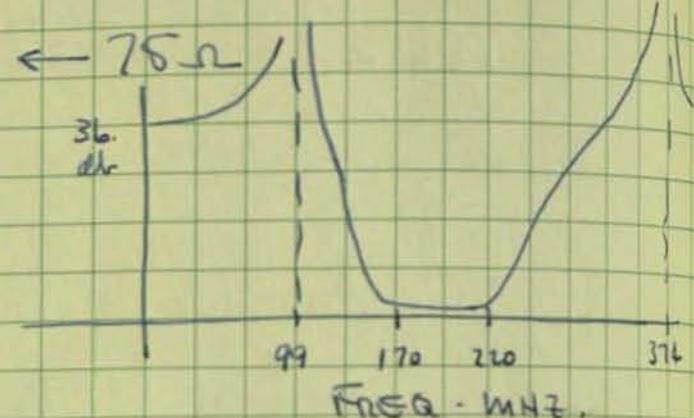
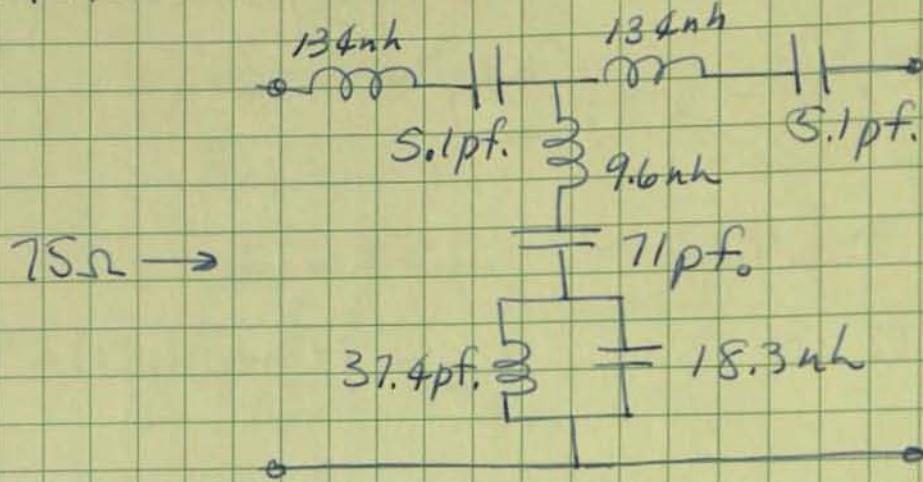
Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

FIND C₁, R_{CIVI} BECOMES:



RESONANCE CHECK:-

$$f_{II \text{ Res}} = \frac{1}{2\pi \sqrt{L_{II} C_{II}}} = \frac{1}{2\pi \sqrt{(9.6 \times 10^{-9})(71 \times 10^{-12})}} = \frac{10^{10}}{2\pi \sqrt{9.6 \cdot 7.1}} = \frac{10^{10}}{2\pi \sqrt{68.2}} = 193 \text{ MHz}$$

$$f_{I \text{ or } 3 \text{ Res}} = \frac{1}{2\pi \sqrt{5.1 \times 10^{-12} \cdot 134 \times 10^{-9}}} = \frac{10^{10}}{2\pi \sqrt{68.2}}$$

$$f_{I \text{ or } 3 \text{ Res}} = 193 \text{ MHz}$$

COIL INFO.

134 nH - #20 WIRE
6 1/4 TURNS .25 I.D.

$$f_2 = \frac{10^{10}}{2\pi \sqrt{37.4 \cdot 1.83}} = \frac{10^{10}}{2\pi \sqrt{68.5}}$$

$$f_2 = 193 \text{ mhz.}$$

18 nH ST WIRES .019"
.8" LONG
28 nH #18 1/4 TURNS
.25 I.D.

Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

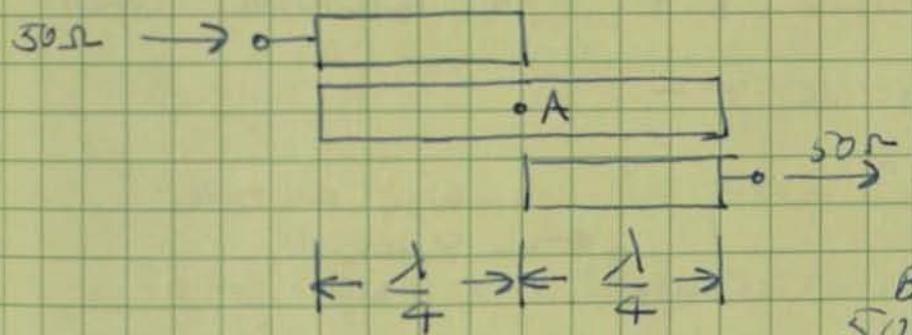
TRANSISTOR POWER AMPLIFIERS.

PULSED POWER AT 1090 MHz.

TRANSISTORS ARE RUN COMMON BASE IN ORDER TO ACHIEVE HIGHER BREAKDOWN VOLTAGES.

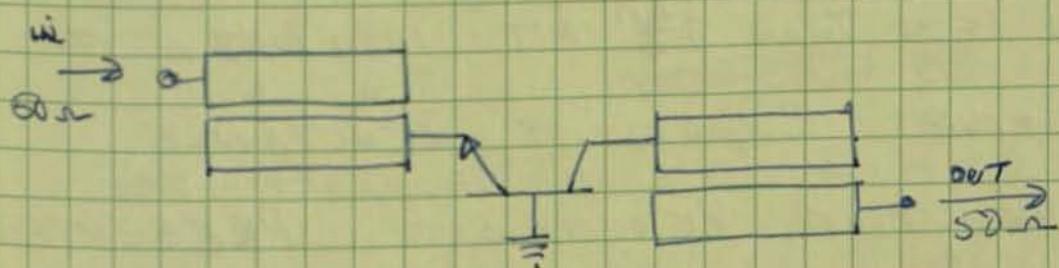
INPUT AND OUTPUT IMPEDANCES ARE QUITE LOW AND INDUCTIVE AS INDICATED BY SUCH COMPANIES AS MSC IN THEIR LITERATURE.

CONSIDER THE FOLLOWING PASSIVE FILTER CIRCUIT (STRIPLINE)



AT POINT A THE IMPEDANCE TO GROUND WILL BE VERY LOW AT THE FREQUENCY WHERE EACH SECTION IS $\frac{1}{4}$ AS SHOWN. IT CAN BE DESIGNED SO Ω IN AND 50Ω OUT.

NEXT, CONSIDER BREAKING THE CIRCUIT AT A AND INSERTING GROUNDED BASE TRANSISTOR.



CONTINUED ON NEXT PAGE.

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

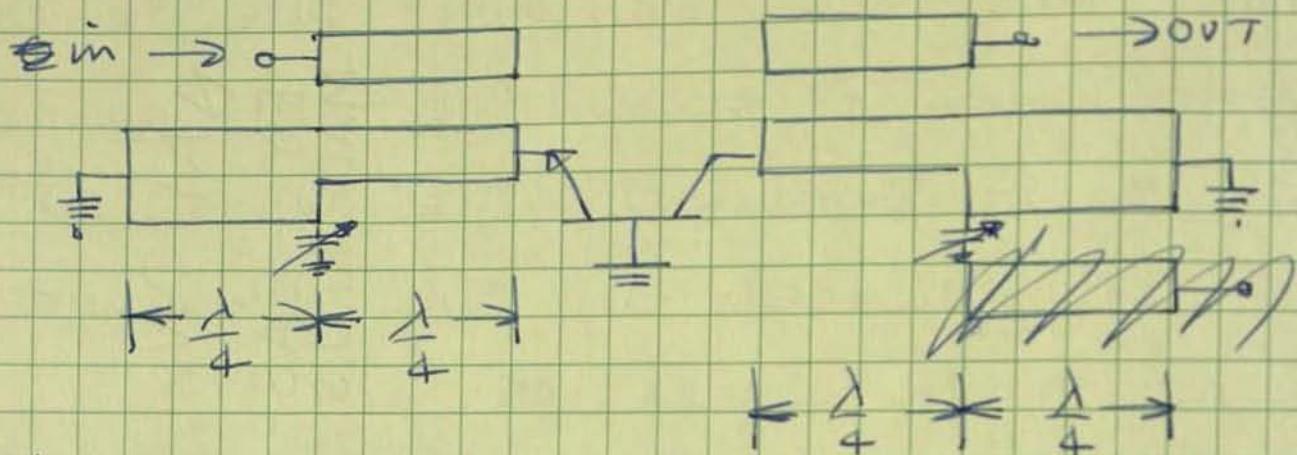
Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

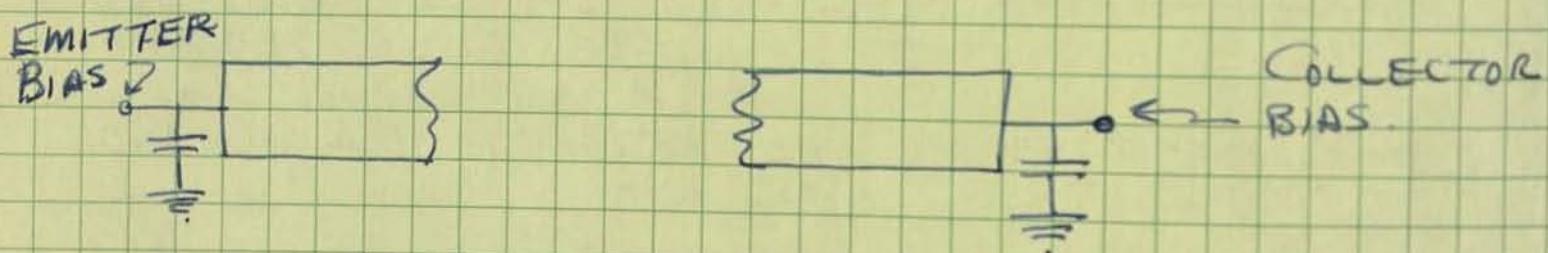
4/12/71

CHANGE DESIGN By ADDING SHORTED $\frac{1}{4}$ ~~L~~ LINES
LENGTHS AS FOLLOWS:



VARIABLE CAPACITORS CAN TUNE OVER NARROW

BAND OF FREQUENCIES. ALSO, BIAS CAN BE
ACHIEVED BY BY-PASSING R.F. TO GROUND THRU
A 500 pF. CAPACITOR: -



IF THE ELECTRICAL DISTANCE FROM THE SHORT
TO THE Emitter OR COLLECTOR IS GREATER THAN
 $\frac{\lambda}{4}$ AT 1090 MHz BUT LESS THAN $\frac{1}{2}\frac{\lambda}{4}$ AT 1090 MHz, IT
WILL PRESENT A SERIES CAPACITIVE REACTANCE
TO TUNE OUT ANY INDUCTIVE REACTANCE PRESENTED
BY THE TRANSISTOR. From DATA SHEETS IT

Statement of Operation¹ _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

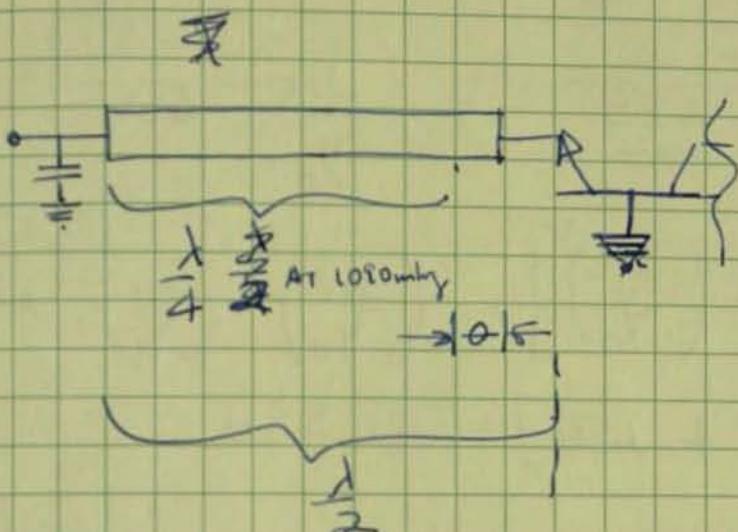
Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

APPEARS TO BE ABOUT $jX_L = j10$

IF TRANSMISSION LINE IS 50Ω . i.e. $Z_0 = 50\Omega$



$$\theta \approx 84^\circ = 1.46 \text{ radians.}$$

$$\theta = \beta l = \frac{2\pi}{\lambda} l$$

$$\lambda = \frac{3 \times 10^8}{(1.09 \times 10^9)(2.54)(1.67)} = 6.5''$$

$$l = \frac{\theta \lambda}{2\pi} = \frac{(1.46)(6.5'')}{2\pi} = 1.51''$$

$$\frac{\lambda}{4} = \frac{6.5}{4} = 1.62''$$

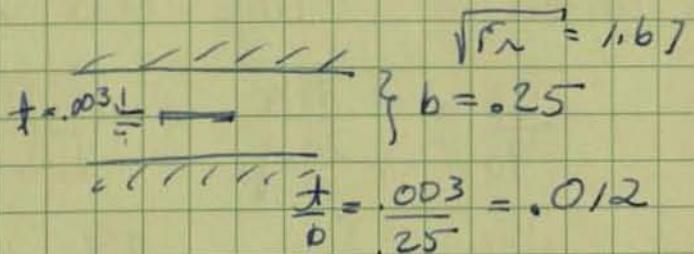
∴ TOTAL LENGTH OF EACH LINE $\approx 1.51 + 1.62 = 3.13''$

SINCE CAPACITORS (VARIABLE) MAKE EACH LINE LONGER WILL
START WITH 3.00"

FOR SINGLE 50Ω LINE:

$$Z_0 \sqrt{\epsilon_r} = (50)(1.67) = 83.5$$

$$w/b = .67$$



$$w = .167 \times .170$$

FOR PARALLEL COUPLED FILTER:

$$w = .10, \text{ FOR } n=1 \quad \downarrow \quad .01 \text{ dB RIPPLE}, g_0=1, g_1=.10, g_2=.10$$

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

$$\frac{J_{01}}{Y_0} = \sqrt{\frac{\pi R^2}{2g_0 g_1}} = \sqrt{\frac{\pi \cdot 1^2}{2 \cdot 1}} = \sqrt{\frac{\pi}{2}} = \sqrt{1.57} = 1.25$$

$$= \sqrt{\frac{(3.14)(1)}{2(1)}} = 1.25 = \frac{J_{12}}{Y_0} \text{ Also}$$

$$(Z_{0e})_{01} = \frac{1}{Y_0} \left[1 + \frac{J_{01}}{Y_0} + \left(\frac{J_{12}}{Y_0}\right)^2 \right], \quad \left(\frac{J_{01}}{Y_0}\right)^2 = \left(\frac{J_{12}}{Y_0}\right)^2 = 1.56$$

$$\frac{Z_{0e}}{(Z_{0e})_{01}} = \frac{50}{1 + 1.25 + 1.56} = \frac{50}{3.81}$$

$$(Z_{00})_{01} = \frac{1}{Y_0} \left[1 - \frac{J_{01}}{Y_0} + \left(\frac{J_{12}}{Y_0}\right)^2 \right] - (50)(1.31)$$

$$(Z_{00})_{01} = 65 \Omega$$

GET IMPOSSIBLE DIMENSIONS TO WORK

WITH - TRY MAX. MALLY FLAT. $g_0=1, g_1=2, g_2=1$

$$\frac{J_{01}}{Y_0} = \sqrt{\frac{\pi R^2}{2g_0 g_1}} = \sqrt{\frac{\pi \cdot 1}{2 \cdot 2}} = \frac{1}{2} \sqrt{3.14} = \frac{1.56}{2}$$

$$\frac{J_{01}}{Y_0} = \frac{J_{12}}{Y_0} = .28, \quad \left(\frac{J_{01}}{Y_0}\right)^2 = .08$$

$$(Z_{0e})_{01} = 50 \left[1 + .28 + .08 \right] = (50)(1.36) = 68$$

$$(Z_{0e})_{01} = 114 \Omega$$

$$(Z_{00})_{01} = 50 \left(1 - .28 + .08 \right) = (50)(1.8) = 90 \Omega$$

$$(Z_{00})_{01} = 67 \Omega$$

Statement of Operation:

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

CONT. FROM p. 116

4/13/21

117

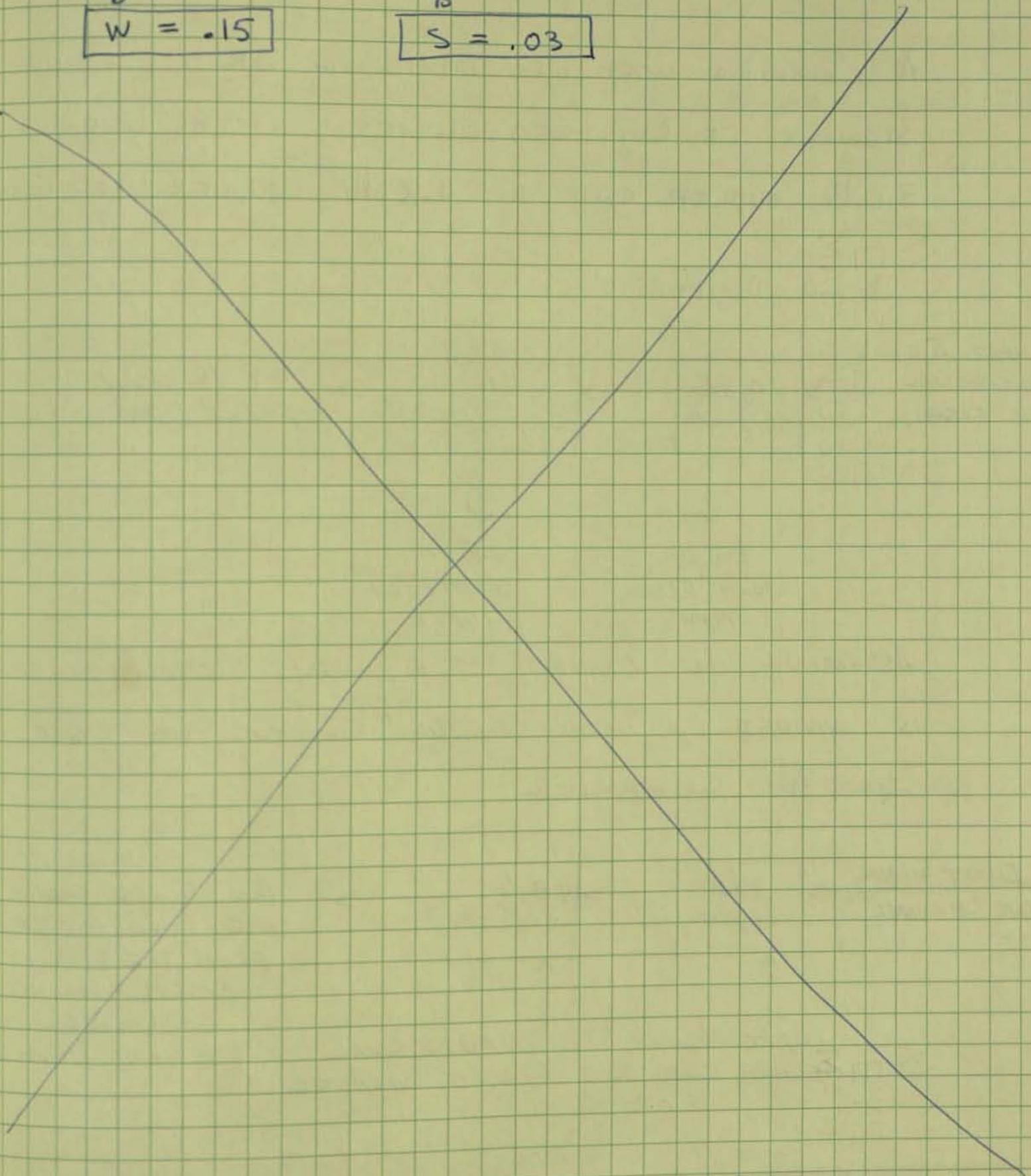
From NomoGRAPHS

$$\frac{W}{b} = .6$$

$$W = .15$$

$$\frac{S}{b} = .12$$

$$S = .03$$



Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

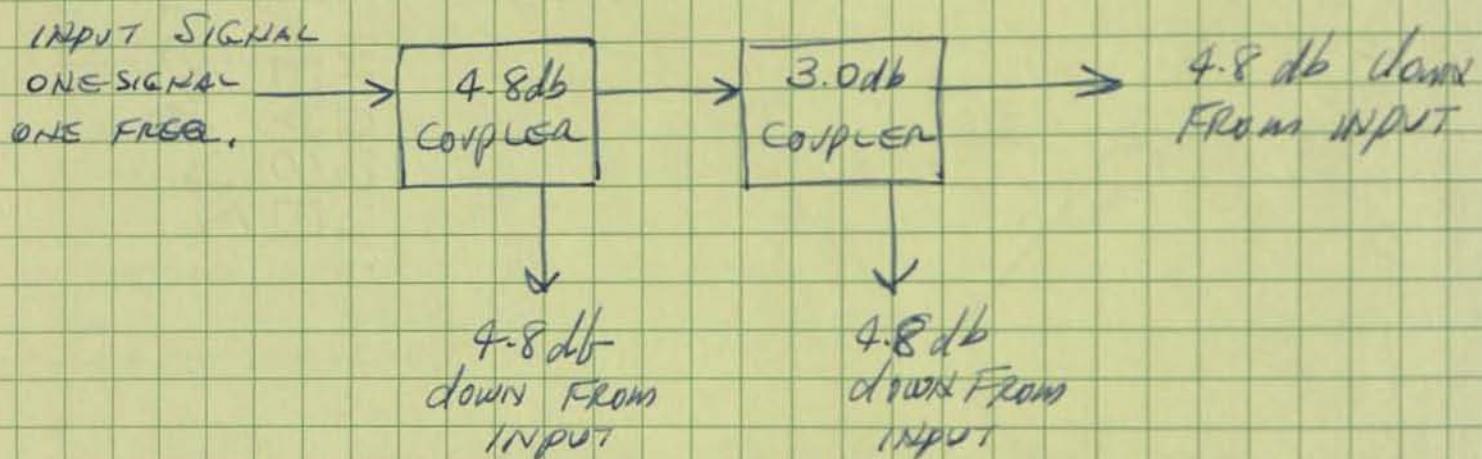
Signature _____ Date _____

8/16/71

3 CHANNELS COMBINING INTO 3 ANTENNAS OR
ANY 3 OUTPUTS

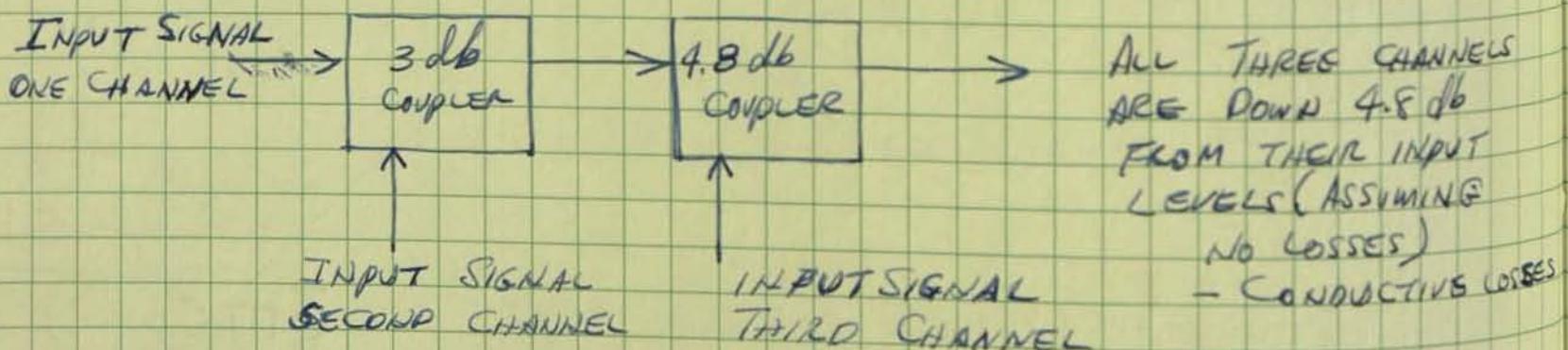
A COMMON WAY OF DIVIDING OR COMBINING 3 SIGNALS OF ANY FREQUENCIES IS TO USE A 3.0db COUPLER AND A 4.8db COUPLER. FOR EXAMPLE:

1. A DIVIDER



ASSUMING NO LOSSES THE INPUT SIGNAL POWER IS DIVIDED UP INTO THIRDS. (CONDUCTIVE LOSSES)

2. A COMBINER



Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____

Date _____

Signature _____

Date _____

Signature _____

Read and Understood (obtain two signatures):

Signature _____

Date _____

Signature _____

Date _____

Signature _____

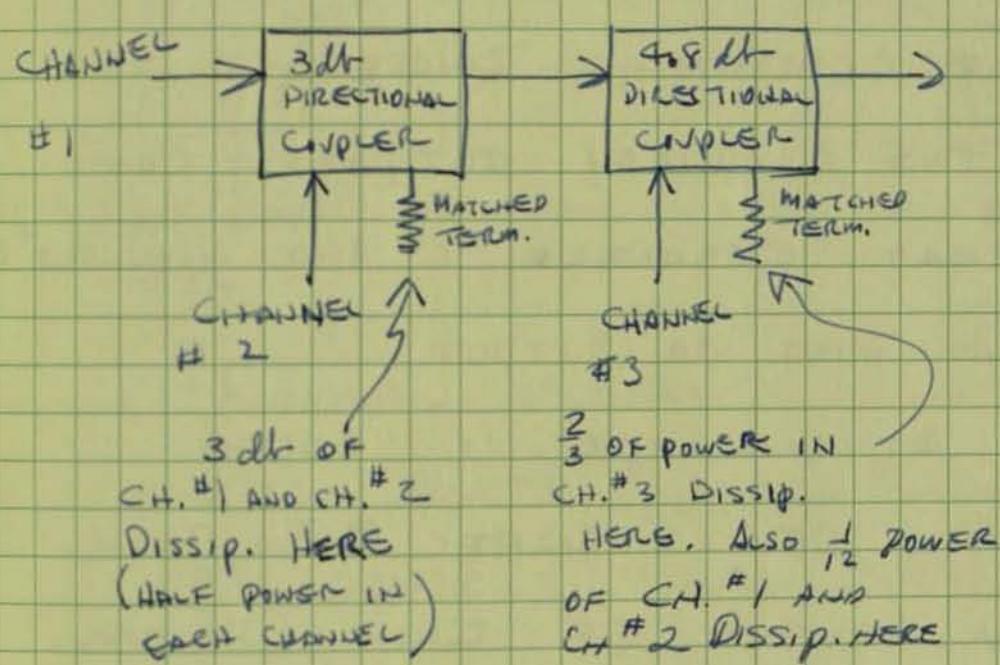
Date _____

Cirrett P. Girtan 8/16/71

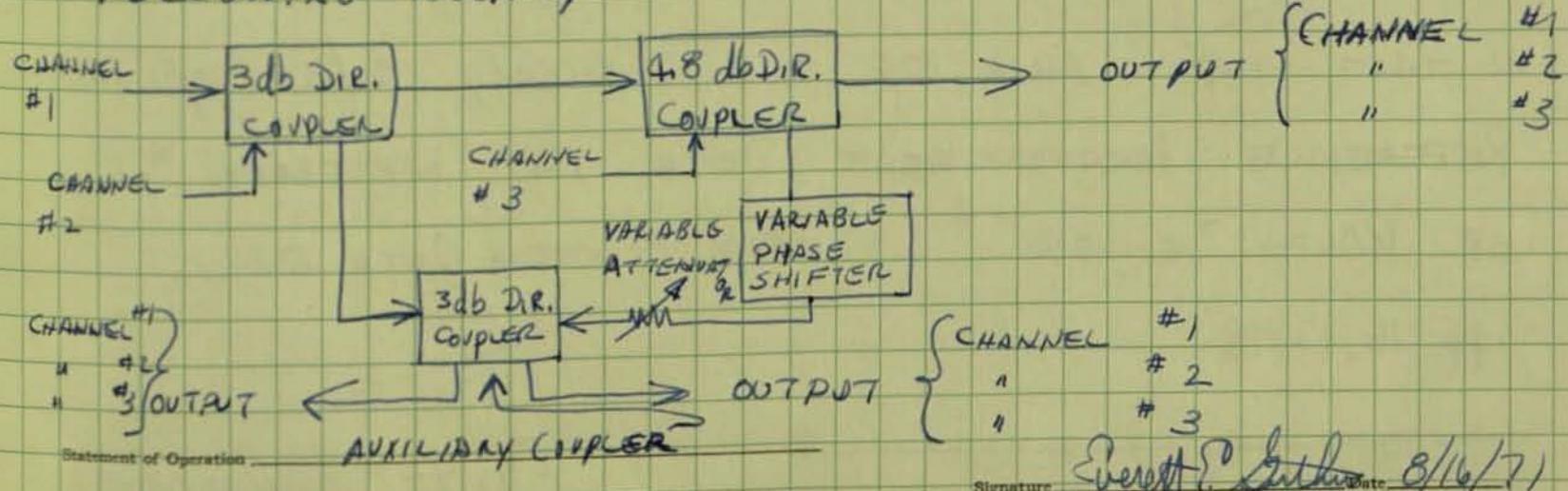
Dol C. Juson 9/5/71

Dol C. Juson 9/19/71

THE COMBINING SCHEME HAS A DISADVANTAGE IN THAT A DIRECTIONAL COUPLER AS USED IN THIS COMBINING SCHEME IS A FOUR PORT DEVICE WITH ONE PORT NORMALLY TERMINATED IN A MATCHED LOAD. THE DISADVANTAGE SHOWS UP IN COMBINING BY SIGNALS BEING DISSIPATED INTO THESE TERMINATIONS.



THIS DISADVANTAGE CAN BE GREATLY OVERCOME BY THE FOLLOWING HOOK-UP.



Signature Everett P. Butler Date 8/16/71

Read and Understood (obtain two signatures):

Signature Ralph S. Seeger Date 9/15/71

Signature Philip J. Butler Date 9/15/71

11120

8/16/71

CONTINUED FROM p. 119

AS CAN BE SEEN THE POWER THAT WOULD NORMALLY BE LOST IN THE MATCHED TERMINATIONS IS COMBINED TO FEED TWO ADDITIONAL OUTPUTS OR ANTENNAS. THE VARIABLE PHASE SHIFTER IS REQUIRED SO THAT CHANNELS #1 AND #2 COMING OUT OF THE 4dB COUPLER WILL BE IN THE PROPER COMBINING PHASE WITH RESPECT TO CHANNELS #1 AND #2. BY PROPER COMBINING PHASE IT IS MEANT THAT THE TWO AUXILIARY OUTPUTS CAN BE ADJUSTED SO THAT CHANNEL #1 AND CHANNEL #2 ARE EQUAL AT EACH PORT OR OUTPUT.

THE VARIABLE ATTENUATOR IS ADDED TO BRING THE LEVEL OF CHANNEL #3 DOWN SUCH THAT POWER LEVELS OF EACH CHANNEL IN ONE OUTPUT ARE THE SAME. IT ALSO REDUCES THE CONTRIBUTION OF CHANNELS #1 AND #2 IN THAT INPUT ARM OF THE AUXILIARY 3dB COUPLER.
REFERENCE MEASUREMENT DATA IN NOTEBOOK #1 OF RALPH JENSEN "SSB-AM SYSTEM DATA ONLY"
PP 16, 17, 18.

Statement of Operation:

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____

Read and Understood (obtain two signatures):

Ralph Jensen 9/15/71

Philip Carter 9/15/71

Signature _____ Date _____

Signature _____ Date _____

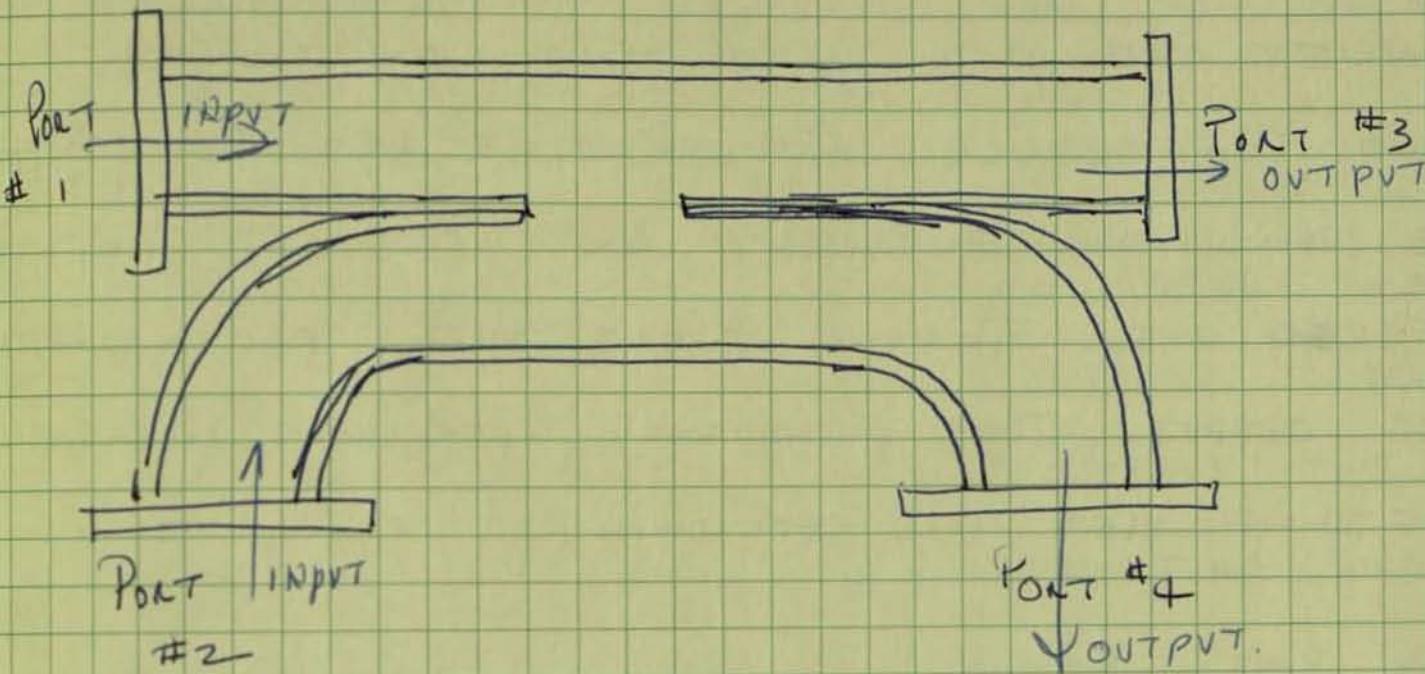
9/15/71

CONTINUED FROM p. 120

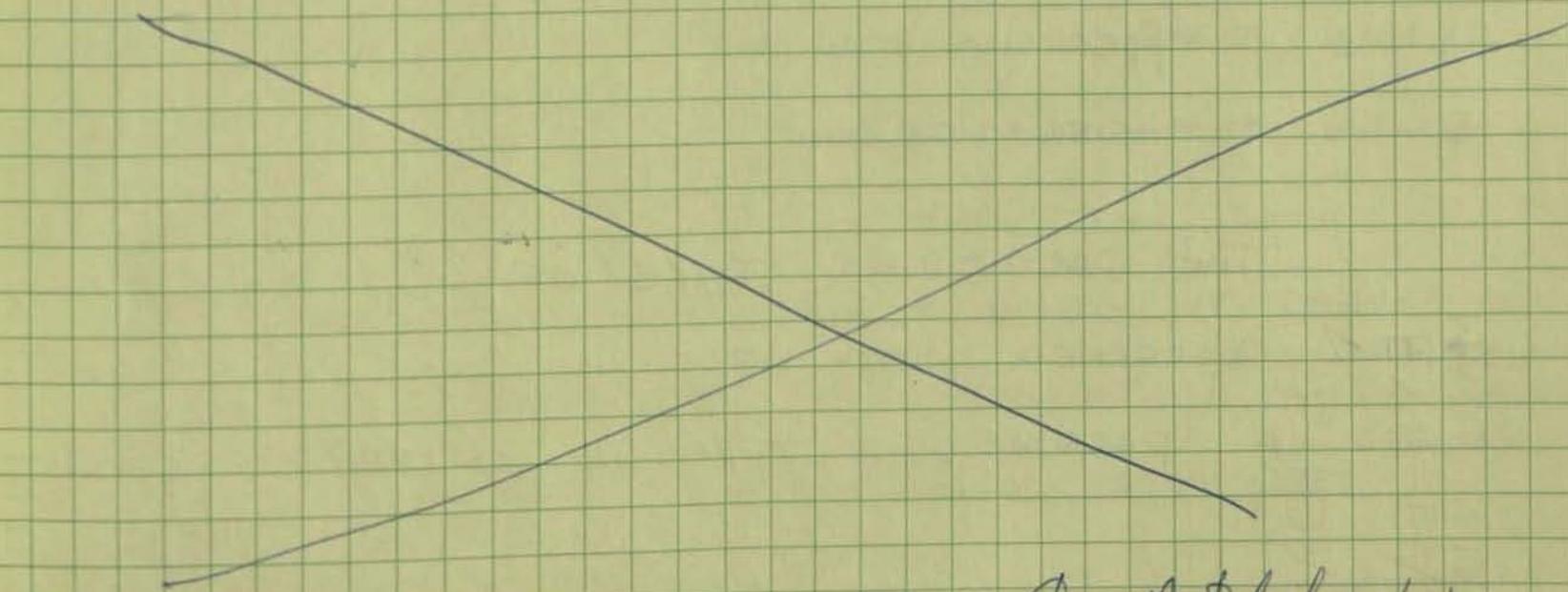
121

NOTE USAGE OF AUXILIARY COUPLER:

SKETCH LOOK INTO TOP WALL OF COUPLER



NORMAL USAGE WOULD BE TO COMBINE
INTO PORTS #1 AND #2. OUTPUTS (EACH CONTAINING
3 CHANNELS) WOULD THEN BE PORTS #3 AND #4.



Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature

Read and Understood (obtain two signatures):

Signature

Signature

Curtis Schubert 9/15/71

9/15/71

Signature

Signature

R. H. Densley 9/15/71

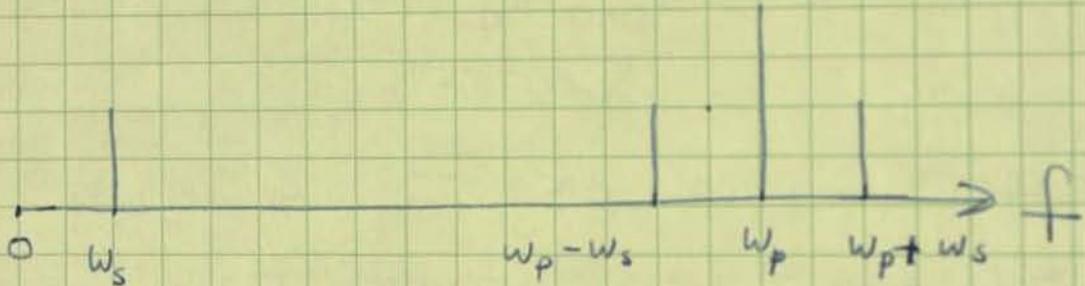
9/15/71

12122

9/27/71 UP CONVERTER & MATCHING CIRCUITS

IMPEDANCE

AN UP CONVERTER IS A CIRCUIT CONTAINING A NON-LINEAR ELEMENT SUCH THAT WHEN TWO FREQUENCIES ARE PUT INTO THE CIRCUIT, THE SUM AND DIFFERENCE FREQUENCIES ARE GENERATED BY THE NON-LINEAR ELEMENT AND ONE OF THESE IS FILTERED OUT. THAT IS, THERE ARE TWO INPUTS AND ONE OUTPUT. THE FREQUENCY SPECTRUM MIGHT BE SOMETHING LIKE THE FOLLOWING:

 w_s = INPUT SIGNAL w_p = INPUT PUMP OR CARRIER $w_p + w_s$ = UPPER SIDE BAND $w_p - w_s$ = LOWER SIDE BAND

THE PARTICULAR TYPE OF UP CONVERTER WE ARE CONCERNED WITH HERE IS SOME TIMES CALLED A PARAMETRIC TYPE UP CONVERTER BECAUSE

Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____

Date _____

Signature _____

Date _____

Signature: *Robert F. Guttmann* Date: 9/27/71

Stand and Understand (obtain two signatures)

Signature: *Robert F. Guttmann* Date: 10-6-71Signature: *Robert F. Guttmann* Date: 10-6-71Signature: *Robert F. Guttmann* Date: 10-6-71

9/27/71

CONTINUED FROM p. 122

THE NONLINEAR ELEMENT IS A VARACTOR DIODE. THAT IS, THE NONLINEARITY IS IN A VARIABLE CAPACITANCE. TO BE EVEN MORE DEFINITIVE WE ARE INTERESTED IN WHAT IS COMMONLY CALLED A POWER UP CONVERTER. THIS MEANS AN UP CONVERTER DESIGN SUCH THAT MAXIMIZES THE OUTPUT SIDEBAND POWER (WHICHEVER IS CHOSEN - UPPER OR LOWER) VERSUS THE PUMP OR CARRIER POWER P_{C} INTO THE CIRCUIT. A FIGURE OF MERIT IS CALLED PUMP EFFICIENCY AND IS EXPRESSED IN PERCENT AND EQUALS $100 \times \frac{\text{OUTPUT SIDEBAND POWER}}{\text{INPUT PUMP POWER}}$. CONSIDERATIONS FOR SUCH DESIGN IS ON p. 64 OF THIS NOTEBOOK. THAT IS, THE BEGINNING OF DESIGN. ON PAGE 66 IS SHOWN A CALCULATION FOR A 54MHz INPUT IMPEDANCE OF 425 ohms. WHAT THIS SHOWS IS THAT IN ORDER TO DESIGN A POWER UP-CONVERTER ONE MUST BE ABLE TO PRESENT A HIGH IMPEDANCE TO THE VARACTOR AT THE SIGNAL INPUT PORT.

Statement of Operation:

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

425 ohms is high in impedance as compared to common transmission line impedances as 50 ohms or 75 ohms. In fact, there is a paper entitled "Up Converter Type Transmitter for Radio Link" by W. KWIATKOWSKI given in the Proceedings of the Joint Symposium on Microwave Applications of Semiconductors - University College, London - June 30 - July 2, 1965. Paper No. 23., which shows the importance of matching to high input impedance. Figure 7 shows that high impedance matching provides best linearity of output versus input of the up converter.

Since our application is for an A.M. system & linearity of the up converter is the most critical parameter regarding distortion especially in a multichannel system. The more linear the up converter the less the distortion. Therefore, the following is a circuit by which the required high impedance

Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

Signature _____ Date _____

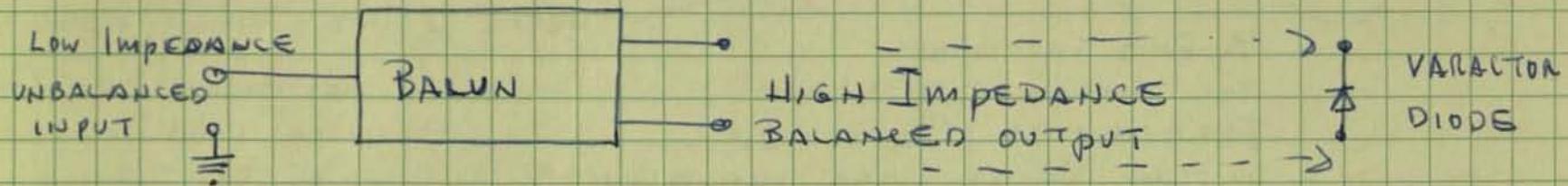
Event? *Initials* 9/29/71
Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature *R. J. Adams* Date 10-6-71

Signature *P. G. Walsh* Date 10-6-71

IS ACHIEVED AT THE OUTPUT WHILE THE INPUT
TO THE CIRCUIT CAN BE IN THE COMMON
RANGE OF 50Ω TO 75Ω :



THE LOW IMPEDANCE SIDE CAN BE FED BY A
 50Ω - 75Ω COAXIAL LINE WHILE THE HIGH
IMPEDANCE SIDE WOULD BE TERMINATED IN BY
THE VARACTOR.

ALSO, THE BALUN CAN BE DESIGNED AND
CONSTRUCTED SUCH THAT IT CAN HAVE A SIZEABLE
SERIES INDUCTIVE REACTANCE THAT WILL MATCH
THE SERIES CAPACITIVE REACTANCES OF THE
VARACTOR DIODE.

THE NEXT CONSIDERATION IS HOW TO COUPLE
THE PUMP FREQUENCY SIGNAL TO THE VARACTOR
AND ALSO TAKE OUT A SIDEBAND SIGNAL.

A SUCCESSFUL TECHNIQUE IS THE FOLLOWING:
(NEXT PAGE)

Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

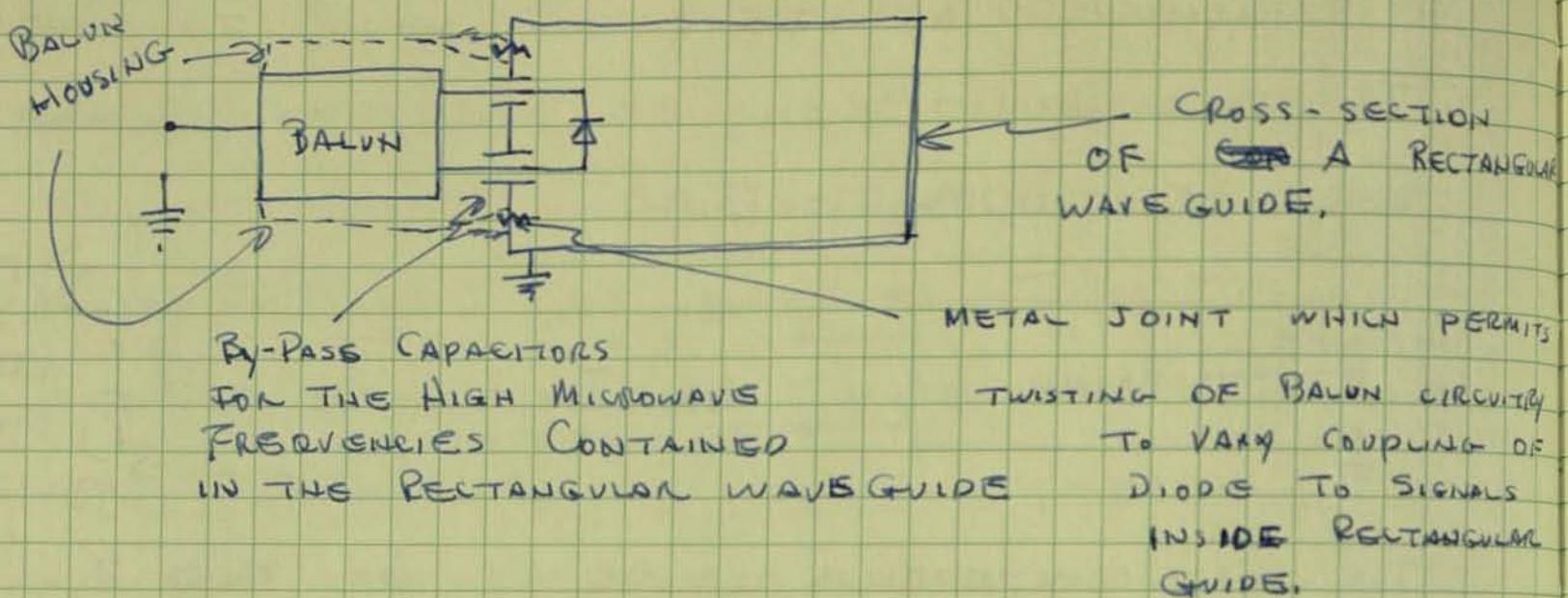
Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

10/1/71



AS SHOWN, TWISTING THE BALUN HOUSING VARIES THE COUPLING OF THE VARACTOR TO THE WAVEGUIDE. ALSO, THE HOUSING CAN BE MOVED WITH SLIDING CONTACTS IN AND OUT OF THE WAVEGUIDE. THIS IS ANOTHER TECHNIQUE TO VARY THE COUPLING. THE BY-PASS CAPACITANCE IS MAINTAINED BY DIELECTRIC COATED RODS THAT MAINTAIN A SLIDING SURFACE. THE BALUN HOUSING PROVIDES A CONTINUITY OF GROUND FROM THE UNBALANCED INPUT TO THE WAVEGUIDE CIRCUIT.

OTHER POSSIBLE CONFIGURATIONS FOR THE DIODE MOUNT WOULD INCLUDE BALANCED DIODES OR UNBALANCED DIODES.

Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

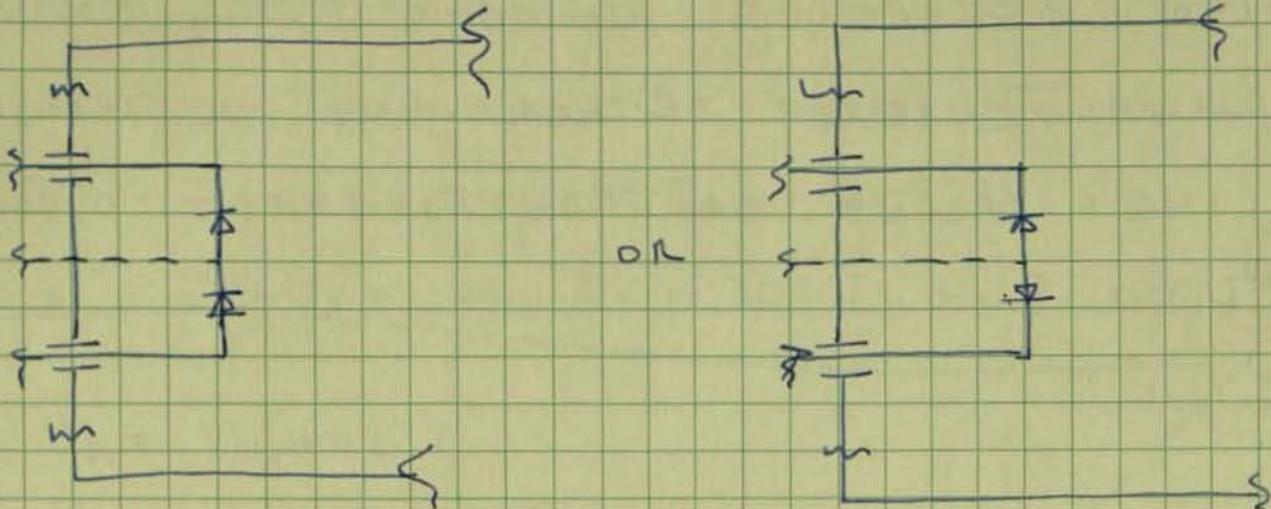
Signature _____ Date _____

Signature Curran & Burkhardt Date 10/1/71

Read and Understood (obtain two signatures):

Signature R. D. Burkhardt Date 10-6-71Signature Phyllis Burkhardt Date 10-6-71

Such as:



A sliding ground connection can be added
for heat sinking and separates
ground return.

This balun matching approach can also
be used at higher frequency inputs by using
different types of high frequency baluns.

Any balun type may be used; however,
baluns with high impedance ratios must be
used, such as described in "Some Broad Band Transformers"
by C. L. RUTHROFF, Proceedings of IRE,
AUG. 1959 pp. 1337-1342.

Baluns with 4:1 change
in impedance have been used in the lab. Reference
Lab. Notebook #1 RALPH JENSEN - SSB AM System Part A pp. 18, 20, 21
22.

Statement of Operation:

Witnessed operation (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature C. Ruthroff Date 10/6/71

Read and Understood (obtain two signatures):

Signature S. S. S. Date 10/6/71

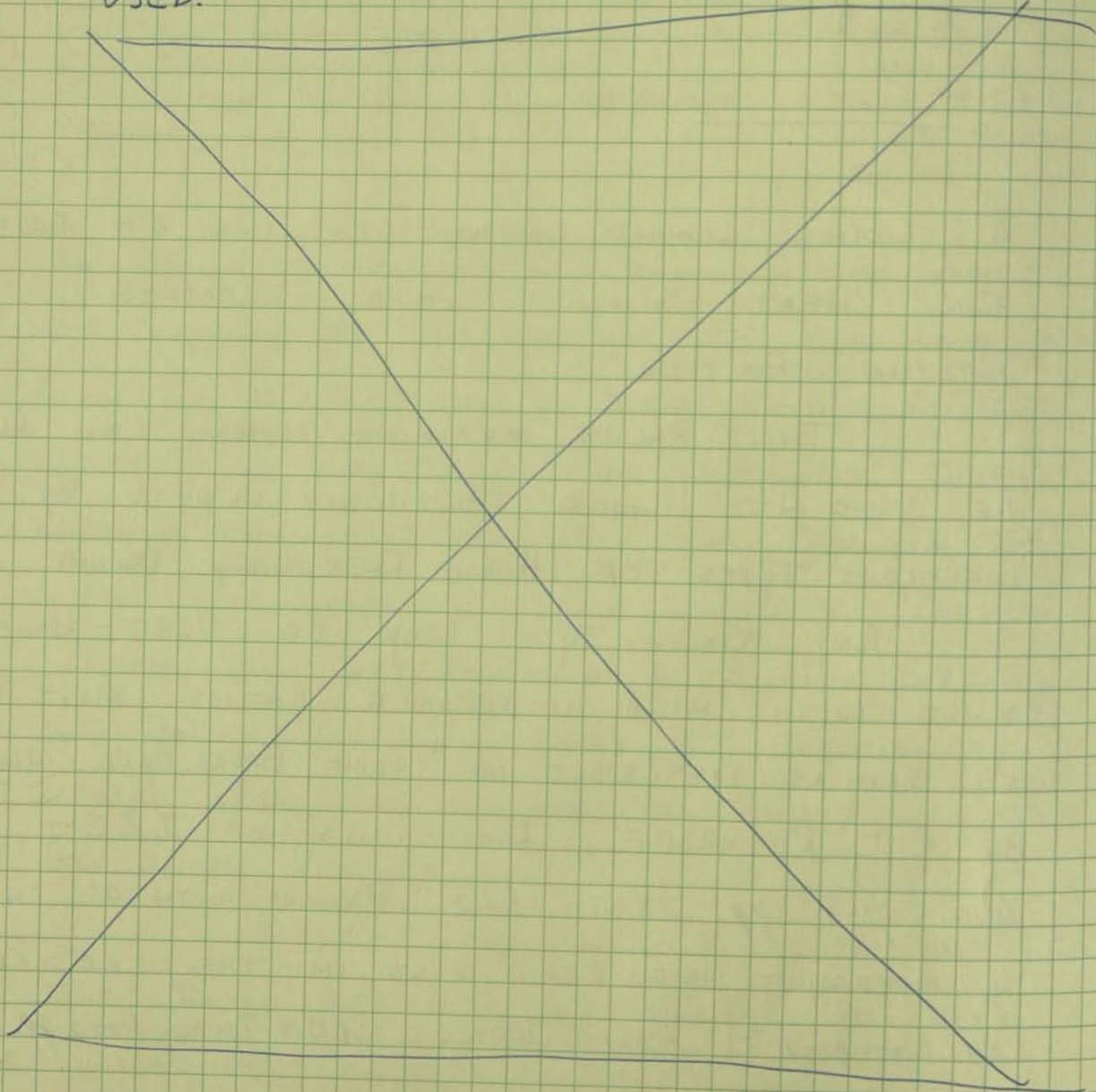
Signature R. J. Jensen Date 10/6/71

Signature J. B. K. Date 10/6/71

Also REFERENCES NOTEBOOK # 2 , 4/26/7

RALPH JENSEN. OTHER COAX OR TRANSMISSION

LINE: BALUNS OR TRANSFORMERS COULD BE
USED.



Statement of Operation _____

Witnessed operation (obtain two signatures)

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date 10/6/71

Signature _____ Date _____

Signature _____ Date _____

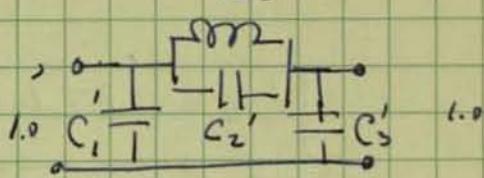
Cover AC return 10/6/71

Low Pass Filter For Crystal

Osc. Output.

Using "HANDBOOK OF FILTER SYNTHESIS"

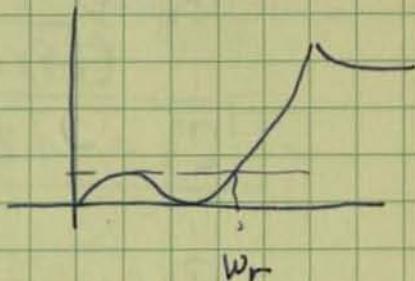
By ZVEREV. P. 173 $\Omega = 5\%$, $n = 3$
 $\Theta = 31^\circ$, $C_1' = C_3' = .48$, $C_2' = .30$, $L_2' = .69$

Let $f_r = 110 \text{ MHz}$

$$\omega_r = 2\pi 110 \times 10^6 = 69 \times 10^7$$

$$\omega_r = 6.9 \times 10^8$$

$$R_r = 50 \Omega$$



$$L_2 = L_2' \frac{R_r}{\omega_r} = (.69) \frac{50}{6.9 \times 10^8} = 50 \times 10^{-9}$$

$$\boxed{L_2 = 50 \text{ nH}}$$

$$C_1 = C_3 = \frac{C_1'}{\omega_r R_r} = \frac{.48}{(6.9 \times 10^8)(50)} = \frac{4800 \times 10^{-12}}{(6.9)(50)}$$

$$\boxed{C_1 = C_3 = 13.9 \text{ pF.}}$$

$$C_2 = \frac{C_2'}{\omega_r R_r} = \frac{.30}{(6.9 \times 10^8)(50)} = \frac{3000 \times 10^{-12}}{(6.9)(50)}$$

$$\boxed{C_2 = 8.7 \text{ pF.}} \quad \left\{ \frac{1}{2\pi \sqrt{(50 \times 10^{-9})(8.7 \times 10^{-12})}} = \frac{10^{10}}{2\pi \sqrt{43.5}} = \frac{10000 \times 10^6}{2\pi 6.6} \right.$$

RESONANCE FREQUENCY

$$= 240 \text{ mHz}$$

$$f_s = \frac{1}{2\pi \sqrt{L_2 C_2}} =$$

TOO HIGH, WANT TO REJECT 200mHz

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

1130

CONT. FROM P. 129

2/11/72

$$\text{TRY } \rho = 4\% \quad n = 3$$

$$\phi = 40^\circ, C_1' = C_3' = .33, C_2' = .73, L_2' = .45$$

$$L_2 = (.45) \frac{50}{6.9 \times 10^8} = 3.26 \times 10^{-8} = 3.26 \times 10^{-9}$$

$$L_2 = 3.26 \text{ mH}$$

$$C_2 = \frac{.73}{(6.9 \times 10^8) 50} = \frac{7300}{(50) 6.9} \times 10^{-12} = 21.2 \text{ pf.}$$

$$C_2 = 21.2 \text{ pf.}$$

RESONANCE: $f_s = \frac{1}{2\pi \sqrt{(3.26 \times 10^{-9})(21.2 \times 10^{-12})}} = \frac{10^{10}}{2\pi \sqrt{3.26 \times 21.2}}$

$$f_s = \frac{10^{10}}{2\pi 8.3} = \frac{10,000}{16.6\pi} \times 10^6$$

$$f_s = 192 \text{ mhz}$$

$$\frac{10^{10}}{(6.9) 50 \times 10^{-12}}$$

$$C_1 = C_3 = \frac{.33}{(6.9 \times 10^8)(50)} = 9.6 \text{ pf.}$$

$$C_1 = C_3 = 9.6 \text{ pf.}$$

$$\frac{2\pi}{\sqrt{\frac{9.6 \times 10^{-10}}{2} + 3.26 \times 10^{-9}}} = \frac{10^{10}}{2\pi \sqrt{(3.26)(9.6)}} = \frac{10^9}{2\pi 5.6} = 31.2$$

Statement of Operation _____

Witnessed operation (obtain two signatures) _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

TEMPERATURE COMPENSATION
OF A GUNN OSC.

2/23/72

131

Statement of Operation _____

Signature _____ Date _____

Witnessed operation (obtain two signatures):

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

11132

Statement of Operation _____

Witnessed operation (obtain two signatures) _____

Signature _____ Date _____

Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

Signature _____ Date _____

Signature _____ Date _____

Statement of Operation _____

Witnessed operation (obtain two signatures):

Signature _____ Date _____

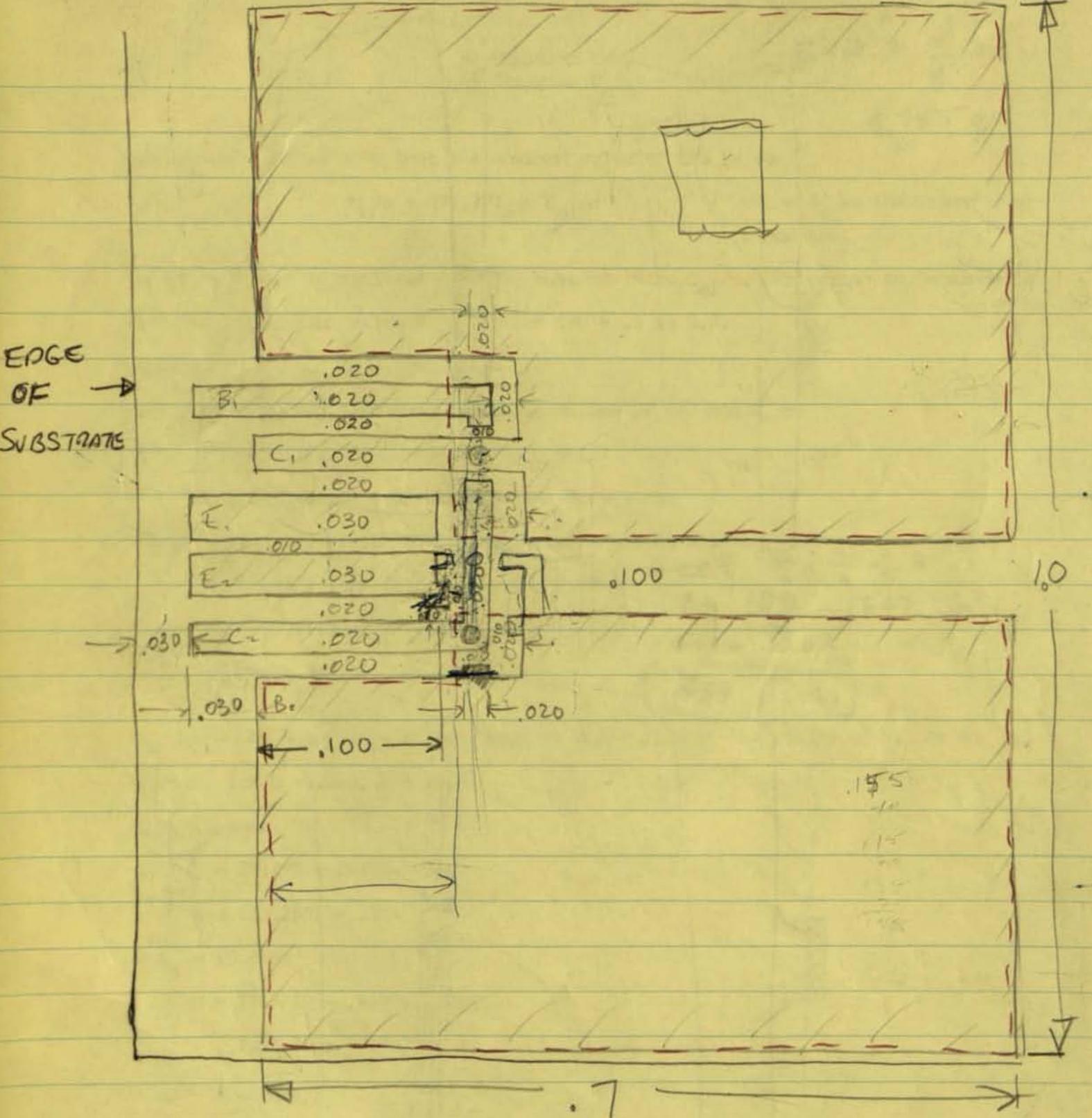
Signature _____ Date _____

Signature _____ Date _____

Read and Understood (obtain two signatures):

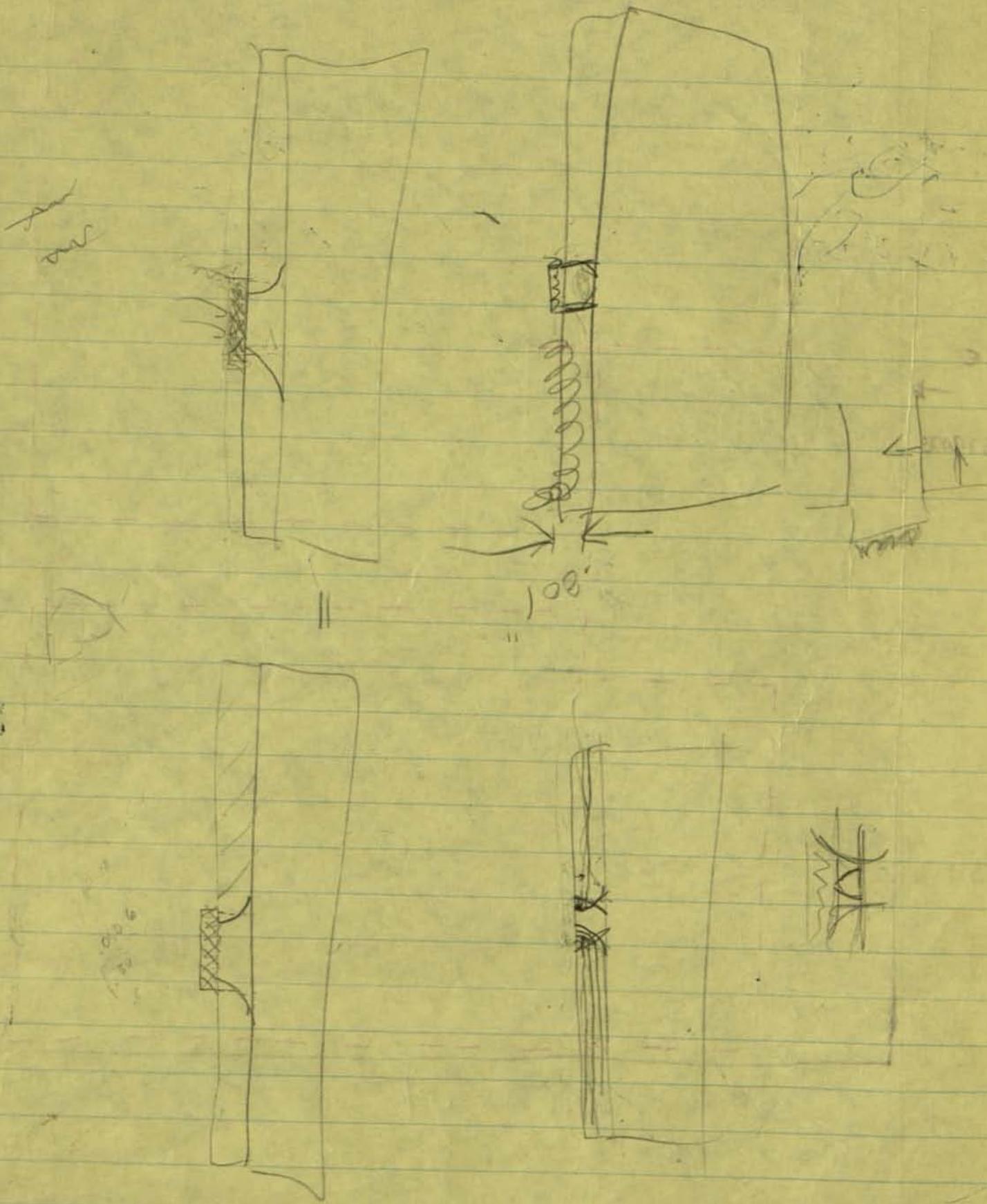
Signature _____ Date _____

Signature _____ Date _____



DIELECTRIC : BEO .025" THICK

RED :- BACKSIDE METALLIZATION



company private

INTERNAL CORRESPONDENCE

FAIRCHILD SEMICONDUCTOR

MICROWAVE PRODUCTS

TO: List DATE: February 18, 1966
FROM: R. Shipow CC: I. H. Solt, Jr.
SUBJECT: Technical Memorandum No. 2
"Transformer Tooth Cross Section as a Function of Transformer Tooth Impedance for Low Impedance Values in Combline Filters."

Combline filter theory does not account for any capacitance that may appear between the input end of a transformer tooth and ground. The way to avoid such capacities is to make the transformer tooth as square as possible, since than the hole in which the connector sits will cover the maximum amount of tooth.

Theoretical criteria as well as practice has shown that it is necessary for comb line filters to have very low impedances when used in devices such as harmonic generators and upconverters. Given a certain fixed tooth height, the width of the finger increases as its impedance decreases. It therefore becomes of interest to determine what the minimum theoretical value of transformer tooth impedance may be and still have a square finger.

The normalized width of a transformer tooth is given by;

$$W_o/b = 1/2(1-t/b) (C_o/2e - C'fe/e_{ol} - C'f/e)$$

Inspection of this equation shows that if W_o/b is to be minimized as it must be, the following should be done;

- a) Maximize t/b .
 b) Minimize $\frac{C_o}{e}$

$$.310'' = \frac{\lambda}{8}$$

4.755 gm

Getsinger's curves show that the maximum value of t/b is .8

Also: $C_o/e = 376.7/Z_a - C_{ol}/e$ where Z_a is the transformer impedance.

It appears that to minimize C_o/e , we must maximize C_{ol}/e . Referring to Getsinger's curves, the maximum value of C_{ol}/e for $t/b = .8$ is 8.8.

Therefore: $C_o/e = 376.7/Z_a - 8.8$

Getsinger's curves also show for these values of t/b and C_o/e :

$$C'f/e = 1.68 \quad C'fe/e_{ol} = .39 \quad S_{ol}/b = .09$$

Plugging these values into the equation for width:

$$W_o/b = 1/2 (1-.8) (376.7/Z_a - 8.8/2 - 1.68 - .39)$$

$$W_o/b = 1/2 (.2) (188/Z_a - 4.4 - 2.07)$$

$$W_o/b = .1(188/Z_a - 6.47)$$

$$W_o/b = 18.8/Z_a - .647$$

LET $\frac{W_o}{b} = \frac{+}{b} = .8$
 $.8 = \frac{18.8}{Z_a} - .647$
 $.647 = \frac{18.8}{Z_a}$
 $Z_a = 13 \Omega$.

The degree of squareness of the tooth is unaffected by the choice of b . As an example, let $b = .250$, $t = .200$.

1) $Z_a = 5 \Omega$.

$$W_o/b = 18.8/5 - .647 = 3.11$$

$$W_o = 3.11(.250) = .779$$

2) $Z_a = 10 \Omega$.

$$W_o/b = 18.8/10 - .647 = 1.233$$

$$W_o = 1.233(.250) = .309$$

3) $Z_a = 13 \Omega$.

$$W_o/b = 18.8/13 - .647 = .803$$

$$W_o = .803(.250) = .201$$

Therefore, the lowest impedance that can be used and still realize a square tooth is 13 ohms. If lower impedances than this are required, the transformer tooth must be dielectrically loaded to square it.

data 10-4-66
to Gene Guthrie,
KELyon

MT-1061A. 4-lead TO-18 package, 4th lead the "can" ground

Input Admittance - CE, Curve vs I_C , $V_{CE} = 10V$

Output Admittance - CB, Curve vs I_C , $V_{CE} = 10V$, (CE value also shown)

Fwd Xfr Admittance, CB data sheet at $V_{CE} = 10V$, $I_C = 5mA$

Rev Xfr Admittance, CB " " " "



16C, INPUT ADMITTANCE, Common Emitter (4-lead TD-18 case)

FILE
NUMBER
bille
VCE= 10 volts

MT-1061A (0060)

100
1000

60

60

40

20

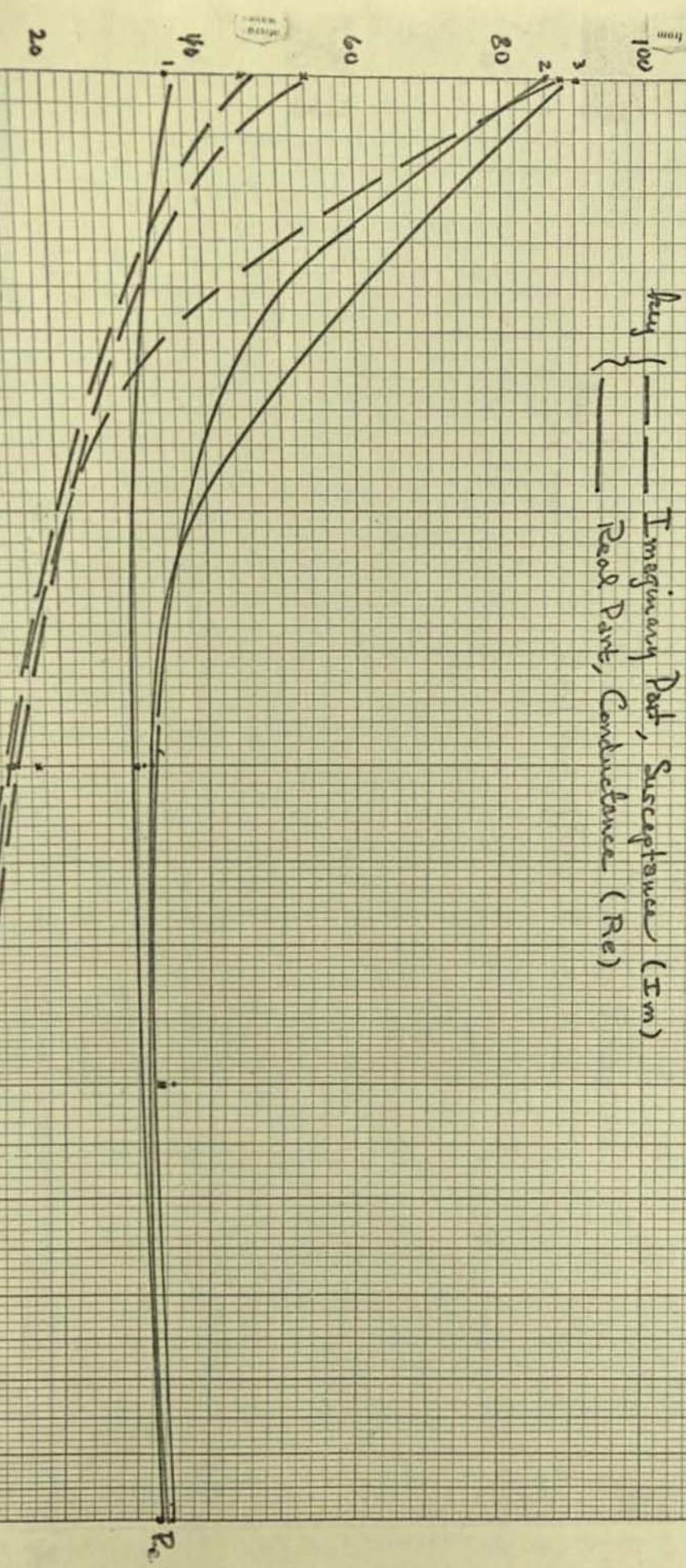
2

10

10

Collector Current - mA

Key {
 — Imaginary Part, Susceptance (\Im_m)
 - - - Real Part, Conductance (R_e)





$\frac{I_{22B}}{I_{22A}}$ } minutes

I_{ac} , Output Admittance, Common Base (μ -unit D-18 cm.)

MT. 1061A (00060)

$V_E = 10$ volts.

$I_{22A} = 10$

12

"Imaginary Part C_E ",

Repost immediately unchanged from C_B values.

10

8

6

4

2

0

6

4

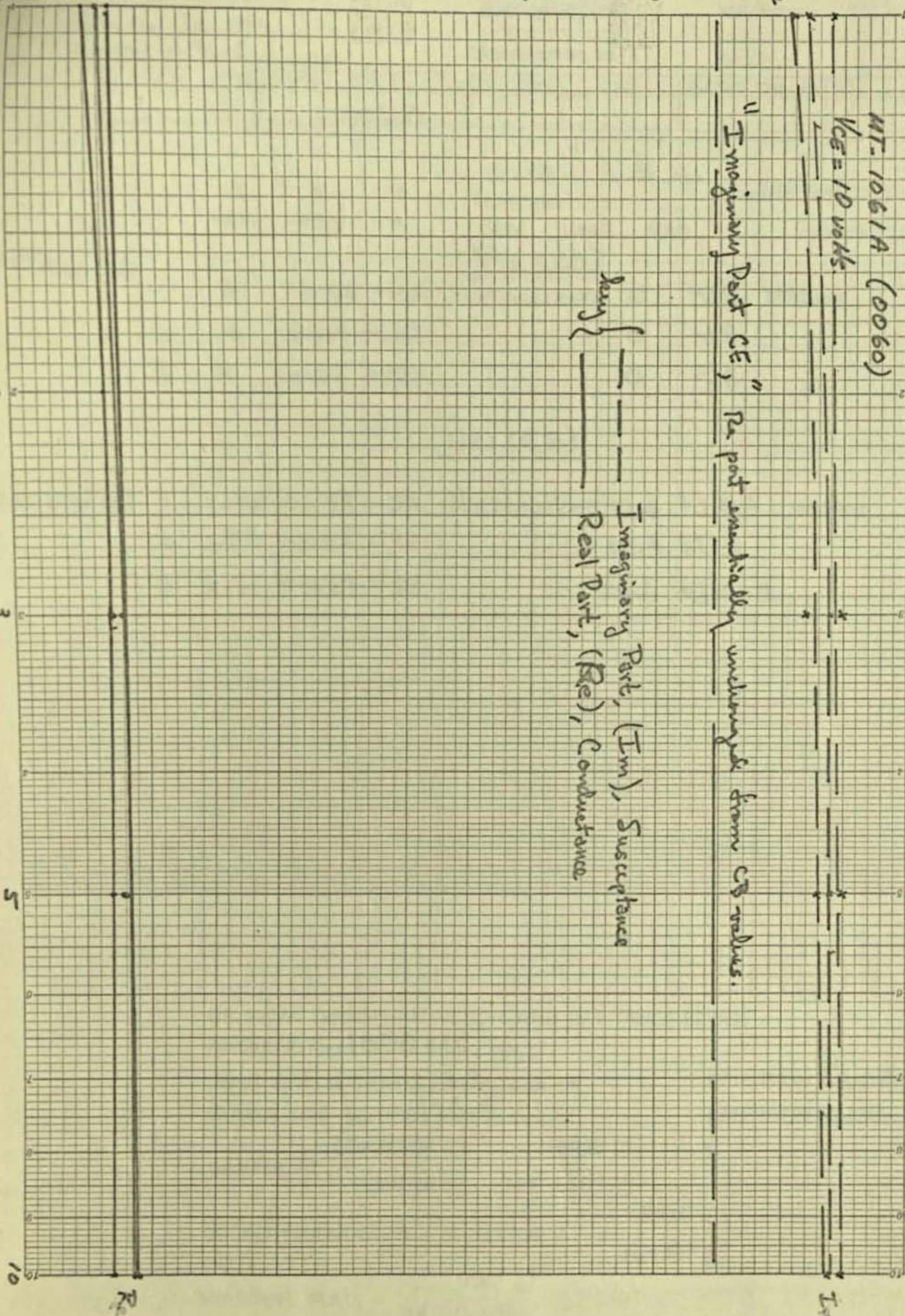
2

2

MA

Key {
 — Imaginary Part, (Im), Susceptance
 — Real Part, (Re), Conductance

T_A



Collector Current \rightarrow mA

DATE 9/28 196
 EQUIP. USED 1607-A
 TAKEN BY K.W.
 REQUESTED BY K.L.

FAIRCHILD
 SEMICONDUCTOR
A DIVISION OF FAIRCHILD CAMERA
 AND INSTRUMENT CORPORATION
 ENGINEERING DATA

FT. _____ CLASS _____
 REMARKS _____
 GROUP _____

LOT No.	DE.	OP.	GR.	TYPE No.	CL.	TE.	COND.	DATE	ELAPSED TIME	SP.	SP
				0060							

LOT No.	UNIT No.	0	1	2	3	4	5	6	7	8	9
		A REAL	B IMAG	M M	VC = <u>10</u> .v	Ic = <u>5</u> .MA	Parameter	Transfer Fcn	Immittance		
<u>MT1061 128</u>											
1	0	-0.04	-10X	NORMALIZED	0	-J8	mmhos				
2	0	-0.04	-10X		0	-J8					
3	0	-0.04	-10X		0	-J8					
<u>$\Psi_{12}(\text{CB})$</u>											
<u>MT1061 128</u>											
1	0.40	+0.33	-3X	NORMALIZED	+1.4	+J19.8	mmhos				
2	0.39	+0.25	-3X			+23.4	+J15				
3	0.41	+0.27	-3X			24.6	+J16.2				