# PRELIMINARY PROGRAMMING 

MANUAL FOR THE MOBIDIC

COMPUTER

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MOBIDIC ELEMENT CARD


MOBIDIC LOGIC CARD


MOBIDIC CONSOLE


MOBIDIC 4.VAN INSTALLATION


MOBIDIC SINGLE VAN INSTALLATION


MOBIDIC FIXED STATION INSTALLATION

## I. INTRODUCTION

MOBIDIC is a large-scale, general-purpose, mobile digital computer developed by Sylvania Electronic Systems for the U. S. Army Signal Research and Development Laboratories. The computer is completely transistorized and has been designed for extremely reliable operation under a wide range of environmental conditions to be encountered in worldwide use with the field armies. Although MOBIDIC was originally designed for mobile installation, its advanced concepts of reliability and flexibility are equally advantageous for fixed-plant or strategic installation. Because of its operational and design characteristics, MOBIDIC offers many advantages over other existing commercial and military computers in most data-processing applications. Features of particular advantages in MOBIDIC are small size of equipment, fast arithmetic speed, large memory capacity with extremely fast access, flexible order code, wide range of input-output media, and the avoidance of the usual requirement for air-conditioning and temperature control.

The present programming manual is prepared to serve both as an introduction to the Mobile Digital Computer system (MOBIDIC) and as a preliminary programming manual. The general organization of the MOBIDIC system is described in Section II. The structure of the information to be processed and of the machine orders is also described, and a brief explanation is given of the logical organization of the computer. The individual machine orders are described in Section III and suitable examples are given to demonstrate the capabilities of the various types of orders. The last section is devoted to a discussion of programming techniques which may prove helpful during the problem preparation. The console operations are also discussed in Section IV and certain methods are suggested for program check-out and error detection.

## II. MACHINE CHARACTERISTICS

## A. General Organization

The MOBIDIC System is composed of the following machine units:

```
Central Computer
Memory Units
Input-Output Converters
Flexowriter Output Units
Paper-Tape Readers
Paper-Tape Punches
Magnetic-Tape Units
Communications Equipment
Power Supplies and Air-Conditioning Units
Control Console
```

These units are designed to be stored in a van and will operate when power lines are connected to the van. The general organization is shown in Figure 1. The boxes in the figure designate the various machine units and the directed lines designate the flow of information. The actual number of machine units used in each case is variable, and depends on the particular application under consideration.

In addition to the standard input-output units down in Figure 1, other devices, such as card equipment, high-speed printers, displays, etc. are available.

Although MOBIDIC is designed for installation in a van, it is equally adaptable to fixed plant operation. The rugged design, small size, and extreme resistance to environment imply that minimum installation provisions are required.

## B. Information Structure

Information in the machine is represented in terms of binary digits, or bits. A binary one is represented by a voltage pulse of a certain magnitude or by a spot on magnetic tape, while a binary zero is represented by the absence of that pulse or spot.

For purposes of information processing, the binary digits are grouped in units called words. Each word contains 38 binary digits. Of these 38 bits, 37 are information bits and one is a parity check bit chosen as zero or one in such a manner that the total number of binary ones in the word is odd. One of the 37 information bits in each word is used to represent the sign of a numeric quantity; if the information stored is not a numeric quantity, this bit is not decoded.

It is necessary to distinguish between two types of words: data words and order words. Data words are words which contain information to be processed, while order words are those words which prescribe the manner in which the information is to be processed. A data word contains either purely numeric information, or alphanumeric information


Figure 1. General Organization of MOBIDIC System

PARITY SIGN

| 38 | 37 | 36 | 1 |
| :--- | :--- | :--- | :--- |

NUMERICAL DATA WORD


Figure 2. Data Word Format
composed of both numeric digits and alphabetic characters. The word format for the two kinds of data words is shown in Figure 2. The binary digit positions are numbered from 1-38 starting with the rightmost bit position. In a numerical data word successive binary digits represent successive powers of 2 . Since the binary point is understood to be placed between bits 36 and 37 , numbers ranging from zero to $1-2^{-36}$ in absolute value can be represented. For example, the number 0.10111 can be translated into decimal notation as $1 \cdot 2^{-1}$ $+0 \cdot 2^{-2}+1 \cdot 2^{-3}+1 \cdot 2^{-4}+1 \cdot 2^{-5}=1 / 2+1 / 8+1 / 16+1 / 32=23 / 32=0.71875$.

In an alphanumeric data word, the binary digits are treated in groups of 6 bits, each group representing one alphanumeric character. Six alphanumeric characters can therefore be represented in one data word. For example, the letter A might be represented by 000010 , and the digit 4 by 110100. Logical operations such as sorting or rearranging can be performed either on pure numerical or on alphanumeric data, while arithmetic operations are normally performed on numerical information only.

The format of the instruction words is similar to the data words. The first 36 bit positions are used to store the instruction itself; the 37 th bit position is not used, and the 38 th bit position is used for parity checking as before. It is necessary to distinguish between instructions which transfer information to and from the input-output units and the remaining instructions which are not concerned with the input-output units. The format in both cases is shown in Figure 3.

The 36 bit positions comprising the standard instruction words are separated into 4 parts designated respectively by alpha, beta, gamma and operation code. The alpha part is composed of bit positions $1-15$; it specifies the address to be used in an instruction. In general the first 12 bits specify a memory address while bits $13-15$ specify which one of 7 possible memory units is to be used. Since a number of internal storage registers are addressable, the 8th configuration for bits 13-15 represents internal register addresses. The actual register addressed in these cases is specified by bits $1-15$. Bits $6-12$ are not interpreted when addressing internal storage registers.

The beta part of the standard instructions comprises bits $16-27$. These bit positions have several uses depending on the particular instruction being performed. The beta bits, either alone, or in combination with the gamma bits, may be used to specify a second address, or they may be used for indexing. The two low-order bits of the beta-part (bits 16 and 17) are also used to control the trapping mode, while bits 16 to 18 are used for overflow control, as explained in a later section. The gamma part composed of bits $28-30$ is used primarily for indexing. These bit positions specify which, if any, of the index registers are to be used with the instruction. The function of the index registers is explained in more detail later. For some instructions, gamma is used as part of a second address as previously stated. Bits 31 through 36 designate the operation code which specifies the instruction to be performed. Up to 64 different operations can be defined. If the 37 th bit position were made a part of the operation code, an additional 64 operations could be made available.


Figure 3. Instruction Word Format

The format for the input-output instructions is similar to that for standard instructions except for the assignments made to bit positions 16-30. Bits 22-30, called the $k$ bits, are used to specify the amount of information to be processed, for example, the number of words, cards, or lines, while bits $16-21$, the j bits, are used to specify the particular input-output device addressed. Each input-output unit has a specific address and up to 63 input-output units can be used in the system.

During a transfer to or from magnetic tape a number of words may be treated as a unit, called a block. A block will normally contain up to 511 words depending on the particular problem requirements.

## C. Logical Organization

1. Sequence Control. Central to the operation of the computer are the information storage units (memory units) and the information processing units. Communication between the various units is provided by the information transfer bus. Each operation is in the nature of a transfer from one unit to another through the transfer bus. For example, information may be transferred from the storage units to the processing unit, and results are then transferred back from the processing unit into storage. Transfer generally takes place in parallel for all binary digits within a given word.

The time taken to execute one complete instruction is called a basic cycle. The time required for one cycle is normally 16 microseconds. Some instructions, such as multiplication and division may however take considerably longer. Each basic cycle is subdivided into 8 periods, each period being normally two microseconds long. For instructions requiring more than 16 microseconds, any of the 8 periods can be extended in increments of 2 microseconds. The 2 -microsecond periods are defined by a timer which generates 8 gating levels in sequence. These levels identify the 8 periods of the basic cycle.

The basic cycle is shown in detail in Table I. The basic cycle operations shown on the left-hand side of Table I take place for all instructions, while the special operations shown on the right-hand side depend on the particular order being interpreted. In Table I, the operations of the ADD instruction are shown as an example.

All operations and information transfers are controlled by the sequence control unit. The instructions are interpreted by this unit and appropriate control pulses are sent to the various parts of the machine to initiate the required information transfers. When an instruction is first extracted from memory, the address specified by the instruction (bits 1 to 15 ) is first stored in the address register. From there these bits are transferred to the memory address register, as will be explained later. Relative addressing can be used by adding to the contents of the address register the contents of an index register to give the final absolute address.

The following twelve bits of the instruction word (bits 16 to 27) are stored in the X register, while bits 28 to 30 are stored in the $G$ register. From these two registers the
TABLE I. MOBIDIC BASIC CYCLE: ADD ORDER
 Timing Function TF-1 TF-2
TF-3
BASIC CYCLE OPERATIONS
BASIC CYCLE OPERATIONS

1. Operand arrives at Memory Output Register
2. Rewrite Operand into Memory
BASIC CYCLE OPERATIONS
Operand arrives at Memory Output Register
Rewrite Operand into Memory

If Signs are different, form ones complement of
B , and add B plus $1 \times 2^{-36}$ to A
If B was complemented and there was no overflow, form the ones complement of $A$ and reverse its sign
If $B$ was not complemented and there was an
overflow, set the overflow alarm flip-flop
If $B$ was complemented and there was no overflow, add $1 \times 2^{-36}$ to A
Transfer Operand from Memory Output Register
to B Register
If Signs of A and B are alike, add B to A; FOR ADD MECHANIZATION
SPECIAL OPERATIONS
information is transferred either to an index register (bits 16 to 27 only) or to another memory address register, or to an input-output converter, depending on the particular instruction given.

The last 6 bits which make up an instruction and which specify the operation code are transferred to the instruction register and from there they go to the decoder register to be interpreted into the proper sequence of control pulses. Figure 4 shows the break-down of an instruction into its various components before interpretation. The four storage registers which store the various parts of each instruction are not individually addressable.

During the execution of a given instruction the address of the next instruction in sequence is determined. To this effect, the program counter, which holds the address (bits 1-15) of each instruction before execution is stepped through consecutive memory addresses. The program counter can be individually addressed.

The program counter store can be used to store the contents of the program counter when a given sequence of instructions is to be interrupted. The original sequence can later be resumed by transferring the contents of the program counter store back to the program counter.

Another method for controlling the sequence of operations to be performed by the machine consists in using the index registers. These registers have a 12 -bit capacity and are individually addressable. Any index register can be used to modify a programmed address by adding its contents to the specified address. The index registers can also be used as counters; for example, an index register might specify the number of times a given program is to be used during a calculation.
2. Input-Output Organization. The organization of the input-output units is shown in Figure 5. A set of in-out converters is provided to act as buffering devices during the transfer of information between input-output units and the other machine units. Each in-out converter is individually addressable and can store one word exclusive of the parity bit; in general any converter can be used in conjunction with any input-output unit. As many inputoutput units can normally be used simultaneously as there are converters available to effect the information transfer. However, the maximum number of input or output units of any one kind which can be used simultaneously depends also on the data transfer rates of the particular input-output unit. For example, not more than four magnetic-tape units can be used simultaneously.

The transfer of information between input-output and other machine units takes place independently of the central machine. Computation is interrupted only during access to the memory units. When a word is transferred to an output unit it is broken down into 6 -bit characters in the in-out converter before the individual characters are released to the given output unit. Conversely, during an input operation, the individual characters are assembled in the converter as they come in from the input unit, and a whole word ( 37 bits) is then released to a machine unit when completely assembled in the converter.


Figure 4. Decomposition of Machine Instruction


Figure 5. Input-Output Organization

A set of special 40-bit input-output registers is provided to handle asynchronous data arriving at the computer from external sources, or being transmitted to an external medium by the computer. Bits 38 to 40 are used for control functions. The real-time output registers are connected to the main transfer bus and are individually addressable, When a word is assembled in the real-time output register, it is released to the output medium connected to that particular real-time output register.

The information loaded into the real-time input registers is transferred either to memory or to an addressable storage register upon completion of the currently executed instruction. If information arrives during an instruction which takes considerable time, such as multiplication or division, the transfer occurs while the instruction is executed without delay in the main program. The real-time address registers store the 15 bits which are necessary to specify the memory location or the location of the addressable storage register which is to receive the information arriving at one of the real-time input registers. The real-time address registers can be individually addressed, and their contents are automatically incremented after each memory access, so as to insure that consecutive memory locations receive the input information.

A program interrupt feature allows control to be transferred to memory location 0 , if bit position number 40 of the word contained in the real-time input register contains a one. (The sending device must supply this bit). The regular program is then interrupted and the address of the last instruction executed is stored in the B register of the arithmetic unit; from here it can later be retrieved when the regular program is to be resumed. An addressable flip-flop is used to supply the program-interrupt bit for words being sent out through the real-time output register.
3. Memory Organization. Each memory unit consists of a magnetic-core matrix capable of storing 4096 words. A maximum of seven memories can be used for a total of 28,672 words. The basic memory organization is shown in Figure 6.

Each memory unit is provided with a read pulser and a write pulser which provide the control pulses required to read a word from the memory or to write a word into the memory. The memory address register is a 12 -bit register which stores the address of the memory location addressed by the read or write pulsers. The memory inout register acts as a buffer for words being transmitted to and from a memory unit. The parity count is also verified in that register for all words coming out of the memory unit.
4. Arithmetic Unit. The arithmetic unit is composed of three special storage registers, all individually addressable, and of the control circuitry necessary to perform the arithmetic operations. The organization of the arithmetic unit is shown in Figure 7.

The A-register, or accumulator, is a 38 -bit register and is the main register in the arithmetic unit. Most arithmetic and comparison operations involve the contents of the accumulator. The accumulator can be reset to zero before entering new information, or else new information can be added to the contents of the accumulator without prior resetting. The accumulator holds the sum, difference, product, and remainder after addition,


Figure 6. Memory Organization


Figure 7. Arithmetic Unit
subtraction, multiplication, and division respectively. It also contains the augend or minuend at the start of an addition or subtraction, and the multiplier before multiplication.

The Q-register is a 38 -bit register which holds the low-order bits of a doublelength dividend (that is, the 36 least significant bits of a 72 -bit dividend) at the start of a division. At the end of multiplication and division, it contains the low-order bits of a doublelength product and the quotient respectively. The Q-register is also used during the "mask" instruction, as will be explained later. Finally, the Q-register can be joined with the Aregister as shown in Figure 7, to perform "shift" and "cycle" operations on double-length numbers. The Q-register will contain the low-order bits of the double-length number in each case.

The B-register is a 38 -bit register used to hold one of the operands of an arithmetic operation. It stores respectively the addend, subtrahend, multiplicand, and divisor for addition, subtraction, multiplication, and division.
5. Console Organization. A control console is provided as part of the MOBIDIC system. It is used by the machine operator for manual control of the machine and by maintenance personnel for repair and maintenance. The control switches and indicators permit the operation of the computer in a number of different modes; for example, the computer can be made to stop after the execution of each instruction if this seems desirable. The operator can also reset the memory and register contents to zero; he can introduce information manually into any register, and read-out the contents of any memory location or register by means of a set of indicator lights. In general, the console allows a certain amount of manual intervention during the execution of a program, and provides the required flexibility for efficient operation of the computer.

## III ELEMENTS OF PROGRAMMING

The individual machine orders which are used to determine the processing sequence are described in this section. A few simple examples are given to illustrate the use of the various instructions. A number of orders whose function is related are grouped together; thus orders for internal data handling are first described, followed by arithmetic orders, orders for sequence control, indexing orders, input-output orders, and editing orders.

In each case, the functional name of the order is followed by its operation code in octal notation and by its mnemonic abbreviation. The time required to execute the operation is also indicated. Finally a brief explanation is given of the action performed by each order. Unless otherwise noted, each order can be indexed, the particular index register to be used being indicated by the $\gamma$ part of the instruction.

The following conventions and abbreviations are used in the remainder of this section:
a) Unless otherwise stated, all numeric data words and order words are in octal notation.
b) Since the sign position of an instruction has no influence on its operation, it is normally disregarded.
c) The symbol $\mathbf{C}($ ) is used to indicate the contents (sign and magnitude) of the location given in parentheses. For example, $C(A)$ indicates the contents of the accumulator.
d) A subscript shown with C( ) specifies the contents of the associated bit position (s) of the word. For example, C(141) 17 indicates the content of bit position 17 of memory location 00141. $\mathrm{C}(\mathrm{A})_{1-15}$ stands for the contents of bit positions 1 through 15 (inclusive) of the accumulator. $C(Q)_{s n}$ refers to the value of the sign of the $Q$ register.
e) A numeric subscript shown with either $A, Q$, or $B$ specifies a bit position of the word. For example, $\mathrm{A}_{10}$ stands for bit position 10.
f) Normally, an abbreviated instruction is written-operation code $\gamma, \beta, a$. However, if a given subdivision of the instruction can have no effect on its operation, its designation is left out. For example, CLA $\alpha$ a, indicates that the CLEAR AND ADD instruction is independent of the bit configuration shown in the beta part.

Table II shows the octal addresses assigned to the various addressable locations within the computer. These addresses are generally shown in the part of the instructions.

TABLE II

ADDRESSABLE REGISTERS

| Register Address (Octal) | Register Name | Code |
| :---: | :---: | :---: |
| 00000-07777 | Memory Unit Zero |  |
| 10000-17777 | Memory Unit One |  |
| 20000-27777 | Memory Unit Two |  |
| 60000-67777 | Memory Unit Six |  |
| 70001 | Index register one | ( $\mathrm{I}^{1}$ ) |
| 70002 | Index register two | ( $\mathrm{I}^{2}$ ) |
| 70003 | Index register three | ( $\mathrm{I}^{3}$ ) |
| 70004 | Index register four | ( $\mathrm{I}^{4}$ ) |
| 70010 | Accumulator | (A) |
| 70011 | Q register | (Q) |
| 70012 | B register | (B) |
| 70013 | Program Counter | (PC) |
| 70014 | Program Counter Store | (PCS) |
| 70015 | Instruction register of converter receiving the input order | (CRI) |
| 70020 | Word Switch Register | (WSR) |
| 70021 | Real Time Address Register | (RAR) |
| 70022 | Real Time Output Register | (ROR) |
| 70030 | Instruction register of first in-out converter | (CISI) |
| 70031 | Instruction register of second converter | (CIS2) |

## A. Internal Data Handling

The instructions which are used primarily for moving words or parts of words from one element of the central computer to another are described first.

LOAD, 51, LOD $\gamma \beta a, 18 \mu \mathrm{sec}$.
Replace the contents of the addressable register (not a memory location) specified by $\beta$ with $C(a)$; a refers to a memory address or an addressable register. $C(a)$ is unchanged. $C(B)$ is replaced by $C(a)$.

STORE, 50, STR $\gamma \mathrm{a}, 16 \mu \mathrm{sec}$.
Replace $C(a)$ with $C(A)$. $C(A)$ remains unchanged.

CLEAR AND ADD, 10, CLA $\gamma \mathrm{a}, 16 \mu \mathrm{sec}$.
Replace $C(A)$ with $C(a)$. $C(a)$ remains unchanged.

REPLACE ADDRESS, 54, RPA $\gamma \mathrm{a}, 22 \mu \mathrm{sec}$.
Replace $C(a)_{1-15}$ with $C(A)_{1-15^{\circ}} \quad C(A)$ and $C(a)_{16-s n}$ remain unchanged. $C(B)$ is replaced by $C(A)$.

## REPLACE THROUGH MASK, 55, MSK $\gamma \mathrm{a}, 22 \mu \mathrm{sec}$.

Replace the bits of $C(a)$ including sign bits with those bits of $C(A)$ corresponding to the "ones" of $C(Q)$. $C(A), C(Q)$, and the remainder of $C(a)$ remain unchanged. $C(B)$ is replaced by $C(A)$.

MOVE, 52 , MOV $\gamma \beta a, 26 \mu \mathrm{sec}$.
Replace $\mathrm{C}(\gamma \beta)$ with $\mathrm{C}(\mathrm{a})$; $\mathrm{C}(\mathrm{a})$ remains unchanged. This is a two address instruction in which a specifies one 15 -bit address, and $\gamma$ and $\beta$ together specify the second 15 -bit address. $C(B)$ is replaced by $C(a)$. The MOVE instruction cannot be indexed. If a REPEAT order precedes the MOVE order, a special sequence is followed, as explained later in this section.

The six orders previously defined will now be described in more detail. The LOAD order can be used to transfer a word from any register or memory location to an addressable register. For example (octal notation will be used):

| OP |  |  |  |
| :---: | :---: | :---: | :---: |
| CODE | $\gamma$ | $\beta$ | $\alpha$ |
| 51 | 0 | 0011 | 00400 | will transfer the contents of memory location 400 to the Q register, and

$$
\begin{array}{llll}
51 & 0 & 0011 & 70001
\end{array}
$$

will replace $C(Q)$ with the contents of index register 1.
CLEAR AND ADD is a special-purpose load order used for transferring a word into the accumulator. The instruction
$10 \quad 0 \quad 0000 \quad 00701$
will transfer the contents of memory location 701 into the accumulator.

The STORE instruction performs the inverse operation of the CLEAR AND ADD. The contents of the accumulator are transmitted to another register or to a memory location.

REPLACE ADDRESS is normally used to modify the address part of an instruction. The operation of this instruction is illustrated by the following example:

Let the Accumulator contain +073002113211 and memory location 371 contain +400000002765 ; then the instruction
$54 \quad 0 \quad 0000 \quad 00371$
stores $+400 \quad 000 \quad 013 \quad 211$ in memory location 371 .
The operation REPLACE THROUGH MASK is similar to that of REPLACE ADDRESS except that it allows the replacement of any bit or combination of bits in a memory location or addressable register. The choice of bits to be replaced is controlled by the binary "ones" of the contents of the $Q$ register; bit positions of a corresponding to zeros of $Q$ are not affected. The following examples will clarify the operation of this instruction.

Example 1:

Let \begin{tabular}{lllllll}
$C(A)=+123456701$ \& $234=\ldots \ldots$ \& 010 \& 011 \& 100 <br>
$C(Q)=+000000000$ \& $077=\ldots \ldots$ \& 000 \& 111 \& 111 <br>
$C(721)=+000000000$ \& $000=\ldots \ldots$ \& 000 \& 000 \& 000

$\quad$

<br>
Execution of 5500000 \& 00721 will leave <br>
$C(721)=+000$ \& 000 \& 000 \& 034
\end{tabular}

Example 2:
Let $C(A)=-765 \quad 432 \quad 101 \quad 234$
$\mathrm{C}(\mathrm{Q})=-070 \quad 605 \quad 040 \quad 302$
$C(1200)=+432 \quad 107 \quad 654 \quad 321$
After translation into binary form

| $C(A)$ | $=1$ | 111 | 110 | 101 | 100 | 011 | 010 | 001 | 000 | 001 | 010 | 011 | 100 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $C(Q)$ | $=1$ | 000 | 111 | 000 | 110 | 000 | 101 | 000 | 100 | 000 | 011 | 000 | 010 |
| $C(1200)$ | $=0$ | 100 | 011 | 010 | 001 | 000 | 111 | 110 | 101 | 100 | 011 | 010 | 001 |

Execution of 550000001200 will alter the contents of memory position 1200 as follows:

A short program will now be given using the instructions introduced so far. An instruction is located at address 1361. It is required to isolate the gamma bits ( $28-30$ ) and address bits (1-15) of the instruction and store them at 1500 and 1501 respectively (memory location 600 contains the word +007000000000 ):

| 10 | 0 | 0000 | 70000 | Clear Accumulator |
| :--- | :--- | :--- | :--- | :--- |
| 50 | 0 | 0000 | 01500 | Store Zero in 1500 |
| 50 | 0 | 0000 | 01501 | Store Zero in 1501 |
| 10 | 0 | 0000 | 01361 | Clear and Add C(1361) |
| 51 | 0 | 0011 | 00600 | Load Mask |
| 55 | 0 | 0000 | 01500 | Store Gamma in 1500 |
| 54 | 0 | 0000 | 01501 | Store Address in 1501 |

The first three instructions of the above program are used to clear memory locations 1500 and 1501 to +000000000000 . The first instruction can be used to clear a register or memory location because a zero operand is provided when a non-existent register (in this case 70000 ) is addressed.

The MOVE instruction is used primarily for transferring words from one memory location to another. It is the only instruction which will transfer the contents of an addressable register, other than $A$, directly to the memory. The program previously given can be shortened by one instruction if the following two move orders are used to clear memory locations 1500 and 1501:
$\begin{array}{llll}52 & 0 & 1500 & 70000\end{array}$
520150170000.

The last four instructions of the original program remain unchanged.
Whenever data is called for from a nonexistent register the result is the same as calling for information from a location containing zero.
B. Arithmetic Instructions

Arithmetic operations are performed in MOBIDIC on binary numbers, including sign and magnitude. As noted earlier the binary point is fixed and assumed to be between bit position 36 and the sign position. The range of numbers which can be represented in MOBIDIC is, therefore, between $-\left(1-2^{-36}\right)$ and $+\left(1-2^{-36}\right)$. However, by using proper scale factors, the programmer is able to perform arithmetic operations in any number range. The introduction into the machine of a number whose absolute value is greater than or equal to one results in overflow. Normally, the computer will set the overflow alarm and halt when an overflow occurs in the accumulator. However, instead of halting the computer, several other options are available to the programmer for handling overflow. These options will be described in detail after the arithmetic instructions have been introduced.
$\mathrm{ADD}, 12, \mathrm{ADD} \gamma \beta \mathrm{a}, 16 \mu \mathrm{sec}$.
This instruction replaces $C(A)$ with the algebraic sum of $C(A)$ and $C(a)$; overflow is possible. $C(a)$ remains unchanged The contents of the B-register depend on the signs of both the accumulator and of memory location a. A detailed explanation is given in Table IV at the end of this manual.

## SUBTRACT, $16, \mathrm{SBM} \gamma \beta a, 16 \mu \mathrm{sec}$.

This instruction replaces $C(A)$ with the algebraic difference between $C(A)$ (minuend) and $C(a)$ (subtrahend); overflow is possible. $C(a)$ remains unchanged. $C(B)$ is again dependent on the signs of $A$ and of $a$ as explained in Table $V$. If overflow occurs during addition or subtraction, the overflow bit is lost. However, the machine may be halted as will be explained later.

## ADD MAGNITUDE, $13, \operatorname{ADM} \gamma \beta \mathrm{a}, 16 \mu \mathrm{sec}$.

This instruction replaces $C(A)$ with the algebraic sum of $C(A)$ and the absolute value of $C(a)$; overflow is possible. $C(a)$ remain unchanged. $C(B)$ depends on $A_{s n}$ and $a_{s n}$ as explained in Table V.

## SUBTRACT MAGNITUDE, $17, \mathrm{SBM} \gamma \beta \mathrm{a}, 16 \mu \mathrm{sec}$.

This information replaces $C(A)$ with the algebraic difference between $C(A)$ (minuend) and the absolute value of $C(a)$ (subtrahend); overflow is possible. $C(a)$ remains unchanged. $C(B)$ depends on $A_{s n}$ and $a_{s n}$ as before.

The following example serves to illustrate the operation of the various Add and Subtract instructions.

| $\mathrm{C}(\mathrm{A})$ |  | $\mathrm{C}(\mathrm{a})$ |  |  | Instruction | New C(A) |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| +000 | 013 | 726 | 130 | +011 | 620 | 351 | 072 | ADD a |
|  |  |  |  | SUB a | -11 | 634 | 277 | 222 |
|  |  |  |  | ADMa | +011 | 604 | 422 | 742 |
|  |  |  |  | SBM a | -011 | 604 | 422 | 742 |

Since $C(a)$ is positive $A D D$ and ADM give the same result; so does SUB and SBM. The next example illustrates these operations when a contains a negative number.

| C(A) |  |  |  | C(a) |  |  |  | Instruction | New C(A) |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| +125 | 013 | 301 | 075 | -734 | 320 | 574 |  | ADD a | -607 | 305 | 272 | 704 |
|  |  |  |  |  |  |  |  | SUB a | +061 | 334 | 075 | 076* |
|  |  |  |  |  |  |  |  | ADMa | +061 | 334 | 075 | 076* |
|  |  |  |  |  |  |  |  | SBM a | -607 |  | 272 | 704 |

*Indicates overflow

If should be noted that, if the result of an arithmetic operation is equal to zero, the sign of the accumulator will be taken as the sign of the result. The following example illustrates this rule.

| $\mathrm{C}(\mathrm{A})$ |  |  | $\mathrm{C}(\mathrm{a})$ |  |  | Instruction | New C(A) |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| -123 | 456 | 701 | 234 | +123 | 456 | 701 | 234 | ADD a | -000 |

CLEAR AND SUBTRACT, $14, \mathrm{CLS} \gamma \mathrm{a}, 16 \mu \mathrm{sec}$.
This instruction replaces $C(A)$ with the negative of $C(a)$.
CLEAR AND ADD MAGNITUDE, 11, CAM $\gamma \mathrm{a}, 16 \mu \mathrm{sec}$.
$C(A)$ is replaced by $C(a)$ and $A_{s n}$ is set equal to zero.

CLEAR AND SUBTRACT MAGNITUDE, $15, \operatorname{CSM} \gamma \mathrm{a}, 16 \mu \mathrm{sec}$.
This instruction replaces $C(A)$ with $C(a)$ and sets $A_{s n}$ equal to 1.

```
MULTIPLY, 20, MLY \gammaa, 86 \mu sec.
```

This instruction forms the 72 -bit algebraic product of $C(A)$ (multiplicand) and $C(a)$ (multiplier). The high-order 36 bits of the product are left in A and the low order 36 bits in Q . Both $\mathrm{A}_{\mathrm{sn}}$ and $Q_{s n}$ hold the sign of the product. $C(B)$ is replaced by $C()$.

## MULTIPLY AND ROUND, 21, MLR $\gamma \mathrm{a}, 86 \mu \mathrm{sec}$.

This instruction forms the 72 -bit algebraic product of $C(A)$ and $C(a)$. The high-order 36 bits of the product are left in A and the 36 low-order bits in Q . If $\mathrm{Q}_{36}=1,1 \cdot 2^{-36}$ is added to A . $C(B)$ is replaced by $C(a)$ if $Q_{36}=0$ and by $+000 \quad 000 \quad 000 \quad 000$ if $Q_{36}=1$.
[For purposes of scaling it is often convenient to assume the existence of a fictitious binary point. After a multiplication, the number of bits to the right of the (fictitious) binary point in the 72 -bit product is equal to the sum of the number of bits to the right of the binary points in both the multiplicand and the multiplier. For example, if $C(A)=+000 \quad 000 \quad 000133$ and $C(1401)=-000 \quad 000 \quad 007102$, then execution of the instruction $20 \quad 0 \quad 0000 \quad 01401$ leaves $C(A)=-000 \quad 000 \quad 000 \quad 000$ and $C(Q)=-000 \quad 001 \quad 210 \quad 566$. Under the assumption that the binary point of the multiplier lies between $A_{10}$ and $A_{11}$, and the point of the multiplicand between positions 4 and 5 of memory location 1401 , the binary point of the product will lie between $\mathrm{Q}_{14}$ and $\mathrm{Q}_{15} \cdot$ ]
DIVIDE, 22, DVD $\gamma \beta \mathrm{a}, 88 \mu \mathrm{sec}$. ( $18 \mu \mathrm{sec}$ if overflow)
This instruction forms the unrounded 36 -bit algebraic quotient of $\mathrm{C}(\mathrm{A})$ (dividend) and $\mathrm{C}(\mathrm{a})$ (divisor). The quotient is left in $Q$ and the remainder in $A$. The sign of the remainder agrees with the sign of the dividend. If $|C(A)| \geq|C(a)|$ overflow occurs and the division does not take
place. $C(A)$ and $C(Q)$ are unchanged with the exception of $Q_{s n}$ which is set equal to $A_{s n}$. $C(B)$ is replaced by $C(a)$.

DIVIDE LONG, 23 , DVL $\gamma \beta \mathrm{a}, 88 \mu \mathrm{sec}$. ( $18 \mu \mathrm{sec}$ if overflow)
This instruction is identical with DIVIDE except that the dividend is a 72 -bit number. The 36 high-order bits of the dividend are stored in the accumulator and the 36 low-order bits in the Q -register. The sign of the dividend will be the sign of A .

If the fictitious binary point of the dividend and divisor are in the same relative position, the binary point of the quotient will be to the left of $\mathrm{Q}_{36}$ and the binary point of the remainder to the left of $\mathrm{A}_{36}$. Displacement of the point in the dividend results in an equal displacement of the points of both the quotient and the remainder. Displacement of the point of the divisor results in a change of equal magnitude but opposite direction in the quotient.]

NORMALIZE, $37, \operatorname{NRM} \gamma a, 18+\mathrm{n}-\mathrm{n}(\bmod 2) \mu \mathrm{sec} ., \mathrm{n}=$ number of shifts
$C(A)$ is shifted to the left until a one appears in $A_{36} . C(A)$ is replaced with $n \cdot 2^{-36}$ where $n$ is the number of shifts executed, and asn is set to 0 . If $\mathrm{C}(\mathrm{A})$ is zero, $\mathrm{n}=36$. $\mathrm{A}_{\mathrm{sn}}$ is not shifted, and $a$ is made positive. The NORMALIZE instruction is useful to compute scale factors during calculations. It is also used for floating point operations and to edit output data.

SHIFT RIGHT, 32, SHR $\gamma \mathrm{a}$, if $a \leq 9: 16 \mu \mathrm{sec} ; a>14: 2+a+a(\bmod 2) \mu \mathrm{sec}$.
$C(A)$ is shifted $a(\bmod 128)$ places to the right. The bit positions vacated at the left are replaced with zeros, and the bits shifted out at the right are lost. $A_{s n}$ is not shifted.

SHIFT RIGHT LONG, 33, SRL $\gamma \mathrm{a}$, if $\mathrm{a} \leq 14: 16 \mu \mathrm{sec}: a>14: 2+a+\mathrm{a}(\bmod 2)$
The 72 bits stored in $A$ and $Q$ are shifted $a(\bmod 128)$ places to the right. The bit positions vacated at the left of $A$ are replaced with zeros and the bits shifted out at the right of $Q$ are lost. $A_{s n}$ and $Q_{s n}$ are not shifted, so that $A_{1}$ is shifted into $Q_{36}$.

SHIFT LEFT, 30, SHL $\gamma \beta a$, if $a \leq 9: 16 \mu \mathrm{sec} ; a>9: 8+a-a(\bmod 2) \mu \mathrm{sec}$.
$C(A)$ is shifted $a(\bmod 128)$ places to the left. The bit positions vacated at the right of $A$ are filled with zeros and the bits shifted out at the left of $A$ are lost. $A_{s n}$ is not shifted. If a non-zero bit is shifted out of $\mathrm{A}_{36}$, overflow occurs.

SHIFT LEFT LONG, 31, SLL $\gamma \beta a$, if $a \leq 9: 16 \mu_{\text {sec }} ; a>9: 8+a-a(\bmod 2) \mu \mathrm{sec}$.
The 72 bits stored in $A$ and $Q$ are shifted $a(\bmod 128)$ places to the left. The bit positions vacated at the right of $Q$ are filled with zeros and bits shifted out at the left of $A$ are lost. $A_{s n}$ and $Q_{s n}$ are not shifted. If a non-zero bit is shifted out of $A_{36}$, overflow occurs.

The instructions which can cause overflow are ADD, ADM, SUB, SBM, DVD, DVL, SHL, and SLL. As mentioned previously, several options are available to the programmer
to handle overflow. A flip-flop called the overflow alarm (OA) is used to indicate to the programmer that overflow has occurred. Normally an overflow causes the machine to halt and to set OA. However, the three low-order bits of the beta part (bits 16, 17, and 18) of instructions which can cause overflow may be used to control the computer in case of overflow. The following table shows the effect of each of the eight possible configurations formed by bits 16,17 , and 18 in case of overflow:

| Bits |  |  | Before Execution of Instruction | If Instruction Causes Overflow |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | Clear OA | Set OA and halt |
| 0 | 0 | 1 | Clear OA | Set OA |
| 0 | 1 | 0 | Clear OA | Set OA and halt |
| 0 | 1 | 1 | Clear OA | No action |
| 1 | 0 | 0 | No action | Set OA and halt |
| 1 | 0 | 1 | No action | Set OA |
| 1 | 1 | 0 | No action | Set OA and halt |
| 1 | 1 | 1 | No action | No action |

The arithmetic instructions previously given are illustrated by the following simple example: It is desired to find

$$
z=\frac{a x+b}{c} .
$$

In this example it is assumed that all four parameters are scaled at $2^{\circ}$, that is, 36 bits are placed to the right of the binary point. It is further assumed that overflow is not possible. Let $C(100)=a, C(101)=b, C(102)=c$, and $C(200)=x$, and let it be required to store $Z$ at 500. The following program will calculate the required function:

| 10 | 0 | 0000 | 00100 | place a in A |
| :--- | :--- | :--- | :--- | :--- |
| 21 | 0 | 0000 | 00200 | multiply by x |
| 12 | 0 | 0000 | 00101 | add b |
| 22 | 0 | 0000 | 00102 | divide by c |
| 52 | 0 | 0500 | 70011 | store Z |

The beta parts of the ADD and DVD instruction have been coded to halt the machine in case of overflow.

## C. Editing Instructions

This class of instructions is used primarily to change the format of internally stored information. This is often required in preparation for an output operation when it is necessary to insure that the information appear in the proper form on the output document. Editing orders are also used to arrange information in a form convenient for some later operation, such as a comparison.

The various instructions are described in detail in the next few paragraphs. Both the NORMALIZE (NRM) and the REPLACE THROUGH MASK (MSK) instructions, which properly belong to this category, were introduced previously for convenience. Examples which illustrate the use of these instructions are given as part of the elementary subroutines in the next section.

## CYCLE SHORT, 34, CYS $\gamma \mathrm{a}, \mathrm{a} \leq 14: 16 \mu \mathrm{sec} . ; a>14: 2+a+a(\bmod 2) \mu \mathrm{sec}$.

The cycle-short instruction forms a closed ring, consisting of the 36 bits of the A register, and cycles the bits $a(\bmod 128)$ places to the left. Bits passing out of $A_{36}$ enter $A_{1}$, so that no information is lost as it is in an ordinary shift operation. $A_{s n}$ remains unaltered.

CYCLE LONG, 35, CYS $\gamma a, a \leq 14: 16 \mu \mathrm{sec} ; \quad a>14: 2+a+a(\bmod 2) \mu \mathrm{sec}$.
The cycle-long instruction is similar to CYS except that the ring is formed by the complete A and Q registers. All 74 bits are cycled in such a way that bits passing out of $A_{36}$ enter $A_{\text {sn }}$, bits passing out of $A_{s n}$ enter $Q_{1}$, bits passing out of $Q_{36}$ enter $Q_{s n}$, and bits passing out of $Q_{s n}$ enter $A_{1}$.

LOGICAL ADD, 03, LGA $\gamma \mathrm{a}, 16 \mu \mathrm{sec}$.
This instruction forms the logical sum of $C(A)$ and $C(a)$. A Boolean "or" function is performed on a bit-by-bit basis, and the result is left in A. For example, if $C(A)=001011$ and $C(a)=011001$, Logical Sum $C(A)=011011$.

LOGICAL MULTIPLY, 02, LGM $\gamma \mathrm{a}$, $16 \mu \mathrm{sec}$.
This instruction performs the Boolean "and" function of $C(A)$ and $C(a)$. The result is again left in A.

## D. Sequencing Instructions

The MOBIDIC order code includes several instructions which allow the programmer to control the sequence in which the computer executes the instructions. Most of these "transfer" instructions cause the machine to either leave the normal sequence of instructions or not, depending upon the result of some test or comparison. Such instructions are called "conditional transfers". Transfers of control which do not depend on the results of some test or comparison are called "unconditional transfers".

Transfers may be made only to a memory address. Attempts to transfer to an addressable register not a memory will result in a halt.

## UNCONDITIONAL TRANSFER, 40, TRU $\gamma \beta a$, $16 \mu \mathrm{sec}$.

The next instruction is taken from memory location $a$. The beta bits of this instruction are used to control the trapping mode as will be described later in Section IV A.

For example, if $C(A)=1101011$ and $C()=0111000$, the logical product $C(A)=$ 0101000.

## LOGICAL NEGATION, 04, LGN $\gamma \mathrm{a}, 16 \mu \mathrm{sec}$.

This instruction places the one's complement of $C(a)$ in the accumulator. For example, if $C(a)=1011101$, then this operation will place 0100010 in the accumulator. In each of the last three orders, the sign bit is included in the operation.

The logical operations performed by the last three instructions define a complete Boolean algebra and permit the computation of all binary functions of binary variables. Such functions, often called "truth functions", or "switching functions" are used in logic and in the theory of switching, and are generally useful in the design and application of computing machinery.

Transfer instructions are often used to form a "loop". In a loop the same set of instructions is executed repetitively. The program for the computation of:

$$
\mathrm{z}=\frac{\mathrm{ax}+\mathrm{b}}{\mathrm{c}}
$$

is rewritten below in the form of a loop to show how the same instructions can be used to compute $Z$ for different values of $x$. The $x_{i}$ are assumed stored in consecutive memory locations starting at 200 and the $Z_{i}$ are to be stored consecutively starting at 500 . Since this program refers to the storage locations of some instructions, addresses are assigned starting, arbitrarily, at location 1000 .

| 1000 | 10 | 0 | 0000 | 00100 | place a in A |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 1001 | 21 | 0 | 0000 | 00200 | multiply by $x_{i}$ |
| 1002 | 12 | 0 | 0000 | 00101 | add b |
| 1003 | 22 | 0 | 0000 | 00102 | divide by c |
| 1004 | 52 | 0 | 0500 | 70011 | store $Z_{i}$ |
| 1005 | 10 | 0 | 0000 | 01001 | place MLR in A |
| 1006 | 12 | 0 | 0000 | 01014 | increment i |
| 1007 | 54 | 0 | 0000 | 01001 | store address in MLR |
| 1010 | 10 | 0 | 0000 | 01004 | place MOV in A |
| 1011 | 12 | 0 | 0000 | 01015 | increment i |
| 1012 | 50 | 0 | 0000 | 01004 | store MOV |
| 1013 | 40 | 0 | 0000 | 01000 | return to beginning |
| $1014+00$ | 0 | 0000 | 00001 | constant for modifying $x_{i}$ |  |
| $1015+00$ | 0 | 0001 | 00000 | constant for modifying $Z_{i}$ |  |

This program could not actually be used for the computation of $Z_{i}$ since there is no provision made for terminating the program. Several instructions will be introduced later which can be used to transfer out of a loop after the loop program has been performed a given number of times.

```
TRANSFER ON NEGATIVE ACCUMULATOR, 46, TRN\gammaa, 16 }\mu\textrm{sec}
```

If $A_{s n}$ is a one, the next instruction is taken from $a$. If $A_{s n}$ is a zero, the sequence is continued in order. Only the sign bit of the accumulator is considered.

TRANSFER ON POSITIVE ACCUMULATOR, 44, TRP a a, $16 \mu \mathrm{sec}$.
If $A_{s n}$ is a zero, the next instruction is taken from $a$. If $A_{s n}$ is a one, the sequence is continued in order.

TRANSFER ON ZERO ACCUMULATOR, 45, TRZ $\gamma \mathrm{a}$, $16 \mu \mathrm{sec}$.
If $C(A)_{1-36}$ is zero, the next instruction is taken from $a$. If $C(A)_{1-36}$ is non-zero, the sequence is continued in order.

HALT, 00, HLT, $16 \mu$ sec.
The computer operations are halted after completion of any input or output operations currently in progress. If the START AT PC switch is actuated after the computer is halted, the next instruction is taken in sequence.

COMPARE, 47, TRC $\gamma \mathrm{a}, 22 \mu \mathrm{sec}$.
$C(A)$ and $C(a)$ are compared algebraically. If $C(A)<C(a)$ the computer continues in sequence. If $C(A)>C(a)$, the next instruction is skipped. If $C(A)=C(a)$ the next two instructions are skipped. $C(A)$ and $C(a)$ remain unchanged. $C(Q)$ is replaced by $C(A)$. $C(B)$ will contain $a$. In the execution of this order, minus zero is considered equal to plus zero.

```
SENSE, 05, SEN }\gamma\beta\textrm{a},16\mu\textrm{sec}
```

If the flip-flop specified by $\beta$ is set, the next instruction is taken from $a$. If it is reset, the sequence is continued in order.

SENSE AND SET, 06, SNS $\gamma \beta a, 16 \mu \mathrm{sec}$.
If the flip-flop specified by $\beta$ is originally reset, it is set by this instruction and the next instruction is taken from $a$. If the flip-flop is originally set, the sequence is continued in order.

SENSE AND RESET, 07, SNR $\gamma \beta \mathrm{Ba}, 16 \mu \mathrm{sec}$.
If the flip-flop specified by $\beta$ is originally set, it is reset by this instruction and the next instruction is taken from $a$. If the flip-flop is originally reset, the sequence is continued in order.

Table III shows the addresses of the various flip-flops in the computer and indicates how they can be affected by the console or the program. For example, if the overflow alarm is set, the instruction

$$
\begin{array}{llll}
07 & 0 & 0100 & 02511
\end{array}
$$

will reset it and transfer control to 2511.

TABLE III

MOBIDIC SENSE FLIP FLOPS

| Octal <br> Address | Designation | Function | Console Switch | Can Be Cleared By Program | Can Be Set By Program |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0000-0077* | IOD | In-Out Device Busy Signals | No | No | No |
| 0100 | OA | Overflow Alarm | No | Yes | Yes |
| 0101 | ROPI | Real Time Output Program Interrup | No | Yes | Yes |
| 0102 | ISN | Interpret Sign | Yes | Yes | Yes |
| 0103 | NHC | Ignore In Out Converter Error | Yes | Yes | Yes |
| 0104 | RPE | Real Time Parity Error | No | Yes | No |
| 0105 | ROBB | Real Time Output Busy Bit | No | No | No |
| 0106 | $\mathrm{ROR}_{38}$ | Real Time Output Reg. Bit No. 38 | No | Yes | Yes |
| 0110-0117 | SFF1-SFF8 | General Sense Flip Flops | Yes | Yes | Yes |
| 0120-0127 | SFF9-SFF 16 | General Sense Flip Flops | Yes | Yes | Yes |
| 0130 | $\mathrm{IOA}_{1}$ | In Out Alarm Converter 1 | No | No | No |
| 0131 | $\mathrm{IOA}_{2}$ | In Out Alarm Converter 2 | No | No | No |
| 0135 | TPE | Tape Erase | Yes | Yes | Yes |
| .- | TRA | Trapping Mode | Yes | Yes\%** | Yes*** |

* These addresses correspond to the address of the device being sensed.

絃 Done only by $\beta$ bits of TRU order or when an order is trapped.
All flip-flops shown in Table III, except TRA, are addressable only by SEN, SNR, and SNS instructions, except that RPE cannot be set (SNS); ROBB, IOAI, and IOA2 can only be sensed (SEN) and at the time of this writing, the state of TPE cannot be determined (SEN), but it can be set (SNS) and reset (SNR). In each case, the flip-flops address appears in the beta-part of the instruction.

## E. Indexing Instructions

It was mentioned in Section II that a set of index registers is provided in the MOBIDIC system. The contents of these index registers can be added to the programmed addresses before execution of the instructions in order to allow for more flexible programming. The indexing operation itself, that is, the addition of the contents of the index register to a memory address, proceeds generally without loss of time in the main program. Address modification is used not only to operate on different variables with the same set of instructions, but also to permit the programming of routines independently of the memory locations which will be used to store these routines. The programmer is then unconcerned with the actual storage assignment until all routines are completely programmed.

When an order is "indexed", the address (a) is internally increased by the contents of the specified index register before the order is executed. The contents of the memory position containing the order are unchanged.

Since the index registers are used for address modification, instructions must be available to modify the contents of these index registers and to specify memory addresses. A set of indexing instructions is therefore provided to increment the contents of the index registers by some specified amount, or to specify addresses by other means. Such instructions are described below. If there are $n$ index registers and $\gamma=n$, then $\gamma+1=1$; if $\gamma=0$ or $\gamma>n$, then no data can be transferred into the specified index register and data called for by any instructions is zero.

## LOAD INDEX, $53 \mathrm{LDX} \gamma \beta a, 16 \mu \mathrm{sec}$.

This instruction replaces $C\left(I^{\gamma}\right)$ by $\beta$ and $C\left(I^{\gamma+1}\right)$ by $a$. The LOAD INDEX instruction always modifies the contents of two index registers. If it is desired to load only one index register from memory, the LOAD instruction should be used. For example,

$$
\begin{array}{llll}
51 & 0 & 0002 & 07512
\end{array}
$$

could be used to load index register 2 with $\mathrm{C}(7512)$ 1-12. The LOAD INDEX instruction cannot be indexed. If a non-existent index register is addressed, the instruction is interpreted as a vacuous (skip) order.

## TRANSFER ON INDEX, 43, TRX $\gamma \beta a, 22 \mu \mathrm{sec}$.

If $C\left(I^{\gamma+1}\right)=0$, the instructions are continued in sequence. If $C\left(I^{\gamma+1}\right) \neq 0, C\left(I^{\gamma+1)}\right.$ is replaced by $C\left(I^{\gamma+1}\right)-1$. If $C\left(I^{\gamma+1}\right)$ is now equal to zero the sequence is continued in order; otherwise $\mathrm{C}\left(\mathrm{I}^{\gamma}\right)$ is replaced by $\mathrm{C}\left(\mathrm{I}^{\gamma}\right)+\beta$, and the next instruction is taken from $a$. In any case $\mathrm{C}(\mathrm{B})$ is replaced by $a$. This instruction cannot be indexed. If a non-existent index register is addressed, the instruction is interpreted as a vacuous order; $C(B)$ however, is replaced by $a$.

ADD BETA, $24, \mathrm{ADB} \gamma \beta a, 26 \mu \mathrm{sec}$.
First $\beta$ is added to $C(a)_{1-12}$. The sum is then placed in $A, a$, and $I^{\gamma} . C(Q)$ is replaced by the original contents of $A$. The contents of $B$ depend on both $C(A)$ and $C(a)$, as shown in Table V at the end of the manual. Overflow is ignored. The ADD BETA instruction cannot be indexed.

SUBTRACT BETA, $25, \mathrm{SBB} \gamma \beta \mathrm{a}, 26 \mu \mathrm{sec}$.
$\beta$ is subtracted from $C(a)_{1-12}$. The difference is placed in $A, a$, and $I^{\gamma} . C(Q)$ is replaced by the original contents of $A$. $C(B)$ depends on $C(A)$ and $C(a)$ as before. Overflow is again ignored. The subtract beta instruction cannot be indexed.

LOAD PCS AND TRANSFER, 41 , TRL $\gamma \beta \mathrm{a}, 16 \mu \mathrm{sec}$.
The location of this instruction incremented by one is stored in PCS; $\beta$ is then loaded into $\mathrm{I}^{\gamma}$ and the next instruction is taken from $a$. This instruction cannot be indexed.

TRANSFER TO PCS, 42 TRS, $16 \mu \mathrm{sec}$.
The next instruction is taken from the location specified by PCS.

REPEAT, 01, RPT $\gamma \beta \mathrm{a}, 16 \mu \mathrm{sec}$.
The instruction following the REPEAT order is executed $a+C\left(I^{\gamma}\right)+1$ times. After each execution of that instruction, its a part is increased by $\beta$ of the REPEAT instruction. After completion of the repeated order, $\mathrm{I}^{3}=0$ and $\mathrm{I}^{4}=\beta$. The REPEAT instruction and the instruction being repeated are left unchanged in memory. A REPEAT order followed by any inputoutput order will operate in the same manner as a REPEAT order followed by any other order. A sense or transfer instruction following a REPEAT order will transfer in the proper manner only when it has been executed $a+C\left(I^{\gamma}\right)+1$ times.

Two MOBIDIC instructions exhibit a special mode of operation when preceded by the REPEAT order. These are MOVE (MOV), and COMPARE (TRC).

The REPEAT-MOVE combination allows the block transfer of an arbitrary number of words from one part of memory to another. When the MOVE instruction follows a REPEAT, the a address of the MOVE order is incremented as described under the REPEAT order, and the $\gamma \beta$ address is indexed by $I^{2}$. Furthermore, before each MOVE order is executed, its effective $\alpha$-part is placed in the $Q$-register, and the remaining bits of $Q$ are set to zero.

As an example, the following program will move a block of one hundred consecutive words starting at location 250 to consecutive locations starting at 1200:

| 00071 | 51 | 0 | 0002 | 00074 |
| ---: | ---: | ---: | ---: | ---: |
| 00072 | 01 | 0 | 0001 | 00143 |
| 00073 | 52 | 0 | 1200 | 00250 |
| 00074 | +00 | 0 | 0000 | 00001 |

In this program memory location 74 contains a constant used to load $\mathrm{I}^{2}$. Since the high-order six bits of $C(74)$ represent the operation code for the HALT instruction, the machine will stop after completing the block move. It should be noticed that, by substituting different values for the beta part of $C(72)$ and for the alpha part of $C(74)$, a large variety of block moves can be made. Thus, blocks of words can be increased or reduced in size, and the arrangement of the words within a block of data can be substantially altered.

The REPEAT operation can be used in conjunction with a COMPARE (TRC) operation to allow for comparisons between the contents of the accumulator and a specified sequence of memory locations. Such comparisons are useful in table look-up operations and in operations which make it necessary to rearrange the order of input or output data.

Consider the following sequence of orders:

| $\frac{\text { Location }}{y-1}$ | Order |
| :--- | :---: |
| $y$ | RPT $\gamma_{1} \beta_{1} a_{1}$ |
| $y+1$ | TRC $\gamma_{2}-a_{2}$ |
| $y+2$ | - |
| $y+3$ | - |
| $y$ |  |

Since both the REPEAT and the COMPARE orders can be indexed, the number of repetitions of the COMPARE order is given by $R=a_{1}+C\left(I^{\gamma 1}\right)+1$, while the effective address of the COMPARE order is $\mathrm{x}=\mathrm{a}_{2}+\mathrm{C}\left(\mathrm{I}^{\gamma 2}\right)$.

The operation of the REPEAT-COMPARE sequence will now be explained in detail. The contents of the accumulator are first compared with the contents of $x$. If $C(A)<C(x)$, $x$ is stored in the $B$ register and transfer is made to location $y+1$, that is, to the address immediately following the TRC order. In a table look-up operation, this case corresponds to one where the argument used to search the table is smaller than any of the functional values stored in memory in increasing order of magnitude.

If $C(A)=C(x), x$ is again stored in the $B$ register, and transfer is made to location $y+3$. This case corresponds to one where the argument stored in the accumulator is equal to the functional value stored in location x .

If $C(A)>C(x)$ the argument is larger than the functional value stored in $x$, and in general a further comparison with a larger functional value should take place. For this reason, a further test is made to determine if $R$ (the number of repetitions of the COMPARE order) is equal to zero. If $R>0, R$ is decreased by 1 , and the address of the next memory location, $x$, to be compared is increased by $\beta_{1}$ of the REPEAT order; the whole program is then started over by a new comparison between the contents of the accumulator and the contents of the new $x$. If, on the other hand, $R=0$, that is, if all allowable repetitions have already been performed, a transfer is made to location $y+2$. This case is the one where the argument has already been tested against all available functional values.

At the end of the complete sequence, the contents of the accumulator will appear in the $Q$-register, while $C(A)$ and $C(x)$ are unchanged. The actual number of comparison executed is given by $a_{1}-I^{3}+2$.

The complete RPT-TRC sequence is shown in flow-chart form in Figure 8. The round boxes indicate comparisons. The TRC order is assumed to be stored in location y as before. The operations coded at locations $y+1, y+3$, and $y+2$ can be unconditional transfer orders which transfer control to different locations depending on whether the argument is smaller than, equal to, or larger than any of the given functional values.


Figure 8. Operation of the REPEAT-COMPARE Sequence

## F. Input-Output Instructions

The input-output system of MOBIDIC consists of one or more in-out converters and a set of peripheral equipment. Each converter contains storage units and controls to operate any of the peripheral devices. As many devices can operate simultaneously as there are available converters.

When an in-out order is decoded the first free converter is selected and the instruction is stored in that converter. The computer then proceeds to the next instruction in sequence. In the event that all converters are in use, or that the input-output device requested is occupied, the sequence is interrupted until the device is free and a converter is available; when these conditions are obtained the instruction is processed.

Before giving a detailed description of the in-out orders, a few comments must be made concerning the magnetic and paper tape formats. Characters are recorded on magnetic tape in eight parallel channels. Six of the channels correspond to the alphanumeric character code, one is used to store a parity bit for each character, and the last is used for control purposes. The density of recording is 280 bits-per-linear-inch, and tape speed is 150 inches-per-second. If the sign of a word is to be read or recorded together with the remaining
characters of that word, the Interpret Sign Flip-Flop (ISN) must be set by a SENSE AND SET order prior to executing the actual in-out instruction. The ISN Flip-Flop will be reset as part of the transfer of the in-out instruction to the converter. In the interpret sign mode, the sign is then converted to the correct eight-bit pattern and recorded on tape as an individual character.

The paper tape format is similar to the magnetic tape format, in that information is punched in eight parallel channels: six information channels, one parity channel, and one control channel. However, the code assignment for the individual characters is somewhat different for paper tape at either 60,120 , or 270 characters-per-second, depending on the paper tape reader; punching is done at the rate of 60 characters-per-second.

When reading or writing, the Non-Halt On CONVERTER Error flip-flop (NHC) can be set, if a parity error is to be ignored. Thus, if the programmer wishes to read 5 words with sign from magnetic tape No. 1 and ignore parity errors, the following program can be used:

| Address |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 100 | 06 | 0 | 0102 | 00101 |
| 101 | 06 | 0 | 0103 | 00102 |
| 102 | 70 | 005 | 01 | 00500 |

Sense and set ISN, transfer to 101
Sense and set NHP, transfer to 102
Read 5 words from tape No. 1.

The input-output instructions will now be described in more detail.

WRITE ALPHANUMERIC, 74, WANkja, $16 \mu \mathrm{sec} .+8 \mu \mathrm{sec}$. per word + tape time
The WRITE ALPHANUMERIC order is used to write $k$ words on output deuice $j$. The location of the first word is specified by the address $a$. If the addressable Interpret Sign flip-flop (ISN) has not been set, the converter will ignore the sign, and split the remaining word into six 6 -bit characters. The high-order characters of each word are recorded first. Thus, bits $31-36$ will be recorded first, followed by bits $25-30$, and so on until bits $1-6$ are recorded. Since $k$ uses only 9 bits of the order word, in general there is a maximum of 511 words per block. However, certain very complicated programming tricks can be used to write longer blocks.

If the Interpret Sign flip-flop is set prior to giving the WAN order, a six-bit character defined as the sign of the word is recorded, followed by the six characters of the word. Thus, in this mode, each word is composed of seven characters, the first character being the sign.

If the device $j$ is a magnetic-tape unit, special symbols known as block marks are automatically recorded before the first word and after the $k^{\text {th }}$ word. An interlock gap is left between each terminating block mark and the beginning block mark of the next block. When a WAN order is executed, this gap introduces a delay of approximately 6.2 milliseconds before the first word is transmitted from the memory. Approximately 11 milliseconds are required for the tape to pass over a complete interrecord gap. Thereafter, words are recorded at the rate of $24 \mu_{\mathrm{sec}}$. -per-character ( $144 \mu \mathrm{sec}$. or $168 \mu \mathrm{sec}$. per word). During the record operation, internal computations can take place; an interruption of $8 \mu \mathrm{sec}$. occurs only when a
converter requires access to the memory. This interruption is handled automatically, and is not under program control.

WRITE OCTAL, 76 , WOKkja, $16 \mu \mathrm{sec} .+8 \mu \mathrm{sec}$. per word + tape time
The WRITE OCTAL order cannot be used for magnetic tape. In the WRITE OCTAL mode, the sign is always interpreted and the 36 -bit word is split into 12 octal digits preceded by a sign digit. Each octal digit, consisting of three bits, is converted to its equivalent six-bit form and sent to the output device. This is done because the output devices respond only to a six-bit code. Thirteen 6 -bit characters are recorded per word. In all other respects the WOK order is similar to the WAN order previously described.

## READ OCTAL, 72 , ROKkja, $16 \mu \mathrm{sec} .+8 \mu \mathrm{sec}$. per word + tape time

The READ OCTAL order reads $k$ words from device $j$ and places them in memory starting at the address specified by $a$. This order cannot be used for magnetic tape. Its primary purpose is to provide a means for converting information on punched paper tapes directly into machine code. This is required since information is not recorded on paper tapes in pure binary form. The six-bit characters are converted to equivalent 3 -bit octal digits. A machine word is assembled from 13 octal digits; the first is treated as the sign, and the remaining twelve comprise the 36 -bit word.

Because it is impractical always to specify the exact number of words to be read, a special character defined as "stop code" is provided. When this code is read from paper tape by the photo-electric tape reader, the reading is terminated, even though less than $k$ words have been read. The stop code can be punched on tape either by the flexowriter or under program control.

Other special characters are provided to control the flexowriter action. Since the flexowriter has both an upper and a lower case, symbols are provided to shift both up and down. Other symbols control the space, tabulator, carriage return, and back-space actions. All these special controls are available for both upper and lower case. All the characters, including alphanumeric characters and special arithmetic symbols are provided in either upper or lower case, but not both.

READ ALPHANUMERIC, 70, RANkja, $16 \mu \mathrm{sec} .+8 \mu \mathrm{sec}$. per word + tape time
If $j$ specifies a magnetic-tape unit, then the READ ALPHANUMERIC order reads $\mathrm{k}\left(\bmod 2^{8}\right)$ words or blocks into consecutive memory locations starting at address $a$. If the ninth bit (the most significant bit) of k is a one, then the remaining eight bits determine the number of blocks to be read; if this bit is a zero, then the other eight bits determine the number of words to be read. The RAN order can be used with the Interpret Sign flip-flop in a set or reset state, as explained previously. Furthermore it is possible co read more than $k\left(\bmod 2^{8}\right)$ words by the use of complicated programming tricks.

When a magnetic-tape unit is selected by this order, the converter first searches for a beginning block mark before reading words into the machine. For example, if the order 700050100300 is to be executed, the converter will search for the next beginning block mark on magnetic tape unit one, read five words into memory starting at address 300 , and if the number of words in the block is greater than five, search for the terminating block mark and stop.

If the device addressed by the RAN order is a paper-tape reader and the Interpret Sign flip-flop (ISN) is set, the RAN order will assemble incoming characters consisting of six 6 -bit characters preceded by a sign character. The reading will be terminated either by a stop code on paper tape, or after $k\left(\bmod 2^{9}\right)$ words have been read, depending on which occurs first.

## Consider, for example, the following orders:

| 3000 | 06 | 0 | 0102 | 03001 |
| :--- | :--- | :--- | ---: | :--- |
| 3001 | 70 | 777 | 36 | 00100 |

The first order sets the ISN flip-flop (address 0102); thereafter control is transferred to location 3001. The next order reads up to 511 words and stores them starting at location 100. If a stop code is encountered the reading operation will cease; otherwise all 511 words will be read.

If the Interpret Sign flip-flop is not set and the paper-tape reader is addressed, two modes of paper-tape reading are possible, depending on whether the most significant bit of $k$ is a one or a zero. If this bit is a one, six characters will be grouped to form a word to be stored in memory. When the stop code is read, the reading will cease and the stop-code combination will appear as a character in the last word. Zeros will be supplied in the low-order positions to fill the last word read into memory.

If the highest-order bit of the k -part in the instruction is a zero, only one character is read and placed in memory location a as a full machine word. This character will occupy the low-order six bits; the remainder of the word will be filled with zeros.

```
SKIP, 66, SKPkj, 16 \mu sec. + tape time
```

This order applies to magnetic tape only. Tape unit $j$ will skip $k\left(\bmod 2^{9}\right)$ blocks forward. The a bits of the order are not used.

BACKSPACE, $67 \mathrm{BSPkj}, 16 \mu \mathrm{sec} .+$ tape time
This instruction is identical with SKP except that skipping takes place in the reverse direction.

READ REVERSE, 71 RRVkja, $16 \mu \mathrm{sec} .+8 \mu \mathrm{sec}$. per word + tape time
This instruction is identical with the RAN order except that reading takes place in reverse direction.

REWIND, 77, RWD j, $16 \mu \mathrm{sec} .+$ tape time
This instruction rewinds magnetic-tape unit $j$.

RE-WRITE, 75 , WWAkja, $16 \mu \mathrm{sec} .+8 \mu \mathrm{sec}$. per word + tape time
When this order is given, tape unit $j$ starts in the read mode and searches for the next beginning block mark. When this block mark is detected, the tape unit switches to the record mode and writes $k\left(\bmod 2^{9}\right)$ words beginning at memory location a followed by a terminating block mark. If a beginning block mark is not found, the whole tape will be searched.

## IV PROGRAMMING TECHNIQUES

A number of techniques which may be useful in operating and programming the computer are presented in this section. The trapping mode is first described followed by a description of the control console. Methods are suggested for starting the calculations and for the check-out of problems. Some useful program subroutines are then given to illustrate the use of the orders introduced in the previous section.

## A. The Trapping Mode

The trapping mode is used mainly in diagnostic procedures. It can be controlled either by the program or by the operator. The following discussion applies only to program control.

If the trapping mode flip-flop (TRA) is set, and the machine is given any of the instructions in the list below, it will not perform the instruction, it will instead take the next instruction from location 0 , the contents of the Program Counter will be sent to the B register, and the trapping mode flip-flop will be reset.

| TRL | TRN | SEN |
| :--- | :--- | :--- |
| TRS | TRP | SNS |
| TRX | TRZ | SNR |

The trapping mode flip-flop (TRA) is not addressable. It may be set by using the unconditional transfer (TRU) order, with the 16 th and 17 th bit positions set in accordance with the scheme shown in Table IV.

TABLE IV TRAPPING MODE CONTROL

| TRA | $\beta_{16}$ of | $\beta_{17}$ of | PC B |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Flip-Flop | TRU Order | TRU Order | Trapped | $a+1^{\gamma}$ PC | 0 TRA | 1 TRA

## B. Console Operations

A slightly simplified diagram of the console is given in Figures 9 and 10. It may be noticed that the control elements on the console consist of a set of switches and a set of display lights. The display lights exhibit the state of the flip-flops which store the binary digits within each word.

The contents of the following storage registers can be displayed in the bus indicator register:

> A, B, and Q Registers Program Counter Store Memory Output Registers $(1-7)$ Index Registers ( $1-4)$ Converter Instruction Register (1-4)

The register selection is provided by the bus selector switches, located below the bus indicator register. Each one of the 15 switches controls one of the registers listed above. The seven memory output registers can be used to monitor any word in memory after first transferring that word from memory to the appropriate memory output register. This transfer can be achieved manually by means of a read-out switch provided as part of the initiating control switches.

The instruction word register is used to display the last instruction performed by the computer. This register displays the contents of the instruction register, the G and X registers, and the address register, as explained in Section II. A third set of indicators is used to display the contents of the program counter, that is, the address of the next instruction to be performed by the computer.

The program counter displays the location from which the next order will be taken.
The mode control switches (Single Pulse, Run, One Construction) are used to fix the mode of operation. The computer can be made to operate continuously under program control (Run), or it can be made to stop after each instruction is performed during programming checking (One Instruction), or it can be made to stop after each pulse time for maintenance purposes (Single Pulse).

The initiating control switches (Read Out, Start at ASR, Manual Instruction, Read In, Start at PC, Program Read In) are used to start computer operations, either at the location specified by the contents of the program counter (Start at PC), or at the location specified by the contents of the address switch register (Start at ASR). The address switch register consisting of 15 switches provided on the console can be set manually to store any computer address. A set of 15 neon indicators located immediately above the address switches is used to display the contents of the address switch register. The initiating controls are also used to read-in programs into the computer from punched paper tape (Program Read In). This mode is often used when the computer must first be loaded with a set of programs.


Figure 9. Organization of the Upper Half of the Control Console:
The Display Panel


Figure 10. Organization of the Lower Half of the Control Console: The Control Panel and Step Panel

The initiating controls also permit manual read-in (Read In) and read-out (Read Out) operations. To this effect, the word switch register consisting of 37 switches and associated display indicators is provided on the console. A word can be set-up in the switches and can then be read into the register or memory location specified by the address switch register; alternatively, an instruction specified in the word switch register can be executed by means of the manual initiating controls (Manual Instruction). This register (WSR) is individually addressable. To read-out a word stored in memory, the memory address is set in the address switch register; the word is then transferred from memory to the memory output register in order to be displayed in the bus indicators.

A halt switch and an emergency halt switch are provided on the console; these switches can be used to stop the computer manually. The halt switch stops the machine after completion of the current instruction except that all input-output instructions currently being executed are finished. The emergency halt stops the machine without waiting for completion of the current instruction. In the latter case, all input-output devices are stopped and the associated converters cleared.

The clear memory function provides a method for resetting to zero the contents of all memory locations of a given memory unit, while the clear computer switch clears all registers (but not the memory) except the halt flip-flop and the flip-flop of the timing function generator. Each memory unit is provided with a clear memory switch.

A set of three-position sense and control switches are provided which can be set or reset either manually or under program control. In the neutral position, these flip-flops operate under program control only, and can be interrogated by a SENSE order, as previously explained. In the set or reset positions, the flip-flops are manually controlled and cannot be altered by the program. Sixteen sense flip-flops are provided and four special control flip-flops designated respectively by NHC (no halt on converter error), ISN (interpret sign), TPE (tape erase), and TRA (trapping mode).

The NHC flip-flop is used to prevent the halting of the machine if a converter error is detected, while the ISN flip-flop controls the treatment of the sign of a number during input-output operations. The TPE flip-flop permits tape erasure. It is used in conjunction with a write order and it erases k words or blocks of that write order.

The TRA Switch is also shown on the control console. When this switch is reset manually, all transfers to the trapping mode are inhibited.

A set of error and alarm display lights is provided on the console to detect various program and machine failures. Thus, an alarm is set if a non-existent memory location is addressed or a non-existent instruction is used. Overflow resulting from an arithmetic operation can also be detected by an alarm flip-flop under program control. A separate error alarm is provided for each memory unit and for each in-out converter to detect parity check errors.

Under normal circumstances the computer will halt if an error is detected by any of the error alarms. However, a No Halt on Error switch provided on the console can inhibit the halt action in such cases, if this is desired. This No Halt switch must be set manually. If an error is detected and the machine stops, the error alarm is reset by a Clear Error switch, which is located below the error alarms on the console. The Clear Error switch operates as a common reset control for all error alarms.

A Disable Program Interrupt switch is provided to inhibit the program interrupt feature available with the real time input system.

A number of power control indicators are provided to indicate whether the main power is turned-on; indicators will also show whether the peripheral equipment and the memory units are ready to operate. A Not Computing indicator, connected to the halt flip-flop, is turned-on if the machine is stopped but ready to compute, while a Computing indicator is turned-on when the machine is operating.

## C. Program Preparation and Check-Out

Programs are normally prepared on punched paper tape. However, if off-line equipment is available, magnetic tapes or punched cards can also be used. The program read-in mode is used to transfer a program into memory. To initiate the program read-in operation, two instruction words must be provided on a special paper tape. The first word on the tape is a READ instruction which specifies the address of the input device containing the program, the number of words to be read into the computer, and the memory storage location for the program. The second word contains the address to which control is transferred after completion of the program read-in.

During check-out of a program, the error and alarm flip-flops should be enabled so as to allow detection of non-existent instructions and memory addresses, and of possible overflow during arithmetic operations. Furthermore, it is convenient to operate the computer in the trapping mode during program check-out. A transfer to memory location zero will then occur for each TRANSFER and SENSE order in the program. The program at memory location zero can provide for type-out of the contents of important memory locations; moreover, the location from which transfer was made to memory location zero must be saved from the B register so that the program can be resumed at the correct location after interruption.

Since trapping mode permits verification of the conditions which control a transfer of control operation, the programmer can follow the programs as they are executed to insure that the various paths traced on the flow diagram are actually executed. Instead of stopping the computer for each TRANSFER and SENSE operation, the contents of certain key registers can be recorded on tape and the program resumed automatically from where the interruption originally occurred. At the end of the complete computation, the program can then be checkedout with the help of the recorded data without tying up the computer.

The sense flip-flops can also be used for diagnostic purposes, since they can cause transfer of control when set, while not affecting the program when reset. When used in this manner they function as "break-points" in the program.

For maintenance and detection of machine failures, the machine can be operated cycle-by-cycle or one pulse at a time. Special programs can also be used to test the various units of the computer in order to narrow down the areas where errors are likely to have originated. Such programs will be described in a separate maintenance manual.

Special program packages are also made use of while preparing a problem for solution. Such programs are frequently designed to be used repeatedly in a given calculation and are of great help to the programmer. Some routines of this nature are described in the next few paragraphs.

## D. Elementary Subroutines

A subroutine can be defined as a set of self-contained orders designed to perform a specified task which may be required repeatedly during a given calculation. Often, such subroutines are stored in a fixed location in memory throughout the computations, and control is transferred to the particular location whenever the routine is needed. Some of the routines which are used most frequently for scientific applications include the trigonometric function routines; square root, logarithm, and exponential routines; and routines for complex, highaccuracy (double-length), and floating-point arithmetic. Routines which are used in dataprocessing applications include the merging, classification, and ordering of data; the extraction of certain characters from a large block of information, and the loading and unloading of the memory locations.

A number of preliminary routines are presented in this section. The methods used represent typical solutions to the problems chosen. It is not suggested, however, that these routines are necessarily to be included in a subroutine library for MOBIDIC.

1. Frequency Count. It is often desirable to obtain a frequency count of a set of words or characters. For example, in linguistic analysis it might be desirable to determine how often each word is used in a given text; alternatively, a frequency count of the individual letters within each word might be desired.

The routine which follows can be used to obtain a frequency count of alphanumeric characters. One hundred blocks of twenty words each are stored on magnetic tape. The six alphanumeric characters which are included in each word are individually tested and a count is kept for each of the 64 possible configurations of 6 bits. This count is kept in memory locations 00000 to 00077 (the first 64 memory locations in memory unit 0 ) in such a way that memory location $a$ is used for configuration $a$. The program will process one block of words while the next block of words is read into memory. The total time required by the program is a function of the read-in time only; no additional time is required by the internal processing.

## MOBIDIC MACHINE CODING FORM

PROGRAM Frequency Count ROUTINE PROJECT/W.O.

| LOCATION | $\pm$ | OP | $\gamma$ | $\begin{array}{l:l} \mathrm{K} & \mathrm{~J} \\ \boldsymbol{\beta} \end{array}$ | $a$ | COMMENTS |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 |  |  |  | 1 |  |  |
| 1001 |  | 70 | 4 | 01120 | 00124 | BLOCK I |
| 1002 |  | 53 | 4 | 00100 | 00144 | $100_{10} \rightarrow \mathrm{I}^{1}, 0 \rightarrow \mathrm{I}^{4}$ |
| 1003 |  | 10 | 0 | 00100 | 70000 |  |
| 1004 |  | 01 | 0 | 00101 | 00077 | \}clear counters |
| 1005 |  | 50 | 0 | 00100 | 00000 |  |
| $\longrightarrow 1006$ |  | 70 | 4 | 01120 | 00100 | BLOCK II |
| 1007 |  | 07 | 0 | 01110 | 01010 | $0 \rightarrow$ SFFl |
| 1010 |  | 24 | 0 | 00124 | 01012 | modify process |
| $\rightarrow 1011$ |  | 51 | 0 | 0003 | 00151 | $20_{10} \rightarrow \mathrm{I}^{3}$ |
| $\longrightarrow 1012$ |  | 51 | 3 | 00 11 | 00077 | word->0 |
| 1013 |  | 51 | 0 | 00,04 | 00150 | $6 \rightarrow \mathrm{I}^{4}$ |
| -1014 |  | 10 | 0 | 00,00 | 70000 | $\chi^{\text {clear acc. }}$ |
| 1015 |  | 31 | 0 | $00 \quad 100$ | 00006 |  |
| 1016 |  | 54 | 0 | 00100 | 01020 | process |
| 1017 |  | 10 | 0 | 00100 | 70011 | 6 characters |
| 1020 |  | 24 |  | 00 0 |  | - |
| $L_{1021}$ |  | 43 | 3 | 00,00 | 01014 | character test |
| $\square 1022$ |  | 43 | 2 | 00,00 | 01012 | word test |
| 1023 |  | 43 | 4 | $00 \quad 100$ | 01025 | block test |
| 1024 |  |  |  | 1 |  | Exit |
| $-1025$ |  | 05 | 0 | 01110 | 01006 | sense to determine next read |
| 1026 |  | 70 | 4 | 01 <br> 0 | 00124 | read BLOCK I |
| 1027 |  | 25 | 0 | 00,24 | 01012 | modify process |
| -1030 |  | 06 | 0 | 01,10 | 01011 | $1 \rightarrow$ SFFl |
| 1 |  |  |  | 1 |  |  |
| 2 |  |  |  | I |  | LOC CONTENTS |
| 3 |  |  |  | $1$ |  | 0-77 Counters |
| 4 |  |  |  | 1 |  | 100-123 BLOCK II |
| 5 |  |  |  | ! |  | 124-147 BLOCK I |
| 6 |  |  |  | , |  | 150 68 |
| 7 |  |  |  | ! |  | 151 |

A sense flip-flop is used to indicate whether the computer is ready to treat block 1 or block 2. Index register $3\left(I^{3}\right)$ is used to count the words in each block, $1^{4}$ counts the characters in each word, and $I^{1}$ counts the blocks themselves. The inner loop which processes the characters (locations $1014-1021$ ) is reduced to a minimum, since each 6-bit character is also treated as the address of the counter for that character.
2. Merging. The operation which consists in taking several sets of ordered numbers and forming from these a single ordered set of numbers is called merging. Merging is frequently used in business and other data-processing applications for file maintenance, and during sorting operations.

The program presented here takes two sets of positive numbers arranged in ascending order and merges them into a single set of numbers in ascending order. The location of the first word of set 1 is taken to be an unspecified memory location x , while location y will store the first word of the second set. The merged list will be stored starting at memory location S.

Index register number $4\left(I^{4}\right)$ is used as a counter to step the storage addresses of the merged sequence, so that successive numbers are stored in successive locations in memory. $I^{2}$ is similarly used to step from one storage address to the next for the first set of unmerged numbers, and $I^{3}$ steps from address to address for the second set of unmerged numbers. The last number in each set is a sentinel identified by a negative sign. The program tests each number to find if it is negative. When the first negative number is found, one set of numbers is exhausted; the remaining numbers from the other set are then taken in order and added to the merged list.

In this routine it is assumed that the total number of words to be merged does not exceed the number of locations available in memory.
3. Classification. The operation which consists in breaking down a single set of items into several classes according to some specified criterion is called classification. For example, the familiar punched-card sorter arranges a deck of cards into ten pockets according as a particular card column contains each one of the ten decimal digits.

Classification is one of the basic business data-processing operations. It is performed when a certain class of items in stock must be segregated from the other items in an inventory control problem, or when a given class of customers must be processed separately in an accounts-receivable operation. Classification can be performed both with tabulating equipment and with large-scale computing machinery.

The routine presented here classifies one hundred integers into ten classes according to the value of the lowest order digit. Since all integers might conceivably end in the same digit, one hundred storage locations are reserved for each class of integers. Thus, all integers which end in zero are stored starting at location 2001, those ending in 1 are stored starting in 2146, those ending in 2 are stored starting in 2313, and so on. One extra memory location is reserved for each class of integers to store the number of integers in each class.

## MOBIDIC MACHINE CODING FORM

PROGRAM Merge Routine

| LOCATION | $\pm$ | 0 P | $\gamma$ | $\frac{\mathrm{K}}{\beta}$ | 0 | COMMENTS |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 |  | LDX | 2 | ( X ) | (Y) | $\mathrm{L}(\mathrm{X}) \rightarrow \mathrm{I}^{2} ; \mathrm{L}(\mathrm{Y}) \rightarrow \mathrm{I}^{3}$ |
| 1 |  | LOD | 0 | 001104 | 00036 | $\mathrm{L}(\mathrm{S}) \rightarrow \mathrm{I}^{4}$ |
| 12 |  | CLA | 2 | 0 0 100 | 00000 | X |
| 3 |  | TRN | 0 | 1 | 00030 | Test for last X |
| $1 \quad 4$ |  | CLA | 3 | 1 | 00000 | Y |
| 5 |  | TRN | 0 | 1 | 00022 | Test for last Y |
| 6 |  | TRC | 2 | 1 | 00000 | $\mathrm{Y}: \mathrm{X}$ |
| 7 |  | TRU | 0 | I | 00016 | $<$ |
| 10 |  | TRU | 0 | 1 | 00011 | $>$ |
| 11 |  | CL/A | 2 | 1 | 00000 | $=$ |
| 12 |  | STR | 4 | 1 | 00000 | $x->6$ |
| 13 |  | ADB | 0 | 00,01 | 70002 | $\mathrm{x}+1 \rightarrow \mathrm{X}$ |
| 14 |  | ADB | 0 | 00,01 | 70004 | $\mathrm{s}+\mathrm{l} \rightarrow \mathrm{s}$ |
| 115 |  | TRU |  | 1 | 00002 |  |
| 16 |  | STR | 4 | 1 | 00000 | $\mathrm{Y} \rightarrow \mathrm{S}$ |
| 17 |  | A.DB | 0 | $00 \mid 01$ | 70003 | $\mathrm{Y}+1 \rightarrow \mathrm{Y}$ |
| 20 |  | ADB | 0 | 00 1 01 | 70004 | $S+1 \rightarrow S$ |
| - 21 |  | TRU | 0 | 1 | 00004 |  |
| $\rightarrow 22$ |  | CLA | 2 | 1 | 00000 | X |
| 23 |  | TRN | 0 | 1 | EXIT | Test for last X |
| 24 |  | STR | 4 | 1 | 00000 | $x \rightarrow$ S |
| 25 |  | ADB | 0 | 00101 | 70002 | $\mathrm{X}+1 \rightarrow \mathrm{X}$ |
| 26 |  | ADB | 0 | 00 101 | 70004 | $\mathrm{S}+1 \rightarrow \mathrm{~S}$ |
| $\underline{-27}$ |  | TRU | 0 | $\begin{array}{l:l}00 & 00\end{array}$ | 00022 |  |
| -30 |  | CLA | 3 | 00,00 | 00000 | Y |
| 31 |  | TRN | 0 | 00100 | EXIT | Test for last Y |
| 32 |  | STR | 4 | 1 | 00000 | $\mathrm{Y} \rightarrow \mathrm{S}$ |
| 33 |  | ADB | 0 | $00: 01$ | 70003 | $\mathrm{Y}+1 \rightarrow \mathrm{Y}$ |
| 34 |  | ADB | 0 | 00,01 | 70004 | $\mathrm{S}+1 \rightarrow \mathrm{~S}$ |
| -3 5 |  | TRU | 0 | 1 | 00030 |  |
| 36 |  |  |  | 1 | L(S) |  |
| 7 |  |  |  | 1 |  |  |

## MOBIDIC MACHINE CODING FORM

PROGRAM Classification



Thus, locations $2000,2145,2312, \ldots ., 2615$ will serve as counters for integers ending in $0,1,2, \ldots, 9$ respectively.

To determine the class to which a given integer belongs, each integer is divided by 10 (12 in octal notation). The remainder after the division appears in the accumulator and specifies the class of the integer. The sum of the contents of each counter plus the address of that counter determines the effective storage address for the next integer to be stored in each class.
4. Justification. Justification of a word consists in shifting the word to the right until the first non-zero digit appears in the lowest order position of the word. All zeros appearing at the low-order end of the word are eliminated. For example, a word containing the characters AB0500 will contain 00AB05 after justification. This operation is used mostly for editing purposes when output data must be recorded in such a way that each word ends at a fixed right-hand margin.

Index register number $2\left(\mathrm{I}^{2}\right)$ is used as a counter. Initially it stores the number of words to be justified; when $I^{2}$ is reduced to zero the process is terminated. Index register number 1 is used as a counter, starting at zero. The address of the first word (1000) is added to the contents of $I^{1}$ to determine the storage locations of the consecutive words before and after justification. Index register number 3 is first cleared, and is then used as a counter to store the number of shifts required for justification. The number of shifts required to justify the various words are stored in consecutive locations starting at 2000. $I^{4}$ stores the number 36 , the maximum number of shifts permitted for each word. If 36 shifts are required, the word originally stored is equal to zero.
5. Floating-Point Addition. It is desired to add two numbers, each one being defined by a 36 -bit mantissa and an exponent (characteristic). The exponent can range in magnitude from $2^{36}-1$ to $-\left(2^{36}-1\right)$ and is assumed to be stored in the memory location immediately following the location of the corresponding mantissa. A zero exponent indicates that the mantissa is a normalized fraction with zero significant digits to the left of the binary point (the binary point lies between bit 36 and bit 37). When the mantissa is shifted n places to the right, its exponent is increased by $n$; conversely, when the mantissa is shifted to the left, the exponent is correspondingly decreased.

Before two numbers which carry different exponents can be added, the number with the smaller exponent is shifted to the right by a number of places equal to the difference of the two exponents. A zero mantissa is supplied with the smallest possible exponent $\left(-2^{36}+1\right)$ so as to insure that it is always considered as the smaller of the two numbers to be added. Since the shift circuits in MOBIDIC operate modulo 128, a shift of more than 127 places will in general result in an incorrect shift. If, therefore, the difference of the two exponents is greater than 127 , the number with the larger exponent is taken as the sum of the two numbers.

## MOBIDIC MACHINE CODING FORM

PROGRAM Justification

| LOCATION | $\pm$ | OP |  |  |  | $a$ | COMMENTS |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\gamma$ |  | $\beta$ |  |  |
| 0 |  |  |  |  | 1 |  |  |
| 1 |  | 53 | 1 | 00 | 100 | N | $\mathrm{N} \rightarrow \mathrm{I}^{2}, \quad 0 \rightarrow \mathrm{I}^{1}$ |
| 2 |  | 53 | 3 | 00 | 100 | 00044 | $36_{10} \rightarrow \mathrm{I}^{4}, 0 \rightarrow \mathrm{I}^{3}$ |
| 3 |  | 10 | 1 |  | 1 | 01000 | $\mathrm{N}_{\mathrm{i}} \rightarrow \mathrm{A}$ |
| 4 |  | 02 | 0 | 00 | 100 | 00020 | Low Order bit of $\mathrm{N}_{\mathrm{i}}$ in A |
| 5 |  | 45 | 0 |  | 1 | 00012 | If Zero, Justify |
| 6 |  | 10 | 0 |  | 1 | 70003 | If One, $\mathrm{I}^{3} \rightarrow$ A |
| 7 |  | 50 | 1 |  | 1 | 02000 | No. of Shifts $\rightarrow$ Storage |
| 10 |  | 43 | 1 | 00 | 101 | 00002 | Get Next Word |
| 11 |  | 40 | 0 | 00 | 100 | 00017 | Exit Line |
| 12 |  | 10 | 1 |  | 1 | 01000 | $\mathrm{N}_{\mathrm{i}} \rightarrow \mathrm{A}$ |
| 13 |  | 32 | 0 | 0 | 1 | 00001 | Justify |
| 14 |  | 50 | 1 | 00 | 100 | 01000 | Justified $\mathrm{N}_{\mathrm{i}} \rightarrow \mathrm{L}\left(\mathrm{N}_{\mathrm{i}}\right)$ |
| 15 |  | 43 | 3 | 00 | 101 | 00004 | Repeat |
| 16 |  | 40 | 0 |  | 1 | 00006 |  |
| 17 |  |  |  |  | 1 |  | EXIT |
| 20 | 0 | 00 | 0 | 00 | 100 | 00001 |  |
| 1 |  |  |  |  | 1 |  |  |
| 2 |  |  |  |  | 1 |  |  |
| 3 |  |  |  |  | 1 |  | LOC |
| 4 |  |  |  |  | 1 |  | 1000-1000 + N N numbers |
| 5 |  |  |  |  | 1 |  | 2000-2000 + N no. of shifts |
| 6 |  |  |  |  | 1 |  |  |
| 7 |  |  |  |  | 1 |  |  |
| 0 |  |  |  |  | 1 |  | Use $\mathrm{I}^{3}+\mathrm{I}^{4}$ to count shifts |
| 1 |  |  |  |  | 1 |  | Use $\mathrm{I}^{1}+\mathrm{I}^{2}$ to count words |
| 2 |  |  |  |  | ! |  |  |
| 3 |  |  |  |  | I |  |  |
| 4 |  |  |  |  | 1 |  |  |
| 5 |  |  |  |  | ! |  |  |
| 6 |  |  |  |  | ! |  |  |
| 7 |  |  |  |  | 1 |  |  |

## MOBIDIC MACHINE CODING FORM

PROGRAM Floating ADD
ROUTINE
PROJECT/W.O. $\qquad$


## MOBIDIC MACHINE CODING FORM

PROGRAM Floating AD ROUTINE
PROJECT/W.O.

| LOCATION | $\pm$ | 0 P | $\gamma$ | $\begin{array}{l:l} \mathrm{K} & \mathrm{~J} \\ \hline \beta & \end{array}$ | 0 | COM M ENTS |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 40 |  | ADD | 2 | $00 \quad 101$ | 00002 | Mant. B |
| 41 |  | TRU | 1 | 1 | 00023 | to test for overflow |
| (Spare) 42 | 0 | 40 | 0 | $00 \quad 100$ | 00000 | L(Hi-order one) |
| Overflow 43 |  | ADD | 1 | 1 | 00033 | Lo-order one |
| 44 |  | SHR | 0 | 1 | 00001 |  |
| 45 |  | ADD | 1 | 1 | 00042 | Hi-order one |
| 46 |  | CYL | 0 | 1 | 00045 |  |
| 47 |  | ADD | 1 | 1 | 00033 | Lo-order one |
| 50 |  | CYL | 0 | 1 | 00045 |  |
| 51 |  | TRU | 1 | 1 | 00031 | to exit |
| (Spare) 52 | 1 | 77 | 7 | $\begin{array}{ll}77 & 77\end{array}$ | 77777 | L (all ones) |
| $\begin{array}{ll} \hline \text { Zero } & 53 \\ \hline \end{array}$ |  | CLA | 0 |  | 70000 | Clear Accumulator |
| 54 |  | LOD | 1 | 0 11 | 00052 | All ones |
| Dif in Char. $^{\text {a }} 12855$ |  | TRU | 1 | 1 | 00031 | to EXIT |
| 56 |  | CLA | 2 | $00 \quad 100$ | 00002 | Mant. B |
| 57 |  | LOD | 2 | $00 \quad 111$ | 00003 | Char. B |
| 60 |  | TRU | 1 | 1 | 00031 | to EXIT |
| 61 |  |  |  | STORAGE |  | STORE $\mathrm{I}^{2}$ |
| 62 |  |  |  | STORAGE |  | STORE number of shifts |
| 3 |  |  |  | 1 |  |  |
| 4 |  |  |  | 1 |  |  |
| 5 |  |  |  | 1 |  |  |
| 6 |  |  |  | 1 |  |  |
| 7 |  |  |  | 1 |  |  |
| 0 |  |  |  | 1 |  |  |
| 1 |  |  |  | 1 |  |  |
| 2 |  |  |  | 1 |  |  |
| 3 |  |  |  | 1 |  |  |
| 4 |  |  |  | 1 |  |  |
| 5 |  |  |  | 1 |  |  |
| 6 |  |  |  | 1 |  |  |
| 7 |  |  |  | 1 |  |  |

In the routine presented here the numbers and corresponding exponents are assumed to be arranged in storage as shown below:

```
Location n
Location n + 1
Location n + 2
Location n + 3
Location n + 4
Location n +5
```

| Main Routine |  |
| :---: | :---: |
| Transfer and Load |  |
| Mantissa 1 | loc. $\mathrm{I}^{1}+1$ |
| Exponent 1 |  |
| Mantissa 2 | $\cdot$ |
| Exponent 2 |  |

The two mantissas and corresponding exponents are stored in the four memory locations immediately following the TRL instruction which transfers control to the subroutine. This transfer instruction stores the address of the first mantissa (location $n+1$ ) in the program counter store. This permits reference to the four quantities which figure in the operation without determining their actual addresses.

At the end of the floating-point routine, control is transferred back to the main routine (location $n+5$ ). The mantissa of the sum will appear in the accumulator and the exponent of the sum is stored in the Q-register. Before the transfer back to the main routine takes place, the sum must be tested for possible overflow. In case of overflow, the sum is shifted to the right by one place, a one is entered into bit position 36 , and 1 is added to the exponent of the sum. If there is no overflow, the sum is normalized and the number of shifts required is subtracted from the exponent.

The location used to store the first instruction of the subroutine is stored in index register number $1\left(I^{1}\right)$, and reference to all memory locations within the subroutine are made relative to this first location. The subroutine will therefore operate unchanged no matter where it is eventually stored in memory.

Index register number 2 is used to store address $n+1$, that is, the address of the first mantissa. However, the original contents of $I^{2}$ are saved before this register is used in the subroutine, and are restored later. Thus, the subroutine will destroy only the contents of the registers in the arithmetic unit and the contents of $I^{1}$. All other machine locations can be used by the main program.
6. Order Code Summary. The order codes which were presented in Section III and illustrated in Section IV are summarized in Table V which follows. The input-output instructions are treated separately at the end of the table.

The state of all internal' registers and memory locations affected by the various internal orders is shown as it appears at the end of the corresponding instruction. The table also indicates whether a given instruction can be indexed and whether overflow is possible. The programmer should use this table as a permanent reference during problem preparation.
TABLE V. SUMMARY OF OPERATION CODES

| Instruction | a | $\wedge$ | Q | B | ${ }^{1}$ | 1 ret | Notes | Tino |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ${ }^{108} 24$ | ${ }^{\text {c }}$ (a) $+\beta$ | $c(a)+\beta$ | $c(A)$ | $\begin{aligned} & a_{\mathrm{sm}}=+: \mathrm{c}(a)-\mathrm{B} \\ & a_{\mathrm{sm}}=-\left\{\begin{array}{l} \|\mathrm{c}(a)\| \geq \beta ; \mathrm{c}(a)^{\prime}-\mathrm{B}, \mathrm{~B}_{\mathrm{sm}}=a_{\mathrm{sm}} \\ \|\mathrm{c}(a)\|<\beta ; 0 \rightarrow \mathrm{~B} \end{array}\right. \end{aligned}$ | $c(\alpha)+\beta$ |  | Overflow possible | 26,40 |
| 10012 |  | $c(A)+c(a)$ |  |  |  |  | Overflow is possible | 1643 |
| 104 13 |  | $c(A)+\|c(a)\|$ |  |  |  |  | Overflow is possible | 16/4s |
| сан 11 |  | $\|c(a)\|$ |  |  |  |  |  | 164s |
| CLA 10 |  | c(a) |  |  |  |  |  | $16 / \mathrm{ss}$ |
| cls 14 |  | c(a), $\alpha_{\text {in }}^{\prime}-A_{\text {sm }}$ |  |  |  |  |  | 164s |
| CSM 15 |  | $-\|c(a)\|$ |  |  |  |  |  | 16/4 |
| CrL 35 |  | A, Q cycled left amod 128 places |  |  |  |  | Signs included | $\alpha \leq 14 ; 16 \mu \mathrm{~s}$ <br> $a>14 ; 2+a+a(\bmod 2) \mu s$ |
| crs 34 |  | A cycled left amod 128 places |  |  |  |  | Sign not included | $\begin{aligned} & a \leq 14 ; 16 / \mathrm{s} \\ & \alpha>14 ; 2+\alpha+\alpha(\bmod 2) \mu \mathrm{s} \end{aligned}$ |
| 0vo 22 |  | Remainder | Quotiont | c(a) |  |  | Overflow is possible | ${ }_{\text {(18, }}^{88,4 \mathrm{~s} \text { if overflow) }}$ |
| OVL 23 |  | Remainder | Quotient | c(a) |  |  | Overflow is possible | ${ }_{\text {(18, }}^{88, \mathrm{~s} \text { if overflow) }}$ |
| HLT 00 |  |  |  |  |  |  | Computer stops | 16 Ms |
| L0x 53 |  |  |  |  | $\beta$ | a | Cannot be indexed | $16 / 43$ |
| L6A 03 |  | Logical Sun |  | c(a) |  |  |  | 1649 |
| Lon 02 |  | $\begin{aligned} & \text { Logical Product } \\ & \text { (CA) (a) (a) } \end{aligned}$ |  | c(a) |  |  |  | 1649 |


| Instruction | a | $\wedge$ | $Q$ | B | $1^{r}$ | $1^{\gamma+1}$ | Motes | Time |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| L6M O4 |  | c $\left(a_{1,37}\right)^{\prime}$ |  |  |  |  |  | 16/4s |
| LOD 51 |  |  |  | c(a) |  |  | $\mathrm{C}(a)$ - Addressable Register not in main memory | 18/48 |
| MLR 21 |  | $c(A) C(a)$ <br> High order blts rounded | $c(A) C(a)$ Low order | $\begin{aligned} & Q_{36}=0 ; C(a) \rightarrow B \\ & Q_{36}=1 ; 0 \rightarrow B \end{aligned}$ |  |  |  | 86/s |
| MLY 20 |  | $\begin{aligned} & c(A) C(a) \\ & \text { HIgh order } \end{aligned}$ | $c(A) C(a)$ Low order | C( $($ ) |  |  |  | 86/4 |
| mov 52 |  |  | $a$ on RPT-MOY only | C(a) |  |  | $\begin{gathered} c(a)-\gamma^{\beta} \\ \text { cannot be Indexed } \end{gathered}$ | 26 $/ \mathrm{s}$ |
| MSK 55 | Bit by bit logic $a_{1}=A_{1} p_{i}+a_{1} p_{1}$ |  |  | c(a) |  |  |  | 22 $\mu \mathrm{s}$ |
| MRM 37 | Number of shifts ( $\leq 36$ ) | High order zeros shifted off: low order zeros inserted |  |  |  |  |  | $\begin{aligned} & \left.18+n-n(\text { modi }) \mu_{s}\right) \\ & (n=n o . \text { of shifto }) \end{aligned}$ |
| RPA 54 | $c\left(A_{1.15}\right) \sim a_{1.15}$ |  |  | $c(A)$ |  |  |  | $22 \mu \mathrm{~s}$ |
| RPT OI |  |  |  |  |  |  | $\underset{\substack{\text { C(PC) } \\ \beta \rightarrow 1^{4}+1^{1}}}{ }$ | 16 $/ \mathrm{s}$ |
| 388 25 | $c(a)-\beta$ | $c(a)-\beta$ | $c(A)$ | $\begin{aligned} & A_{s m}=+\left\{\begin{array}{l} \|\mathrm{c}(a)\|<\beta ; c(a)^{\prime}-8, \mathrm{~B}_{\mathrm{sm}}=a_{\mathrm{sm}} \\ \|\mathrm{c}(a)\| \geq \beta ; 0 \rightarrow 8 \end{array}\right. \\ & \mathrm{A}_{\mathrm{sN}}=-; \mathrm{c}(a)-\mathrm{B} \end{aligned}$ | c(a) $-\beta$ |  | Overflow is nossible but not detected. | 26/4 |
| SBM 17 |  | $c(a)-\|c(a)\|$ |  | $\begin{aligned} & A_{\mathrm{sm}}=-; \mathrm{C}(a)-\mathrm{B} \\ & A_{\mathrm{sN}}=+\left\{\begin{array}{l} \|\mathrm{A}\|<\|a\| ; \mathrm{C}(a)^{\prime}-B, B_{\mathrm{sm}}=a_{3 N} \\ \|A\| \geq\|a\| ; 0-B \end{array}\right. \end{aligned}$ |  |  | Overflow is possible | 1648 |
| SEK $05{ }^{\text {* }}$ |  |  |  | $T R A=1 ; C(P C)-8$ |  |  | $\begin{aligned} & C(\beta)=1 ; a-P C \\ & C(\beta)=0 ; C(P C)+1-P C \end{aligned}$ | 1648 |
| SHL 30 |  | C(A) Shifted loft $a \bmod 128$ |  |  |  |  | Sign not included Overflow is possible | $\begin{aligned} & a \leq 9 ; 16 \mu \mathrm{~s} \\ & \alpha>9 ; 8+a-a(\bmod 2) \mu \mathrm{s} \end{aligned}$ |
| SHR 32 |  | $c(A) \text { Shifted right }$ |  |  |  |  | Sign not included | $\alpha \leq 14: 16 / \mathrm{s}$ <br> $a>14: 2+a+a(\bmod 2) \mu \mathrm{Ha}$ |
| stl 31 |  | $C(A, Q)$ shifted left | nod 128 |  |  |  | $\$ 1$ gns not included Overflow is possible | $\begin{aligned} & a \leq 9 ; 16 \mu \mathrm{~s} \\ & a>9 ; 8+\alpha-a(\bmod 2) \mu \mathrm{s} \end{aligned}$ |

[^0]TABLE V. SUMMARY OF OPERATION CODES

| Inatruction | a | $\star$ | 9 | 8 | $1^{\gamma}$ | $1^{\gamma+1}$ | Notes | Tine |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| SWR $07{ }^{*}$ |  |  |  | $T R A=1 ; C(P C) \rightarrow B$ |  |  | $\begin{aligned} & C(\beta)=1 ; 0 \rightarrow C(\beta), a \rightarrow P C \\ & C(\beta)=0 ; C(P C)+1 \rightarrow P C \end{aligned}$ | $16 \mu \mathrm{~s}$ |
| Sus 06 |  |  |  | $T R A=1 ; C(P C) \rightarrow B$ |  |  | $\begin{aligned} & C(\beta)=0 ; 1 \rightarrow C(\beta), a \rightarrow P C \\ & C(\beta)=1 ; C(P C)+1 \rightarrow P C \end{aligned}$ | 16/3 |
| SRL 33 |  | $\begin{array}{cc} c(A, Q) & \text { Shif } \\ \alpha \text { mod } 128 \end{array}$ |  |  |  |  | Signs not included | $a \leq 14 ; 16 \mu \mathrm{~s}$ $a>14 ; 2+a+a(\bmod 2) \mu a$ |
| STR 50 | $c(A)$ |  |  |  |  |  |  | $16 \mu \mathrm{~s}$ |
| Su8 16 |  | $c(a)-c(a)$ |  |  |  |  | Overflow is possible | 16/48 |
| TRC 47 |  |  | $c(A)$ | $a$ |  |  | $\begin{aligned} & C(A)<C(a): C(P C)+1 \rightarrow P C \\ & C(A)>C(a): C(P C)+2 \rightarrow P C \\ & C(A)=C(a) ; C(P C)+3 \rightarrow P C \end{aligned}$ | 22 $\mu \mathrm{s}$ |
| TRL 41* |  |  |  | $T R A=1 ; C(P C) \sim B$ | $\beta$ | \| | $\begin{aligned} & C(P C)+1 \rightarrow P C S \\ & a \rightarrow P C \\ & C \text { annot be Indexed } \end{aligned}$ | 164s |
| TRM 46 |  |  |  | TRA $=1 ; \mathrm{C}(\mathrm{PC})-\mathrm{B}$ |  |  | $\begin{aligned} & A_{S M}=+; C(P C)+1 \rightarrow P C \\ & A_{3 M}=-; a \rightarrow P C \end{aligned}$ | 16/s |
| TRP ${ }^{49}{ }^{\text {* }}$ |  |  |  | $T R A=1 ; C(P C)-B$ |  |  | $\begin{aligned} & A_{S M}=-; C(P C)+1 \rightarrow P C \\ & A_{S N}=+; a \rightarrow P C \end{aligned}$ | $16 \mu \mathrm{~s}$ |
| TRS 42 ${ }^{\text {* }}$ |  |  |  | TRA $=1: \mathrm{C}(\mathrm{PC})-\mathrm{B}$ |  |  | PCS -PC | 16 $\mu \mathrm{s}$ |
| TRU $40{ }^{\text {* }}$ |  |  |  | $\beta_{16}=0, T R A=1 ; C(P C)-B$ <br> Otherwise; Bunchanged |  |  | $\beta_{16}=0, T R A=1 ; 0 \rightarrow P C$ $\text { Othervise; } \alpha \rightarrow \mathrm{PC}$ | $16 \mu \mathrm{~s}$ |
| TRX 43 * |  |  |  | $\begin{aligned} & \operatorname{TRA}=1 ; C(P C) \rightarrow B \\ & T R A=0 ; a \rightarrow B \end{aligned}$ | $\begin{aligned} & c\left(1^{\gamma}\right)+\beta \\ & \text { If } 1^{\gamma+1} \neq 0 ; \end{aligned}$ <br> Othervise no change | $\begin{aligned} & c\left(1^{p+1}\right)-1 \\ & \text { if } 1^{p+1} \neq 0 \end{aligned}$ | $\begin{aligned} & C\left(1^{p+1}\right) \neq 0 ; a-P C \\ & c\left(p^{2+1}\right)=0 ; c(P C)+1-P C \end{aligned}$ <br> Cannot be Indexed | $22 \mu \mathrm{~s}$ |
| TR2 $45{ }^{*}$ |  |  |  | $T R A=1 ; C(P C)-B$ |  |  | $\begin{aligned} & C\left(A_{1-36}\right)=0 ; a \rightarrow P C \\ & C\left(A_{1},-36\right) \neq 0 ; C(P C)+1 \rightarrow P C \end{aligned}$ | 1648 |

[^1]TABLE V. SUMMARY OF OPERATION CODES

| Instruction |  | Notes | $\begin{aligned} & \text { Time (Excluding } \\ & \text { tape time) } \end{aligned}$ |
| :---: | :---: | :---: | :---: |
| WAM 74 | Writes $K\left(\bmod 2^{9}\right)$ words on 100 , (Input Output Device). First word is at location $\alpha$. Words read six bits at a time. If interpret sign flip-flop is set, the sign is treated as a sixbit character. If j is magnetic tape, block marks inserted before and after k words. | Six characters per word plus one character for sign. | $16 \mu \mathrm{~s}+$ $8 \mu \mathrm{~s}$ per word |
| wok 76 | Three-bit octal digit is converted to six-bit equivalent and written on paper tape. sign is always interpreted. | Cannot be used for magnetic tape. Thirteen six-bit characters per word. | $\begin{gathered} 16 / \mathrm{s}+ \\ 8 / \mu \mathrm{s} \text { per word } \end{gathered}$ |
| ROK 72 | Reads k words from $10 \mathrm{D}_{1}$ and stores in memory beginning at $a$. Treats thirteen six-bit characters as octal word and sign. If Stop code is read, order is terminated whether or not a full word has been read. | Cannot be used for magnetic tape. | $16 \mu \mathrm{~s}+$ $8 \% \mathrm{~s}$ per word |
| ran 70 | If j is magnetic tape unit, $\mathrm{k} \bmod 2^{8}$ words or blocks are read into memory beginning at location $a$. If $\mathrm{k}_{9}=1, \mathrm{k}_{1-8}$ signify number of blocks; if $\mathrm{k}_{9}=0, \mathrm{k}_{1-8}$ signify number of words. with paper tape, stops reading on stop code whether or not $k$ words have been read; if $\mathrm{k}_{9}=0$ only one character is read into each location. | Low order zeros inserted if full word is not used. | $16 \mu \mathrm{~s}+$ $8 / \mathrm{s}$ per word |
| SKP 66 | Tape unit j skips forward $\mathrm{k}\left(\bmod 2^{8}\right)$ blocks. | Magnetic tape only. | $18 \mu \mathrm{~s}$ |
| BSP 67 | Tape unit J backspaces $k\left(\bmod 2^{8}\right)$ blocks. | Magnetic tape only. | $16 \mu \mathrm{~s}$ |
| RRY 71 | Same as RAM except reads in opposite direction. | Magnetic tape only. | $\begin{gathered} 16 \mu \mathrm{~s}+8 \mu \mathrm{~s} \\ \text { per word } \end{gathered}$ |
| Rwo 77 | Rewinds tape J. | Magnetic tape only. | 16/4 |
| WA 75 | Searches for beginning block aarks. Then writes $k$ nod $2^{\text {s }}$ words starting at memory location $a$ and puts block mark after $k \bmod 2^{9}$ words. | If beginning block mark is not found, whole tape is searched. | $\begin{aligned} & 16 \mu \mathrm{~s}+8 \mu \mathrm{~s} \\ & \text { por word } \end{aligned}$ |

TABLE VI
SUMMMARY OF OPERATION CODES
IN NUMERICAL ORDER
WITH PROGRAMMING MANUAL PAGE REFERENCES

| OCTAL <br> CODE | OPER. ABBREV. | ADDRESS FIELDS USED | S $\quad \mu$ SEC | OPERATION | PAGE | INDEXABLE? |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 00 | HLT |  | 16 | Halt | 26 | No |
| 01 | RPT | $\gamma \beta$ a | 16 | Repeat | 29 | Yes |
| 02 | LGM | $\gamma \mathrm{a}$ | 16 | Logical Multiply | 24 | Yes |
| 03 | LGA | $\gamma \mathrm{a}$ | 16 | Logical Add | 24 | Yes |
| 04 | LGN | $\gamma \mathrm{a}$ | 16 | Logical Negation | 25 | Yes |
| 05 | SEN | $\gamma \beta$ a | 16 | Sense | 26 | Yes |
| 06 | SNS | $\gamma \beta$ a | 16 | Sense \& Set | 26 | Yes |
| 07 | SNR | $\gamma \beta$ a | 16 | Sense \& Reset | 27 | Yes |
| 10 | CLA | $\gamma \mathrm{a}$ | 16 | Clear \& Add | 17 | Yes |
| 11 | CAM | $\gamma \mathrm{a}$ | 16 | Clear \& Add Mag. | 21 | Yes |
| 12 | ADD | $\gamma \beta a$ | 16 | Add | 19 | Yes |
| 13 | ADM | $\gamma \beta a$ | 16 | Add Magnitude | 20 | Yes |
| 14 | CLS | $\gamma \mathrm{a}$ | 16 | Clear \& Subtract | 21 | Yes |
| 15 | CSM | $\gamma \mathrm{a}$ | 16 | Clear \& Subtract Mag. | 21 | Yes |
| 16 | Subtract | $\gamma \beta$ a | 16 | Subtract | 20 | Yes |
| 17 | SBM | $\gamma \beta a$ | 16 | Subtract Magnitude | 20 | Yes |
| 20 | MLY | $\gamma \mathrm{a}$ | 86 | Multiply | 21 | Yes |
| 21 | MLR | $\gamma \mathrm{a}$ | 86 | Multiply \& Round | 21 | Yes |
| 22 | DVD | $\gamma \beta a$ | $\begin{aligned} & 88 \\ & \text { (18 if over flow) } \end{aligned}$ | Divide | 21 | Yes |
| 23 | DVL | $\gamma \beta a$ | $88$ <br> (18 if over flow) | Divide Long | 22 | Yes |
| 24 | ADB | $\gamma \beta \mathrm{a}$ | 26 | Add Beta | 29 | No |
| 25 | SBB | $\gamma \beta a$ | 25 | Subtract Beta | 29 | No |
| 26 |  |  |  |  |  |  |
| 27 |  |  |  |  |  |  |
| 30 | SHL | $\gamma \beta a$ | $a \leq 9=16 ;$ | Shift Left | 22 | Yes |
| 31 | SLL | $\gamma \beta$ a | $a>9,8+a-a($ MOD 2) | Shift Left Long | 22 | Yes |
| 32 | SHR | $\gamma \mathrm{a}$ | a $\leq 14=16 ;$ | Shift Right | 22 | Yes |
| 33 | SRL | $\gamma \mathrm{a}$ | $a>14,2+a=a($ MOD 2) | Shift Right Long | 22 | Yes |
| 34 | CYS | ra | $a \leq 14=16 ;$ | Cycle Short | 24 | Yes |
| 35 | CYL | \%a | $a>14,2+a+a($ MOD 2$)$ | Cycle Long | 24 | Yes |
| 36 |  |  |  |  |  |  |
| 37 | NRM | $\gamma \mathrm{a}$ | $18+n-n(\operatorname{Mod} 2)$ $\mathrm{n}=\mathrm{f} \text { of Shifts }$ | Normalize | 22 | Yes |
| 40 | TRU | $\gamma \beta$ ¢ | 16 | Uncond. Transfer | 25 | Yes |


| $\begin{aligned} & \text { OCTAL } \\ & \text { CODE } \\ & \hline \end{aligned}$ | OPER. ABBREV. | ADDRESS FIELDS USED | $\mu$ SEC | OPERATION | PAGE | INDEXABLE? |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 41 | TRL | $\gamma \beta a$ | 16 | Load P. C. S. \& Trans. | 29 | No |
| 42 | TRS |  | 16 | Trans. to Program Cnt. Store | 29 | No |
| 43 | TRX | $\gamma \beta a$ | 22 | Trans, on Index | 28 | No |
| 44 | TRP | $\gamma \mathrm{a}$ | 16 | Trans, on Positive Acc. | 26 | Yes |
| 45 | TRZ | $\gamma \mathrm{a}$ | 16 | Trans, on Zero Acc. | 26 | Yes |
| 46 | TRN | $\gamma \mathrm{a}$ | 16 | Trans, on Negative Acc. | 26 | Yes |
| 47 | TRC | $\gamma \mathrm{a}$ | 22 | Compare | 26 | Yes |
| 50 | STR | $\gamma \mathrm{a}$ | 16 | Store | 17 | Yes |
| 51 | LOD | $\gamma \beta a$ | 18 | Load | 17 | Yes |
| 52 | MOV | $\gamma \beta a$ | 26 | Move | 17 | No |
| 53 | LDX | $\gamma \beta a$ | 16 | Load Index | 28 | No |
| 54 | RPA | $\gamma \mathrm{a}$ | 22 | Replace Address | 17 | Yes |
| 55 | MSK | $\gamma \mathrm{a}$ | 22 | Replace Through Mask | 17 | Yes |
| 56 |  |  |  |  |  |  |
| 57 |  |  |  |  |  |  |
| 58 |  |  |  |  |  |  |
| 59 |  |  |  |  |  |  |
| 60 |  |  |  |  |  |  |
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| 62 |  |  |  |  |  |  |
| 63 |  |  |  |  |  |  |
| 64 |  |  |  |  |  |  |
| 65 |  |  |  |  |  |  |
| 66 | SKP | KJ | $\begin{aligned} & 16+\text { tape } \\ & \text { time } \end{aligned}$ | Skip | 34 | No |
| 67 | BSP | KJ | $\begin{aligned} & 16+\text { tape } \\ & \text { time } \end{aligned}$ | Backspace | 34 | No |
| 70 | RAN | KJa | $\begin{aligned} & 16+8 \text { per } \\ & \text { word }+ \\ & \text { tape time } \end{aligned}$ | Read Alphanumeric | 33 | No |
| 71 | RRV | KJa | $16+8$ per word + tape time | Read Reverse | 34 | No |
| 72 | ROK | KJa | $\begin{aligned} & 16+8 \text { per } \\ & \text { word + } \\ & \text { tape time } \end{aligned}$ | Read Octal | 33 | No |
| 73 |  |  |  |  |  |  |
| 74 | WAN | KJa | $\begin{aligned} & 16+8 \text { per } \\ & \text { word }+ \\ & \text { tape time } \end{aligned}$ | Write Alphanumeric | 32 | No |


| OCTAL CODE | $\begin{gathered} \text { OPER. } \\ \text { ABBREV. } \end{gathered}$ | $\begin{gathered} \text { ADDRESS } \\ \text { FIELDS } \\ \text { USED } \end{gathered}$ | $\mu$ SEC | OPERATION | PAGE | INDEXABLE? |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 75 | WWA | $\mathrm{KJa}$ | $\begin{aligned} & 16+8 \text { per word } \\ & + \text { tape time } \end{aligned}$ | Rewrite | 35 | No |
| 76 | WOK | $\mathrm{KJa}$ | $\begin{aligned} & 16+8 \text { per word } \\ & + \text { tape time } \end{aligned}$ | Write Octal | 33 | No |
| 77 | RWD | J | $16+$ tape time | Rewind | 35 | No |

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WASHINGTON, D.C. . . . 734 15th St., N. W.


[^0]:    Traosina ls poselble
    (

[^1]:    *Trapping is possible

